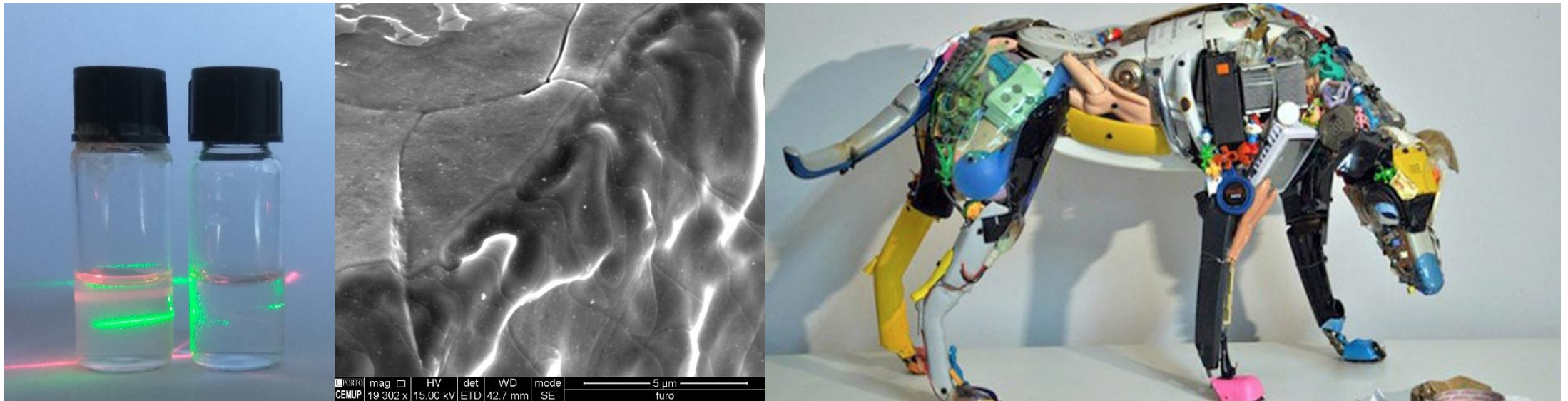


# Physical Chemistry

... iremos explorar, refletir, aprender ?..

Area of chemistry concerned with the **application of the techniques and theories of physics** to the study of chemical systems.



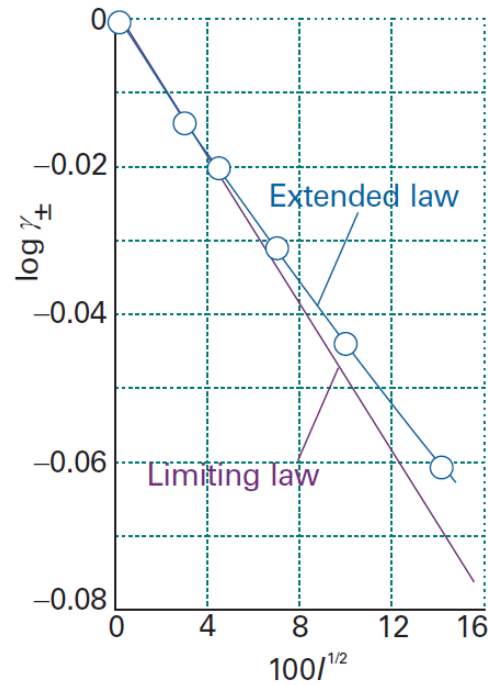
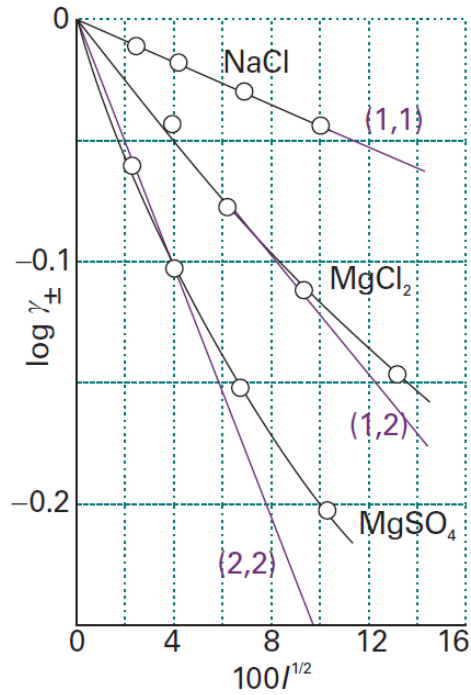
## The activities of ions in solution

The quantity  $a_A$  is the **activity** of A, a kind of ‘effective’ concentration,

An experimental test of the Debye–Hückel limiting law.

$$I = \frac{1}{2} \sum_i z_i^2 (b_i / b^\ominus)$$

Ionic strength



Debye–Hückel limiting law

$$\log \gamma_{\pm} = - |z_+ z_-| A I^{1/2}$$

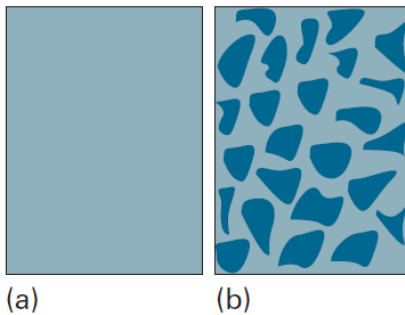
The extended Debye–Hückel law

$$\log \gamma_{\pm} = - \frac{A |z_+ z_-| I^{1/2}}{1 + B I^{1/2}} + C I$$

## Phase

state of matter that is uniform throughout

- chemical composition
- physical state



**Fig. 6.1** The difference between (a) a single-phase solution, in which the composition is uniform on a microscopic scale, and (b) a dispersion, in which regions of one component are embedded in a matrix of a second component.

## Constituent of a system

chemical species (an ion or a molecule) that is present

**Component** is a *chemically independent* constituent of a system.  $C$

**Minimum number of independent species**

necessary to define the **composition** of all the **phases** present in the system.

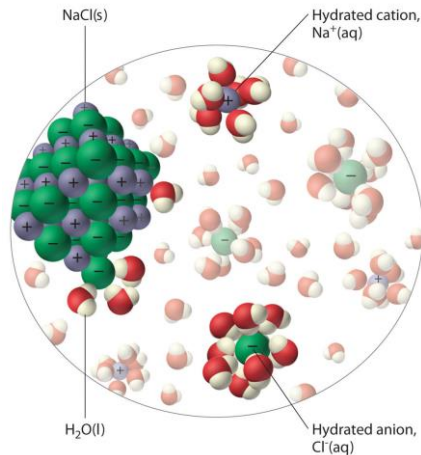
**Constituent** of a system chemical species (an ion or a molecule) that is present

$$\# \text{ component} = \# \text{ Constituents} - \# \text{ constraints system}$$



Mixture of **ethanol** and **water** has 2 **constituents**

$$2 \text{ Constituents} - 2 \text{ component system } (C = 2 - 0 = 2)$$



A solution of **sodium chloride** has 3 **constituents**:  
**water**, **Na<sup>+</sup>** ions, and **Cl<sup>-</sup>** ions

$$C = 2 = 3 \text{ (Constituents)} - 1 \text{ (constraints)} = 2$$

$$\text{Constraints} = \text{Charge balance, } |\text{Na}^+| = |\text{Cl}^-|$$

The **variance**,  $F$ , of a system

number of **intensive variables** (e.g. pressure and temperature) that can be changed independently without disturbing the **number of phases in equilibrium**.

**single-component, single-phase system** ( $C = 1, P = 1$ ),

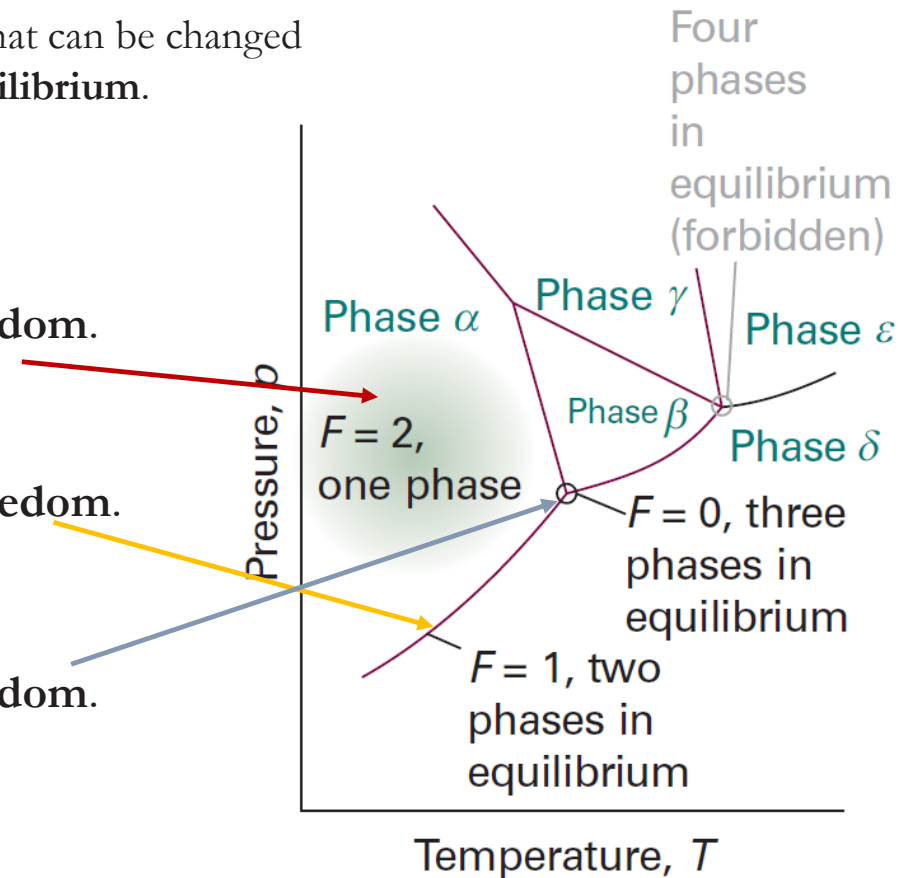
$F = 2$ . system is **bivariant**, or that it has **2 degrees of freedom**.

**single-component, single-phase system** ( $C = 1, P = 2$ ),

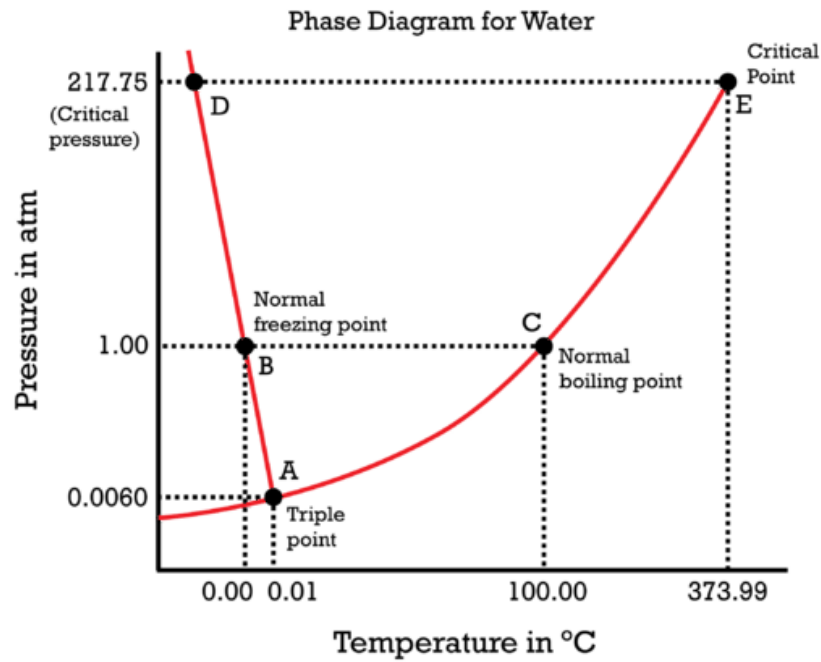
$F = 1$ . system is **univariant**, or that it has **1 degrees of freedom**.

**single-component, single-phase system** ( $C = 1, P = 3$ ),

$F = 0$ . system is **invariant**, or that it has **0 degrees of freedom**.

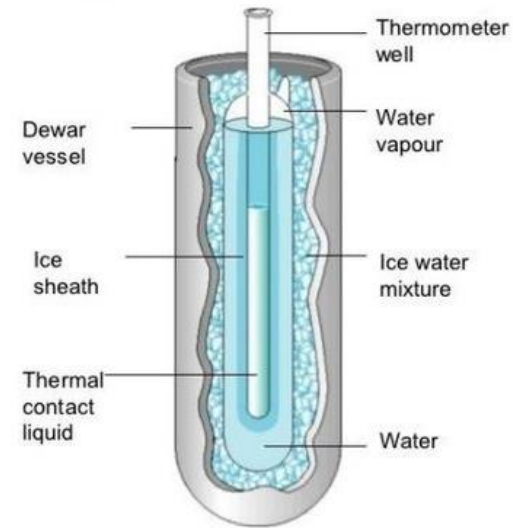


The **variance**,  $F$ , of a system  
number of **intensive variables** (e.g. pressure and temperature) that can be changed  
independently without disturbing the **number of phases in equilibrium**.



$T = 0.01\text{ }^{\circ}\text{C}; P = 611.657\text{ Pa}$

### Triple Point of Water

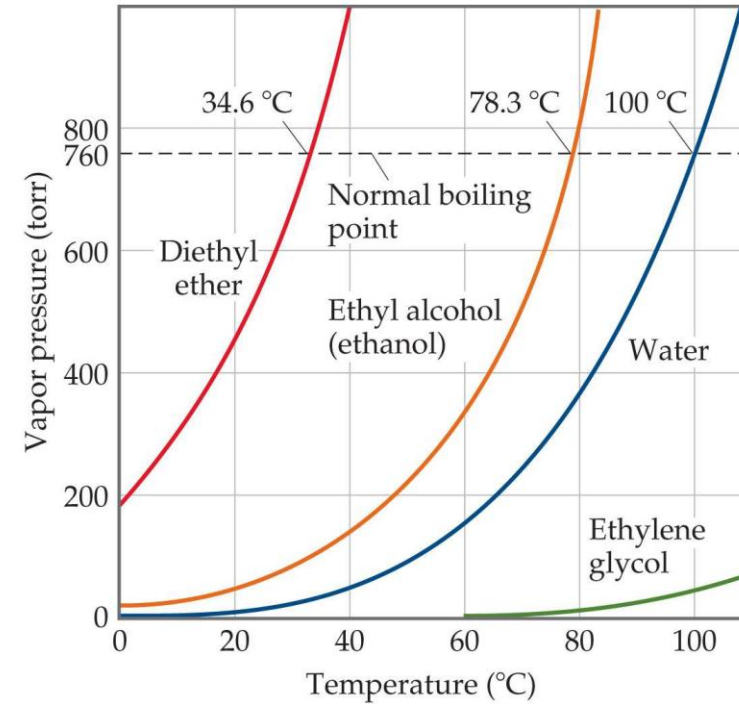
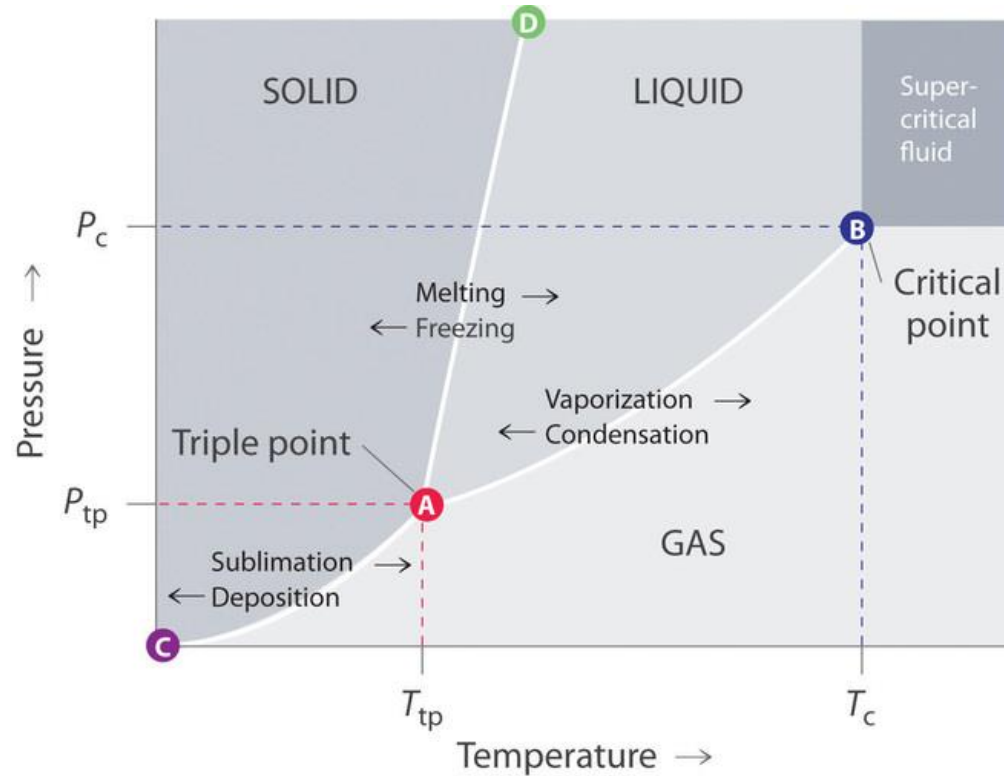


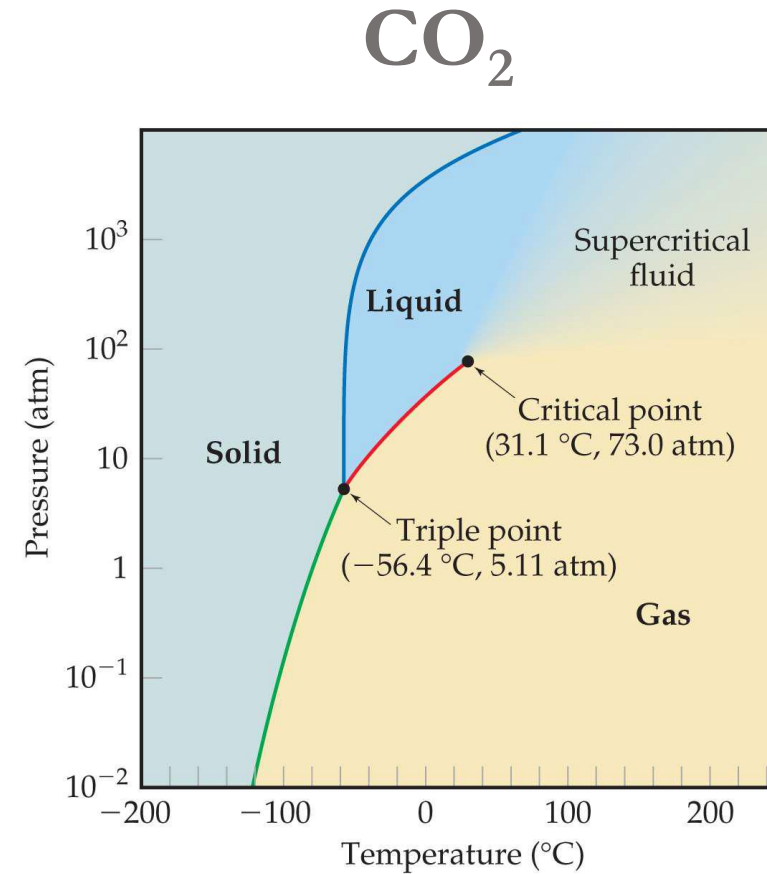
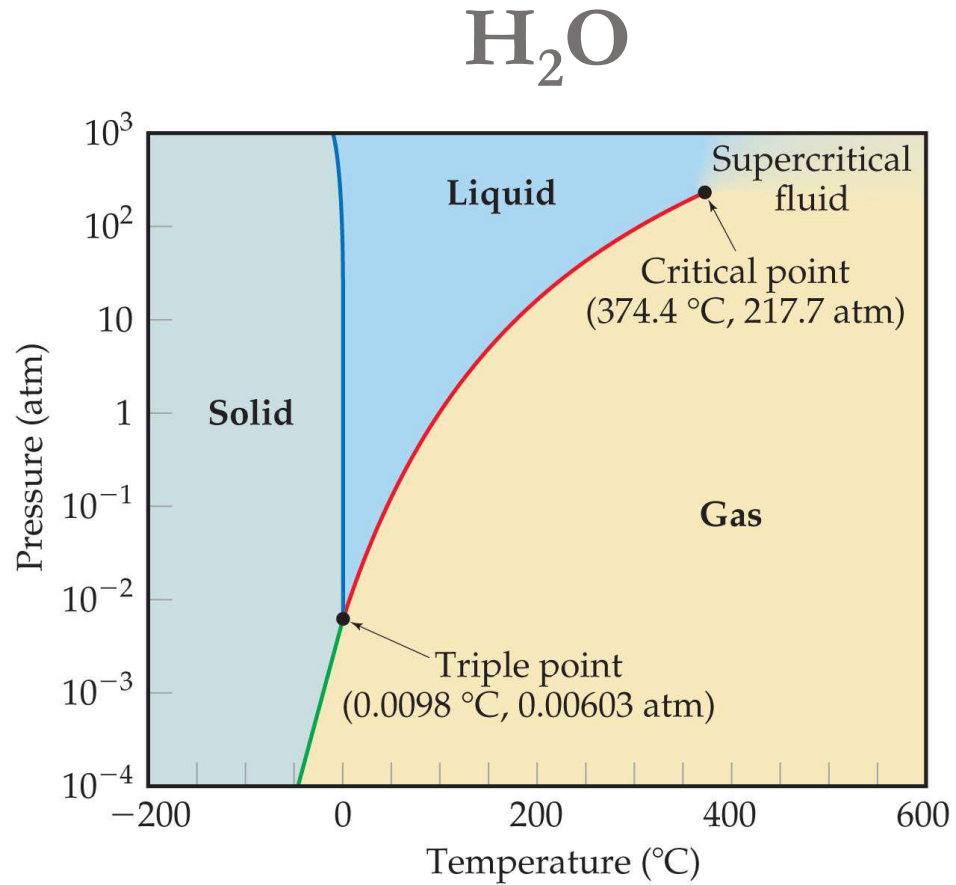
$T = 0.00\text{ }^{\circ}\text{C}; P = 1\text{ bar}$



<https://www.nist.gov/video/triple-point-cell>

# Phase diagrams

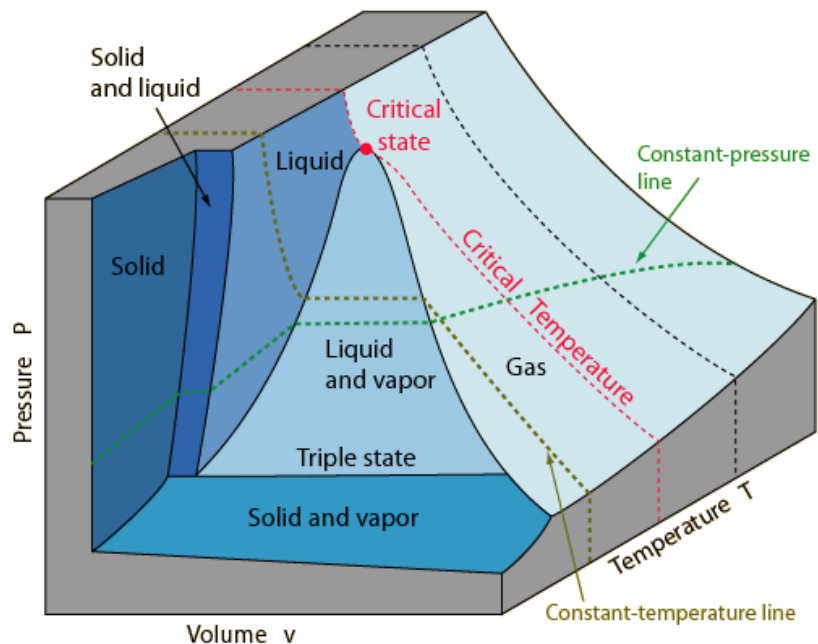






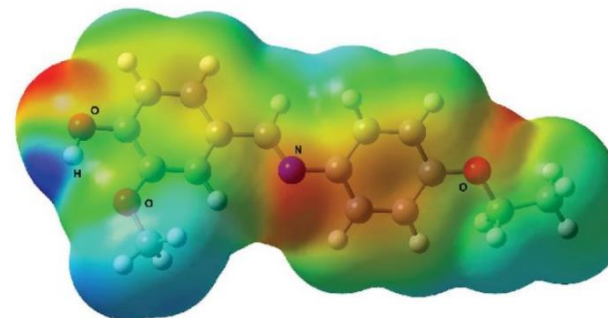
# Pure substances & Mixtures

## PVT diagram



Why each compound have a different PVT surface profile?

- C-H- $\pi$  and  $\pi$ - $\pi$  .. interactions
- H-bond
- Electrostatic .. interactions
- Molecular shape
- ...???



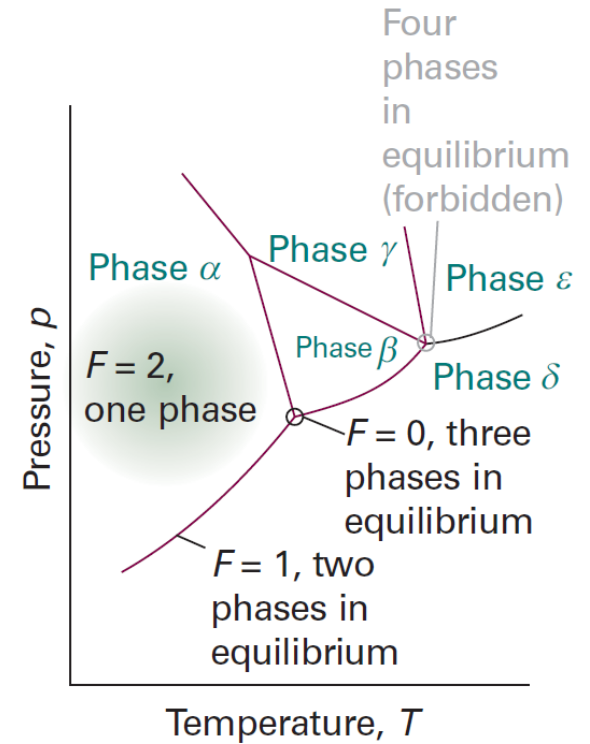
The **variance**,  $F$ , of a system is the number of **intensive variables** (e.g. pressure and temperature) that can be changed independently without disturbing the **number of phases in equilibrium**.

J.W. Gibbs deduced the **phase rule**

$$F = C - P + 2$$

$C$  # Components

$P$  # Phases,



The **variance**,  $F$ , of a system is the number of **intensive variables** (e.g. pressure and temperature) that can be changed independently without disturbing the **number of phases in equilibrium**.

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$$F = C - P + 2$$

$C$  # Components  
 $P$  # Phases,

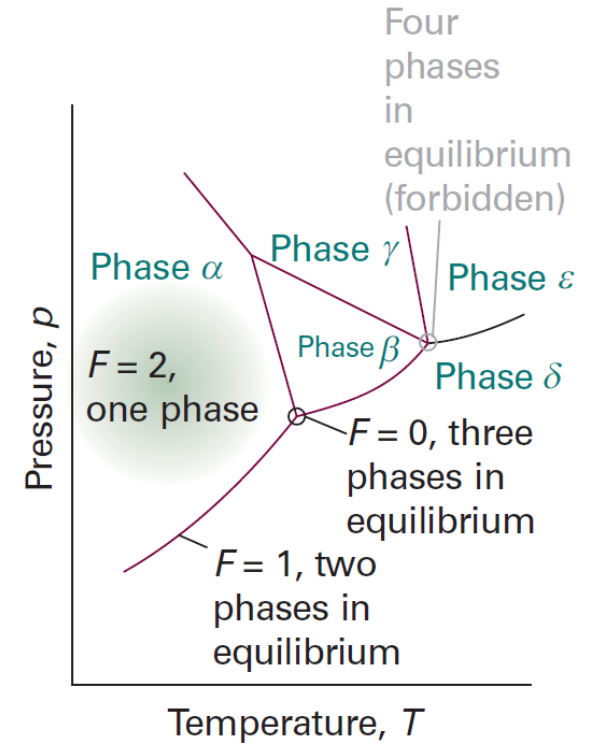
**intensive variables**

The pressure,  $p$ , and temperature,  $T$ , count as **2**.

**composition** of a phase

$$P(C - 1) \quad x_1 + x_2 + \dots + x_C = 1, (C - 1) \quad \text{In each phase, } P$$

$$F > P(C - 1) + 2 \quad \text{Minus the Restrictions !!}$$



The **variance**,  $F$ , of a system is the number of **intensive variables** (e.g. pressure and temperature) that can be changed independently without disturbing the **number of phases in equilibrium**.

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$C$  # Components  
 $P$  # Phases,

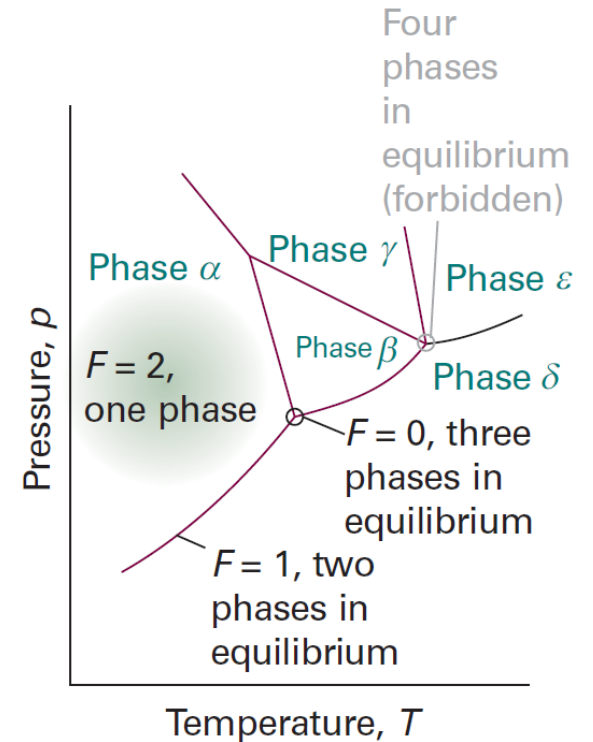
$$F > P(C - 1) + 2$$

*Minus the Restrictions !!*

Relation due to of a phase equilibrium

$$C(P - 1) \quad \mu_j(\alpha) = \mu_j(\beta) = \dots \quad \text{for } P \text{ phases} \quad \text{For each, } C$$

$$F = P(C - 1) + 2 - C(P - 1) = C - P + 2$$



The **variance,  $F$** , of a system is the number of **intensive variables** (e.g. pressure and temperature) that can be changed independently without disturbing the **number of phases in equilibrium**.

J.W. Gibbs deduced the **phase rule**

$$F = C - P + 2$$

Minimum value of **variance,  $F$** , should be  **$F=0$**

$$C = 1$$

$P$  # Phases Maximum?

$$F = 1 - P + 2 \dots P \leq 3 - 0$$

~~$P = 4 ???$~~

$$\mu_j(\alpha; p, T) = \mu_j(\beta; p, T) \quad \mu_j(\beta; p, T) = \mu_j(\gamma; p, T) \quad \mu_j(\gamma; p, T) = \mu_j(\delta; p, T)$$

three equations for two unknowns ( $p$  and  $T$ ) **are not consistent**

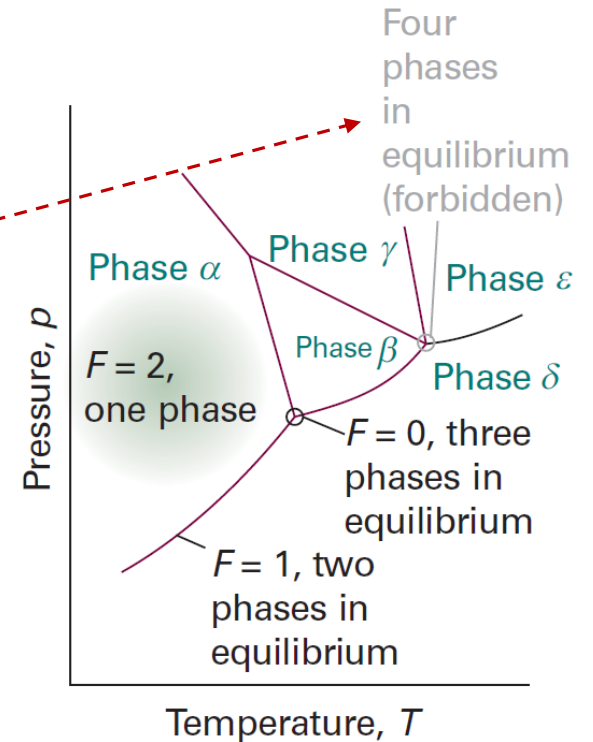
$$C = X$$

$$P \leq X + 2 - 0$$

$$C = 2 \quad \# \text{max } P = 4$$

$$C = 3 \quad \# \text{max } P = 5$$

.....



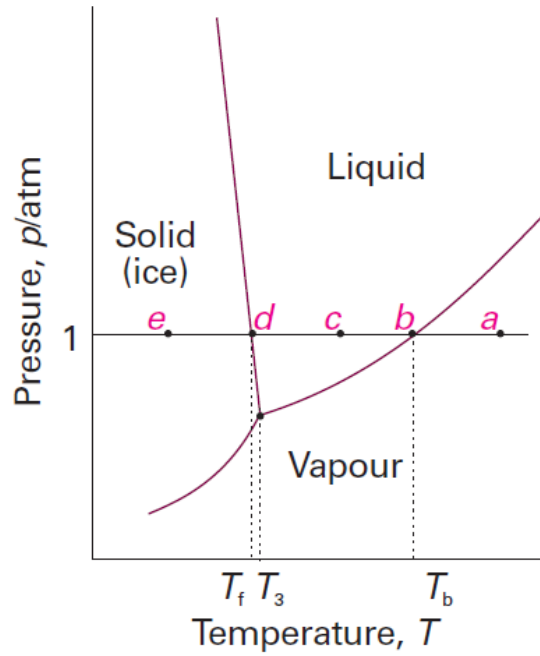
One-component systems

$C = 1$

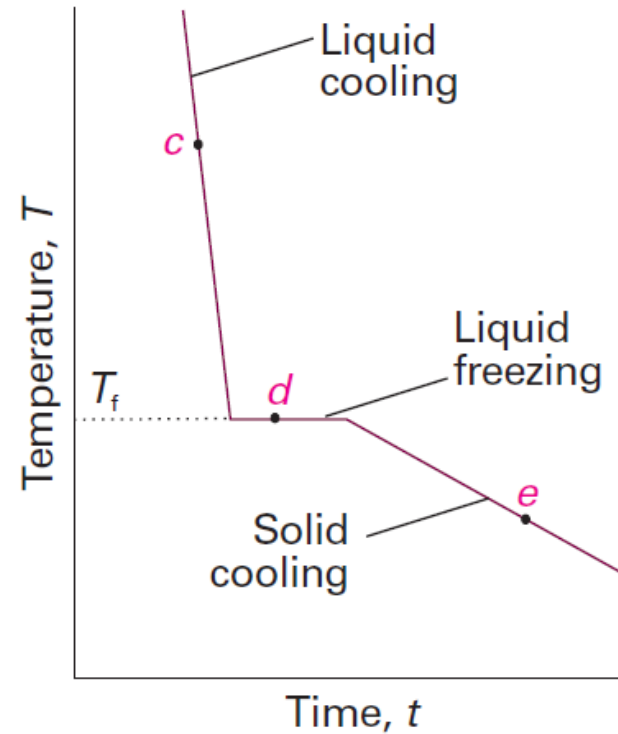
$F = 1 - P + 2 \dots \# P - 1, 2, 3$

J.W. Gibbs deduced the phase rule

$F = C - P + 2$

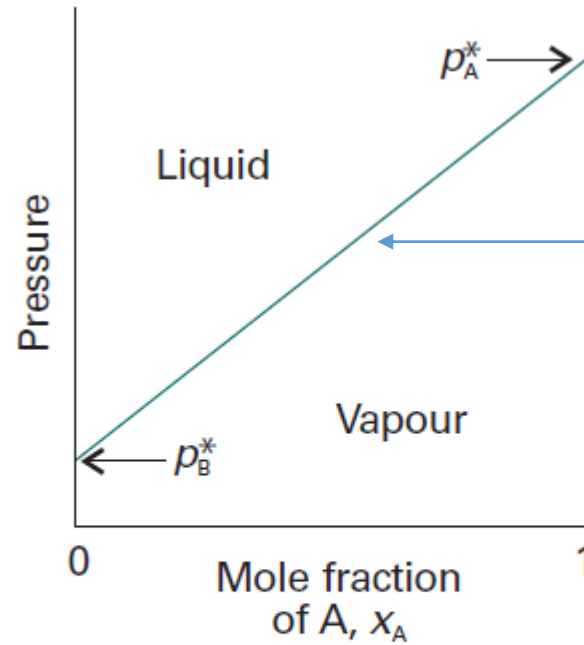


**Fig. 6.3** The phase diagram for water, a simplified version of Fig. 4.5. The label  $T_3$  marks the temperature of the triple point,  $T_b$  the normal boiling point, and  $T_f$  the normal freezing point.



J.W. Gibbs deduced the phase rule

$$F = C - P + 2$$



$$p_A = x_A p_A^* \quad p_B = x_B p_B^*$$

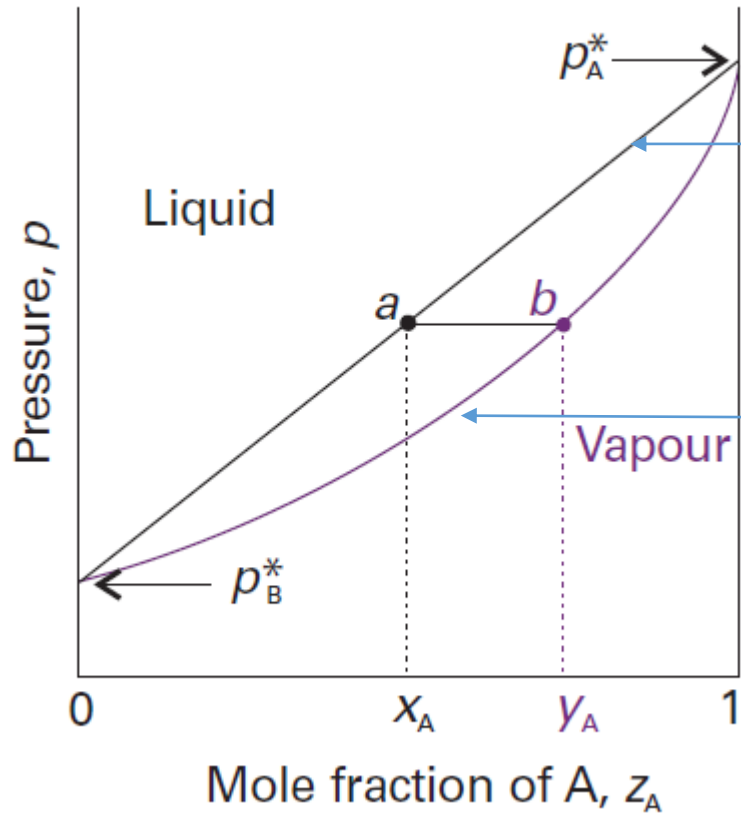
$$p = p_A + p_B = x_A p_A^* + x_B p_B^* = p_B^* + (p_A^* - p_B^*) x_A$$

Composition of vapor

$$y_A = \frac{p_A}{p} \quad y_B = \frac{p_B}{p}$$

$$y_A = \frac{x_A p_A^*}{p_B^* + (p_A^* - p_B^*) x_A} \quad y_B = 1 - y_A$$

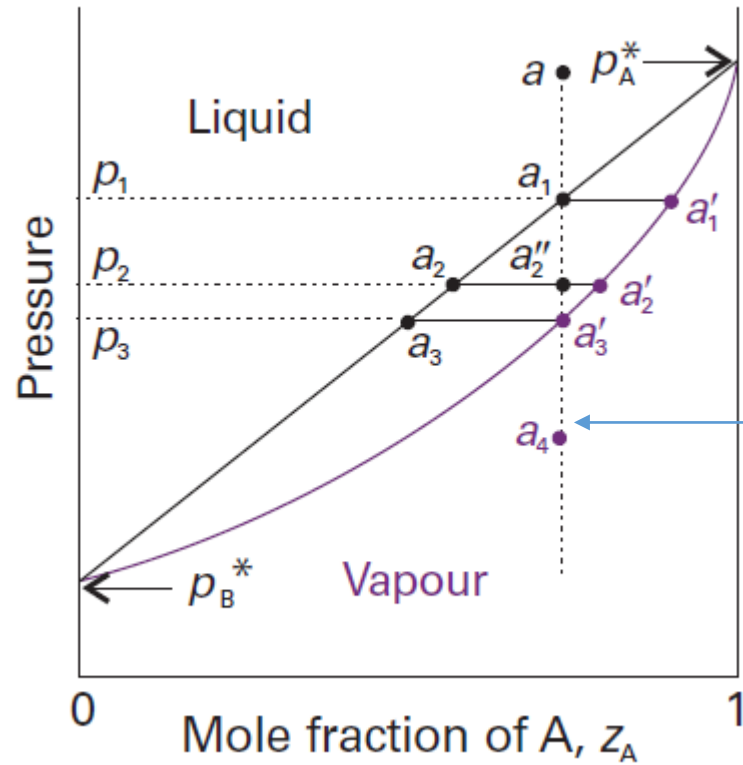
**Fig. 6.6** The variation of the total vapour pressure of a binary mixture with the mole fraction of A in the liquid when Raoult's law is obeyed.



$$p = p_A + p_B = x_A p_A^* + x_B p_B^* = p_B^* + (p_A^* - p_B^*) x_A$$

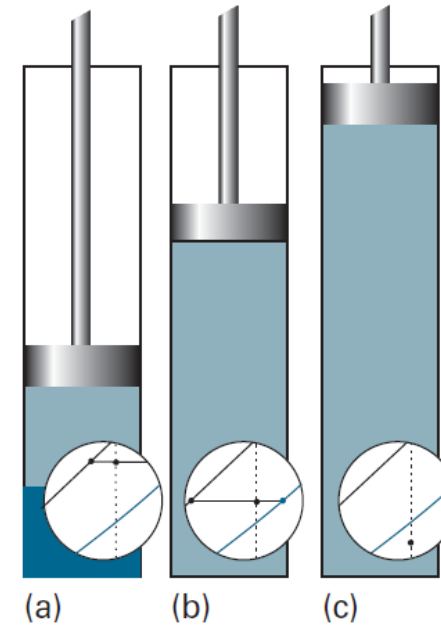
$$y_A = \frac{x_A p_A^*}{p_B^* + (p_A^* - p_B^*) x_A} \quad y_B = 1 - y_A$$

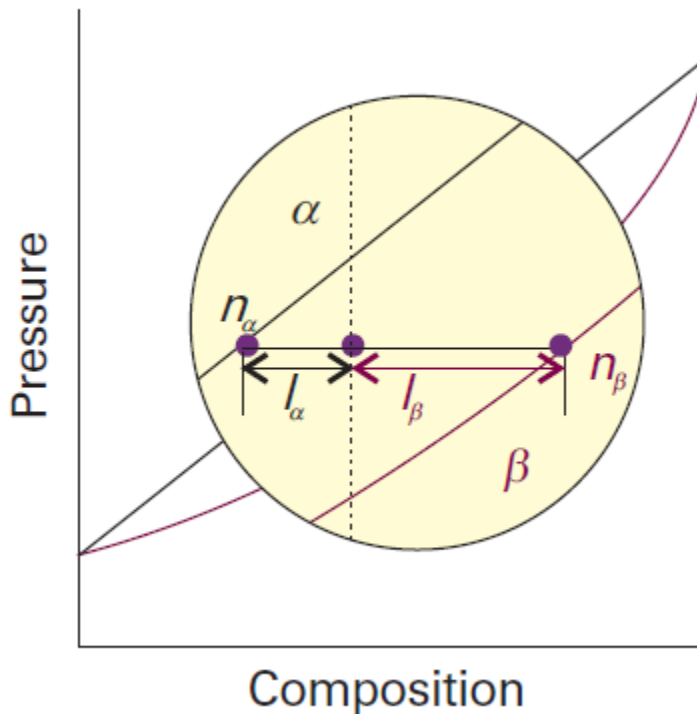
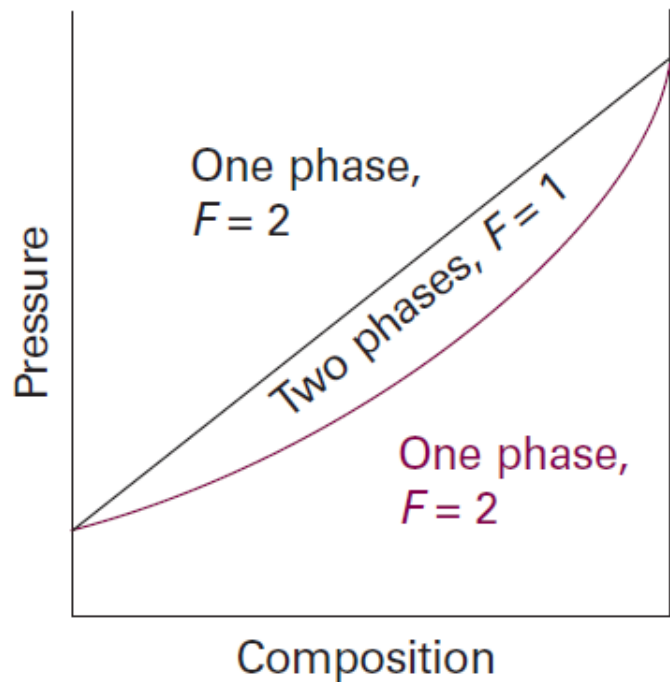




isopleth,

**Fig. 6.10** The points of the pressure–composition diagram discussed in the text. The vertical line through *a* is an *isopleth*, a line of constant composition of the entire system.





### Lever rule

The distances  $l_\alpha$  and  $l_\beta$  are used to find the proportions of the amounts of phases  $\alpha$  (such as vapour) and  $\beta$  (for example, liquid) present at equilibrium.

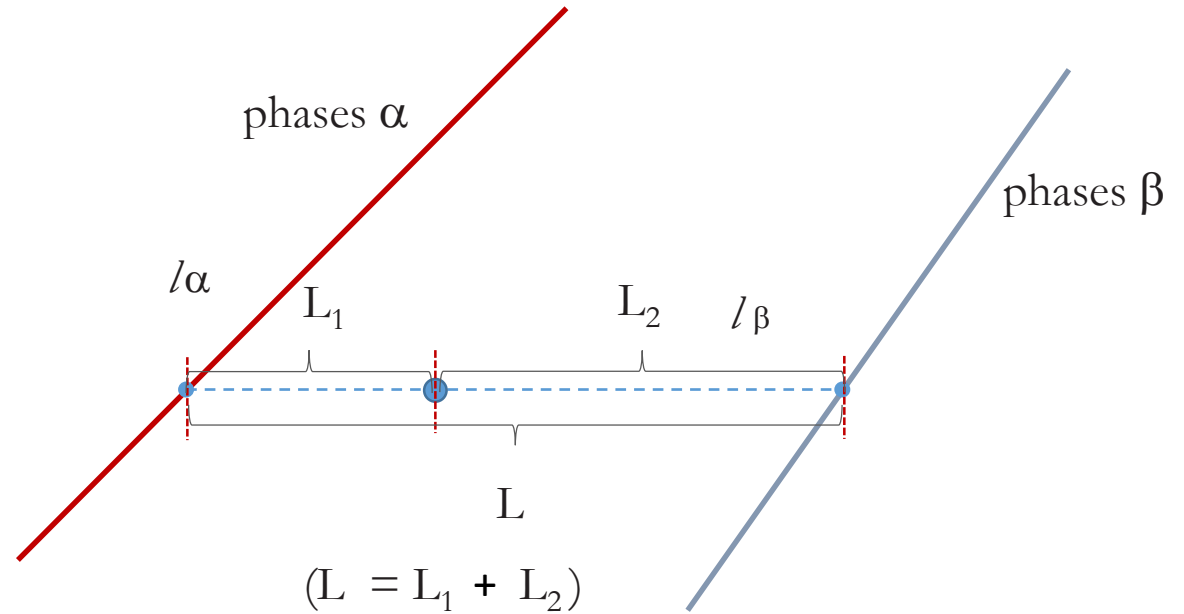
$$n_\alpha l_\alpha = n_\beta l_\beta$$

**Fig. 6.12** The general scheme of interpretation of a pressure–composition diagram (a vapour pressure diagram).

### Lever rule

The distances  $l_\alpha$  and  $l_\beta$  are used to find the proportions of the amounts of phases  $\alpha$  (such as vapour) and  $\beta$  (for example, liquid) present at equilibrium.

$$n_\alpha l_\alpha = n_\beta l_\beta$$



Proportions of the amounts

$$\text{phase } \alpha = L_2 / L$$

$$\text{phase } \beta = L_1 / L$$

e.g.  $L=0.50$  ;  $L_1 = 0.20$  ;  $L_2 = 0.30$ ;

$$\text{phase } \alpha = 0.3/0.5 = 0.60 \dots 60\%$$

$$\text{phase } \beta = 0.2/0.5=0.40 \dots 40\%$$