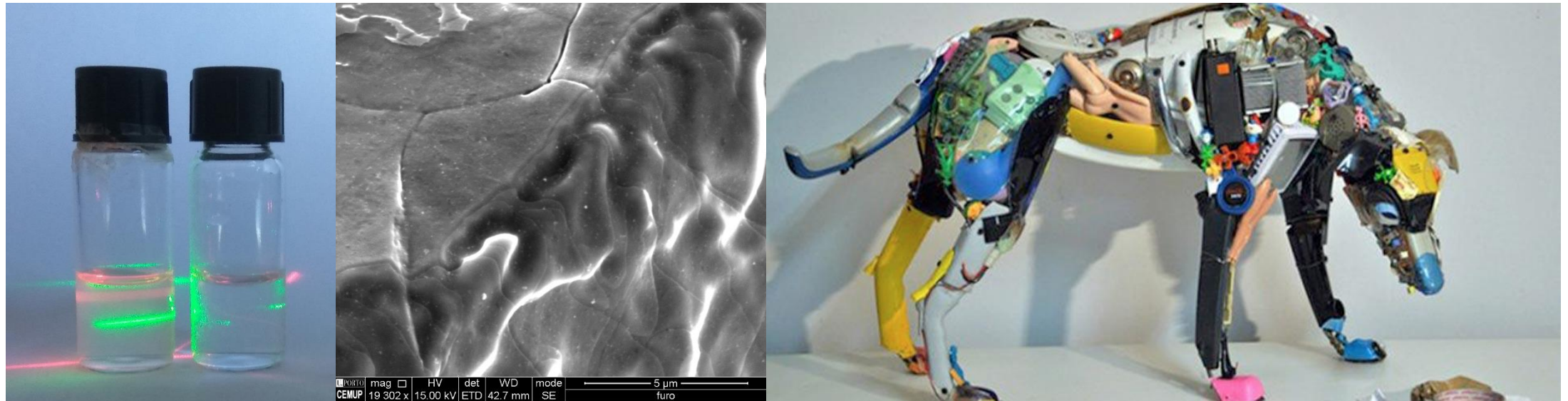


# Physical Chemistry

... iremos explorar, refletir, aprender ?..

Area of chemistry concerned with the **application of the techniques and theories of physics** to the study of chemical systems.



$$\Delta U = q + w$$

**Table 2.1** Varieties of work\*

Type of work	$dw$	Comments	Units†
Expansion	$-p_{\text{ex}}dV$	$p_{\text{ex}}$ is the external pressure $dV$ is the change in volume	Pa $\text{m}^3$
Surface expansion	$\gamma d\sigma$	$\gamma$ is the surface tension $d\sigma$ is the change in area	$\text{N m}^{-1}$ $\text{m}^2$
Extension	$f dl$	$f$ is the tension $dl$ is the change in length	N m
Electrical	$\phi dQ$	$\phi$ is the electric potential $dQ$ is the change in charge	V C

\* In general, the work done on a system can be expressed in the form  $dw = -Fdz$ , where  $F$  is a ‘generalized force’ and  $dz$  is a ‘generalized displacement’.

† For work in joules (J). Note that  $1 \text{ N m} = 1 \text{ J}$  and  $1 \text{ V C} = 1 \text{ J}$ .

**Table 2-1**  
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$$\Delta U = q + w$$

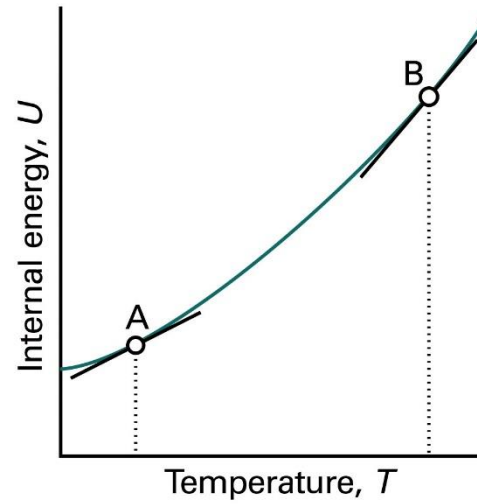


Figure 2-10  
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## First Law of Thermodynamics

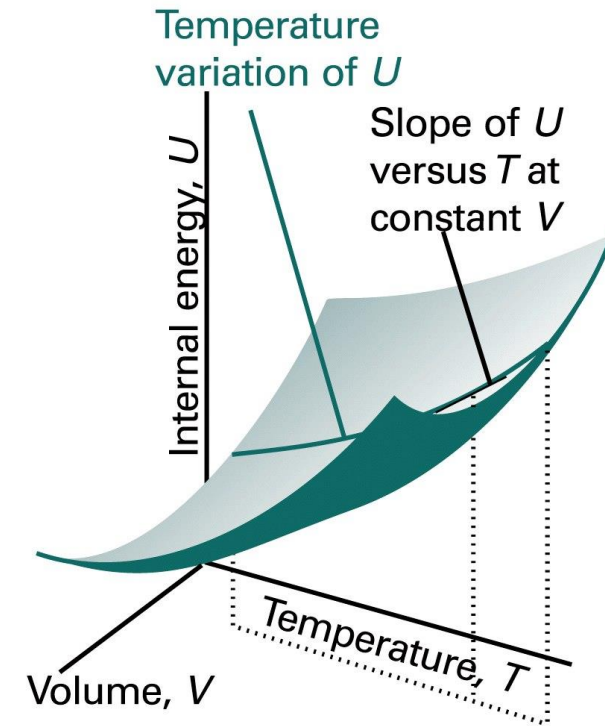


Figure 2-11  
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$$\Delta U = q + w$$

$$dU = dq \quad (\text{at constant volume, no additional work})$$

$$\Delta U = q_V$$

**heat capacity at constant volume**

$$C_V = \left( \frac{\partial U}{\partial T} \right)_V$$

## First Law of Thermodynamics

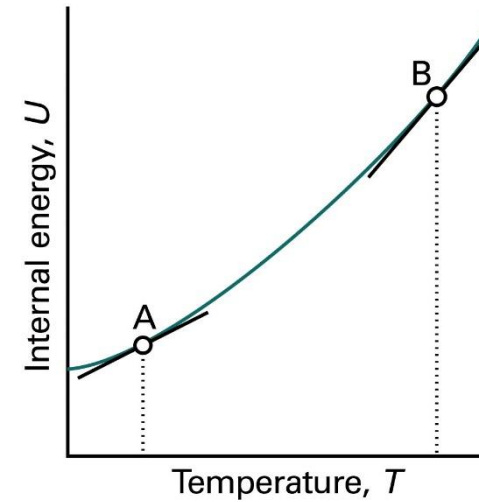


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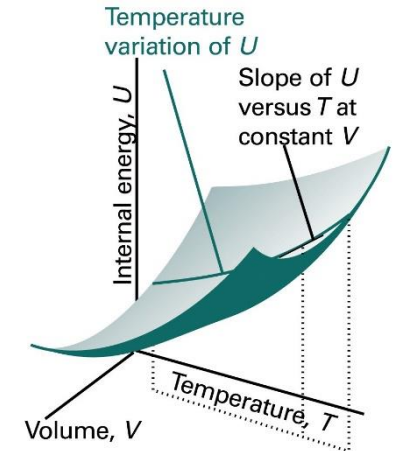


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## Enthalpy, H

enthalpy is a **state function**

### (a) The definition of enthalpy

The **enthalpy**,  $H$ , is defined as

$$H = U + pV$$

heat capacity at constant pressure,  $C_p$

$$C_p = \left( \frac{\partial H}{\partial T} \right)_p$$

$$dH = C_p dT \quad (\text{at constant pressure})$$

$$q_p = C_p \Delta T$$

## First Law of Thermodynamics

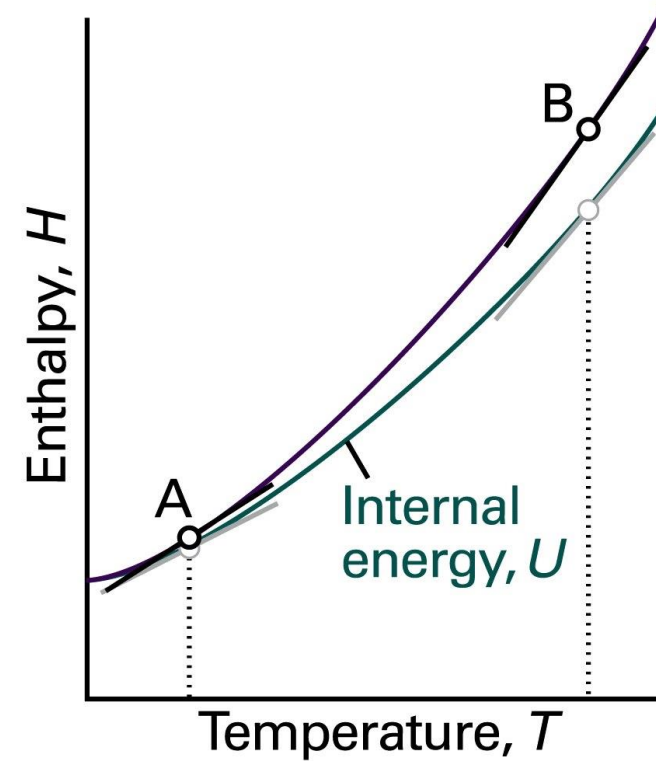


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## Enthalpy, H

enthalpy is a **state function**

heat capacity at constant pressure,

$$C_p = \left( \frac{\partial H}{\partial T} \right)_p$$

$$C_{p,m} = a + bT + \frac{c}{T^2}$$

**Synoptic Table 2.2\*** Temperature variation of molar heat capacities,  $C_{p,m}/(\text{J K}^{-1} \text{mol}^{-1}) = a + bT + c/T^2$

	$a$	$b/(10^{-3} \text{ K})$	$c/(10^5 \text{ K}^2)$
C(s, graphite)	16.86	4.77	-8.54
CO <sub>2</sub> (g)	44.22	8.79	-8.62
H <sub>2</sub> O(l)	75.29	0	0
N <sub>2</sub> (g)	28.58	3.77	-0.50

\* More values are given in the *Data section*.

## First Law of Thermodynamics

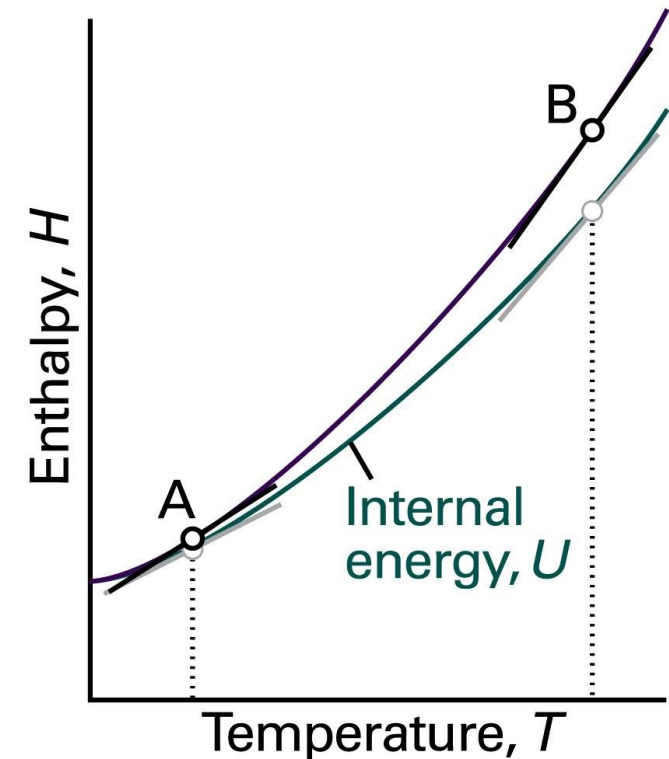


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## Enthalpy, H

enthalpy is a **state function**

heat capacity at constant pressure,  $C_p = \left( \frac{\partial H}{\partial T} \right)_p$

$$C_{p,m} = a + bT + \frac{c}{T^2}$$

$$dH = C_p dT \quad (\text{at constant pressure})$$

$$\int_{H(T_1)}^{H(T_2)} dH = \int_{T_1}^{T_2} \left( a + bT + \frac{c}{T^2} \right) dT$$

$$H(T_2) - H(T_1) = a(T_2 - T_1) + \frac{1}{2}b(T_2^2 - T_1^2) - c \left( \frac{1}{T_2} - \frac{1}{T_1} \right)$$

## First Law of Thermodynamics

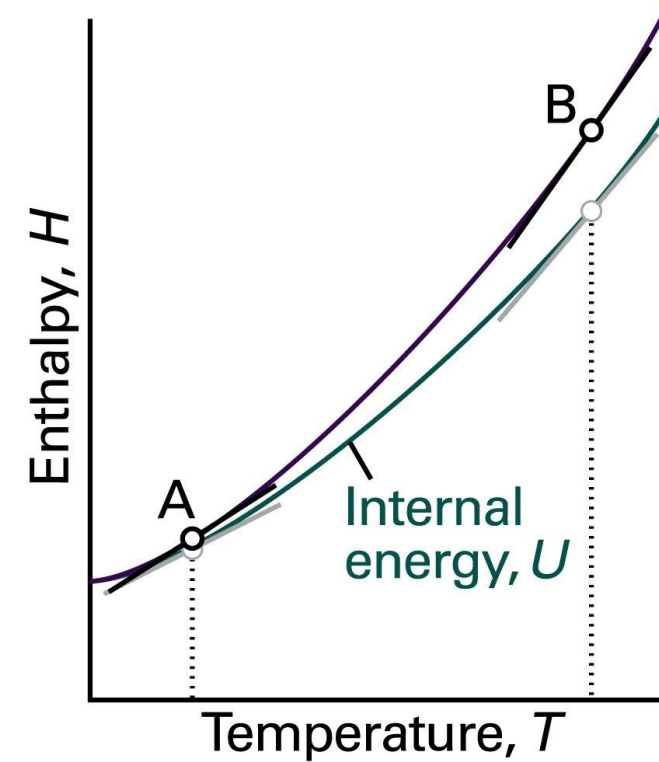


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## Enthalpy, H

enthalpy is a **state function**

heat capacity at constant pressure,

$$C_p = \left( \frac{\partial H}{\partial T} \right)_p \quad C_v = \left( \frac{\partial U}{\partial T} \right)_v$$

$$H_m \equiv U_m + pV \cong U_m + RT \quad \text{IN GAS PHASE.. IDEAL BEHAVIOR}$$

$$C_p = \left( \frac{\partial H}{\partial T} \right)_p = C_v = \left( \frac{\partial U}{\partial T} \right)_v + R$$

$$C_p - C_v = nR$$

## First Law of Thermodynamics

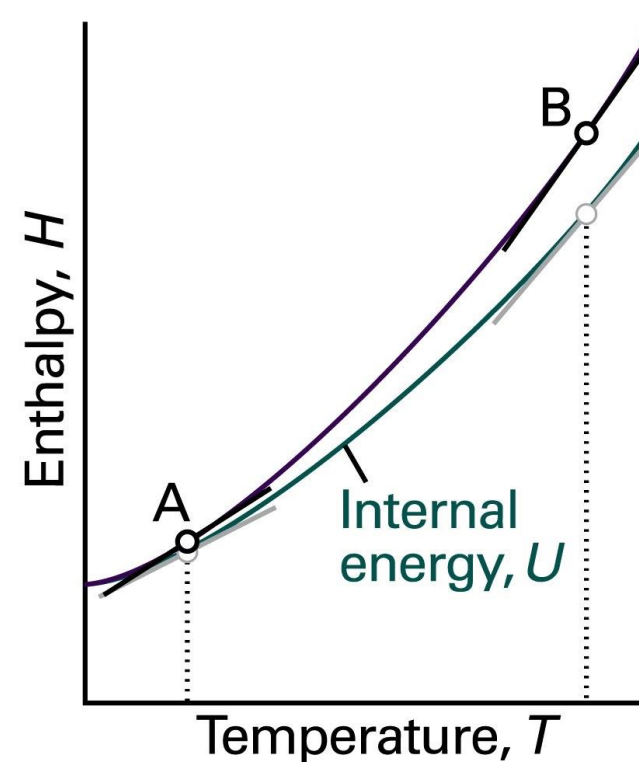


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### DSC - Differential scanning calorimetry,

#### Thermocouples

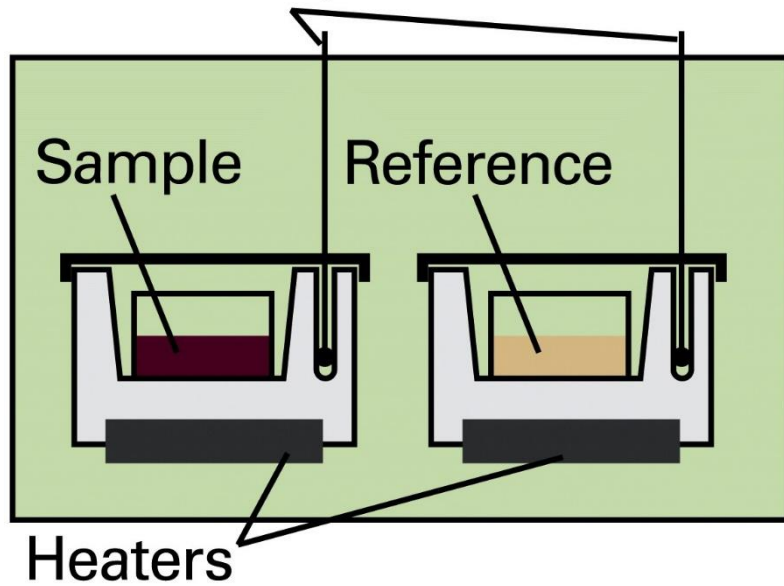


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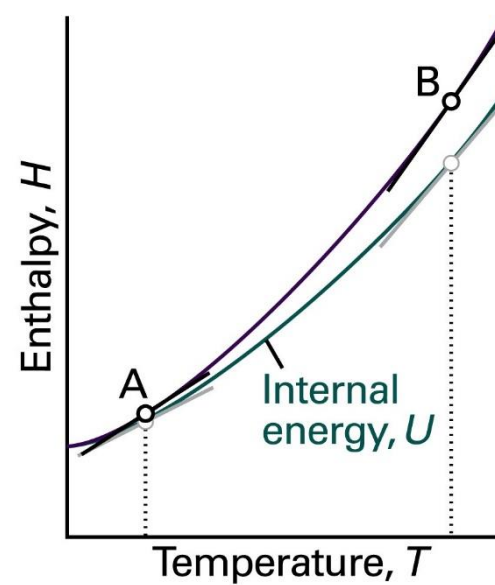
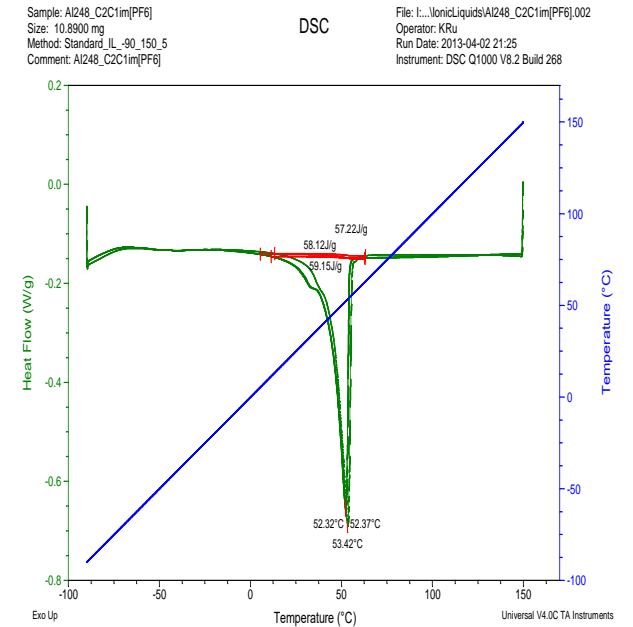


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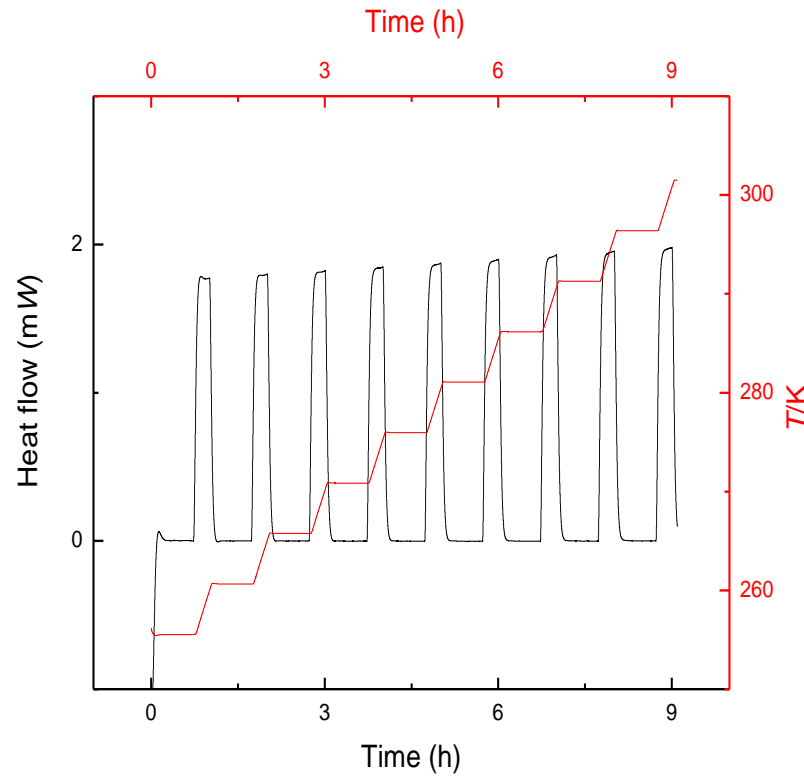


heat capacity at constant pressure,

$$C_{p,m} = a + bT + \frac{c}{T^2}$$

Temperature  
step mode

$$C_p = \left( \frac{\partial H}{\partial T} \right)_p$$



Thermocouples

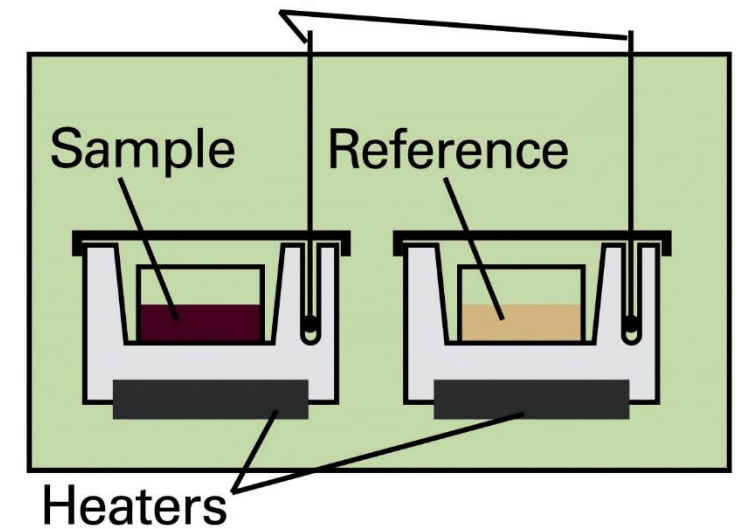


Figure 2-15  
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heat of a process,  
“e.g. conformation change”

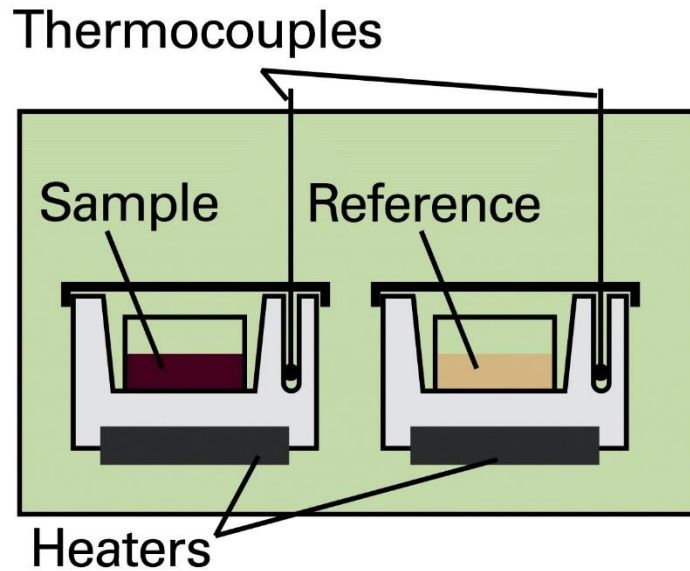


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## First Law of Thermodynamics

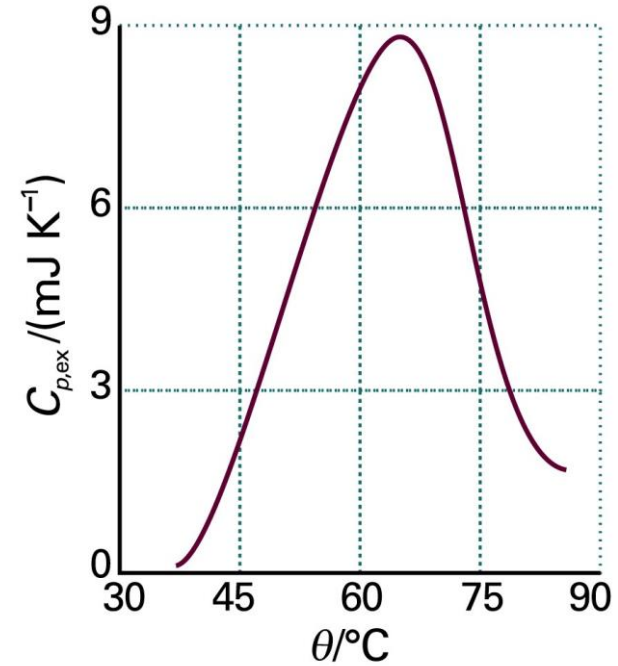


Figure 2-16  
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Fig. 2.16 A thermogram for the protein ubiquitin at pH = 2.45. The protein retains its native structure up to about 45°C and then undergoes an endothermic conformational change. (Adapted from B. Chowdhry and S. LeHarne, *J. Chem. Educ.* 74, 236 (1997).)

$$U(V, T, n)$$

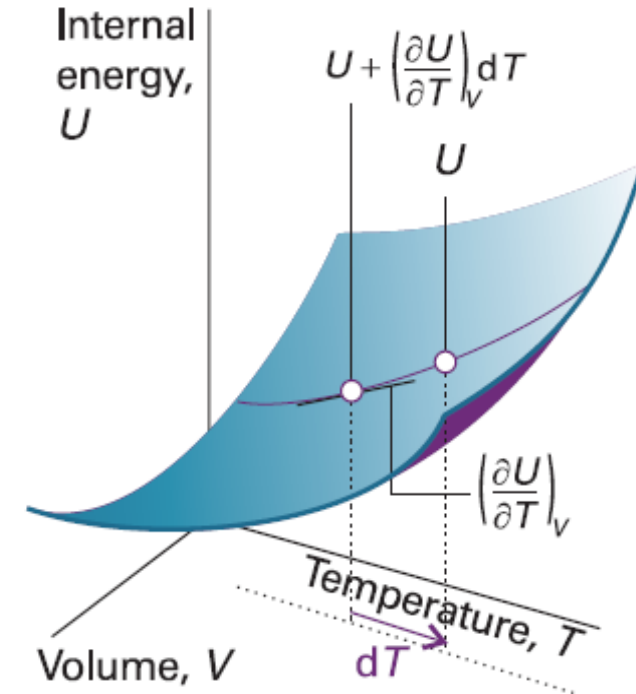
When  $T$  changes to  $T + dT$  at constant volume

$$U' = U + \left( \frac{\partial U}{\partial T} \right)_V dT$$

$$C_V = \left( \frac{\partial U}{\partial T} \right)_V$$

Heat capacity at constant volume

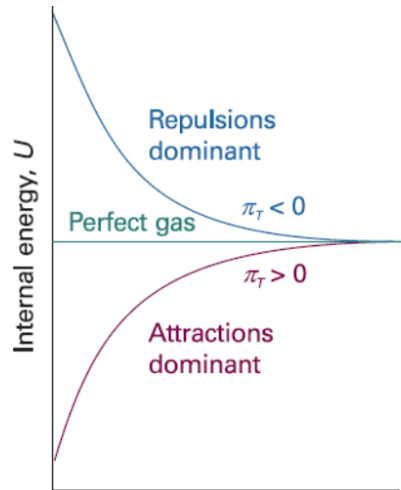
## First Law of Thermodynamics



**Fig. 2.22** The partial derivative  $(\partial U/\partial T)_V$  is the slope of  $U$  with respect to  $T$  with the volume  $V$  held constant.

$$U(V, T, n)$$

When  $V$  changes to  $V + dV$  at constant temperature



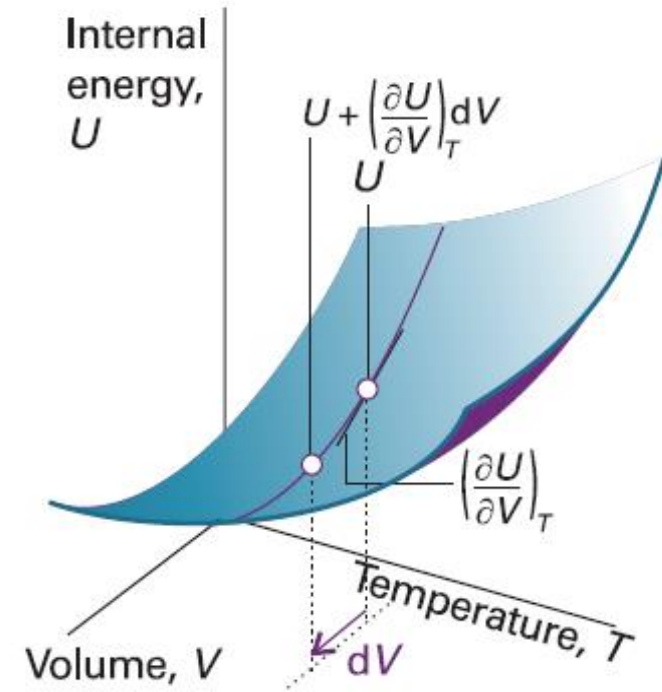
$$U' = U + \left( \frac{\partial U}{\partial V} \right)_T dV$$

$$\pi_T = \left( \frac{\partial U}{\partial V} \right)_T \quad \text{Internal pressure}$$

$$\pi_T = 0 \quad \text{Perfect gas}$$

$$pV = nRT \quad \text{Only depends of temperature}$$

## First Law of Thermodynamics



**Fig. 2.21** The partial derivative  $(\partial U/\partial V)_T$  is the slope of  $U$  with respect to  $V$  with the temperature  $T$  held constant.

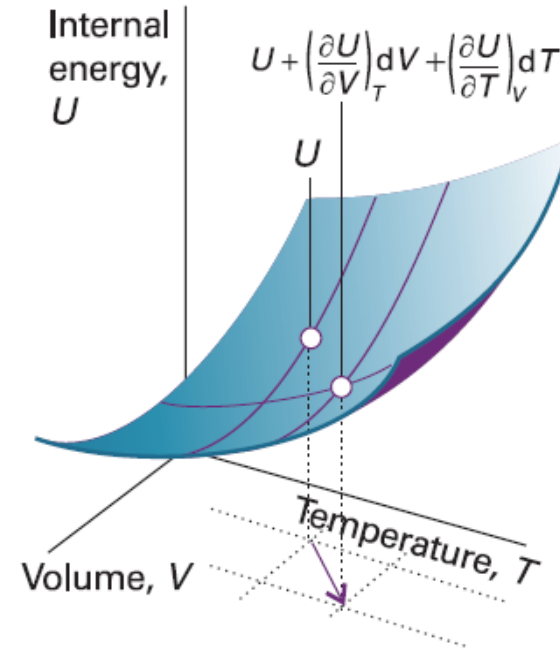
$$U(V, T, n)$$

When  $T$  and  $V$  changes to  $T + dT$  and  $V + dV$

$$U' = U + \left(\frac{\partial U}{\partial V}\right)_T dV + \left(\frac{\partial U}{\partial T}\right)_V dT$$

$$dU = \pi_T dV + C_V dT$$

## First Law of Thermodynamics



**Fig. 2.23** An overall change in  $U$ , which is denoted  $dU$ , arises when both  $V$  and  $T$  are allowed to change. If second-order infinitesimals are ignored, the overall change is the sum of changes for each variable separately.

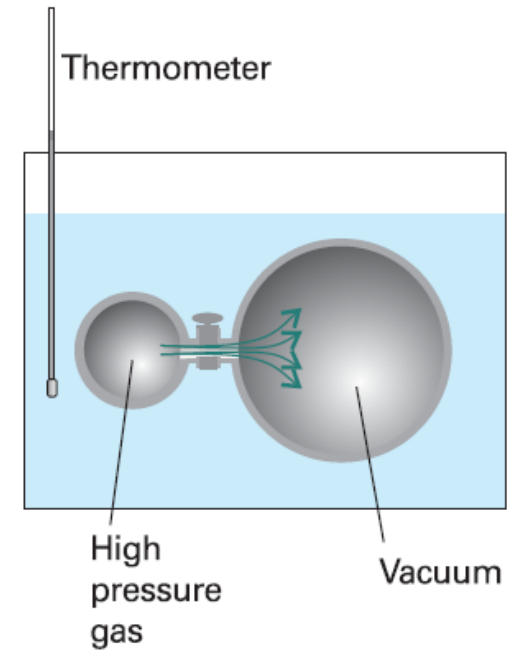
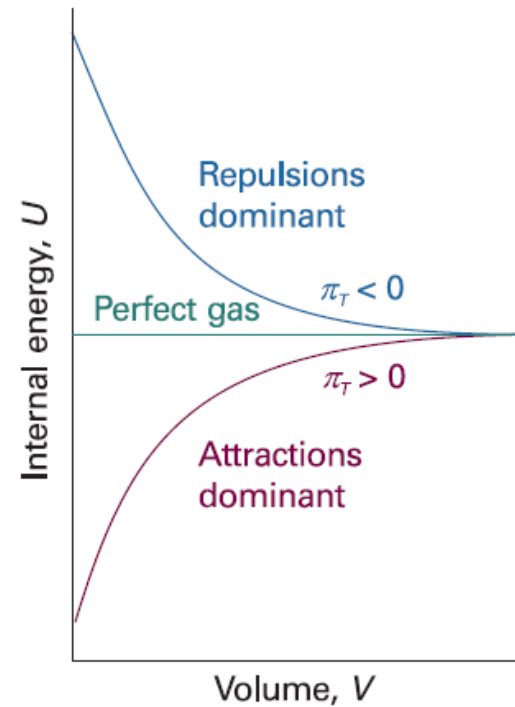
$$U(V, T, n)$$

# First Law of Thermodynamics

$$U' = U + \left(\frac{\partial U}{\partial V}\right)_T dV + \left(\frac{\partial U}{\partial T}\right)_V dT$$

$$dU = \pi_T dV + C_V dT$$

## The Joule experiment



$$U(V, T, n)$$

## First Law of Thermodynamics

### Changes in internal energy at constant pressure

$$dU = \pi_T dV + C_V dT$$

$$\left(\frac{\partial U}{\partial T}\right)_p = \pi_T \left(\frac{\partial V}{\partial T}\right)_p + C_V$$



$$\left(\frac{\partial U}{\partial T}\right)_p = \alpha \pi_T V + C_V$$

expansion coefficient,

$$\alpha = \frac{1}{V} \left(\frac{\partial V}{\partial T}\right)_p$$

isothermal compressibility

$$\kappa_T = -\frac{1}{V} \left(\frac{\partial V}{\partial p}\right)_T$$

**Synoptic Table 2.8\*** Expansion coefficients ( $\alpha$ ) and isothermal compressibilities ( $\kappa_T$ ) at 298 K

	$\alpha/(10^{-4} \text{ K}^{-1})$	$\kappa_T/(10^{-6} \text{ bar}^{-1})$
Benzene	12.4	90.9
Diamond	0.030	0.185
Lead	0.861	2.18
Water	2.1	49.0

\* More values are given in the *Data section*.