

SEL0414 - Sistemas Digitais

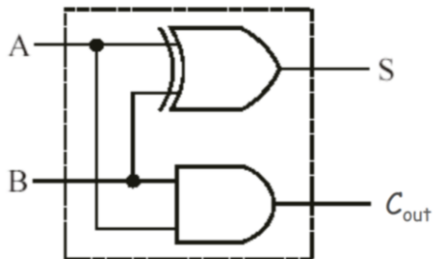
Resolução Lista 10 - Circuitos Aritméticos

01.

A	B	S	$C_{out}$
0	0	0	0
0	1	1	0
1	0	1	0
1	1	0	1

$$S = \bar{A}B + A\bar{B} = A \oplus B$$

$$C_{out} = AB$$



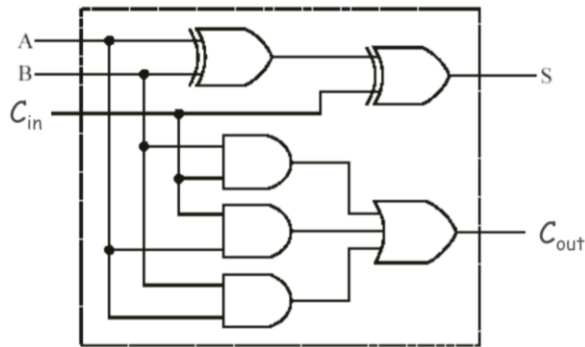
02.

A	B	$C_{in}$	S	$C_{out}$
0	0	0	0	0
0	0	1	1	0
0	1	0	1	0
0	1	1	0	1
1	0	0	1	0
1	0	1	0	1
1	1	0	0	1
1	1	1	1	1

		S		$C_{out}$	
		$C_{in}$		$C_{in}$	
AB	$C_{in}$	0	1	0	1
00	0	0	1	0	0
01	0	1	0	0	1
11	0	0	1	1	1
10	0	1	0	0	1

$$S = A \oplus B \oplus C_{in}$$

$$C_{out} = AB + AC_{in} + BC_{in}$$



03.

A	B	T <sub>in</sub>	S	T <sub>out</sub>
0	0	0	0	0
0	0	1	1	1
0	1	0	1	1
0	1	1	0	1
1	0	0	1	0
1	0	1	0	0
1	1	0	0	0
1	1	1	1	1

**S**

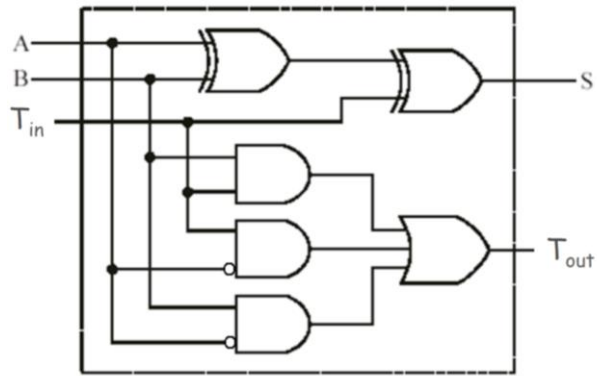
		T <sub>in</sub>	
		0	1
AB	00	0	1
	01	1	0
	11	0	1
	10	1	0

**T<sub>out</sub>**

		T <sub>in</sub>	
		0	1
AB	00	0	1
	01	1	1
	11	0	1
	10	0	0

$$S = A \oplus B \oplus T_{in}$$

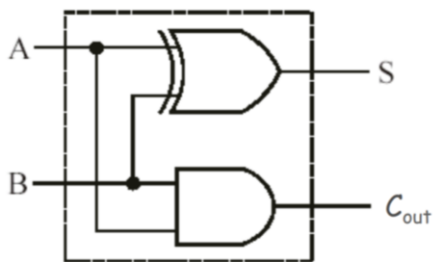
$$T_{out} = \bar{A}B + \bar{A}T_{in} + BT_{in}$$



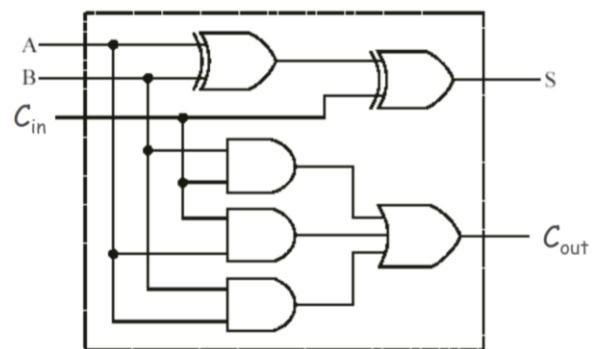
04.

O somador completo utiliza o carry vindo de operações anteriores, enquanto o meio somador faz a soma apenas com os bits de entrada

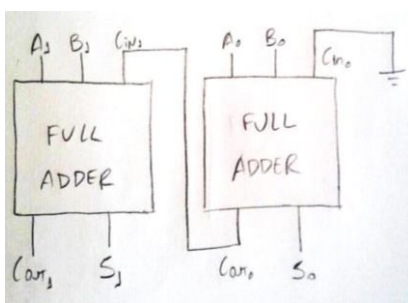
Meio somador :



Somador completo:



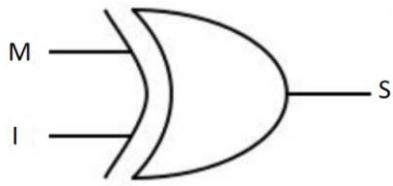
05.



06.

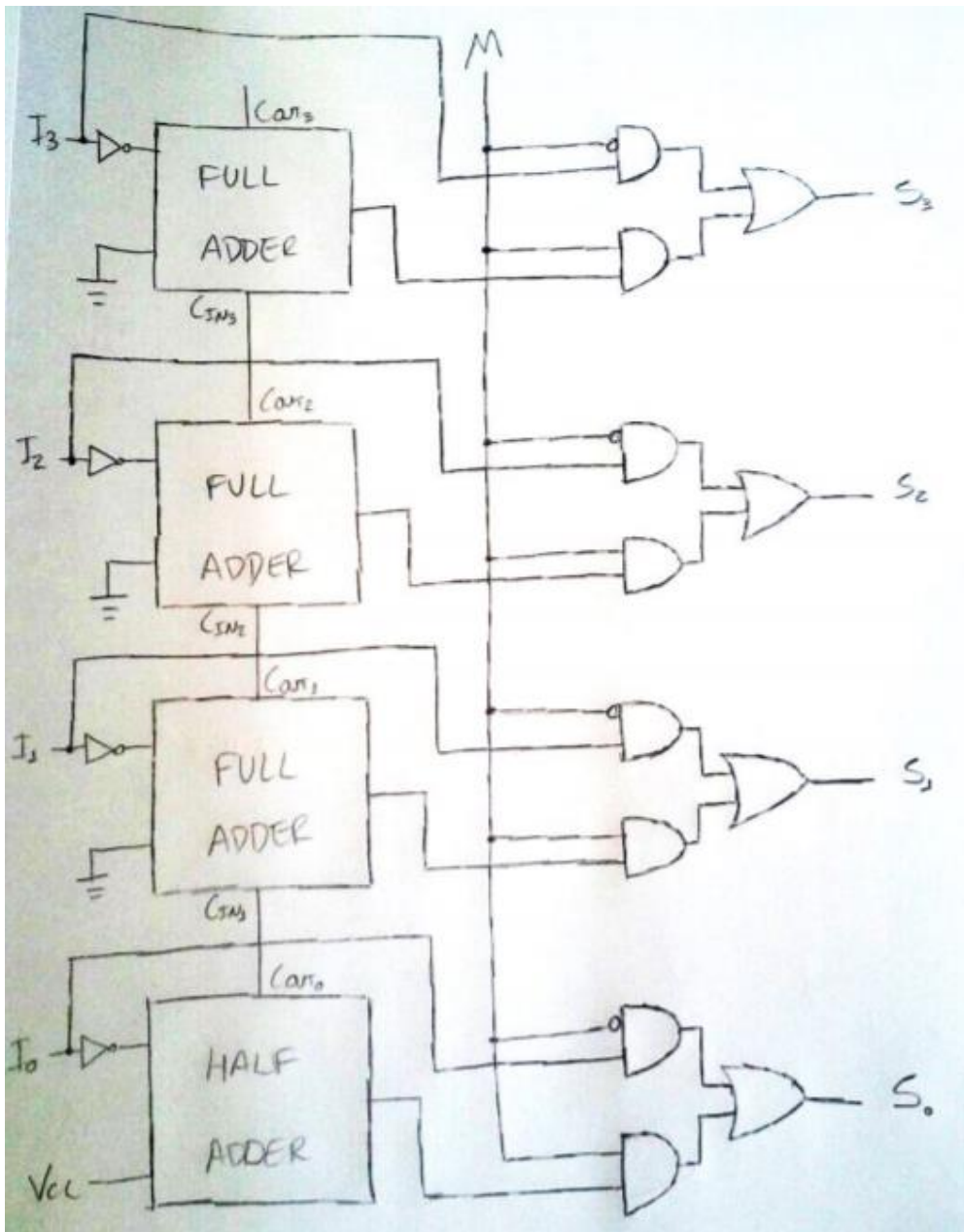
M	I	S
0	0	0
0	1	1
1	0	1
1	1	0

$$S = \bar{M}I + M\bar{I} = M \oplus I$$

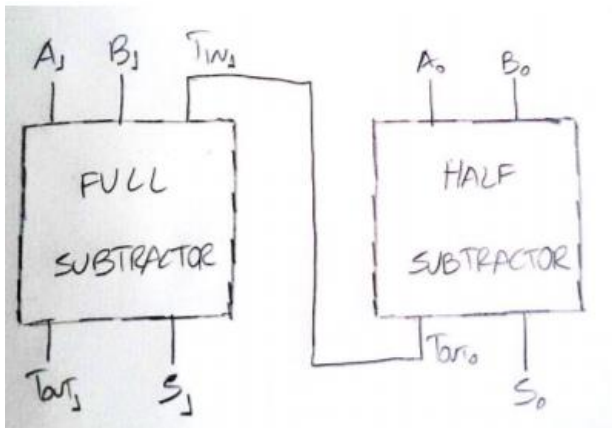


07.

Nesse circuito, o complemento de 2 é realizado invertendo-se a entrada I de 4 bits e somando 1 à mesma através dos quatro somadores. A partir disso, um circuito seleciona se a saída final será a entrada I original (M = 0) ou o complemento de 2 de I (M = 1).



08.



09.

