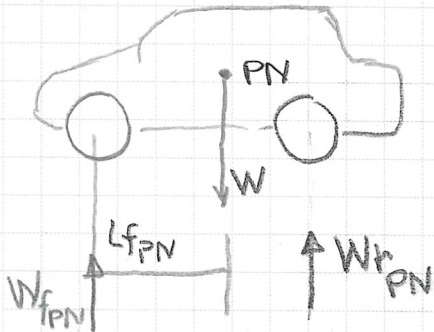
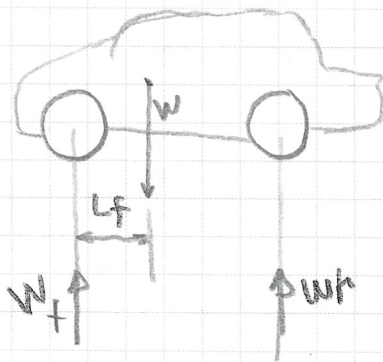


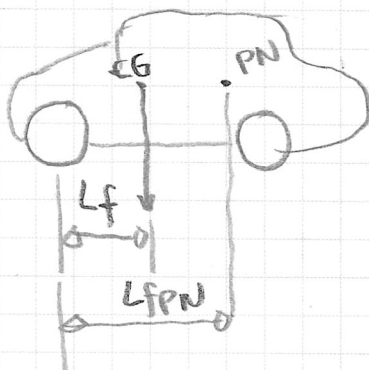
de, $K=0$. Este ponto recebe o nome de "ponto neutro de manobra". Sua posição será determinada tendo o eixo dianteiro como referência:



Com o centro de gravidade do veículo em outra posição tem-se:



A margem de estabilidade direcional estática é definida como:



$$SM = \frac{L_{fPN} - L_f}{L} \times 100 \quad (26)$$

Da equação (25),

$$K = \left(\frac{W_{rPN}}{G \alpha h} - \frac{W_{fPN}}{G \alpha f} \right) = 0 \quad (27) \rightarrow \text{definição de ponto neutro de manobra.} \\ \Rightarrow$$

$$\frac{W_{fPN}}{-Q_{df}} + \frac{W_{fPN}}{Q_{dt}} = 0 \quad (28)$$

sendo $y_{\delta} = -Q_{df}$ e

$$y_{\beta} = Q_{df} + Q_{dt} \Rightarrow Q_{dt} = y_{\beta} - Q_{df} = 0$$

$$Q_{dt} = y_{\beta} + y_{\delta} \quad (29)$$

De (28) e (29) tem-se:

$$\frac{W_{fPN}}{y_{\delta}} + \frac{W_{fPN}}{y_{\delta} + y_{\beta}} = 0 \quad (30), \text{ sendo } W_{fPN} = \frac{W}{L} \cdot L_{fPN} \text{ e}$$

$$y W_{fPN} = \frac{W}{L} L_{fPN}$$

$$\Rightarrow \frac{W}{L} \left(\frac{L_{fPN}}{y_{\delta}} + \frac{L_{fPN}}{y_{\delta} + y_{\beta}} \right) = 0 \Rightarrow 0$$

$$\frac{L_{fPN}}{y_{\delta} + y_{\beta}} + \frac{L - L_{fPN}}{y_{\delta}} = 0 \Rightarrow$$

$$\Rightarrow \frac{L_{fPN}}{y_{\delta} + y_{\beta}} + \frac{L}{y_{\delta}} - \frac{L_{fPN}}{y_{\delta}} = 0 \Rightarrow$$

$$\Rightarrow L_{fPN} \left(\frac{1}{y_{\delta} + y_{\beta}} - \frac{1}{y_{\delta}} \right) + \frac{L}{y_{\delta}} = 0$$

$$L_{fPN} \left(\frac{y_{\delta} - (y_{\delta} + y_{\beta})}{y_{\delta}(y_{\delta} + y_{\beta})} \right) + \frac{L}{y_{\delta}} = 0 \Rightarrow$$

$$\Rightarrow L_{fPN} \left(\frac{-y_{\beta}}{y_{\delta}(y_{\delta} + y_{\beta})} \right) = -\frac{L}{y_{\delta}} \Rightarrow$$

$$L_{fPN} = \left(-\frac{L}{y_{\delta}} \right) \frac{y_{\delta}(y_{\delta} + y_{\beta})}{(-y_{\beta})} = L_{fPN} = L \cdot \left(\frac{y_{\delta} + y_{\beta}}{y_{\beta}} \right) \quad (31)$$

$$\Rightarrow SM = \frac{-L_f + L_{fPN}}{L} \times 100 \Rightarrow SM = \frac{-L_f + L \left(\frac{y_{\delta} + y_{\beta}}{y_{\beta}} \right)}{L} \times 100 \Rightarrow$$

(32)

$$SM = \frac{1}{L} \left(-L_f + L \left(\frac{Y_B + Y_S}{Y_B} \right) \right) \times 100$$

$$SM = \frac{1}{L} \left(\frac{-Y_B \cdot L_f + L Y_S + L Y_B}{Y_B} \right) \times 100 = 0$$

$$\Rightarrow SM = \frac{1}{L} \left(\frac{-Y_B \cdot L_f + L_f Y_B + L Y_B + L Y_S}{Y_B} \right) \times 100 = 0$$

$$\Rightarrow SM = \frac{1}{L} \left(\frac{L_f Y_B + L Y_S}{Y_B} \right) \times 100 = 0$$

$$\Rightarrow SM = \frac{1}{L} \left(\frac{L_f Y_B + L_f Y_S + L Y_S}{Y_B} \right) \times 100 = 0$$

$$\Rightarrow SM = \frac{1}{L} \left(\frac{L_f (Y_B + Y_S) + L Y_S}{Y_B} \right) \times 100 = 0$$

$$\Rightarrow SM = \frac{1}{L} \left(\frac{L_f \cdot Y_S + L_f (Y_B + Y_S)}{Y_B} \right) \times 100 \rightarrow \text{testado no simulador}$$

Resumindo:

$$K = \left(\frac{W_H}{C_d r} + \frac{W_f}{Y_S} \right)$$

$$C_d r = Y_B - C_d r = Y_B + Y_S$$

$$\Rightarrow K = \frac{W_H}{Y_B + Y_S} + \frac{W_f}{Y_S}$$

$$SM = \frac{1}{L} \left(\frac{L_f Y_S + L_f (Y_B + Y_S)}{Y_B} \right) \times 100$$

se $SM = 0 \Rightarrow L_f \cdot Y_S + L_f (Y_B + Y_S) = 0$

$$Y_B + Y_S = \frac{L_f \cdot Y_S}{L_f} \Rightarrow K = \frac{1}{L} \left(\frac{L_f \cdot Y_S + L_f \cdot \frac{L_f \cdot Y_S}{L_f}}{Y_B} \right) = 0$$