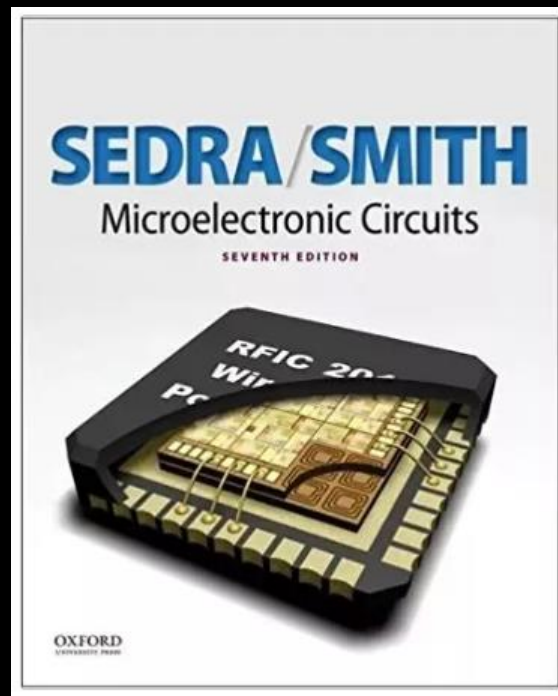


Lista Exercício 1 (Amp Op)

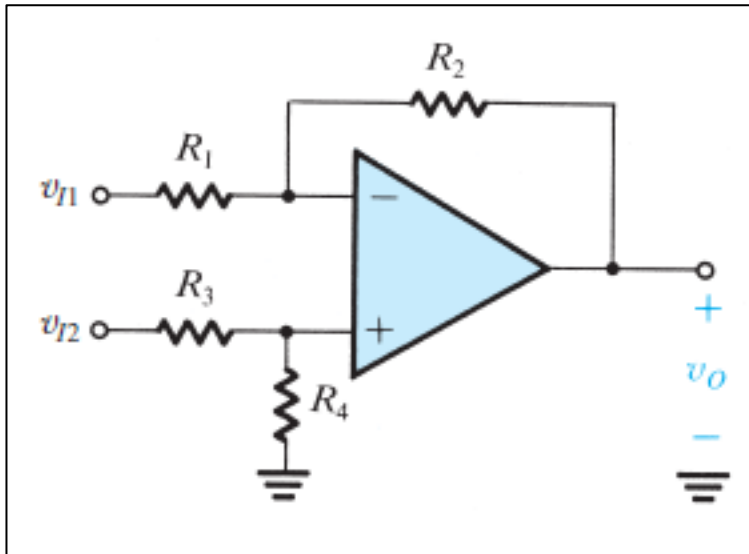


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Exercício 1

Consider the single op-amp difference-amplifier circuit for the case $R_1=R_3=2\text{k}\Omega$ and $R_2=R_4=200\text{ k}\Omega$. The resistors have 1% tolerance.

- Find the interval value of the differential gain A_d .
- Find the interval values of the differential input resistance R_{id} and the output resistance R_o .
- The best-case and worst-case common-mode gain A_{cm} and the corresponding value of CMRR.



$$A_d = \frac{R_2}{R_1}$$

$$R_{id} = 2 R_1$$

$$A_{cm} = \frac{R_4}{R_4 + R_3} \left(1 - \frac{R_2 R_3}{R_1 R_4} \right)$$

a) Find the interval value of the differential gain A_d .

$$R_1=R_3=2\text{k}\Omega \text{ e } R_2= R_4=200 \text{ k}\Omega$$

1% tolerância

$$A_d = \frac{R_2}{R_1}$$



$$A_{d(\text{max})} = \frac{R_2}{R_1} = \frac{200\text{k} \times 1.01}{2\text{k} \times 0.99} \cong 101,01$$

$$A_{d(\text{min})} = \frac{R_2}{R_1} = \frac{200\text{k} \times 0.99}{2\text{k} \times 1.01} \cong 98,02$$



$$98,02 < A_d < 101,01$$

b) Find the interval values of the differential input resistance R_{id} and the output resistance R_o .

$$R_{id} = 2 R_1$$



$$R_{id(\text{max})} = 2 \times (2\text{k} \times 1.01) = 4.04\text{K}\Omega$$

$$R_{id(\text{min})} = 2 \times (2\text{k} \times 0.99) = 3.96\text{K}\Omega$$



$$3.96\text{K}\Omega < R_{id} < 4.04\text{K}\Omega$$

$$A_{cm} = \frac{R_4}{R_4 + R_3} \left(1 - \frac{R_2 R_3}{R_1 R_4} \right)$$

$$R_1 = R_3 = 2\text{k}\Omega \text{ e } R_2 = R_4 = 200\text{ k}\Omega$$

(1% tolerância)

c) Melhor e pior caso:

Pior caso: maior A_{cm}

Melhor caso: menor A_{cm}

Não é trivial determinar quais valores de R_1, R_2, R_3, R_4 maximizam A_{cm} e quais valores minimizam A_{cm} utilizando-se a tolerância dos resistores. Nesta solução o valor de A_{cm} foi determinado para o máximo e mínimo valor de $(R_2 R_3)/(R_1 R_4)$.

- Cálculo de A_{cm} quando $(R_2 R_3)/(R_1 R_4)$ é máximo, optando por maximizar o segundo termo do produto:

$$A_{cm} = \frac{(200\text{k} \times 1.01)}{(200\text{k} \times 1.01) + (2\text{k} \times 0.99)} \left(1 - \frac{(200\text{k} \times 0.99) \times (2\text{k} \times 0.99)}{(2\text{k} \times 1.01)(200\text{k} \times 1.01)} \right) \cong 0,03883$$

$$|A_{cm}| = 0,03883 \quad \rightarrow \quad |CMRR_{(max)}| = \frac{101,01}{0,03883} = 68,30\text{dB}$$

- Cálculo de A_{cm} quando $(R_2 R_3)/(R_1 R_4)$ é mínimo, optando por minimizar o segundo termo do produto :

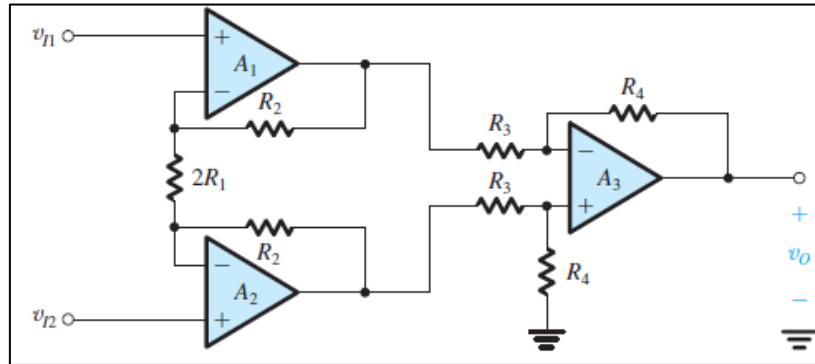
$$A_{cm} = \frac{(200\text{k} \times 0.99)}{(200\text{k} \times 0.99) + (2\text{k} \times 1.01)} \left(1 - \frac{(200\text{k} \times 1.01)(2\text{k} \times 1.01)}{(2\text{k} \times 0.99)(200\text{k} \times 0.99)} \right) \cong -0,03999$$

$$|A_{cm}| = 0,03999 \quad \rightarrow \quad |CMRR_{(min)}| = \frac{98,92}{0,03999} = 67,87\text{dB}$$

$$\rightarrow \quad 67,87 \leq CMRR \leq 68,39$$

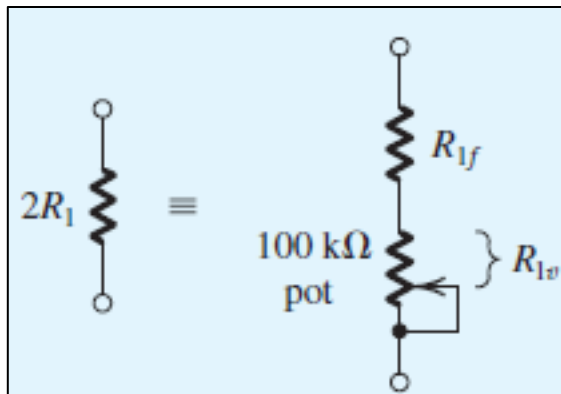
Exercício 2

Design an instrumentation amplifier (IA) to provide a gain that can be varied over the range of 2 to 1000 utilizing a 100-k Ω variable resistance. Consider $R_3 = R_4$.



$$G = \left(1 + \frac{2R_2}{R_g} \right)$$

Solução 1: IA não integrado (não é utilizada)



$$1 + \frac{2R_2}{R_{1f} + R_{1v}} = 2 \text{ to } 1000$$

$$1 + \frac{2R_2}{R_{1f} + 100 \text{ k}\Omega} = 2$$

$$1 + \frac{2R_2}{R_{1f}} = 1000$$

$$R_{1f} = 100.2 \text{ }\Omega$$

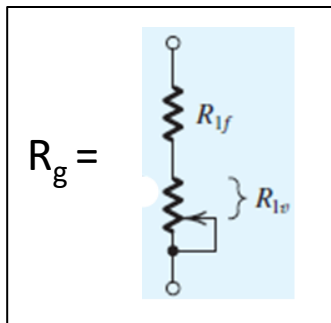
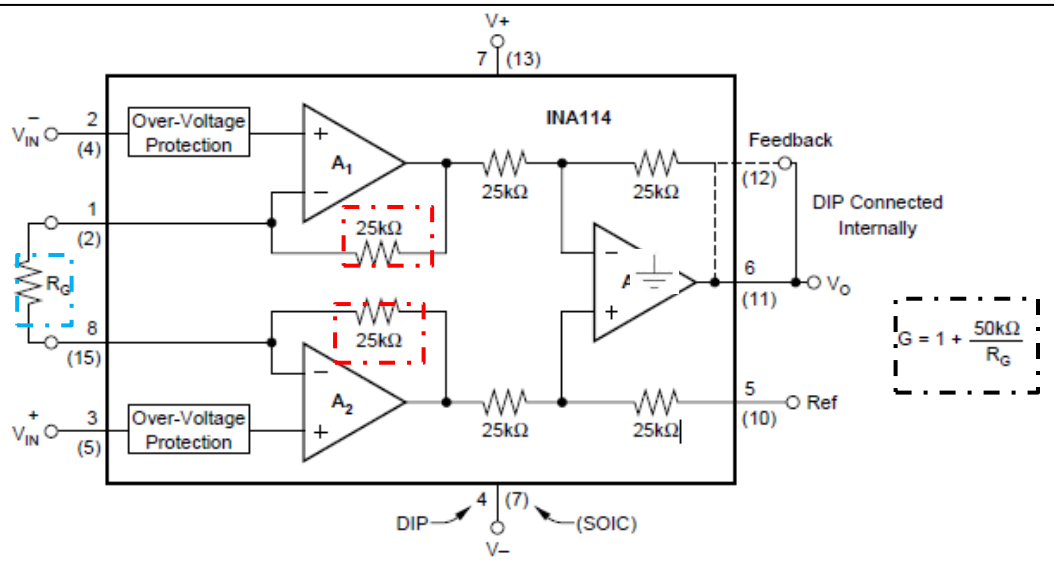
$$R_{1f} = 100\Omega \text{ (1\% tolerance)}$$

$$R_2 = 50.050 \text{ k}\Omega$$

$$R_2 = 50\text{k}\Omega \text{ (1\% tolerance)}$$

Solução 2: IA integrado

INA114 (tecnologia BJT)



$$R_g = R_{1f} + R_{1v}$$

$$G_{max} = 1000 = 1 + \frac{50K}{R_{1f} + 0} \quad (1)$$

$$G_{min} = 2 = 1 + \frac{50K}{R_{1f} + R_{1v}} \quad (2)$$

(1) e (2) \rightarrow R_{1f} e R_{1v}

Exercício 3

An op amp has a rated output voltage of $\pm 10V$. and a slew rate of $1 V/\mu s$.

a) What is its full-power bandwidth?

$$f_M = \frac{SR}{2\pi V_{Omax}} \cong 15.9 \text{ KHz}$$

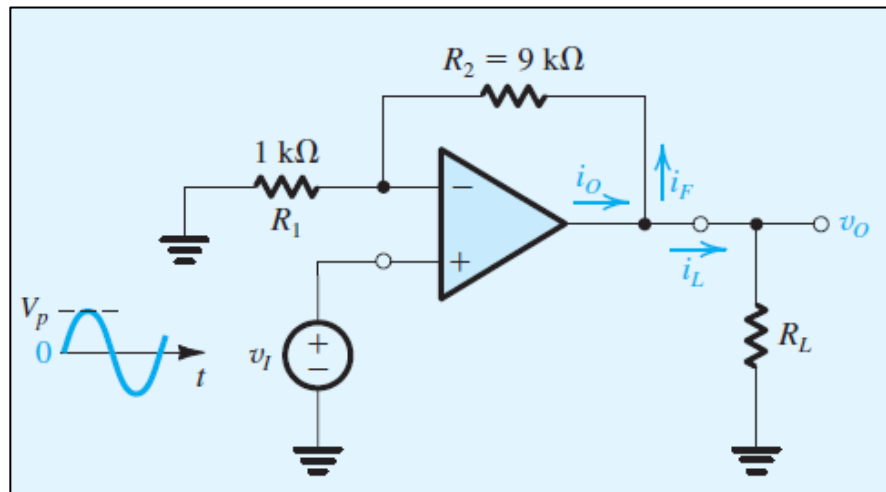
b) If an input sinusoid with frequency $f = 5f_M$ is applied to a unity-gain follower constructed using this op amp, what is the maximum possible amplitude that can be accommodated at the output without incurring SR distortion?

$$\begin{aligned} \text{Se } f = f_{M1} &\longrightarrow f_{M1} = \frac{SR}{2\pi V_{Omax1}} \\ \text{Se } f = f_{M2} &\longrightarrow f_{M2} = \frac{SR}{2\pi V_{Omax2}} \end{aligned} \quad \left. \vphantom{\begin{aligned} \text{Se } f = f_{M1} \\ \text{Se } f = f_{M2} \end{aligned}} \right\} \longrightarrow V_{Omax2} = V_{Omax1} \left(\frac{f_{M1}}{f_{M2}} \right)$$

$$\longrightarrow V_{Omax2} = 10 \left(\frac{f_{M1}}{5f_{M1}} = 2V_{(peak)} \right)$$

Exercício 4

Consider the noninverting amplifier circuit shown below. The circuit is designed for a nominal gain $(1 + R_2/R_1) = 10\text{V/V}$. It is fed with a low-frequency sine-wave signal of peak voltage V_p and is connected to a load resistor R_L . The op amp is specified to have output saturation voltages $\pm 13\text{V}$ and output current limits of $\pm 20\text{mA}$.



- For $V_p = 1\text{ V}$ and $R_L = 1\text{ k}\Omega$, specify the signal resulting at the output of the amplifier.
- For $V_p = 1.5\text{ V}$ and $R_L = 1\text{ k}\Omega$, specify the signal resulting at the output of the amplifier.
- For $R_L = 1\text{ k}\Omega$, what is the maximum value of V_p for which an undistorted sine-wave output is obtained?
- For $V_p = 1\text{ V}$, what is the lowest value of R_L for which an undistorted sine-wave output is obtained?

a) For $V_p = 1\text{ V}$ and $R_L = 1\text{ k}\Omega$, specify the signal resulting at the output of the amplifier.

Se $V_p = 1\text{ V}$ e $R_L = 1\text{ k}\Omega$, a saída será um sinal senoidal com pico de 10 V. Este é menor que o nível de saturação de $\pm 13\text{ V}$ e não haverá corte do sinal na saída.

Quando $V_{\text{saída}} = 10\text{ V}$ e a corrente será $I_L = (10\text{ V})/1\text{ k}\Omega = 10\text{ mA}$.

A corrente na malha de realimentação será $I_F = 10\text{ V}/(9+1)\text{ k}\Omega = 1\text{ mA}$.

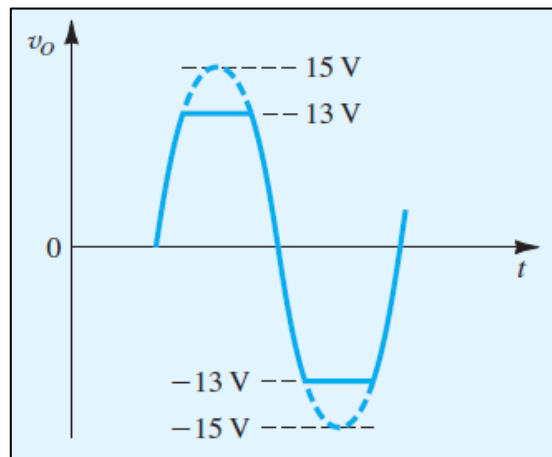
A corrente total de saída será $I_o = 11\text{ mA} < I_{o(\text{max})} = 20\text{ mA}$.

b) For $V_p = 1.5\text{ V}$ and $R_L = 1\text{ k}\Omega$, specify the signal resulting at the output of the amplifier.

Se V_p é 1.5 V, idealmente a saída será um sinal senoidal com 15V de pico. O op amp satura em $\pm 13\text{ V}$, assim o sinal de saída será cortado.

Se a saída é 13V e $R_L = 1\text{ k}\Omega$, $i_L = 13\text{ mA}$ and $i_F = 1.3\text{ mA}$. Logo, $i_o = 14.3\text{ mA} < I_{o(\text{max})} = 20\text{ mA}$.

A saída terá um corte com pico $\pm 13\text{ V}$, como mostrado abaixo.



c) For $R_L = 1\text{k}\Omega$, what is the maximum value of V_p for which an undistorted sine-wave output is obtained ?

Se $R_L = 1\text{k}\Omega$, o máximo valor de V_p para uma saída senoidal não distorcida é 1.3 V.
A saída será uma senóide com 13V de pico e corrente de saída de 14.3 mA.

d) For $V_p = 1\text{V}$, what is the lowest value of R_L for which an undistorted sine-wave output is obtained?

Se $V_p = 1\text{V}$, o menor valor de R_L para uma saída com 10V de pico é:

$$i_{o(max)} = 20 = \frac{10}{R_{L(min)}} + \frac{10}{9 + 1} \longrightarrow R_{L(min)} = 526\Omega$$