



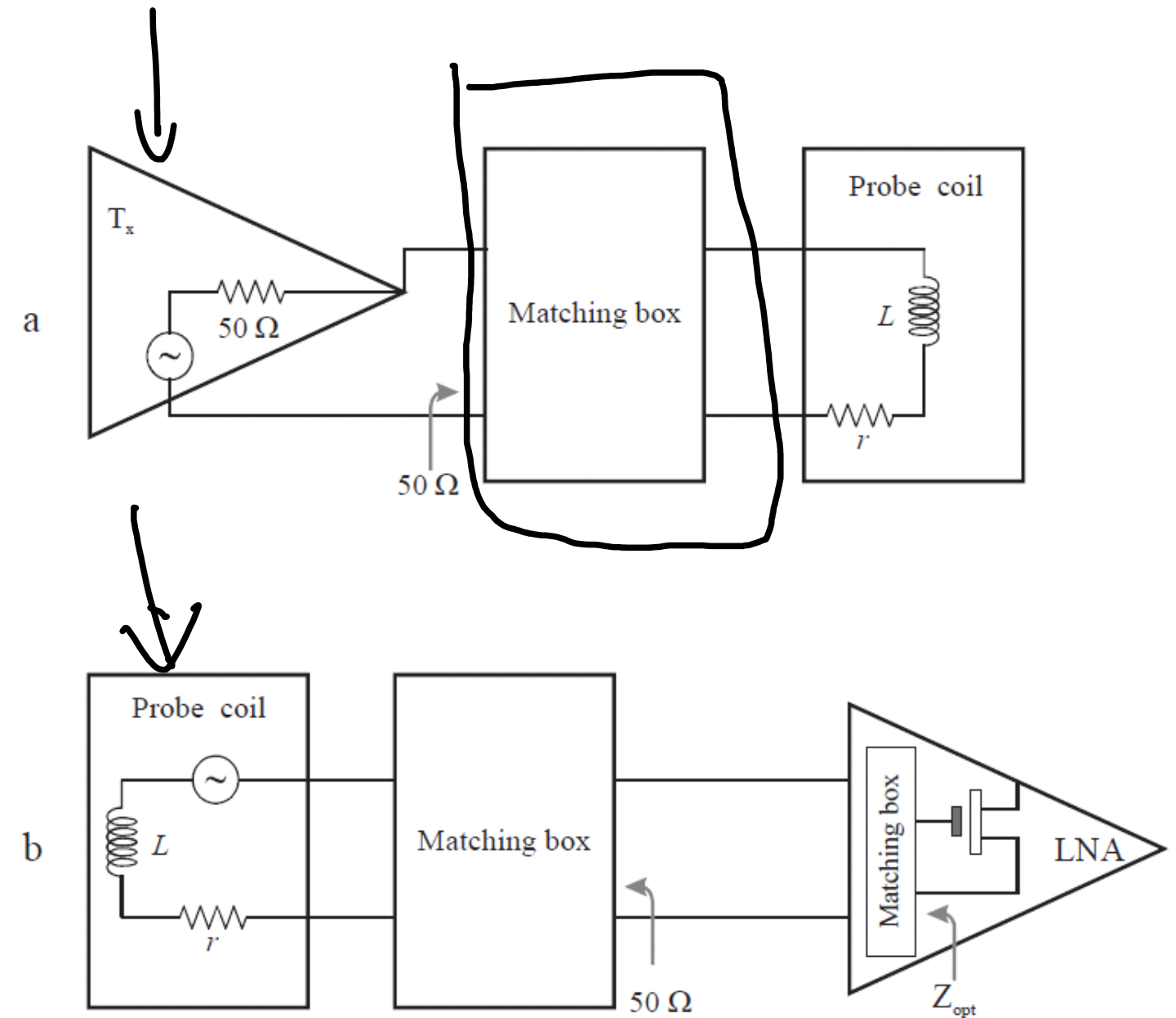
A sonda de RMN

Prof. Dr. Marcos de Oliveira Junior

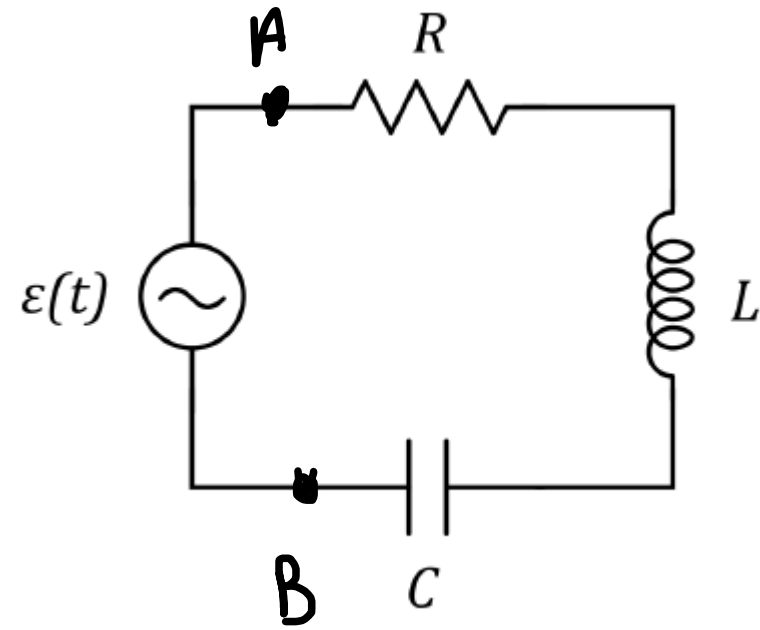
O que é uma sonda

Equipamento para detecção de campos magnéticos oscilantes - Indução de Faraday

- Utilizada tanto para excitação da amostra quanto para recepção do sinal.
- Nada mais do que uma bobina "interfaceada" com o equipamento de RF de forma que haja casamento de impedâncias.
- À uma dada frequência, a sonda deve ter a mesma impedância (usualmente $50\ \Omega$) que o equipamento de rf para que haja máxima transferência de energia.



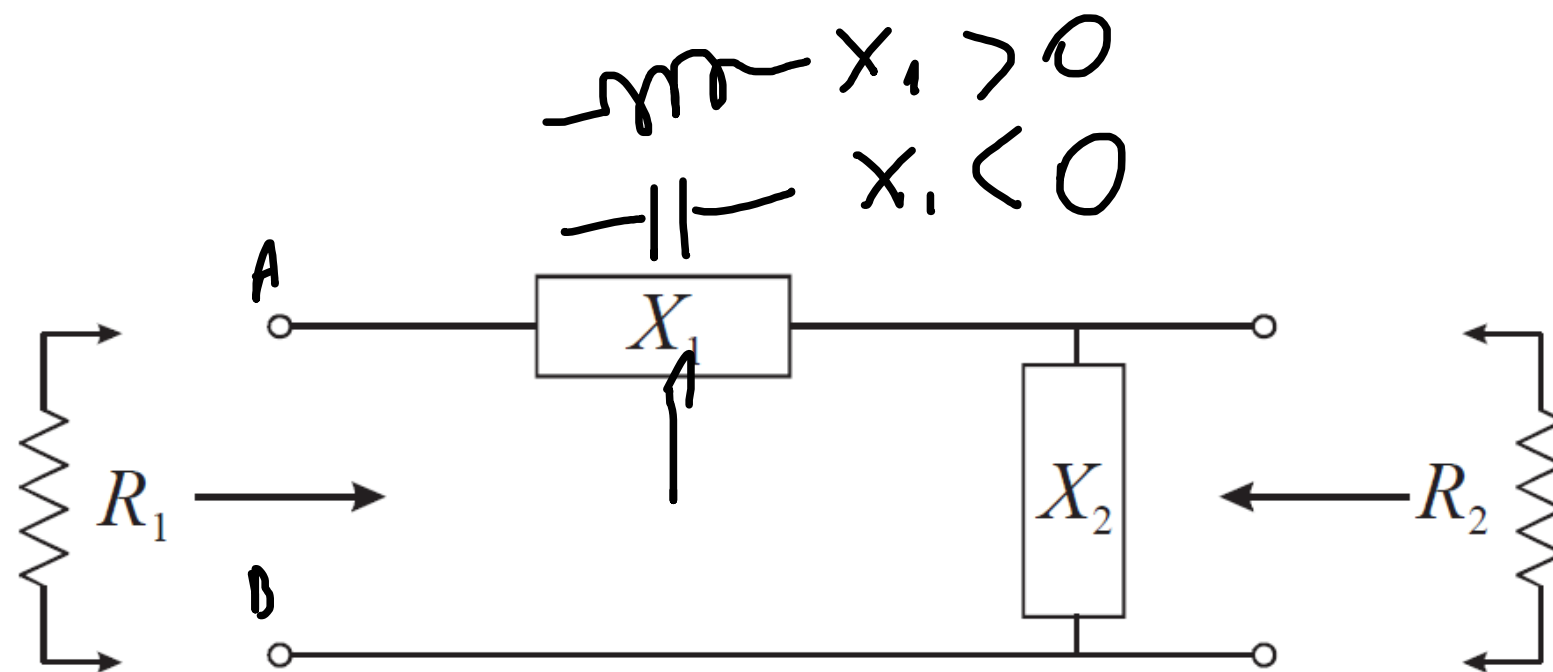
Circuito RLC



$$Z = \sqrt{R^2 + \left(\omega L - \frac{1}{\omega C} \right)^2}$$

$\omega = \frac{1}{\sqrt{LC}}$

L-matching



$$\begin{cases} p = R_2 / R_1 \\ X_1 = \pm R_1 \sqrt{p - 1} \\ X_2 = \mp R_2 / \sqrt{p - 1} \end{cases}$$

$$R_2 > R_1$$

Tipos de circuito L-matching

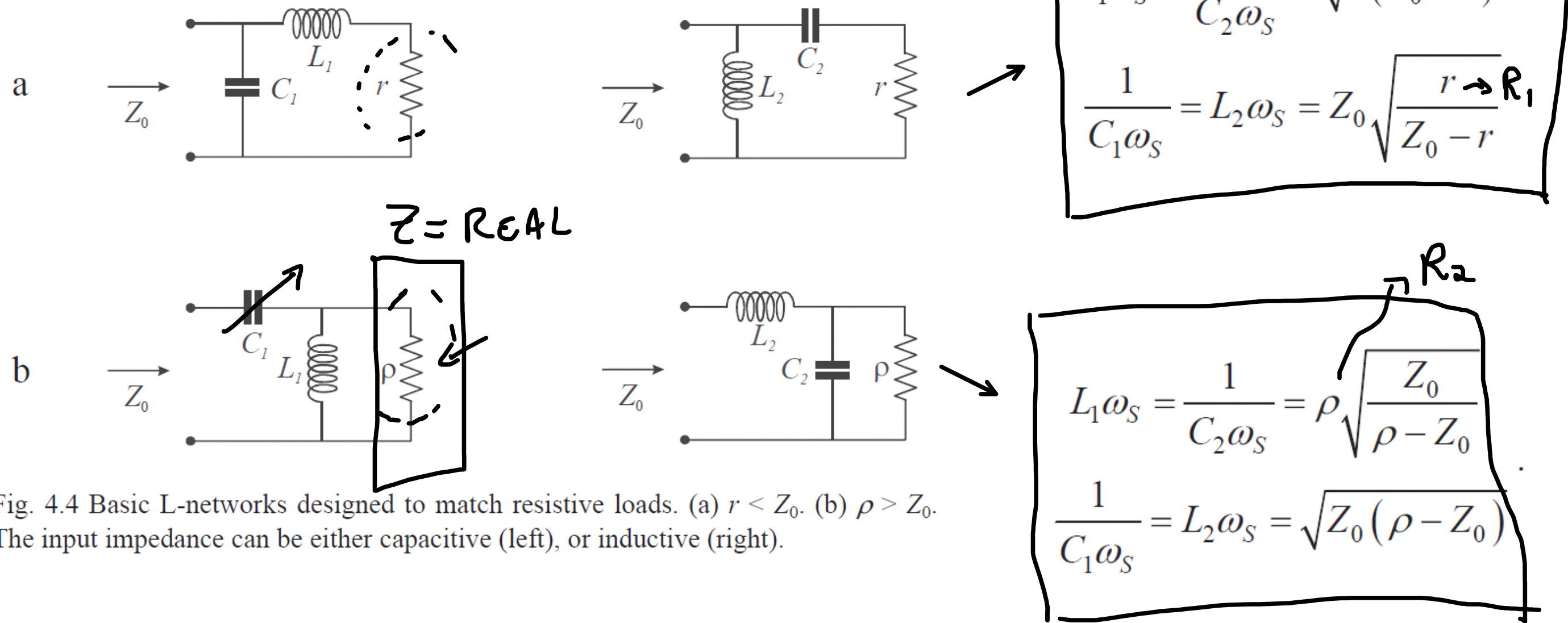
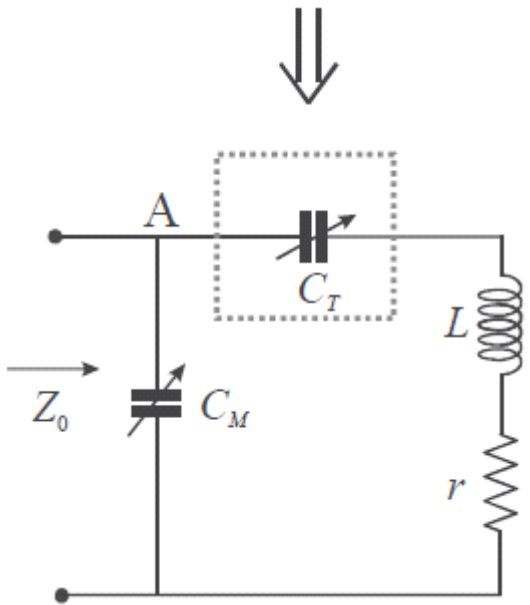
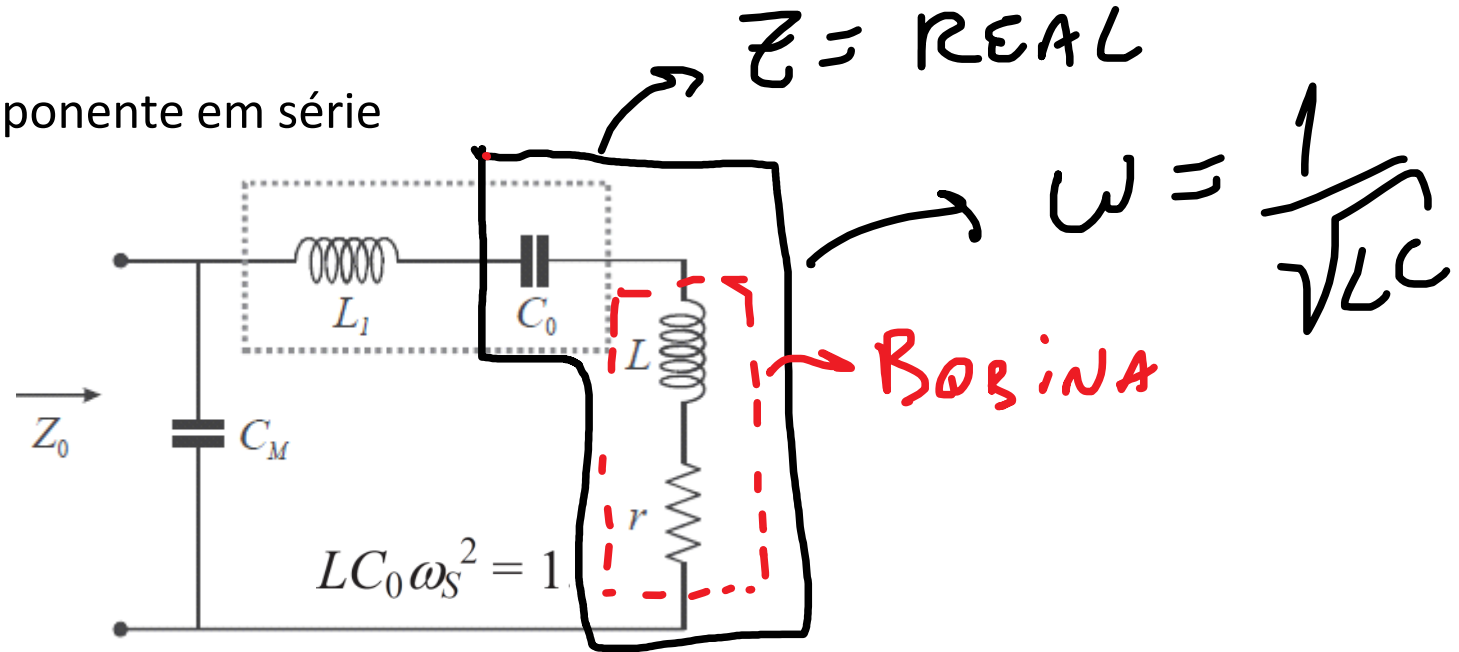
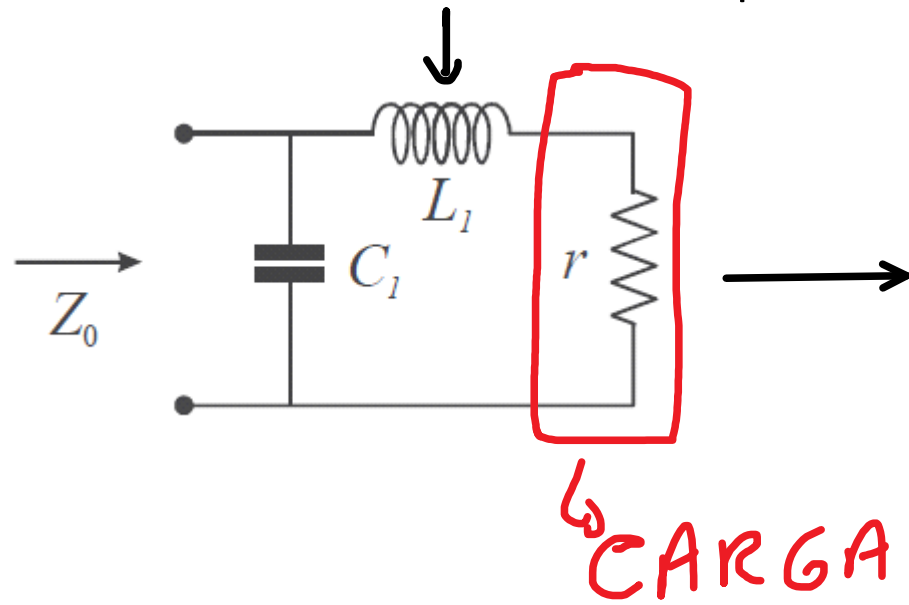


Fig. 4.4 Basic L-networks designed to match resistive loads. (a) $r < Z_0$. (b) $\rho > Z_0$. The input impedance can be either capacitive (left), or inductive (right).

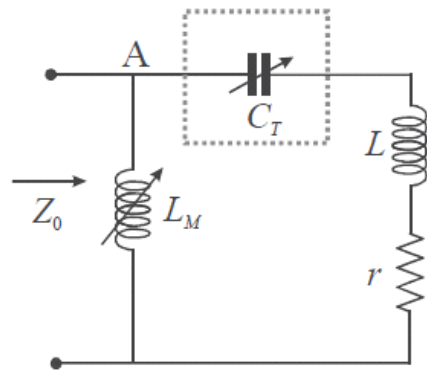
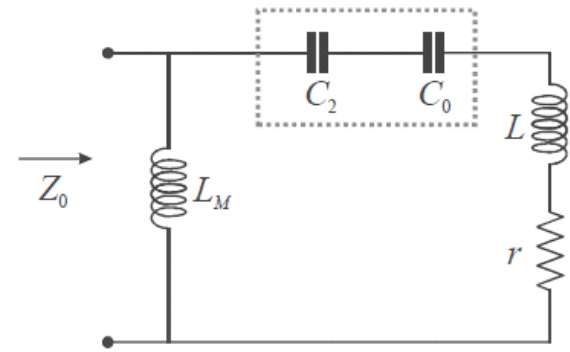
Tunning em série e matching em paralelo

A indutância da bobina é cancelada por um componente em série



$$\frac{1}{C_M \omega_S} = Z_0 \sqrt{\frac{r}{Z_0 - r}}$$
$$\frac{1}{C_T \omega_S} = L \omega_S - \sqrt{r(Z_0 - r)}$$

Outra configuração



$$L_M \omega_S = Z_0 \sqrt{\frac{r}{Z_0 - r}}$$

$$\frac{1}{C_T \omega_S} = L \omega_S + \sqrt{r(Z_0 - r)}$$

Tunning em paralelo e matching em série

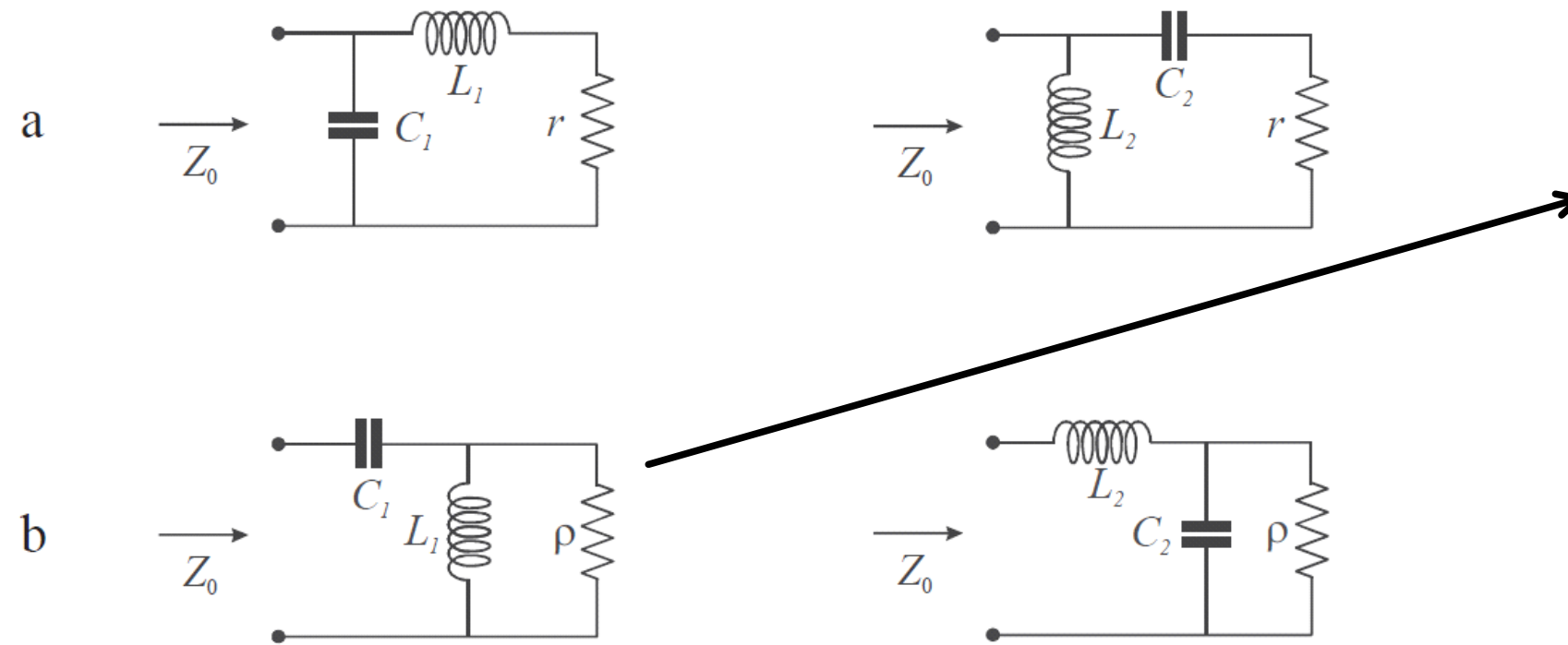
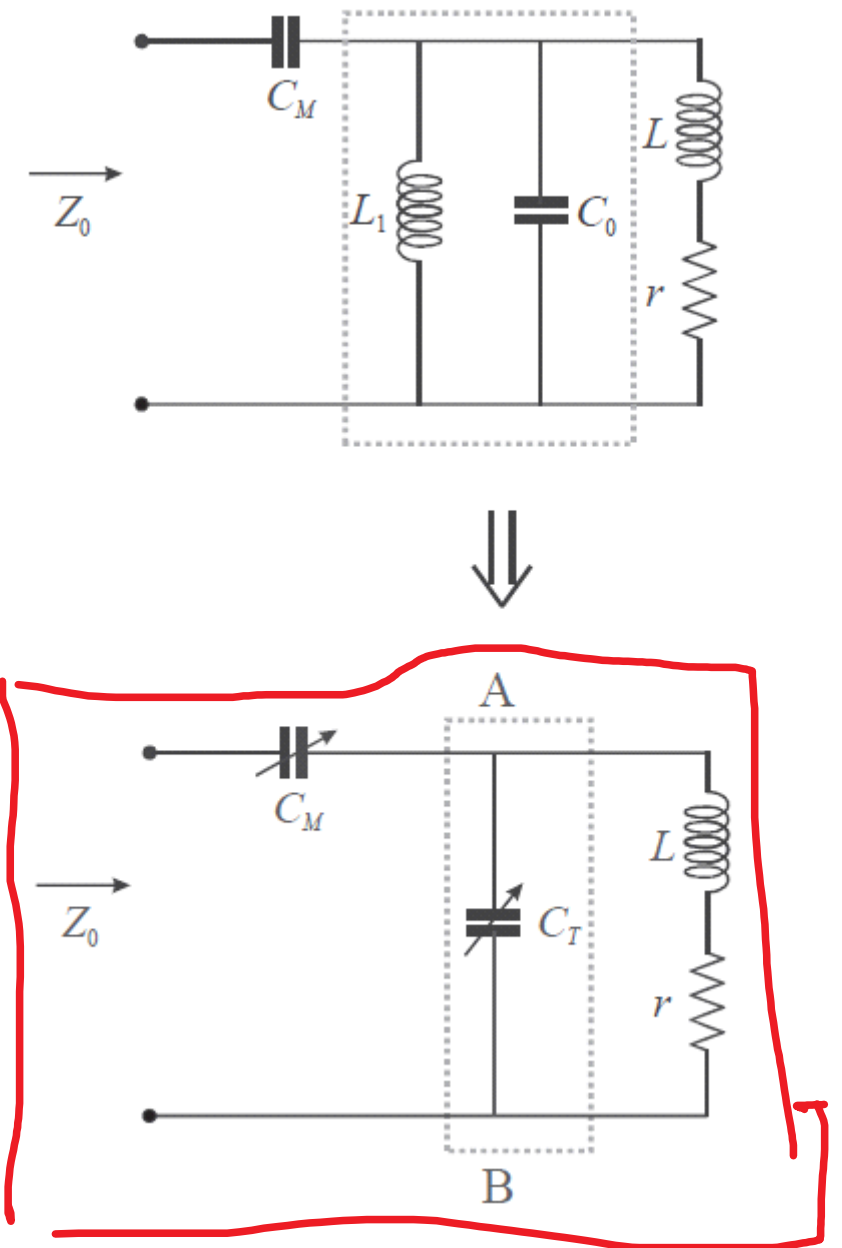
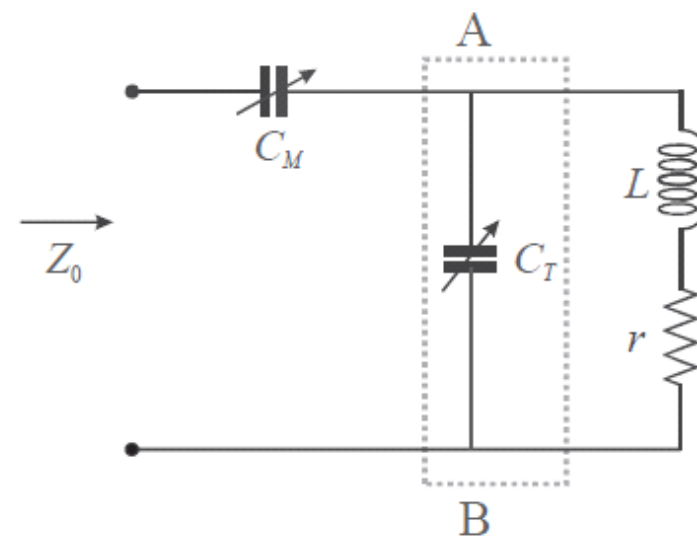
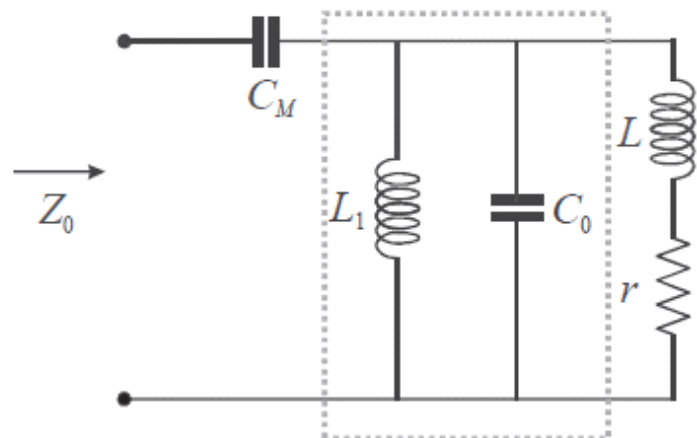


Fig. 4.4 Basic L-networks designed to match resistive loads. (a) $r < Z_0$. (b) $\rho > Z_0$. The input impedance can be either capacitive (left), or inductive (right).





$$Q = \frac{X_L}{R}$$

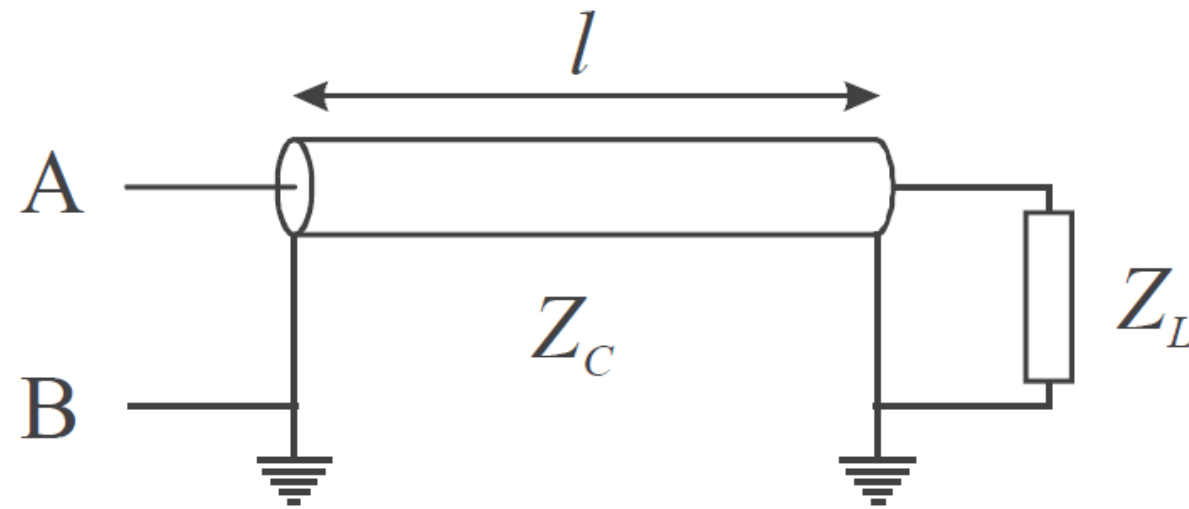
$$Z_0 = \frac{rXC_T^2}{r^2 + (XL - XC_T)^2}$$

Handwritten red annotations: An arrow points from $\frac{1}{\omega C}$ to XC_T^2 . Another arrow points from ωL to XL .

$$C_M = \frac{1}{\sqrt{(Q\omega L - r)r\omega^2}}$$

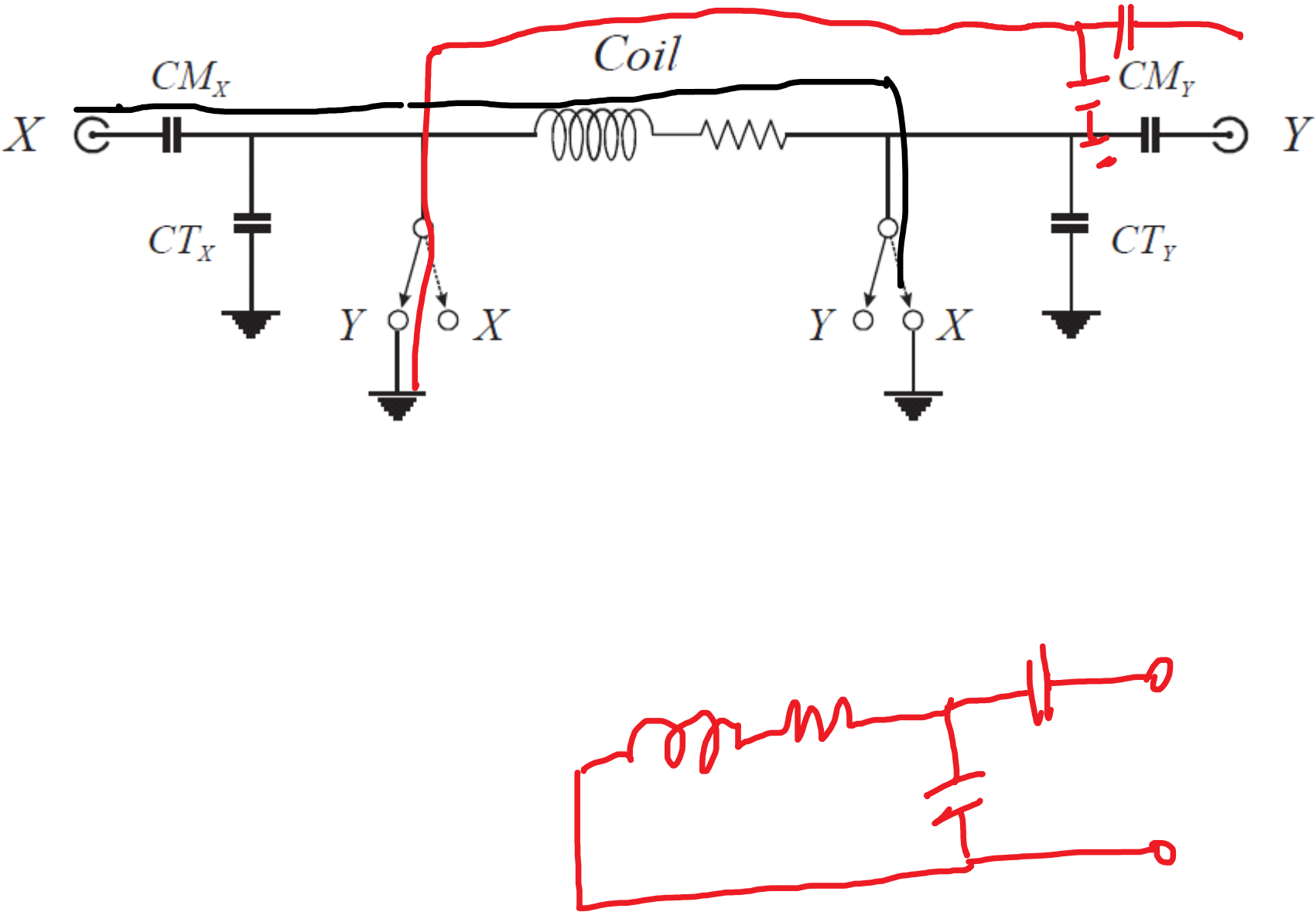
$$C_T = \frac{Qr\omega C_M - 1}{Qr\omega^3 C_M L}$$

Matching por linha de transmissão

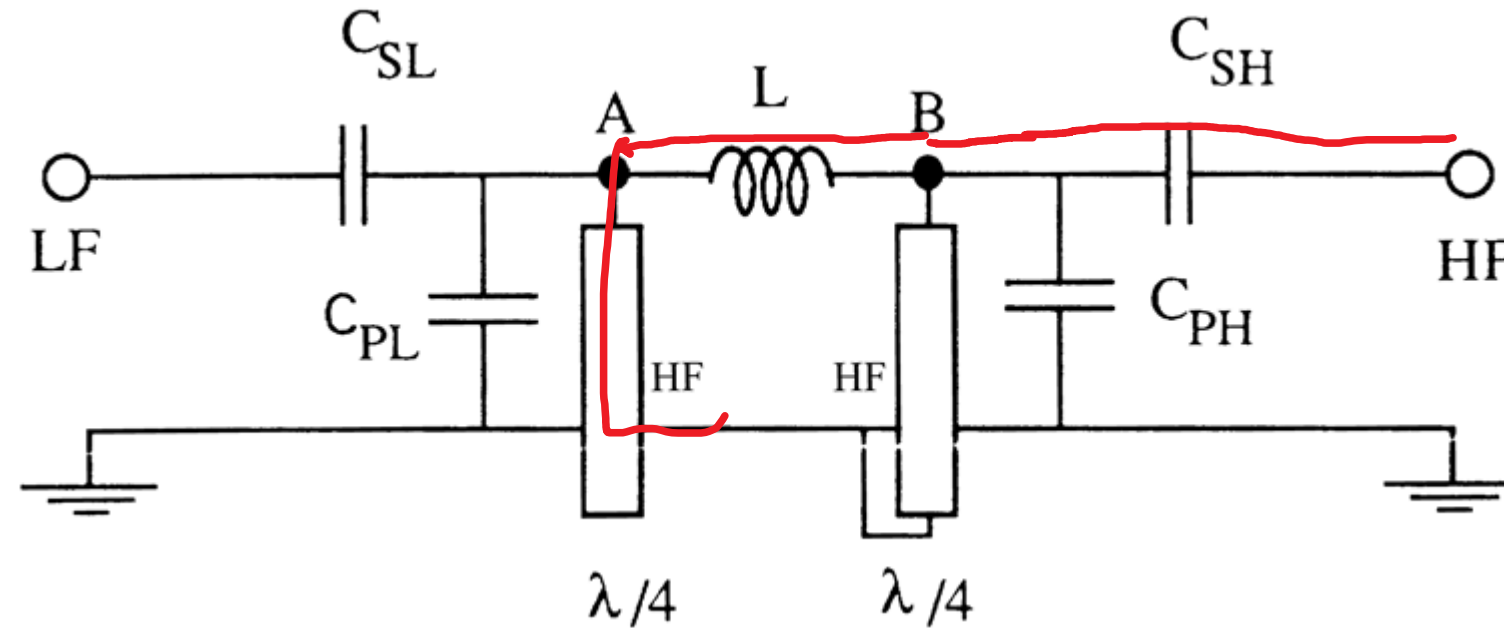


$$Z_{AB} = Z_C \frac{Z_L + jZ_C \tan(\theta)}{Z_C + jZ_L \tan(\theta)}$$

Sonda de dupla ressonância

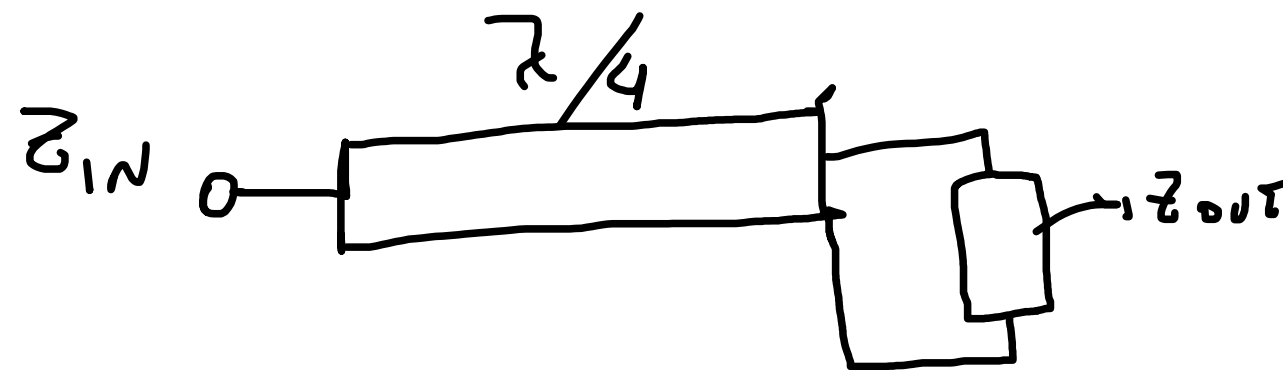


Separação com linhas de transmissão

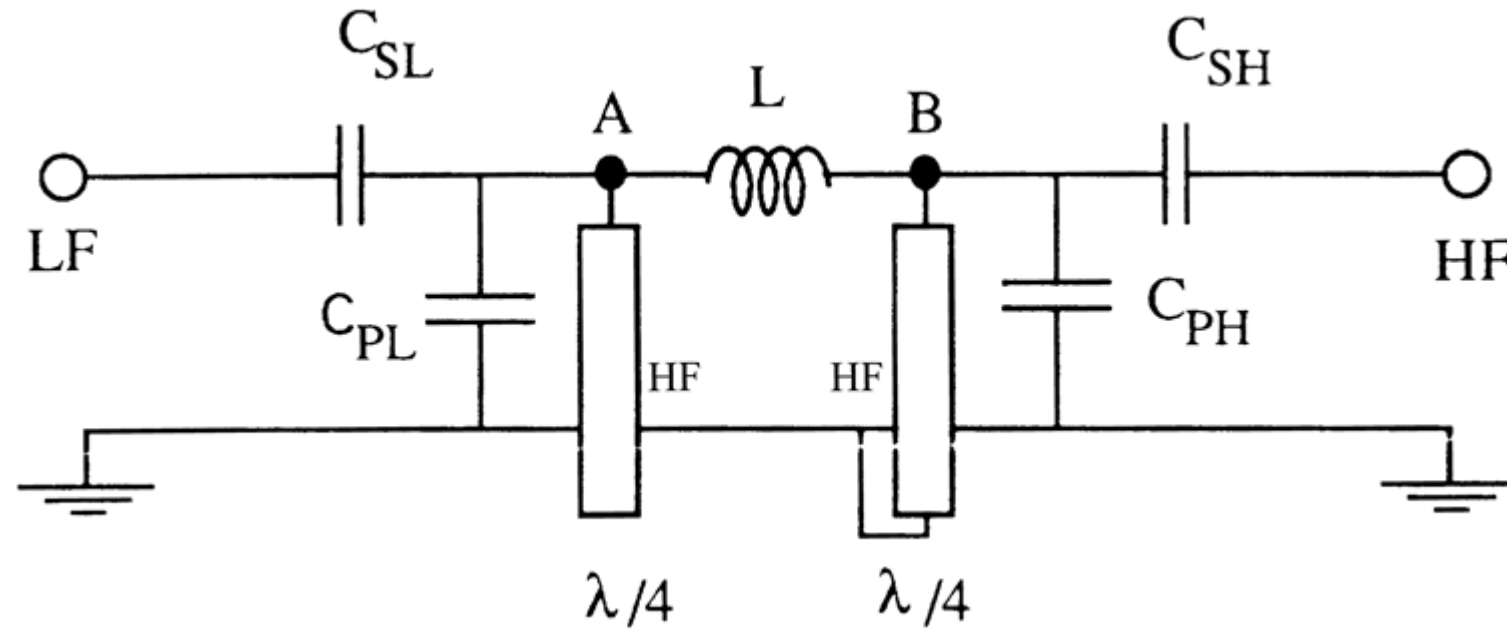


$$Z_{in} = \frac{Z_0^2}{Z_{out}}$$

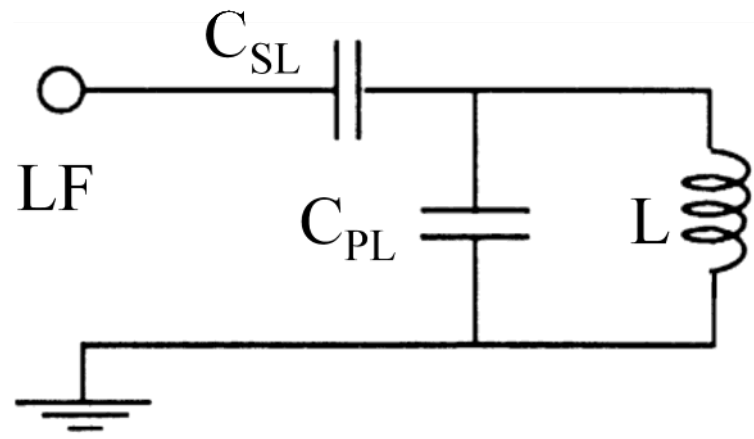
$$Z_{in} = \frac{Z_0^2}{Z_{out}}$$



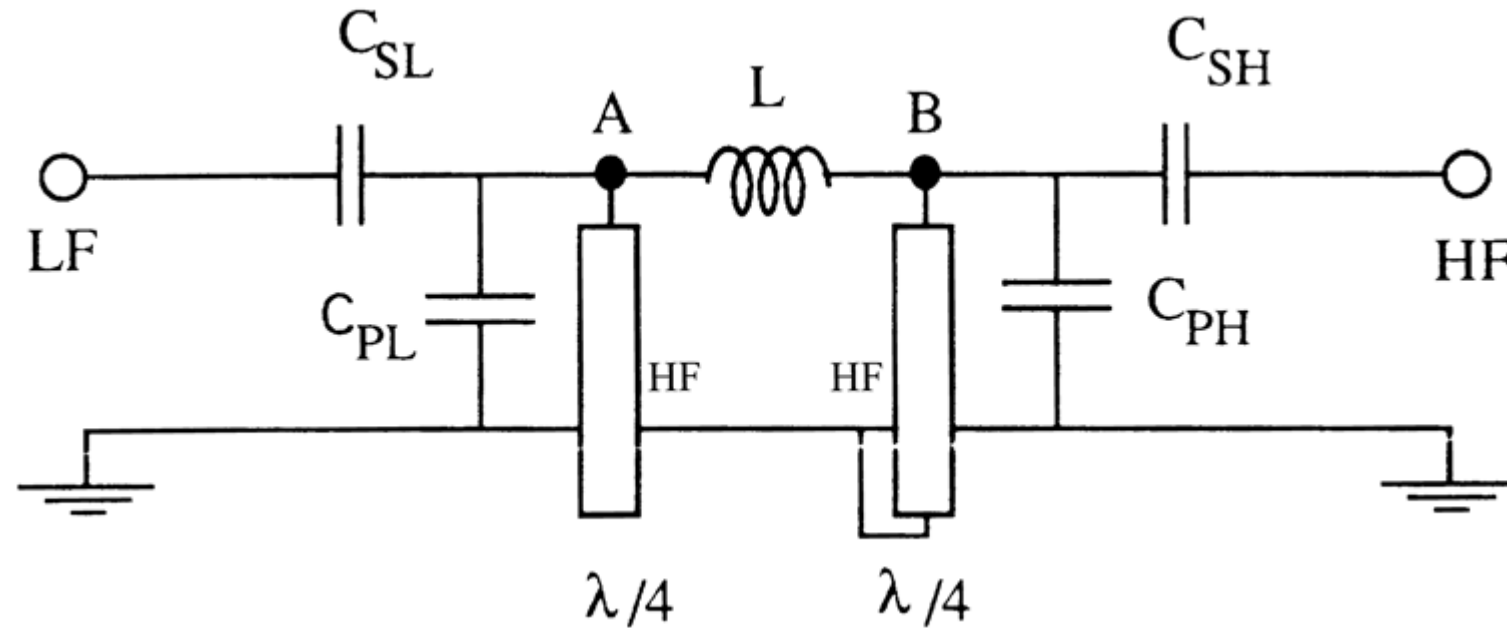
Separação com linhas de transmissão



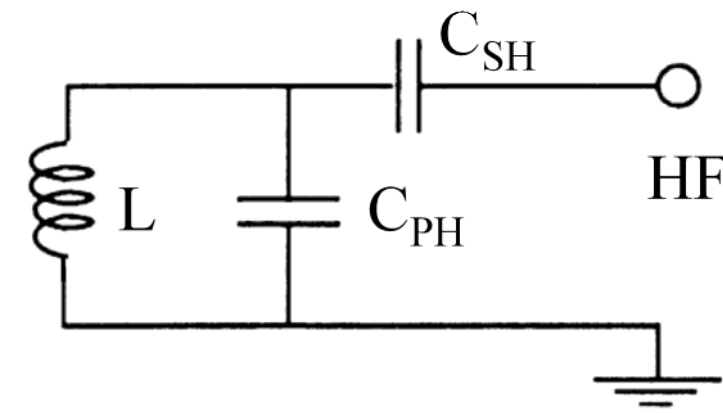
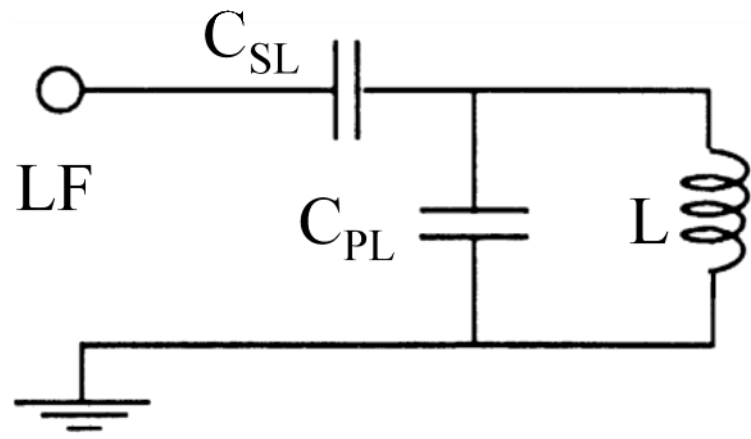
$$Z_{in} = \frac{Z_0^2}{Z_{out}}$$



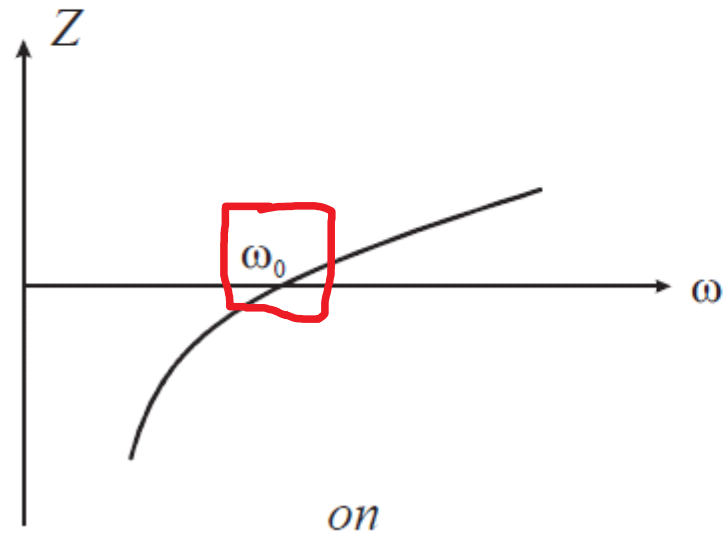
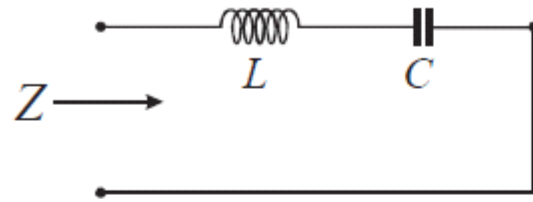
Separação com linhas de transmissão



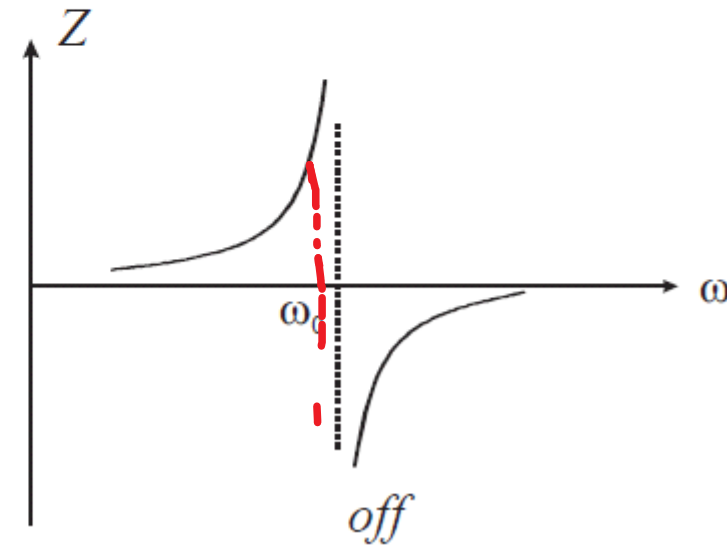
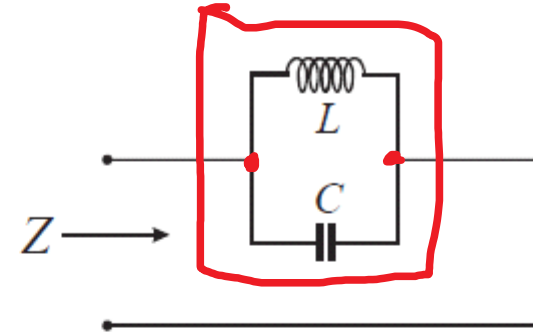
$$Z_{in} = \frac{Z_0^2}{Z_{out}}$$



Chaveamento com elementos passivos

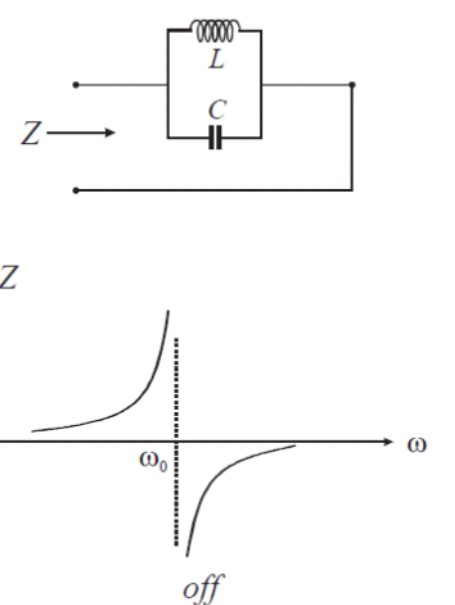
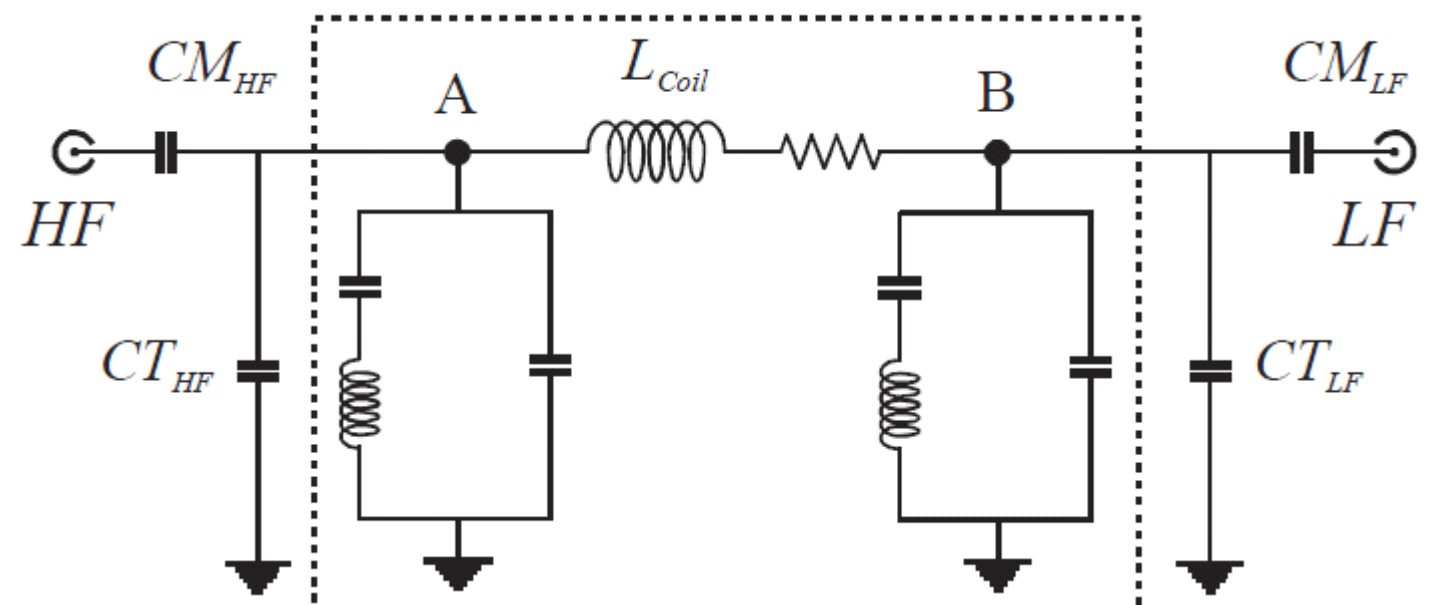
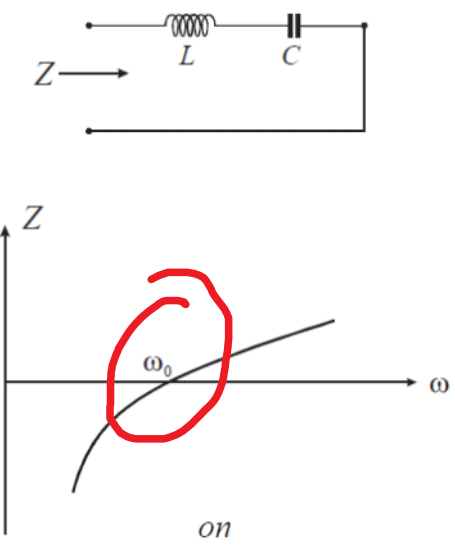
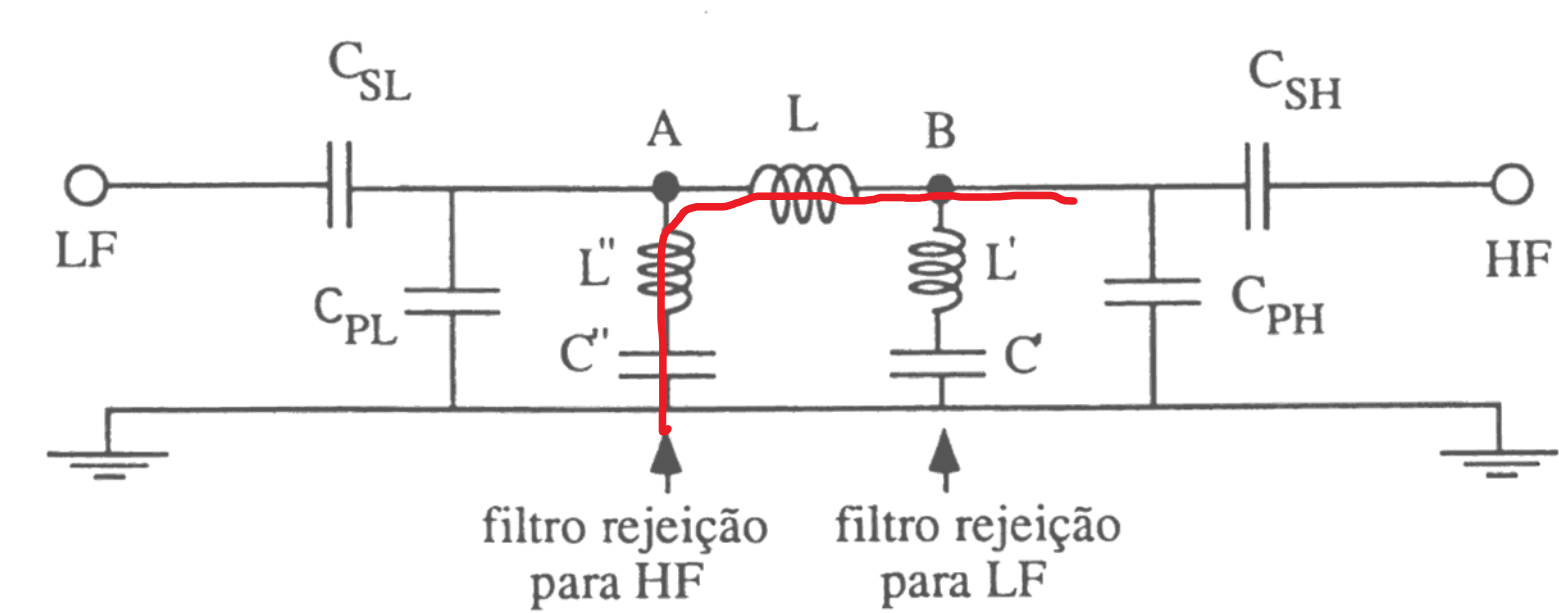


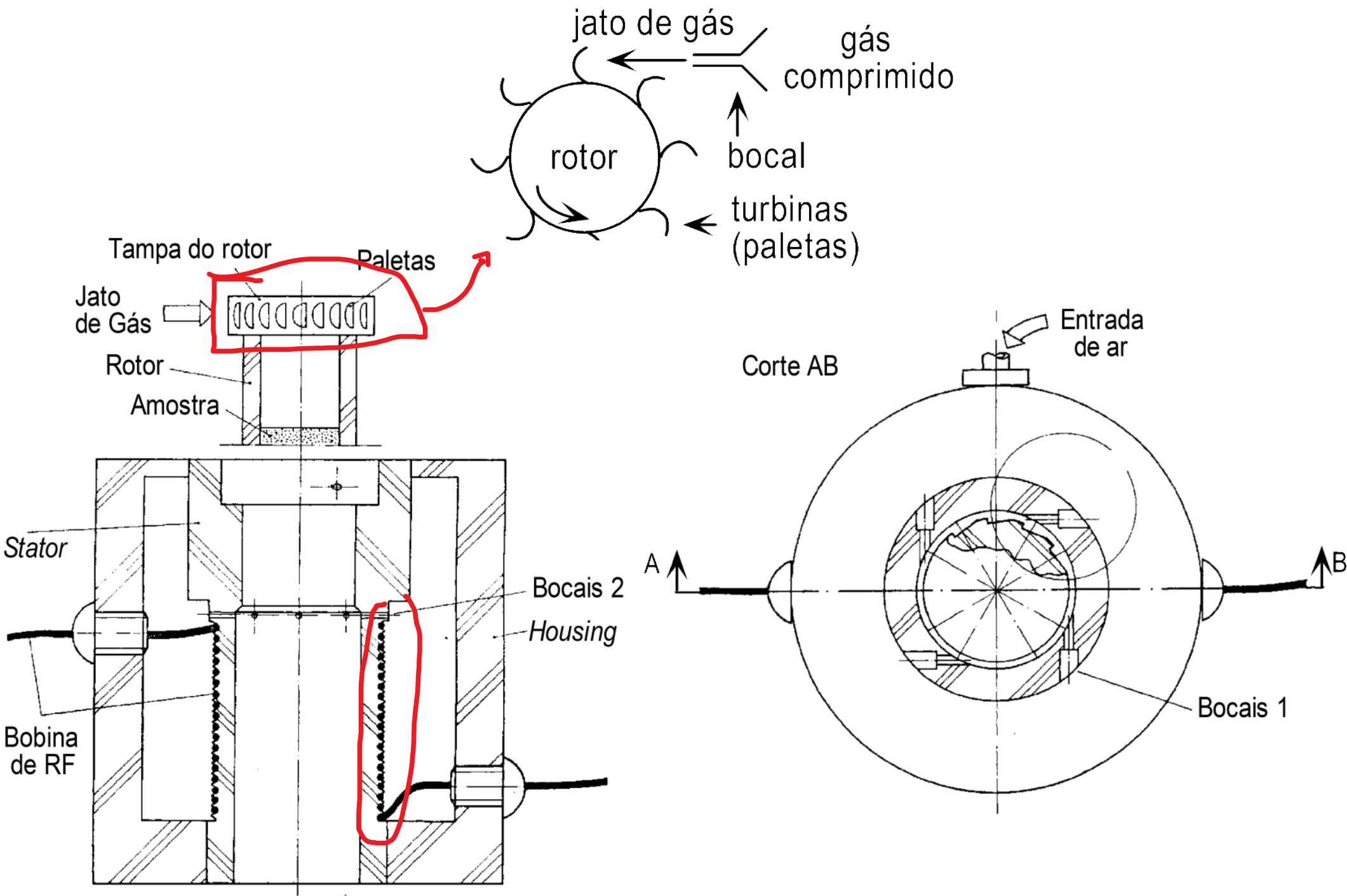
$$Z_{series}(\omega) = \frac{1}{jC\omega} \left(1 - \frac{\omega^2}{\omega_{on}^2} \right)$$

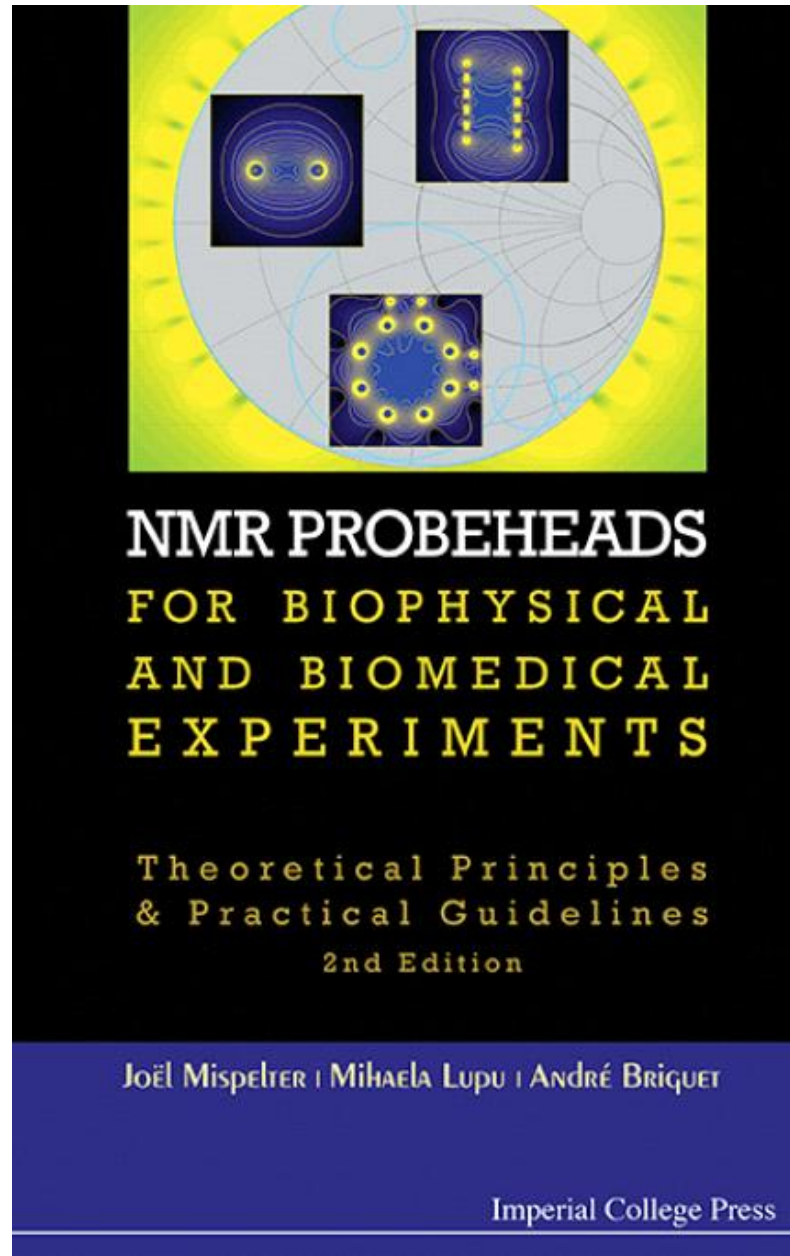


$$Z_{parallel}(\omega) = \frac{1}{jC\omega} \left(1 - \frac{\omega_{off}^2}{\omega^2} \right)^{-1}$$

Utilizando filtros







Capítulos 4 e 6