

6.9. Worksheet

Determination of the absorbed dose to water in a high-energy photon beam

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1. Radiation treatment unit and reference conditions for $D_{w,Q}$ determination

Accelerator: Mevatron XII Nominal Acc Potential: 10 MV
 Nominal dose rate: 300 MU min⁻¹ Beam quality, Q ($TPR_{20,10}$): 0,736
 Reference phantom: water Set up: SSD SAD
 Reference field size: 10x10 cm x cm Reference distance (cm): 100
 Reference depth z_{ref} : 10 g cm⁻²

2. Ionization chamber and electrometer

Ionization chamber model: NE 2571 farmer Serial no.: XB3216
 Chamber wall material: grafite thickness: 0,065 g cm⁻²
 Waterproof sleeve material: latex thickness: 0,082 g cm⁻²
 Phantom window material: PMMA thickness: 1,2 g cm⁻²

Absorbed-dose-to-water calibration factor ^a $N_{D,w,Q_0} =$ $9,61 \times 10^{-3}$ Gy nC⁻¹ Gy rdg⁻¹

Calibration quality Q_0 : ⁶⁰Co photon beam Calibration depth: 5 g cm⁻²

If Q_0 is photon beam, give $TPR_{20,10}$: 0,568

Reference conditions for calibration P_0 : 101,2 kPa T_0 : 20 °C Rel. humidity: 60 %

Polarizing potential V_j : 300 V Calibration polarity: +ve -ve corrected for polarity effect

User polarity: +ve -ve

Calibration laboratory: IRD-CNEN Date: 23/03/2020

Electrometer model: PTW Unidos Serial no.: 880001

Calibrated separately from chamber: yes no Range setting: auto

If yes Calibration laboratory: _____ Date: _____

3. Dosimeter reading ^b and correction for influence quantities

Uncorrected dosimeter reading at V_j and user polarity: 83,44 nC rdg

Corresponding accelerator monitor units: 100 MU

Ratio of dosimeter reading and monitor units: $M_I =$ 0,8344 nC MU⁻¹ rdg MU⁻¹

(i) Pressure P : 101,2 kPa Temperature T : 22 °C Rel. humidity (if known): 48 %

$$k_{TP} = \frac{(273.2 + T) P_0}{(273.2 + T_0) P} = \underline{1,007}$$

(ii) Electrometer calibration factor ^c k_{elec} : nC rdg⁻¹ dimensionless $k_{elec} =$ 1

(iii) Polarity correction ^d rdg at $+V_j$: M_+ = 83,44 rdg at $-V_j$: M_- = 83,47

$$k_{pol} = \frac{|M_+| + |M_-|}{2M} = \underline{1,0002}$$

(iv) Recombination correction (two-voltage method)

Polarizing voltages: V_1 (normal) = 300 V V_2 (reduced) = 150 V

Readings^a at each V: M_1 = 83,44 M_2 = 83,33

Voltage ratio $V_1 / V_2 =$ 2 Ratio of readings $M_1 / M_2 =$ 1,001

Use Table 4.VII for a beam of type: pulsed pulsed-scanned

$a_0 =$ 2,337 $a_1 =$ -3,636 $a_2 =$ 2,299

$$k_s = a_0 + a_1 \left(\frac{M_1}{M_2} \right) + a_2 \left(\frac{M_1}{M_2} \right)^2 = 1,001 \quad \text{f, g}$$

Corrected dosimeter reading at the voltage V_1 :

$$M_Q = M_1 k_{TP} k_{elec} k_{pol} k_s = \underline{0,8412} \quad \text{h nC MU}^{-1} \quad \text{i rdg MU}^{-1}$$

4. Absorbed dose to water at the reference depth, z_{ref}

Beam quality correction factor for user quality Q : $k_{Q,Q_0} =$ 0,987

taken from Table 6.III Other, specify: _____

$$D_{w,Q}(z_{ref}) = M_Q N_{D,w,Q_0} k_{Q,Q_0} = \underline{0,00798} \text{ Gy MU}^{-1}$$

5. Absorbed dose to water at the depth of dose maximum, z_{max}

Depth of dose maximum: $z_{max} =$ 2,5 g cm⁻²

(i) SSD set-up

Percentage depth-dose at z_{ref} for a 10 cm x 10 cm field size: $PDD(z_{ref} = \underline{10} \text{ g cm}^{-2}) =$ 80,1 %

Absorbed-dose calibration of monitor at z_{max} :

$$D_{w,Q}(z_{max}) = 100 D_{w,Q}(z_{ref}) / PDD(z_{ref}) = \underline{0,00996} \text{ Gy MU}^{-1} = 0,996 \text{ cGy/MU}$$

(ii) SAD set-up

TMR at z_{ref} for a 10 cm x 10 cm field size: $TMR(z_{ref} = \underline{\quad} \text{ g cm}^{-2}) =$ _____

Absorbed-dose calibration of monitor at z_{max} :

$$D_{w,Q}(z_{max}) = D_{w,Q}(z_{ref}) / TMR(z_{ref}) = \underline{\quad} \text{ Gy MU}^{-1}$$

^a Note that if Q_0 is ⁶⁰Co, N_{D,w,Q_0} is denoted by $N_{D,w}$.

^b All readings should be checked for leakage and corrected if necessary

^c If the electrometer is not calibrated separately set $k_{elec} = 1$

^d M in the denominator of k_{pol} denotes reading at the user polarity. Preferably, each reading in the equation should be the average of the ratios of M (or M_+ or M_-) to the reading of an external monitor, M_{em} .

It is assumed that the calibration laboratory has performed a polarity correction. Otherwise k_{pol} is determined according to

rdg at $+V_1$ for quality Q_0 : $M_- =$ _____ rdg at $-V_1$ for quality Q_0 : $M_+ =$ _____

$$k_{pol} = \frac{\left[\frac{|M_+| + |M_-|}{|M|} \right]_{Q_0}}{\left[\frac{|M_+| + |M_-|}{|M|} \right]_{Q_0}} = \underline{\quad}$$

^e Strictly, readings should be corrected for polarity effect (average with both polarities). Preferably, each reading in the equation should be the average of the ratios of M_1 or M_2 to the reading of an external monitor, M_{em} .

^f It is assumed that the calibration laboratory has performed a recombination correction. Otherwise the factor $k'_s = k_s / k_{s,Q_0}$ should be used instead of k_s . When Q_0 is ⁶⁰Co, k_{s,Q_0} (at the calibration laboratory) will normally be close to unity and the effect of not using this equation will be negligible in most cases.

^g Check that $k_s - 1 \approx \frac{M_1/M_2 - 1}{V_1/V_2 - 1}$

^h Note that if Q_0 is ⁶⁰Co, k_{Q,Q_0} is denoted by k_Q , as given in Table 6.III.