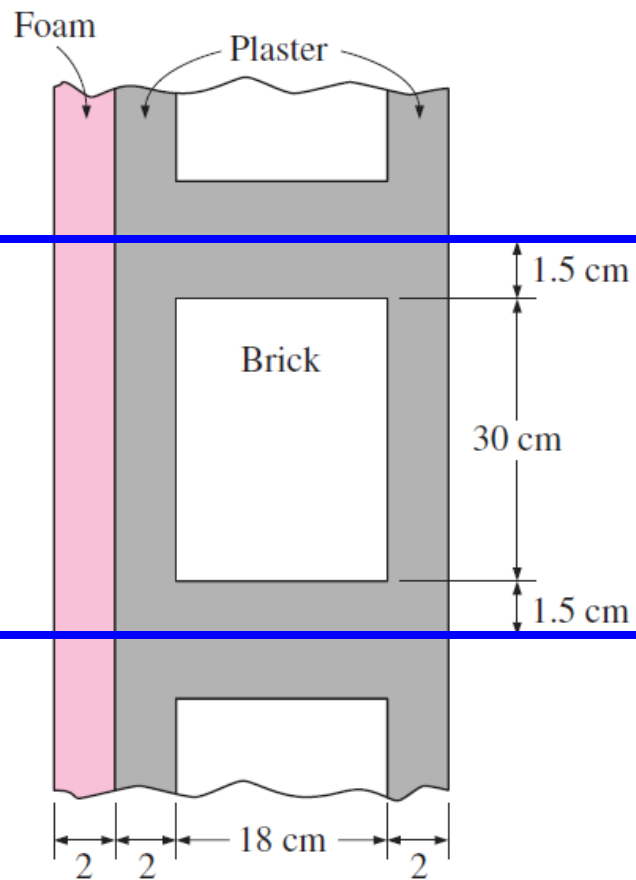


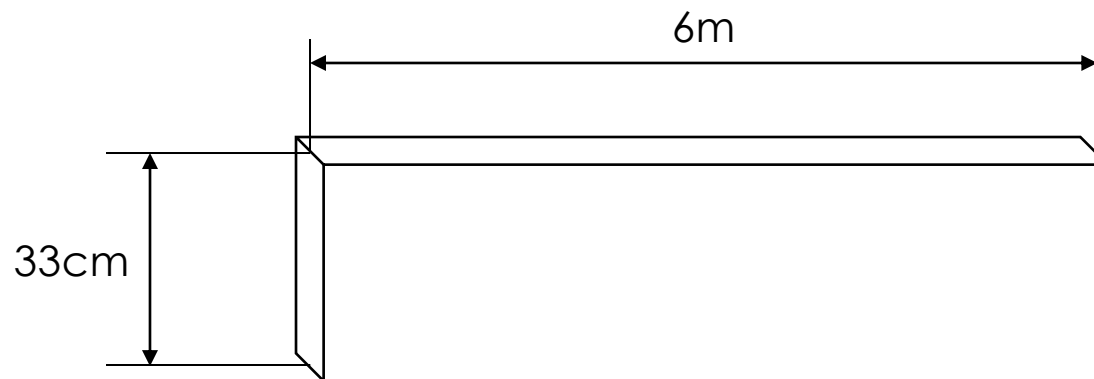
Transferência de Calor: Exercícios Resolvidos

Paulo Seleglim Jr.
Universidade de São Paulo

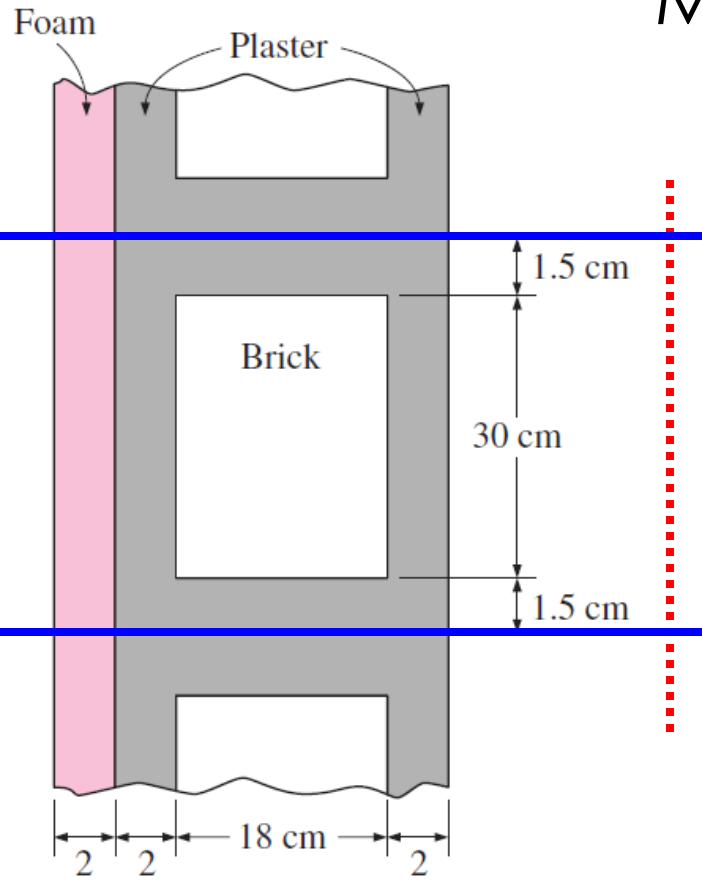




3-52 (Çengel) A 4-m-high and 6-m-wide wall consists of a long 18-cm x 30-cm cross section of horizontal bricks ($k = 0.72 \text{ W/m} \cdot ^\circ\text{C}$) separated by 3-cm-thick plaster layers ($k = 0.22 \text{ W/m} \cdot ^\circ\text{C}$). There are also 2-cm-thick plaster layers on each side of the wall, and a 2-cm-thick rigid foam ($k = 0.026 \text{ W/m} \cdot ^\circ\text{C}$) on the inner side of the wall. The indoor and the outdoor temperatures are 22°C and -4°C , and the convection heat transfer coefficients on the inner and the outer sides are $h_1 = 10 \text{ W/m}^2 \cdot ^\circ\text{C}$ and $h_2 = 20 \text{ W/m}^2 \cdot ^\circ\text{C}$, respectively. Assuming one-dimensional heat transfer and disregarding radiation, determine the rate of heat transfer through the wall.



Montagem do circuito térmico equivalente



T_0

1.5 cm

Brick

30 cm

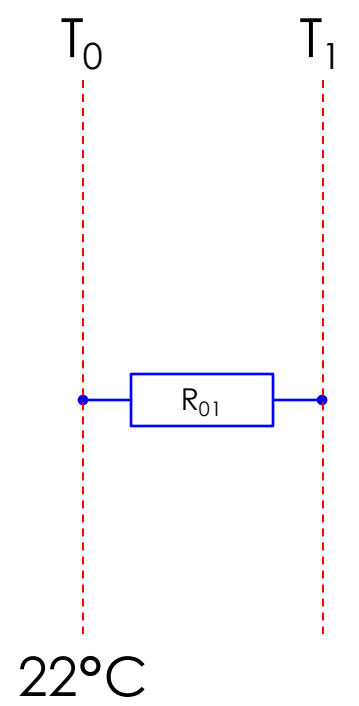
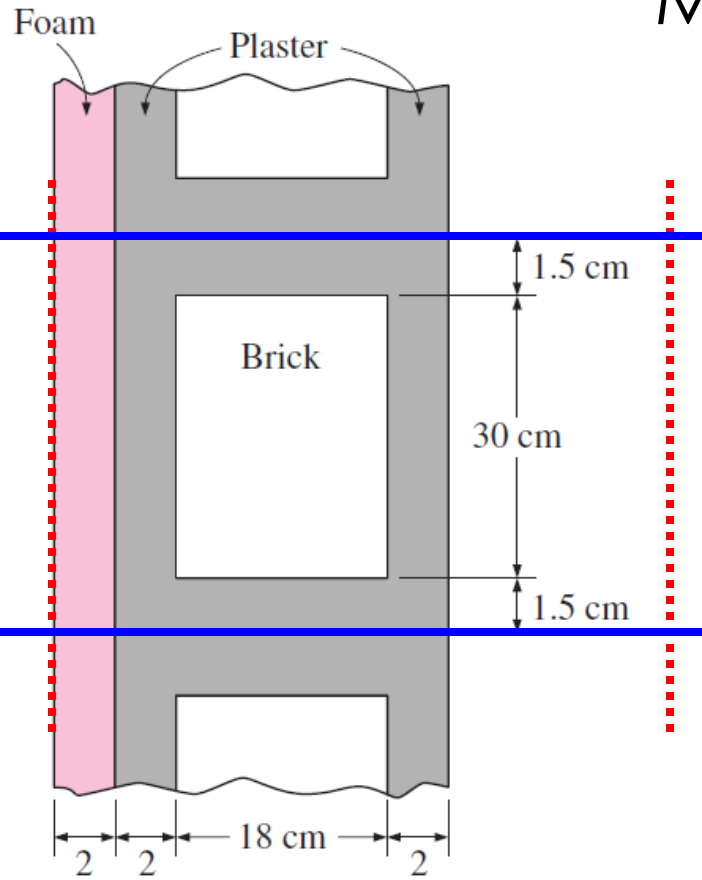
1.5 cm

22°C

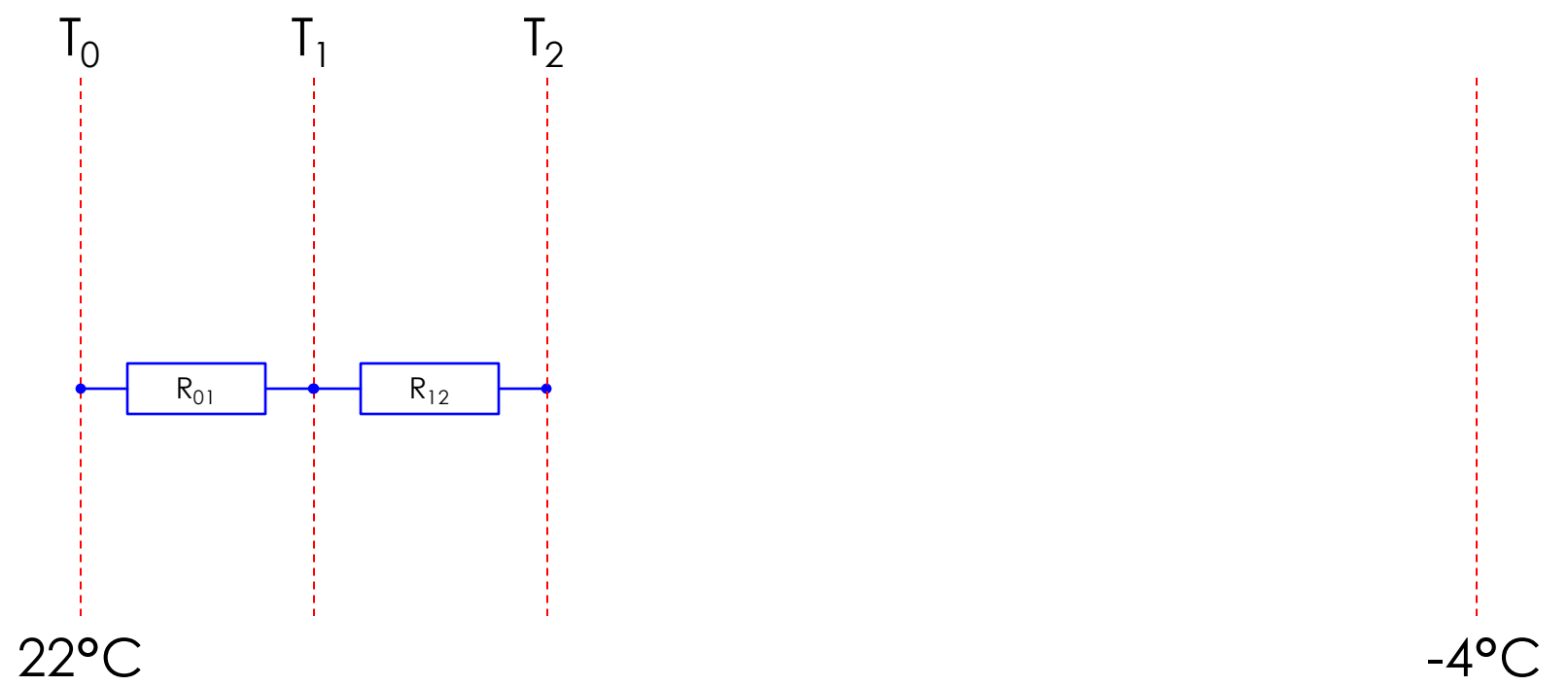
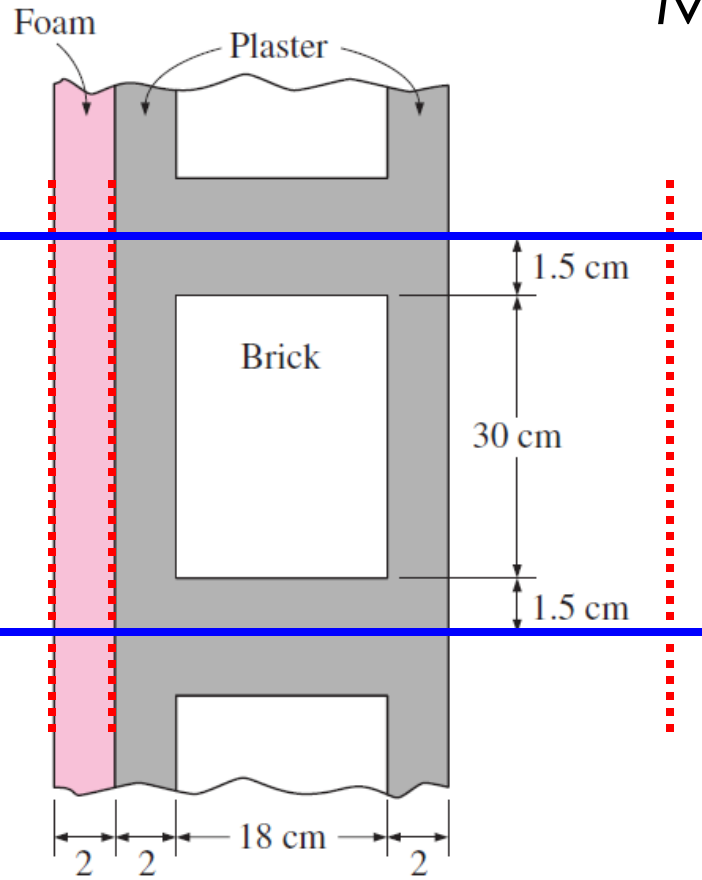
2 2 18 cm 2

-4°C

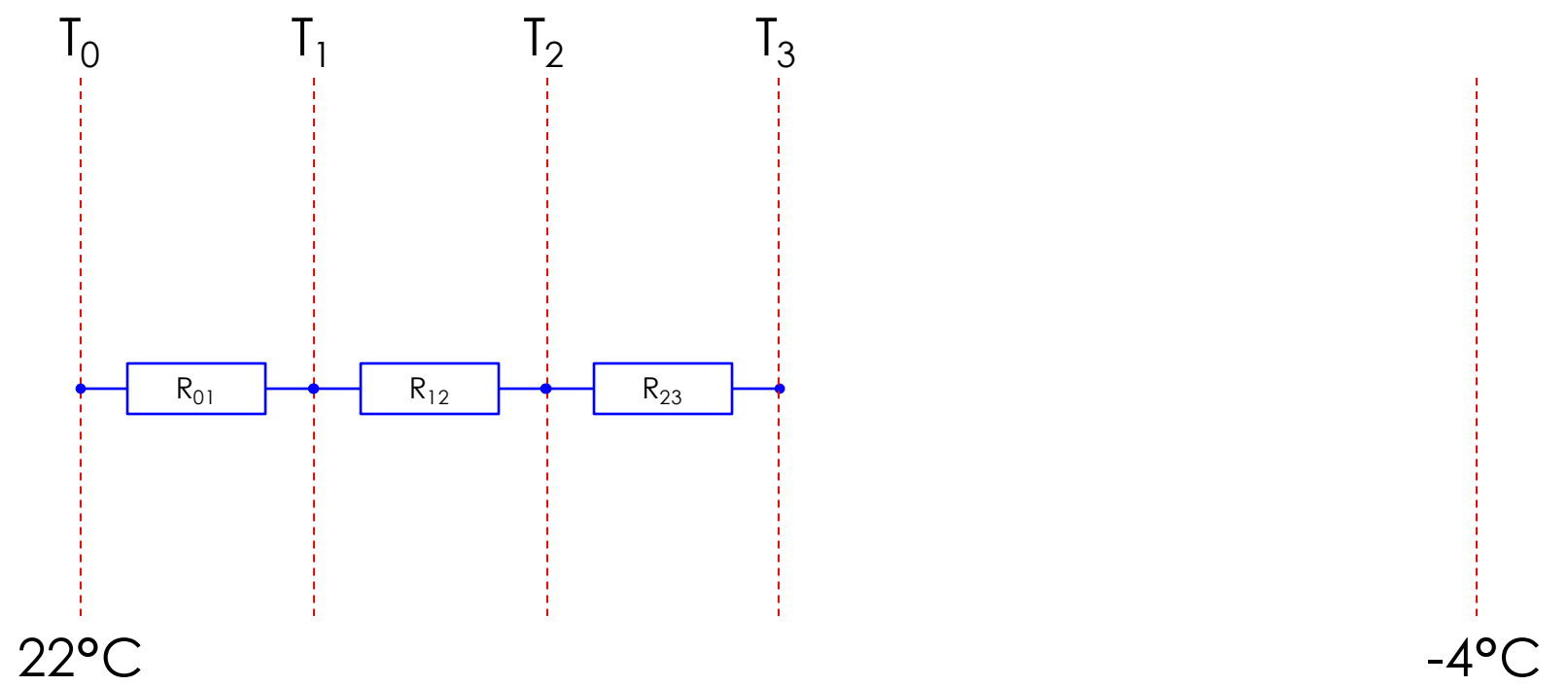
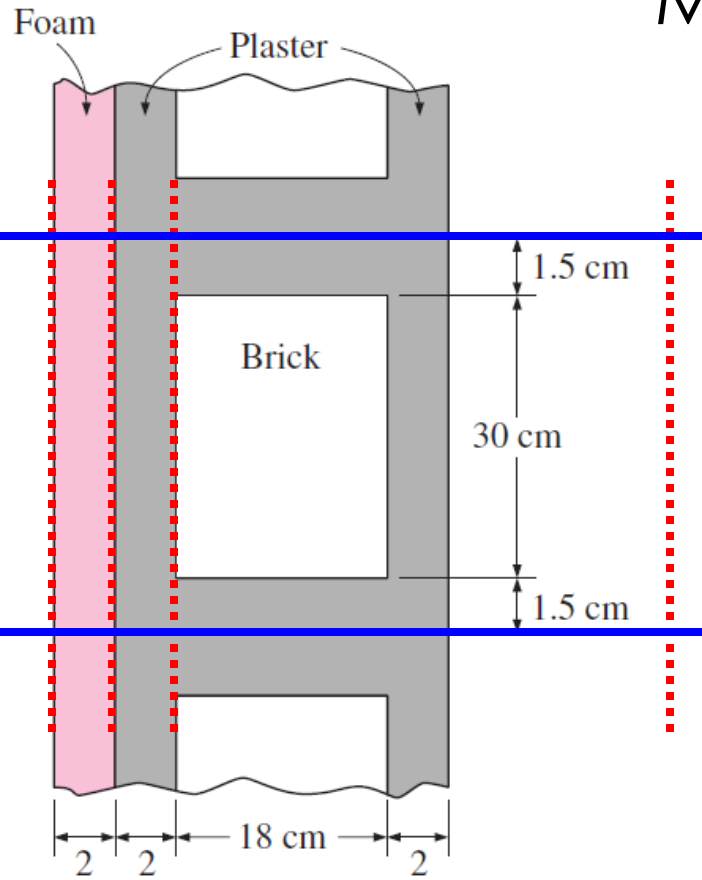
Montagem do circuito térmico equivalente



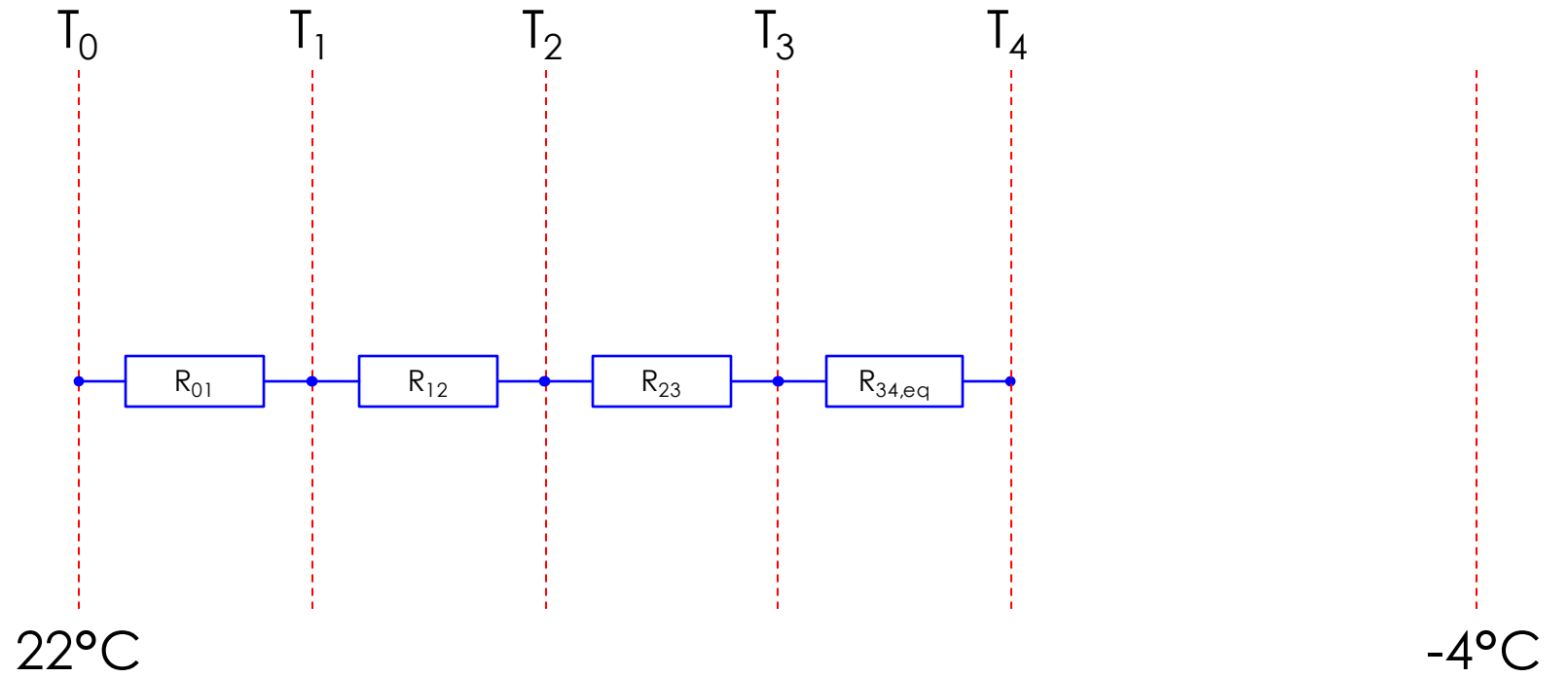
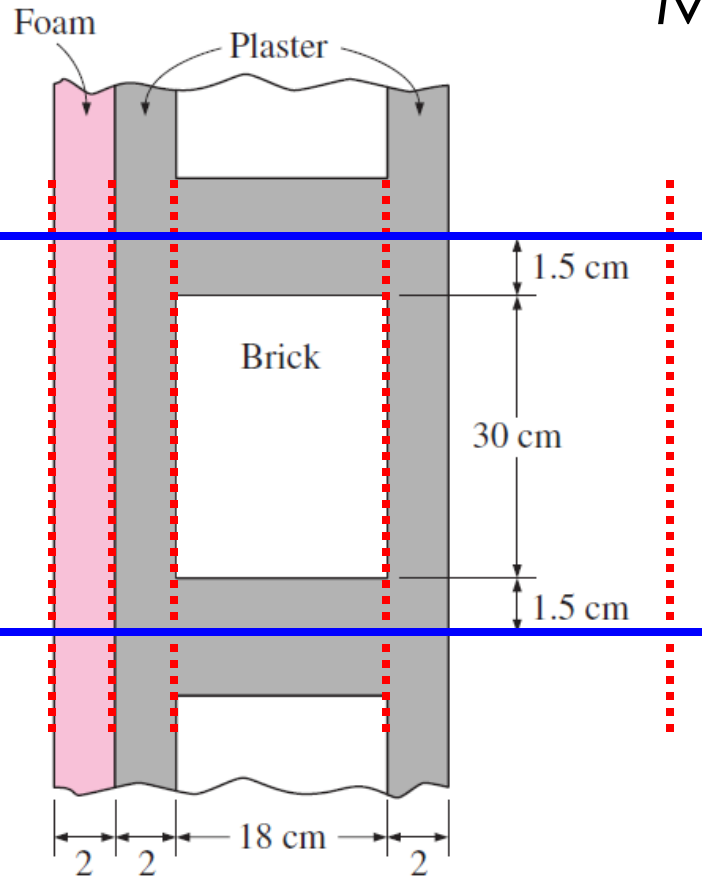
Montagem do circuito térmico equivalente



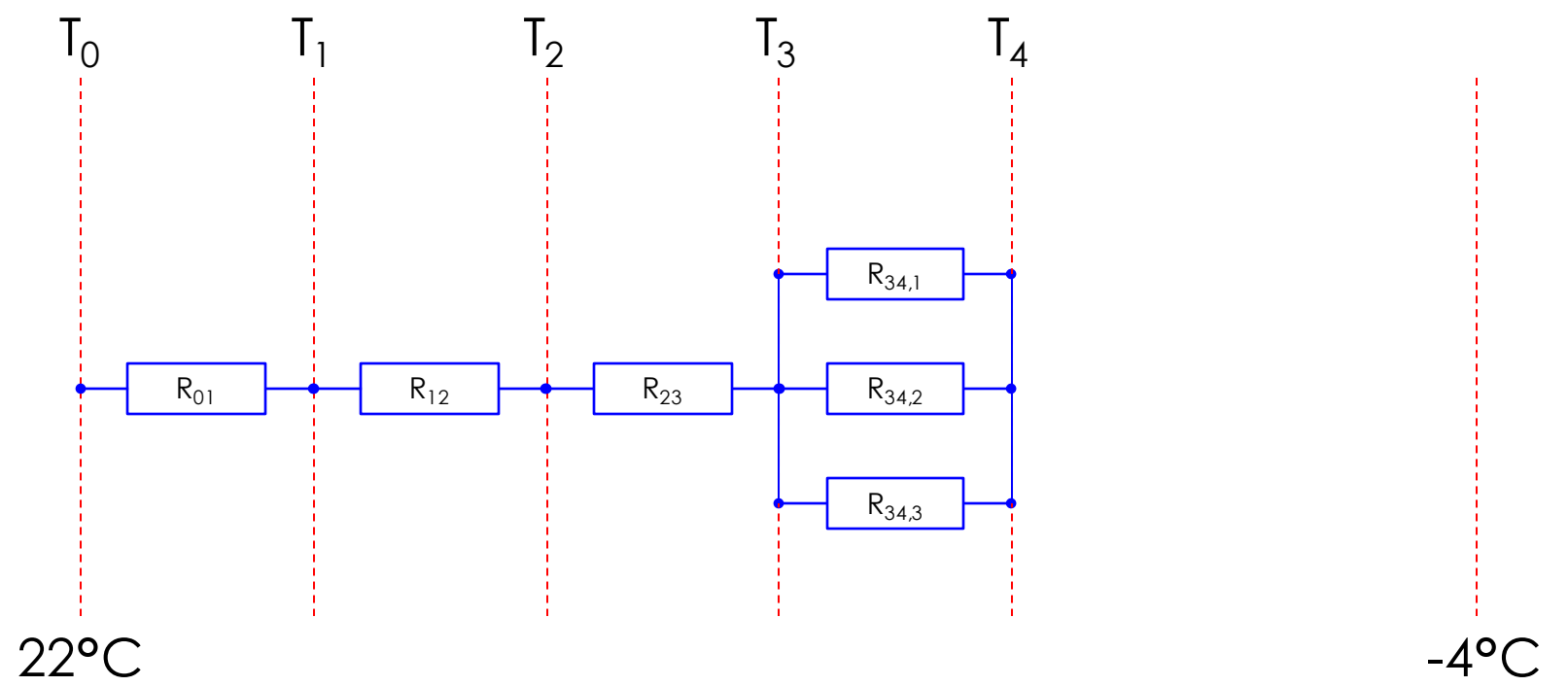
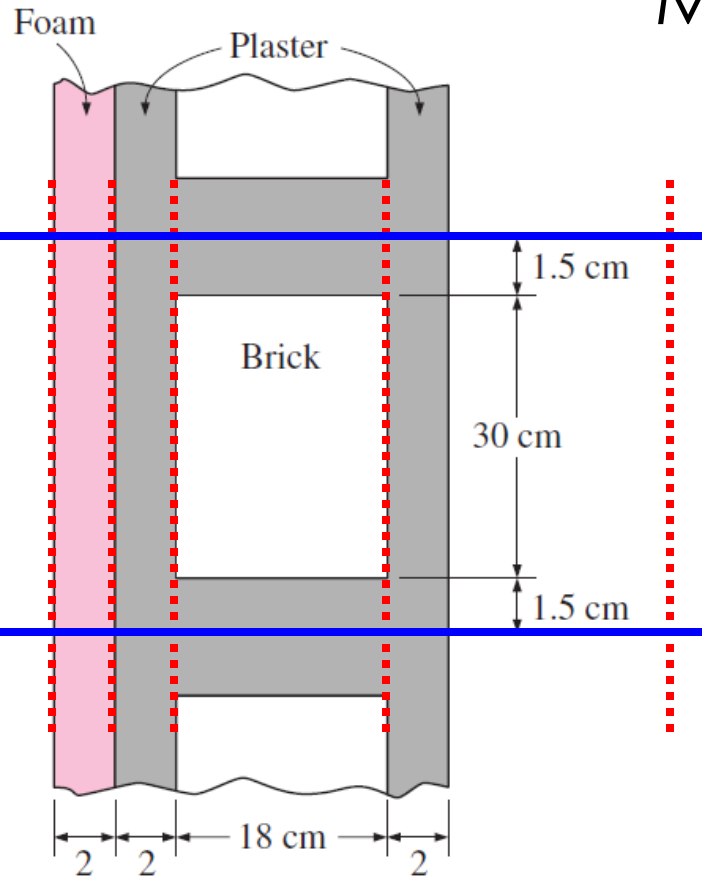
Montagem do circuito térmico equivalente



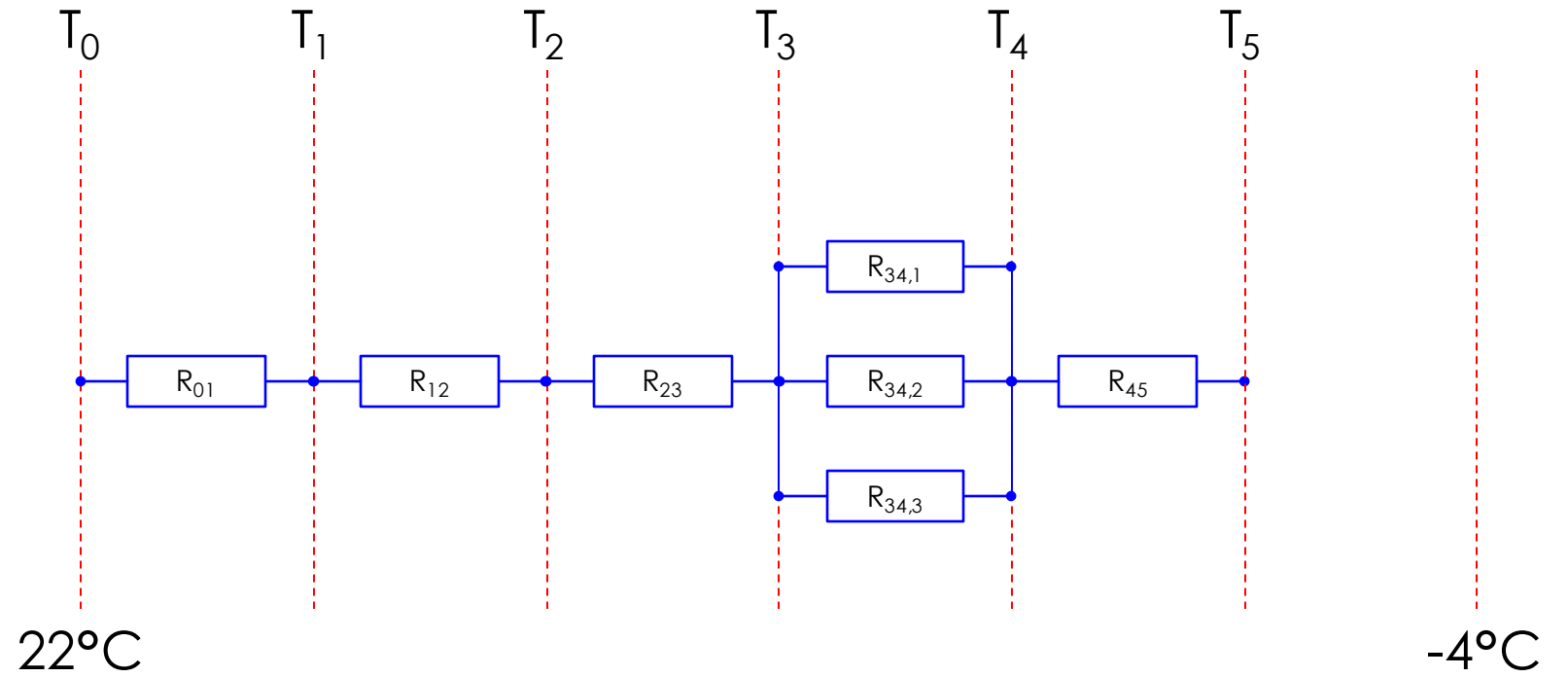
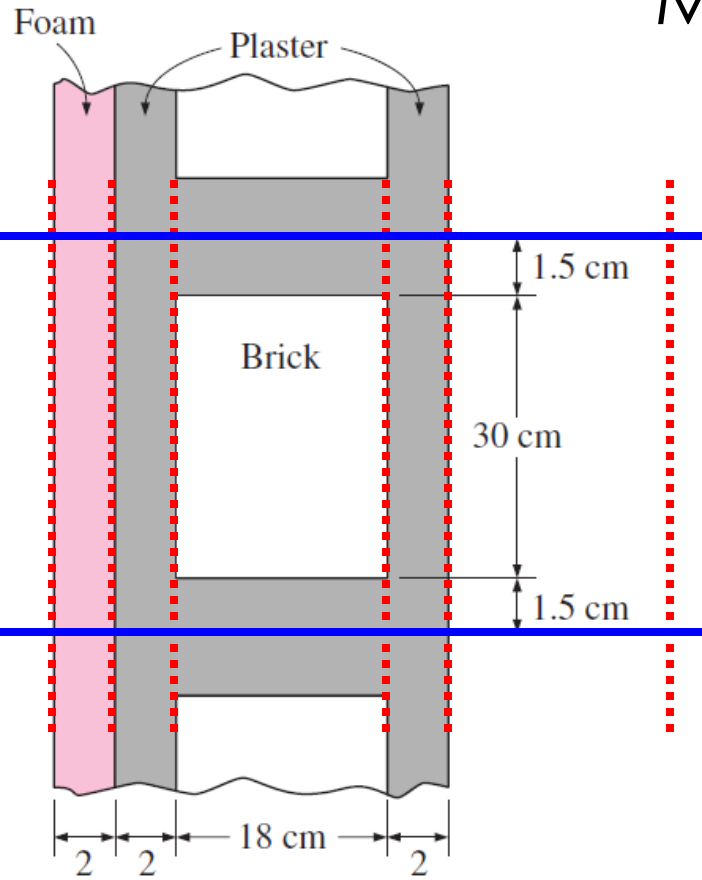
Montagem do circuito térmico equivalente



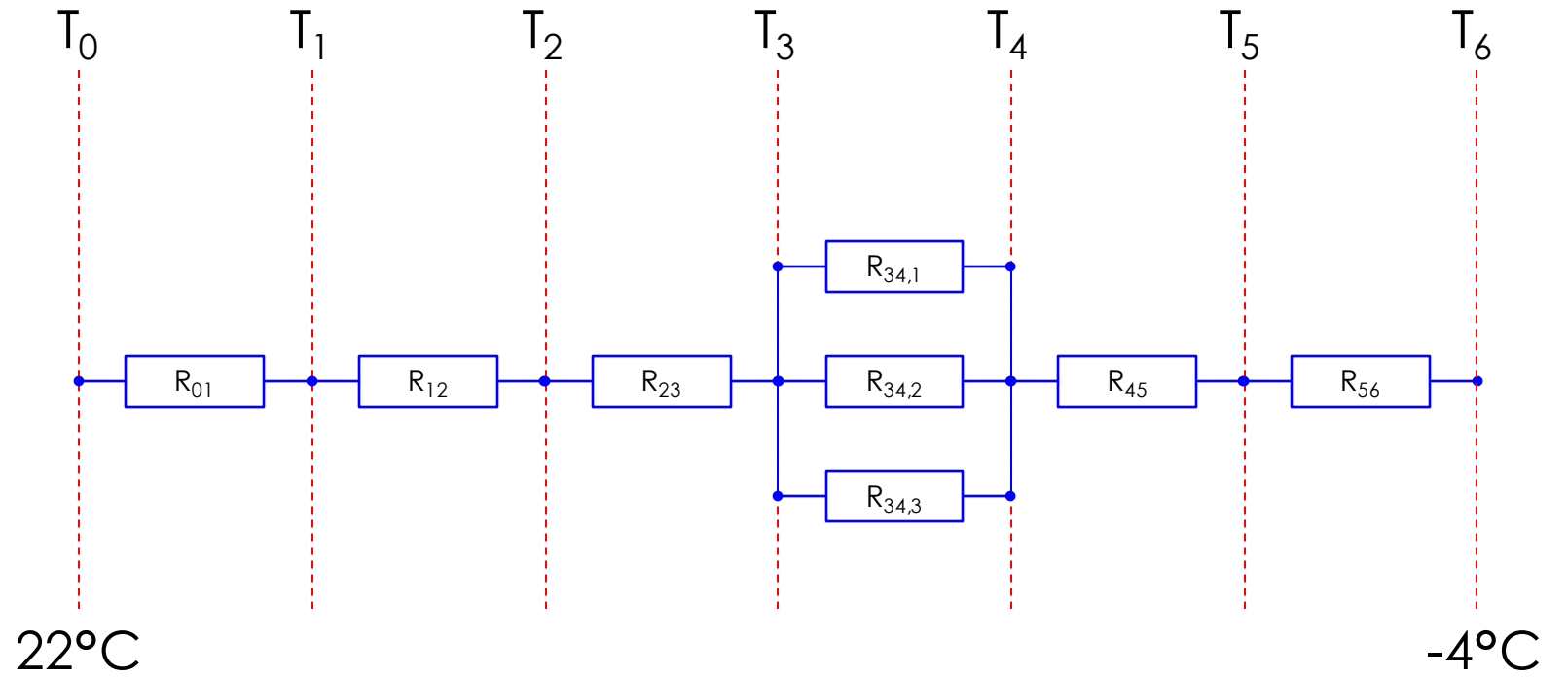
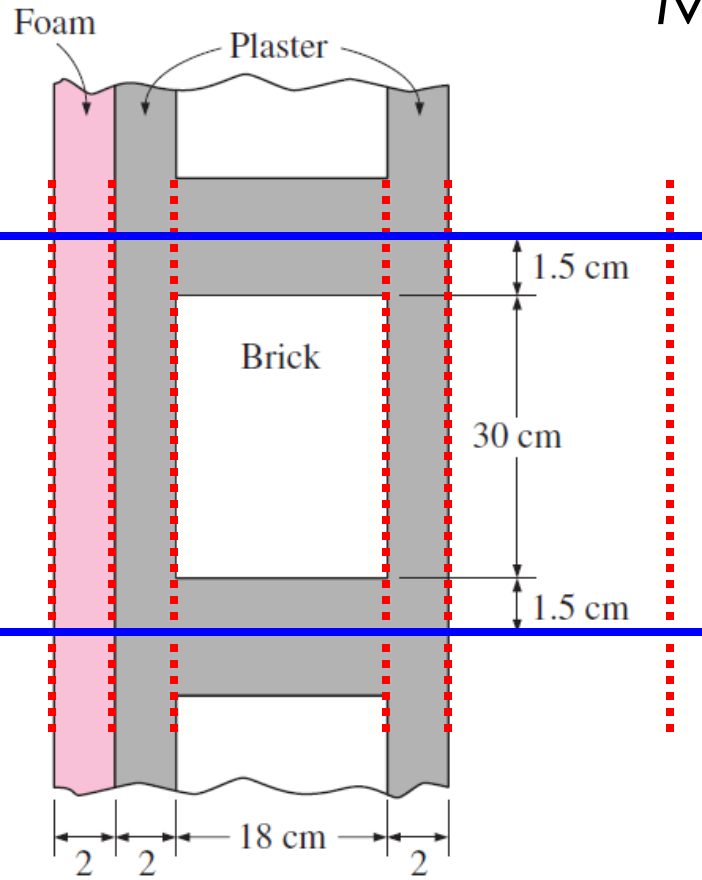
Montagem do circuito térmico equivalente



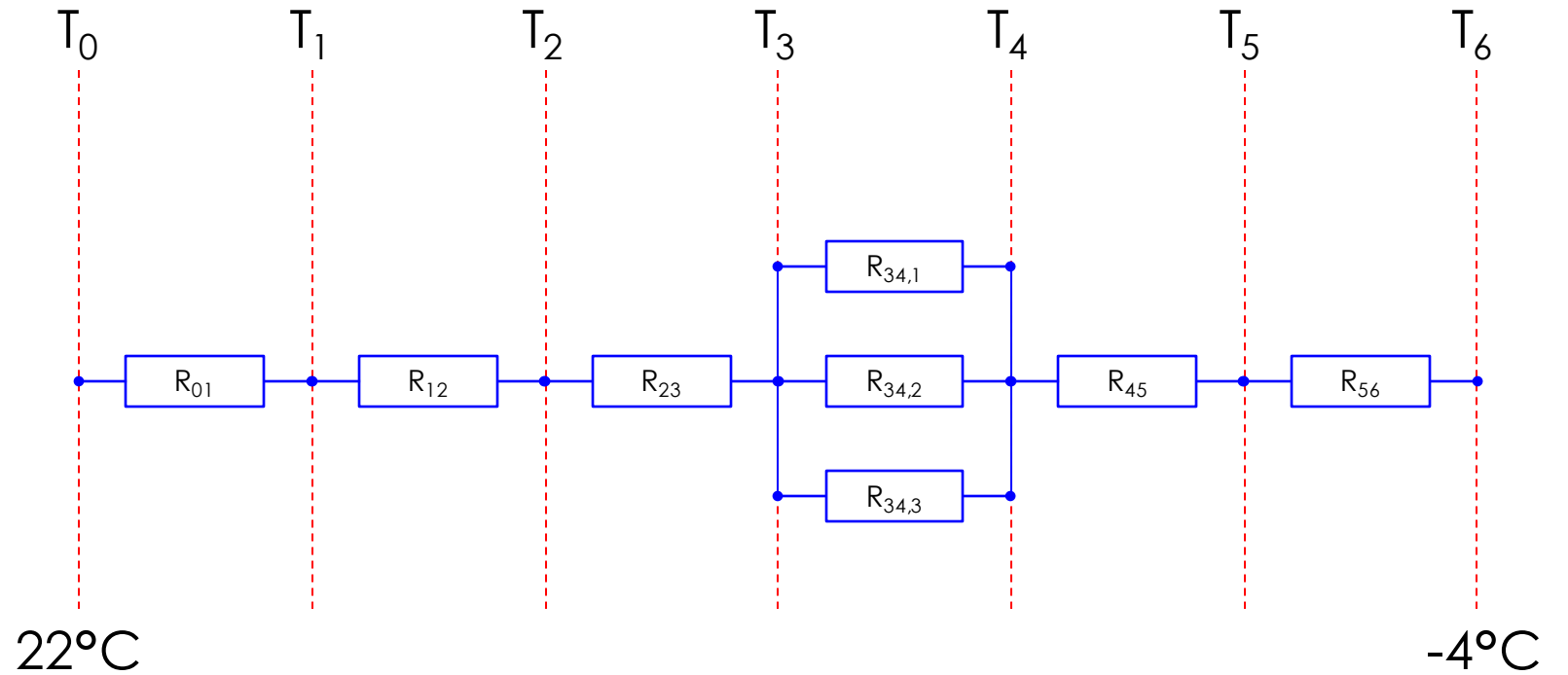
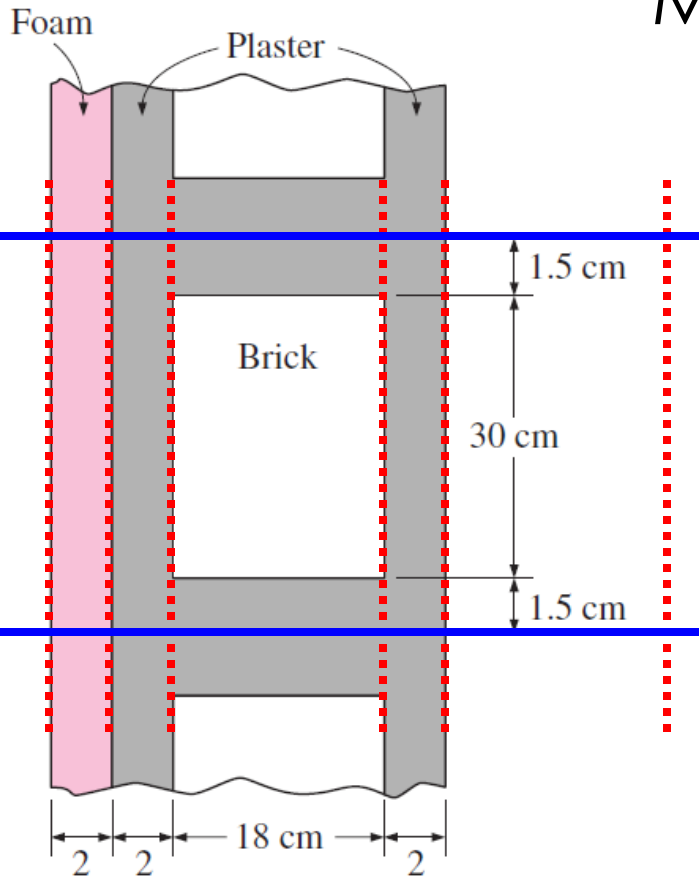
Montagem do circuito térmico equivalente



Montagem do circuito térmico equivalente



Montagem do circuito térmico equivalente

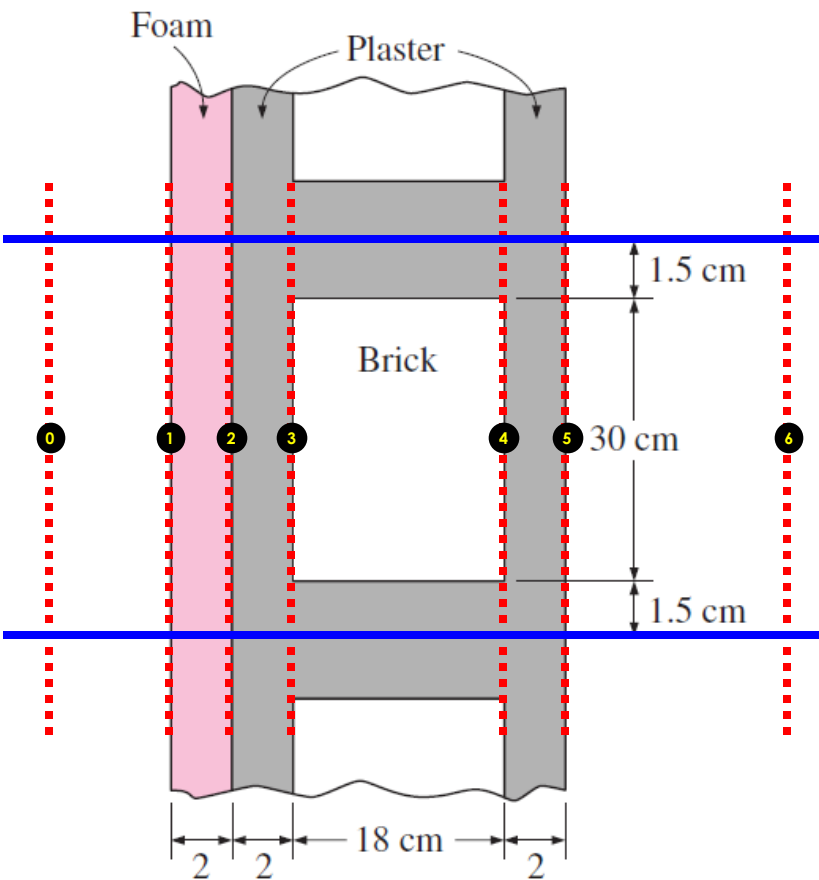


$$R_{\text{total}} = R_{01} + R_{12} + R_{23} + \left(\frac{1}{R_{34,1}} + \frac{1}{R_{34,2}} + \frac{1}{R_{34,3}} \right)^{-1} + R_{45} + R_{56}$$

$$Q = \frac{T_0 - T_6}{R_{\text{total}}}$$

$$R_{\text{conv}} = \frac{1}{hA}$$

$$R_{\text{cond}} = \frac{e}{kA}$$



- $k_{\text{bricks}} = 0.72 \text{ W/m/}^\circ\text{C}$
- $k_{\text{plaster}} = 0.22 \text{ W/m/}^\circ\text{C}$
- $k_{\text{foam}} = 0.026 \text{ W/m/}^\circ\text{C}$
- $h_{\text{inner}} = 10 \text{ W/m}^2/^\circ\text{C}$
- $h_{\text{outer}} = 20 \text{ W/m}^2/^\circ\text{C}$

$$R_{01} = \frac{1}{h_{\text{inner}} A_{01}} = \frac{1}{10 \cdot 0.33 \cdot 6} = 5.051 \times 10^{-2} \frac{^\circ\text{C}}{\text{W}}$$

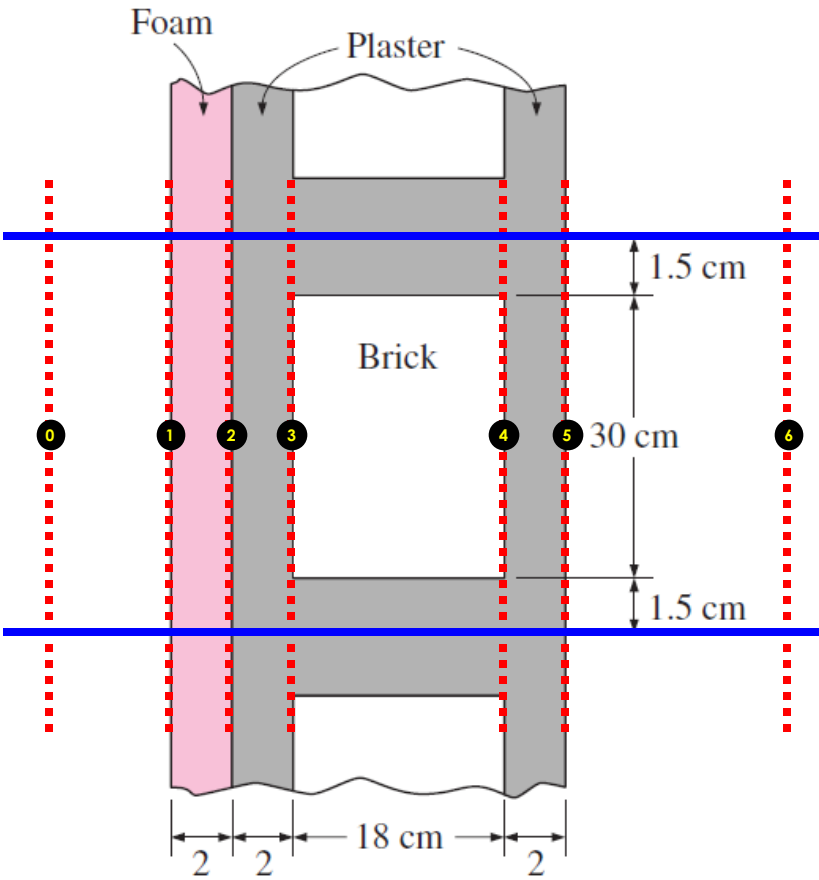
$$R_{12} = \frac{e_{12}}{k_{\text{foam}} A_{12}} = \frac{0,02}{0,026 \cdot 0.33 \cdot 6} = 3.885 \times 10^{-1} \frac{^\circ\text{C}}{\text{W}}$$

$$R_{23} = \frac{e_{23}}{k_{\text{plaster}} A_{23}} = \frac{0,02}{0,22 \cdot 0.33 \cdot 6} = 4.591 \times 10^{-2} \frac{^\circ\text{C}}{\text{W}} = R_{45}$$

$$R_{34,1} = \frac{e_{34}}{k_{\text{plaster}} A_{34,1}} = \frac{0,18}{0,22 \cdot 0.015 \cdot 6} = 9.091 \frac{^\circ\text{C}}{\text{W}} = R_{34,3}$$

$$R_{34,2} = \frac{e_{34}}{k_{\text{brick}} A_{34,2}} = \frac{0,18}{0,72 \cdot 0.30 \cdot 6} = 1.389 \times 10^{-1} \frac{^\circ\text{C}}{\text{W}}$$

$$R_{56} = \frac{1}{h_{\text{outer}} A_{56}} = \frac{1}{20 \cdot 0.33 \cdot 6} = 2.525 \times 10^{-2} \frac{^\circ\text{C}}{\text{W}}$$



- $k_{\text{bricks}} = 0.72 \text{ W/m/}^\circ\text{C}$
- $k_{\text{plaster}} = 0.22 \text{ W/m/}^\circ\text{C}$
- $k_{\text{foam}} = 0.026 \text{ W/m/}^\circ\text{C}$
- $h_{\text{inner}} = 10 \text{ W/m}^2\text{/}^\circ\text{C}$
- $h_{\text{outer}} = 20 \text{ W/m}^2\text{/}^\circ\text{C}$

$$R_{\text{total}} = R_{01} + R_{12} + R_{23} + \left(\frac{1}{R_{34,1}} + \frac{1}{R_{34,2}} + \frac{1}{R_{34,3}} \right)^{-1} + R_{45} + R_{56}$$

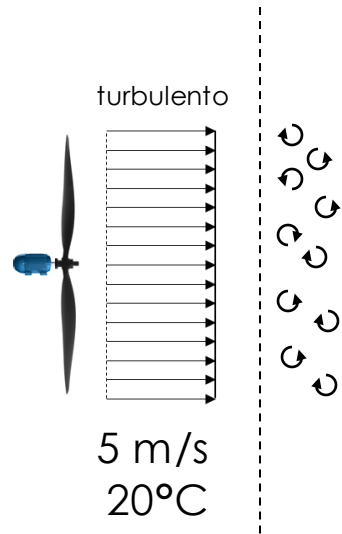
$$R_{\text{total}} = 5.051 \times 10^{-2} + 3.885 \times 10^{-1} + 4.591 \times 10^{-2} + \left(\frac{2}{9.091} + \frac{1}{1.389 \times 10^{-1}} \right)^{-1} + 4.591 \times 10^{-2} + 2.525 \times 10^{-2}$$

$$R_{\text{total}} = 0.691 \frac{\text{W}}{^\circ\text{C}} \rightarrow Q_{0,33\text{m}} = \frac{22 - (-4)}{0,691} = 37.63 \text{ W}$$

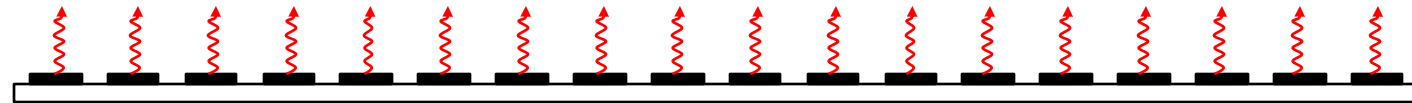
$$Q_{4\text{m}} = Q_{0,33\text{m}} \frac{4}{0,33} = 37.63 \frac{4}{0,33} = 456.1 \text{ W}$$

$$Q_{4\text{m}} = 456.1 \text{ W} = 1555.9 \text{ BTU/h}$$

7-24 (Çengel) A 15-cm × 15-cm circuit board dissipating 15 W of power uniformly is cooled by air, which approaches the circuit board at 20°C with a velocity of 5 m/s. Disregarding any heat transfer from the back surface of the board, determine the surface temperature of the electronic components (a) at the leading edge and (b) at the end of the board. Assume the flow to be turbulent since the electronic components are expected to act as turbulators.

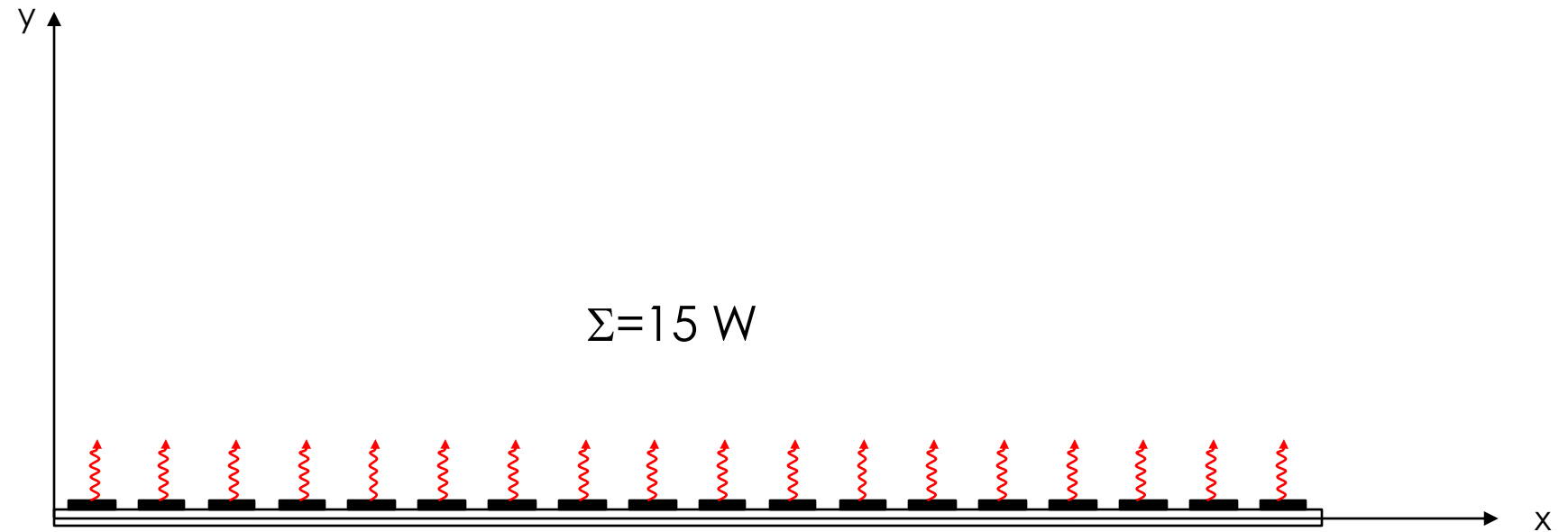
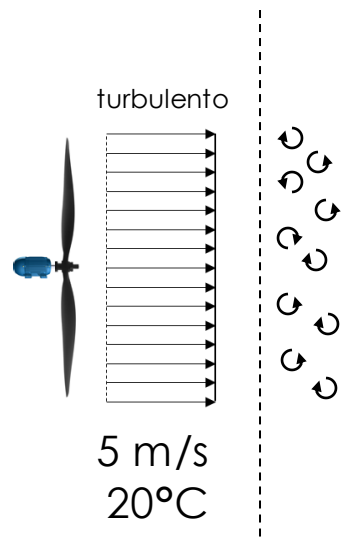


$$\Sigma = 15 \text{ W}$$



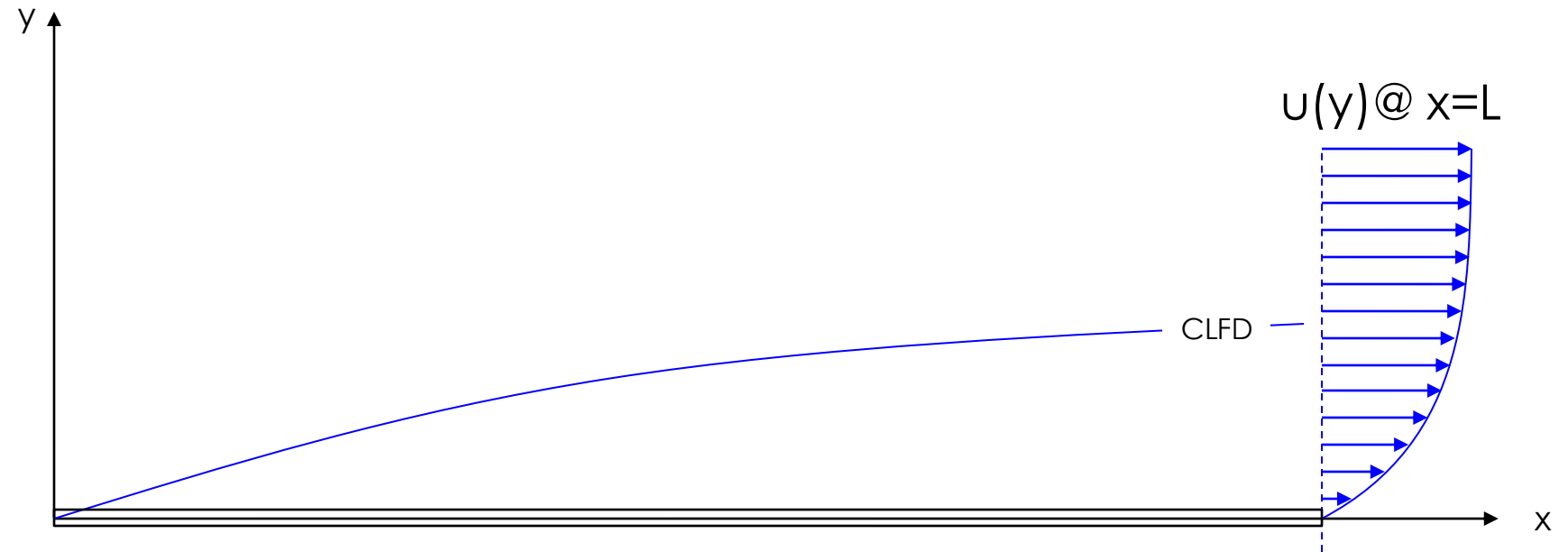
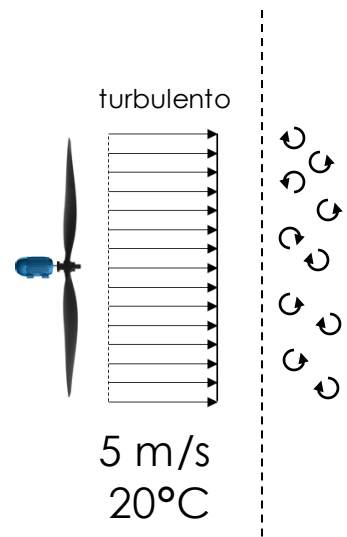
$$q_{\text{med}} = \frac{Q}{A} = h_{\text{med}} \cdot (T_{\text{med}} - T_{\infty})$$

7-24 (Çengel) A 15-cm × 15-cm circuit board dissipating 15 W of power uniformly is cooled by air, which approaches the circuit board at 20°C with a velocity of 5 m/s. Disregarding any heat transfer from the back surface of the board, determine the surface temperature of the electronic components (a) at the leading edge and (b) at the end of the board. Assume the flow to be turbulent since the electronic components are expected to act as turbulators.



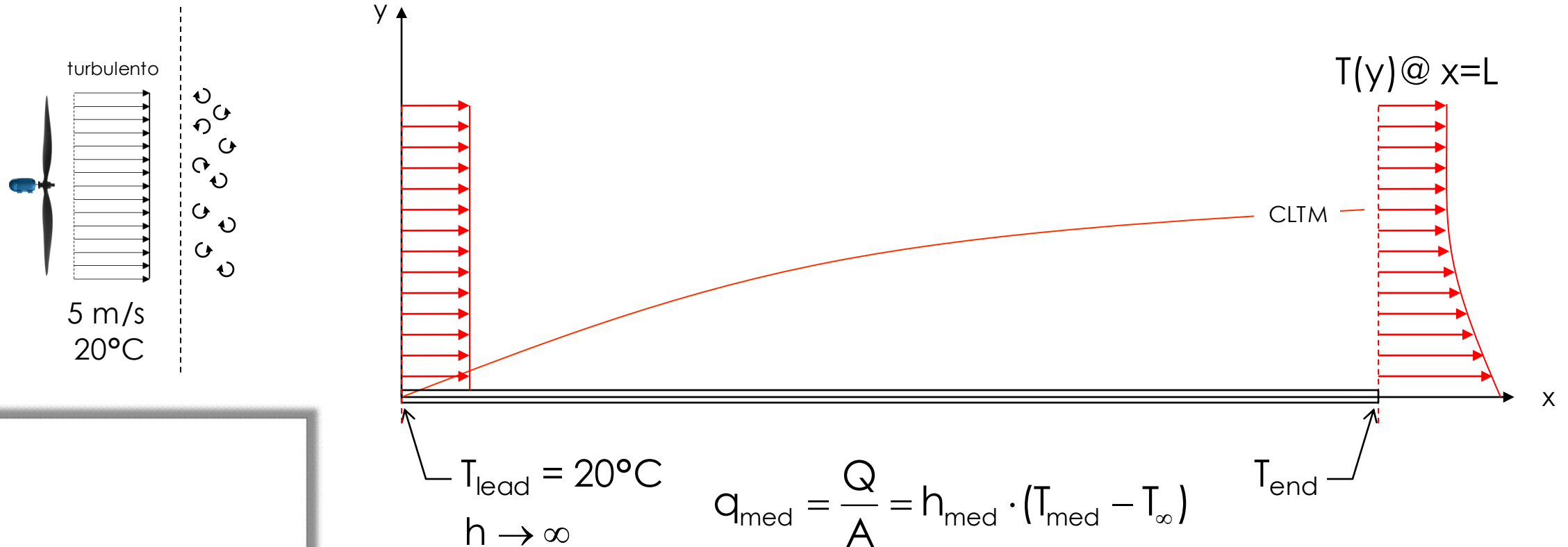
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7-24 (Çengel) A 15-cm × 15-cm circuit board dissipating 15 W of power uniformly is cooled by air, which approaches the circuit board at 20°C with a velocity of 5 m/s. Disregarding any heat transfer from the back surface of the board, determine the surface temperature of the electronic components (a) at the leading edge and (b) at the end of the board. Assume the flow to be turbulent since the electronic components are expected to act as turbulators.

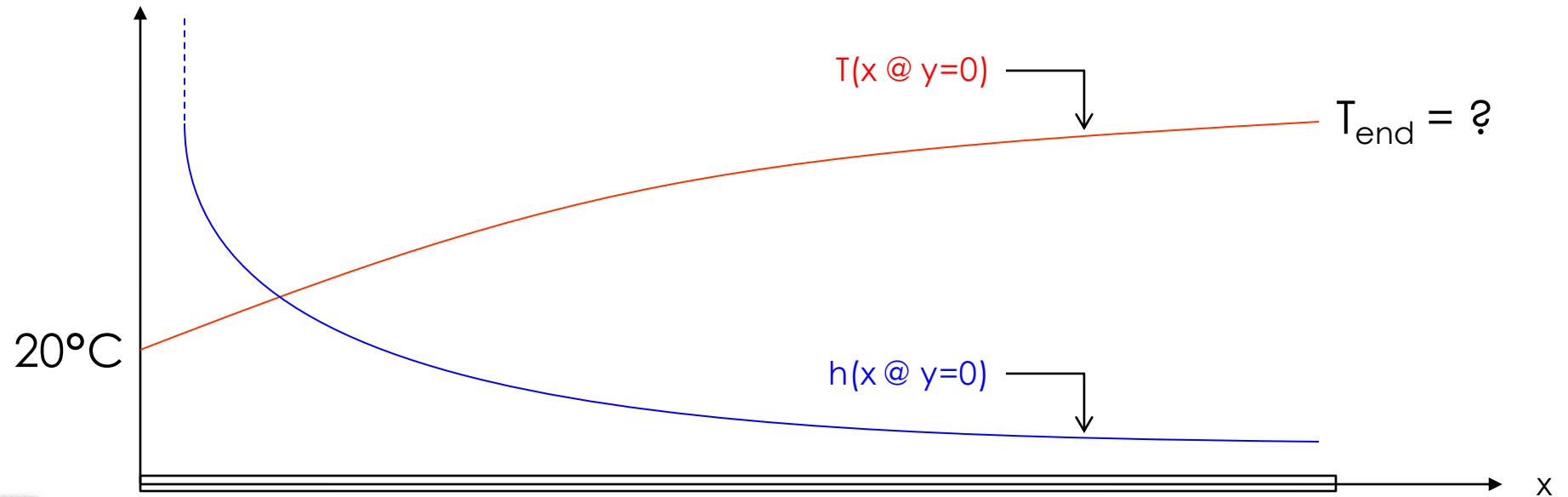
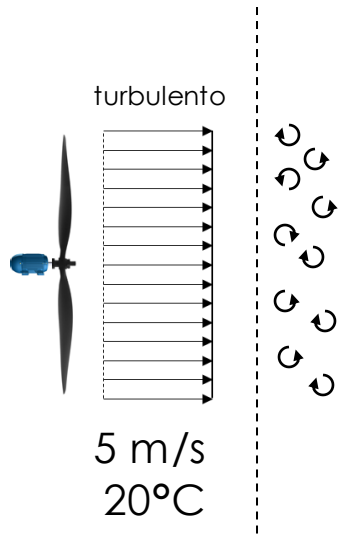


$$q_{\text{med}} = \frac{Q}{A} = h_{\text{med}} \cdot (T_{\text{med}} - T_{\infty})$$

7-24 (Çengel) A 15-cm × 15-cm circuit board dissipating 15 W of power uniformly is cooled by air, which approaches the circuit board at 20°C with a velocity of 5 m/s. Disregarding any heat transfer from the back surface of the board, determine the surface temperature of the electronic components (a) at the leading edge and (b) at the end of the board. Assume the flow to be turbulent since the electronic components are expected to act as turbulators.



7-24 (Çengel) A 15-cm × 15-cm circuit board dissipating 15 W of power uniformly is cooled by air, which approaches the circuit board at 20°C with a velocity of 5 m/s. Disregarding any heat transfer from the back surface of the board, determine the surface temperature of the electronic components (a) at the leading edge and (b) at the end of the board. Assume the flow to be turbulent since the electronic components are expected to act as turbulators.



$$T_{\text{lead}} = 20^\circ\text{C}$$

$$h \rightarrow \infty$$

$$q_{\text{med}} = \frac{Q}{A} = h_{\text{med}} \cdot (T_{\text{med}} - T_\infty)$$

$$T_{\text{end}}$$

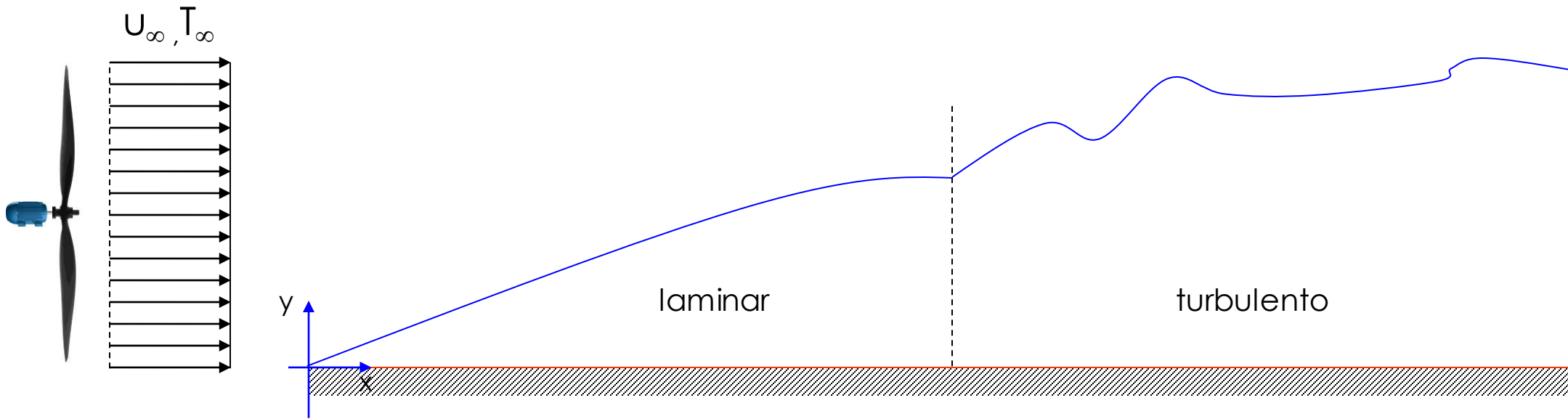
Correlações empíricas para escoamento sobre placa plana:

$$Nu = C \cdot Re^m \cdot Pr^n$$

$$Nu = C \cdot Ra^m$$



Adimensionalização das equações de escoamento sobre uma placa plana...



$$Nu \stackrel{\text{def}}{=} \frac{h_q}{k/D}$$

$$Nu_x = 0.332 \cdot Re_x^{0.5} \cdot Pr^{1/3}$$

$$Pr > 0.60$$

entire plate
laminar \Downarrow **q = cte**

$$Nu_x = 0.453 \cdot Re_x^{0.5} \cdot Pr^{1/3}$$

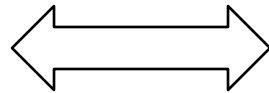
$$Nu_x = 0.0296 \cdot Re_x^{0.8} \cdot Pr^{1/3}$$

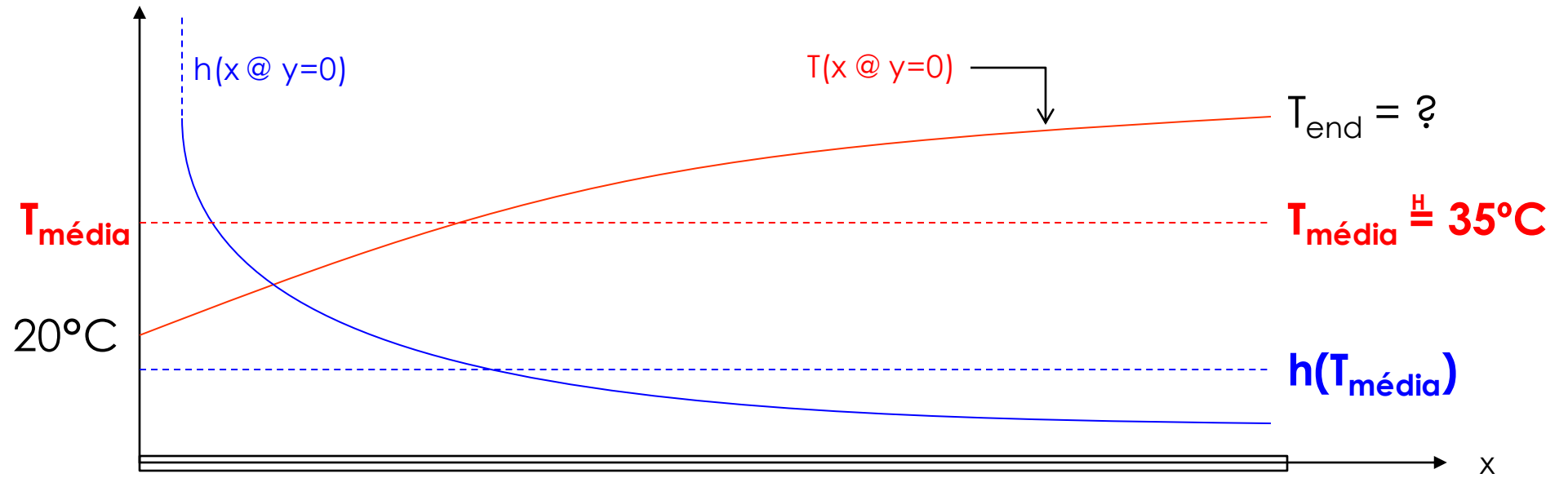
$$0.6 < Pr < 60 \quad 5 \cdot 10^5 < Re_x < 10^7$$

q = cte \Downarrow entire plate
turbulent

$$Nu_x = 0.0308 \cdot Re_x^{0.8} \cdot Pr^{1/3}$$







- Démarche:
- 1) chutar um valor para $T_{\text{média}}$,
 - 2) avaliar as propriedades $\rho(T_{\text{med}})$, $\mu(T_{\text{med}})$, etc.
 - 3) calcular T_{end} supondo $h(x) = h(T_{\text{med}}) = \text{cte}$
 - 4) reavaliar T_{med} , sendo diferente iterar

2: air (dry): Specified state points

	Temperature (°C)	Pressure (bar)	Density (kg/m³)	Enthalpy (kJ/kg)	Entropy (kJ/kg-K)	Cp (kJ/kg-K)	Therm. Cond. (mW/m-K)	Viscosity (μPa-s)	Prandtl	Vol. Expansivity (1/K)	Flow Exergy (kJ/kg)
1	30,000	1,0000	1,1495	429,47	3,9010	1,0065	26,618	18,689	0,70666	0,0033071	0,041728
2	32,859	1,0000	1,1387	432,35	3,9105	1,0066	26,829	18,825	0,70631	0,0032760	0,10245
3											



$$Re = \frac{\rho u L}{\mu} = \frac{1.1495 \cdot 5 \cdot 0.15}{18.689 \times 10^{-6}} = 4.6130 \times 10^4$$

$$Nu_L = 0.0308 \cdot Re_L^{0.8} \cdot Pr^{1/3} = 0.037 \cdot (4.6130 \times 10^4)^{0.8} \cdot 0.70666^{1/3} = 147.732$$

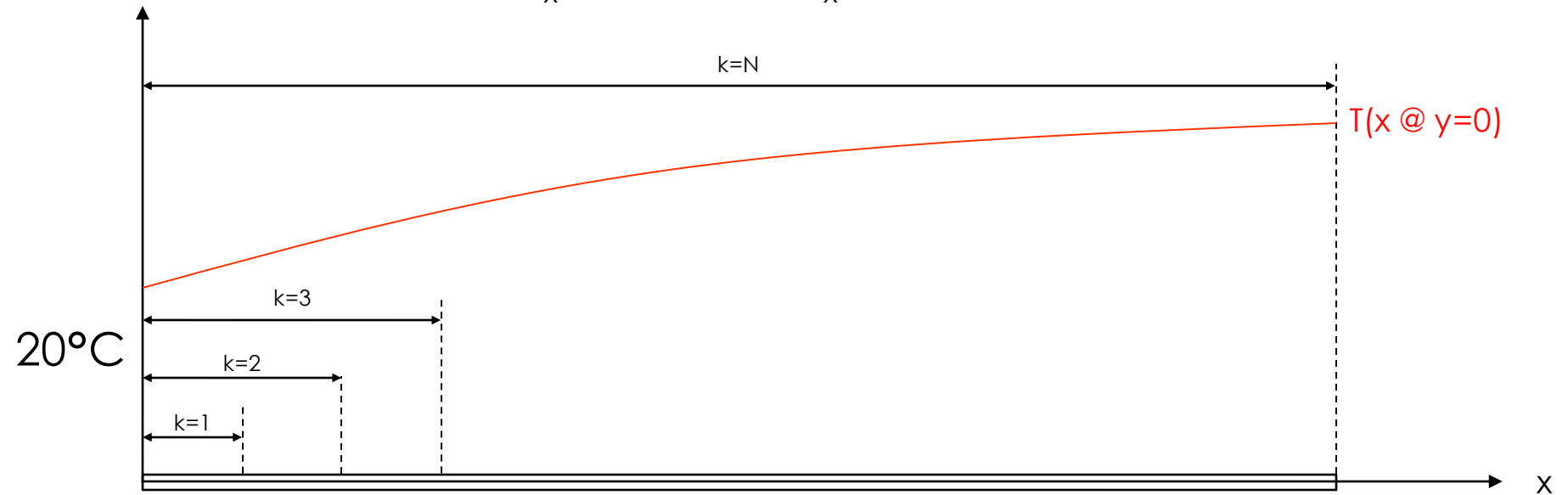
$$h_L = \frac{k}{L} \cdot Nu_L = \frac{26.618 \times 10^{-3}}{0.15} \cdot 147.732 = 26.2156 \frac{W}{m^2 \cdot ^\circ C}$$

$$q = h \cdot (T_{end} - T_\infty) \rightarrow T_{end} = T_\infty + \frac{q}{h} = 20 + \frac{15 / (0.15^2)}{26.2156} = 45.4302^\circ C$$

$$T_{med} = \frac{20 + 45.43}{2} = 32,5 \neq 30^\circ C$$



$$Nu_x = 0.0296 \cdot Re_x^{0.8} \cdot Pr^{1/3}$$

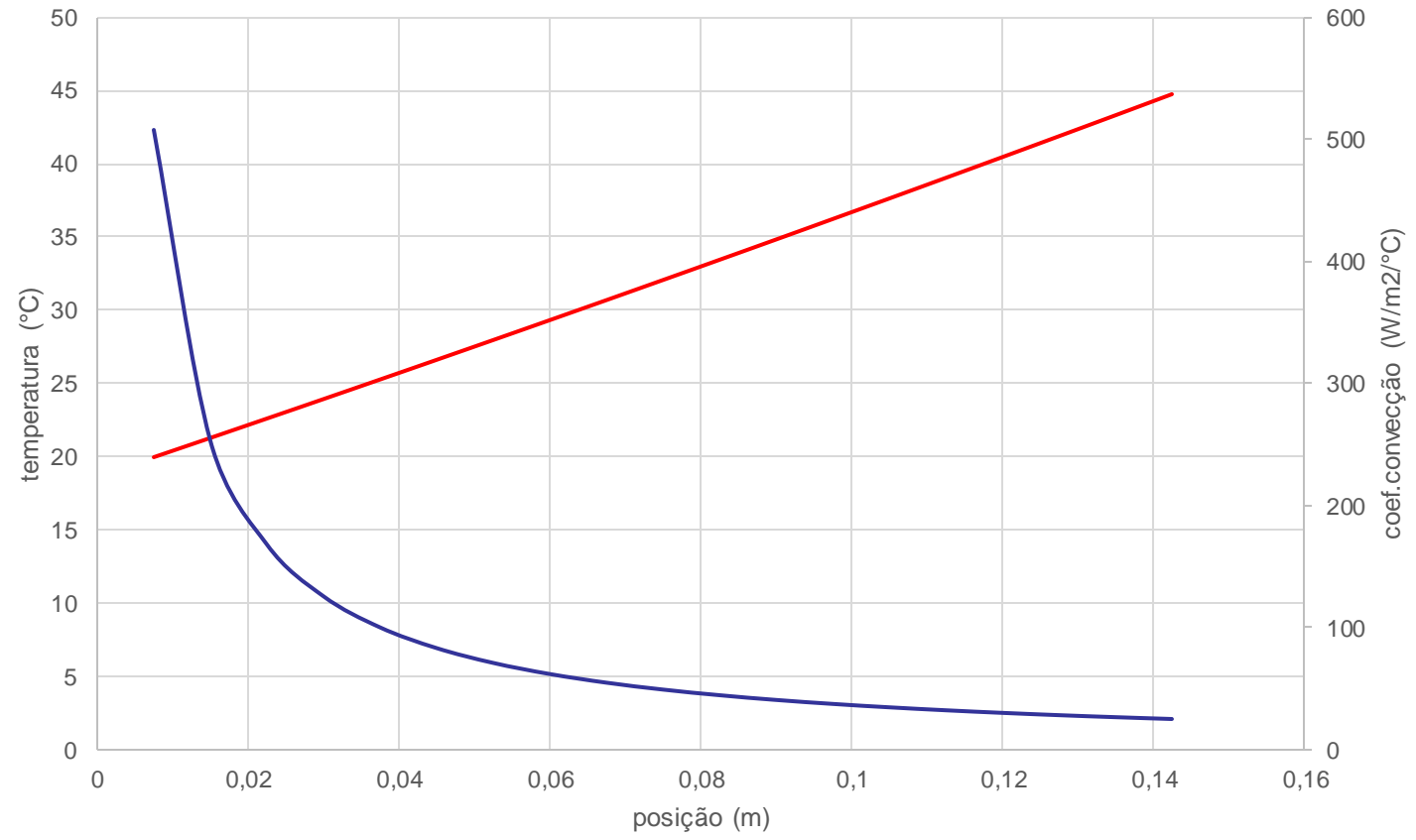


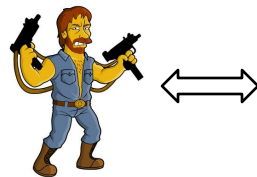
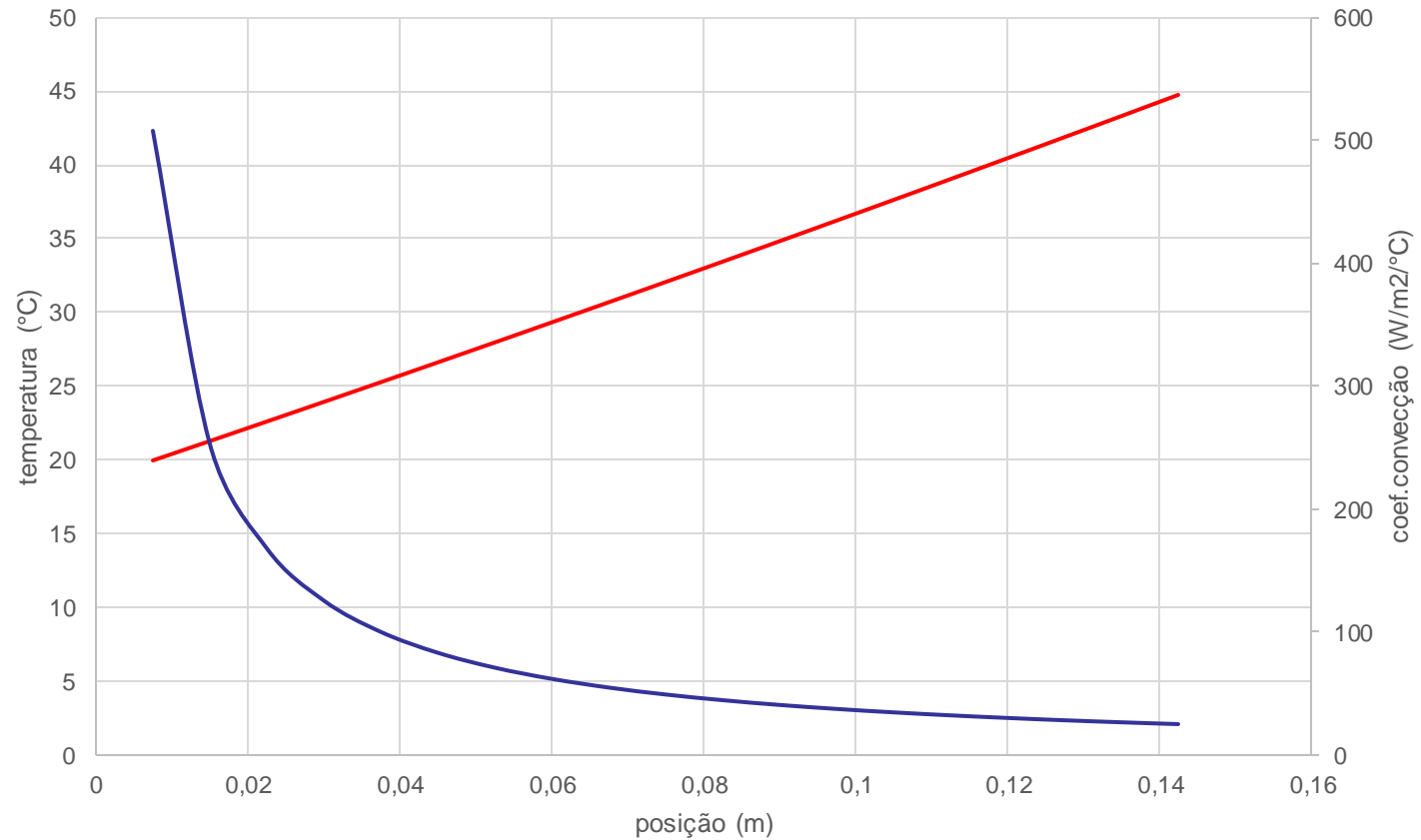
Démarche: 1) subdividir a placa e N elementos

2) cada elemento dissipa $\Delta Q_k = k \cdot Q/N$

3) T_{med} média das temperaturas nodais: $T_{med,k} = \frac{1}{k} \sum_{j=0}^{k-1} T_j$

4) análogo Chuck Norris





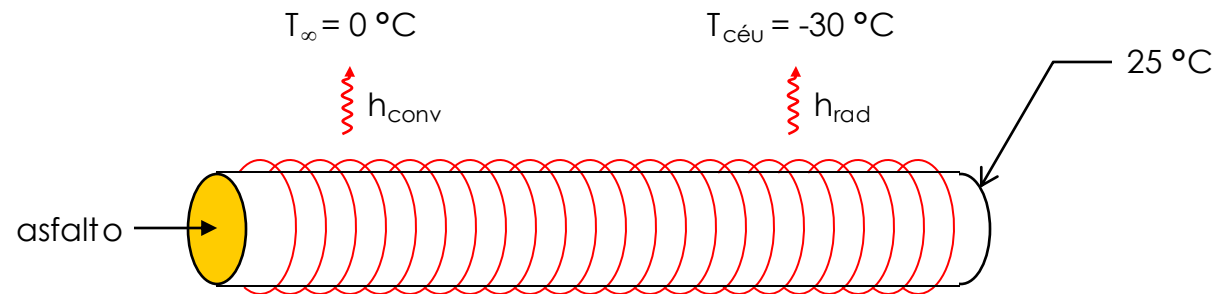
45.86°C



44.71°C

O coeficiente de convecção decai exponencialmente ao longo da placa. Deste modo, estimá-lo pelo valor da temperatura média aritmética, resulta em um valor subestimado e, conseqüentemente, a temperatura final é superestimada.

9–31/32 (Çengel) Thick fluids such as asphalt and waxes and the pipes in which they flow are often heated in order to reduce the viscosity of the fluids and thus to reduce the pumping costs. Consider the flow of such a fluid through a 100-m-long pipe of outer diameter 30 cm in calm ambient air at 0°C . The pipe is heated electrically, and a thermostat keeps the outer surface temperature of the pipe constant at 25°C . The emissivity of the outer surface of the pipe is $\varepsilon = 0.8$, and the effective sky temperature is -30°C . 1) Determine the power rating of the electric resistance heater, in kW, that needs to be used. Also, determine the cost of electricity associated with heating the pipe during a 10-h period under the above conditions if the price of electricity is $\$0.09/\text{kWh}$.



Balanço global de energia:

$$W = Q_{\text{conv}} + Q_{\text{rad}}$$

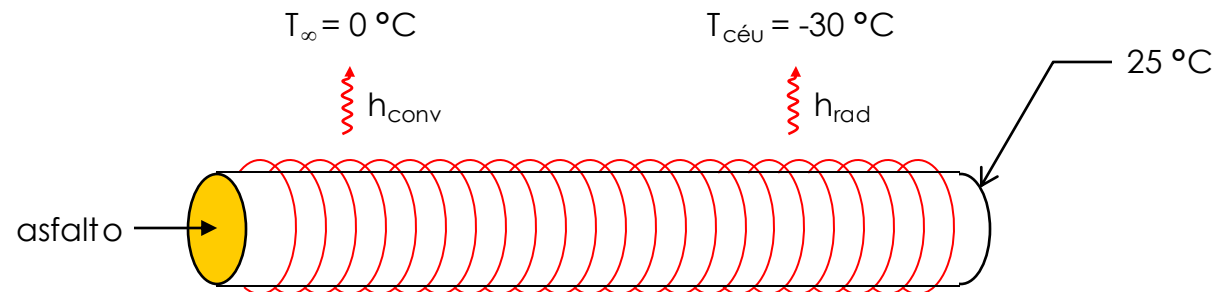
Convecção natural:

$$T_{\text{med}} = \frac{T_s + T_{\infty}}{2} = \frac{25 + 0}{2} = 12,5^{\circ}\text{C}$$

REFPROP (air (dry)) - NIST Reference Fluid Properties (DLL version 9,1)
File Edit Options Substance Calculate Plot Window Help Cautions

3: air (dry): Specified state points

	Temperature (°C)	Pressure (bar)	Density (kg/m³)	Enthalpy (kJ/kg)	Entropy (kJ/kg-K)	Cp (kJ/kg-K)	Therm. Cond. (mW/m-K)	Viscosity (μPa-s)	Prandtl	Vol. Expansivity (1/K)	Flow Exergy (kJ/kg)
1	12,500	1,0000	1,2201	411,86	3,8412	1,0059	25,310	17,839	0,70898	0,0035115	0,27122
2											

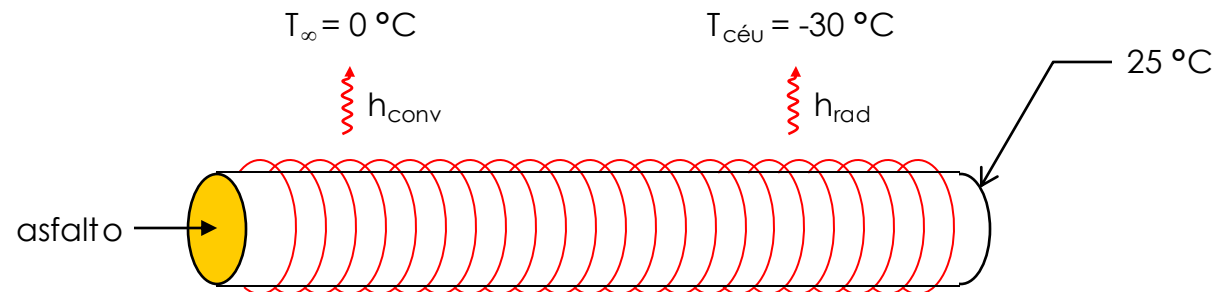


$$Gr = \frac{g\beta(T_s - T_\infty)D^3}{(\mu/\rho)^2} = \frac{9.81 \cdot 0.0035115 \cdot (25 - 0) \cdot 0.3^3}{(17.839 \times 10^{-6} / 1.2201)^2} = 1.08722 \times 10^8$$

$$Ra = Gr \cdot Pr = 1.08722 \times 10^8 \cdot 0.70898 = 7.71168 \times 10^7$$

REFPROP (air (dry)) - NIST Reference Fluid Properties (DLL version 9,1)
 File Edit Options Substance Calculate Plot Window Help Cautions

3: air (dry): Specified state points											
	Temperature (°C)	Pressure (bar)	Density (kg/m³)	Enthalpy (kJ/kg)	Entropy (kJ/kg-K)	Cp (kJ/kg-K)	Therm. Cond. (mW/m-K)	Viscosity (μPa-s)	Prandtl	Vol. Expansivity (1/K)	Flow Exergy (kJ/kg)
1	12,500	1,0000	1,2201	411,86	3,8412	1,0059	25,310	17,839	0,70898	0,0035115	0,27122
2											

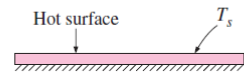
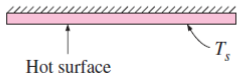
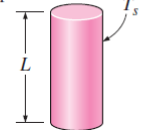

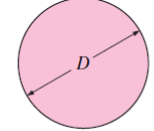


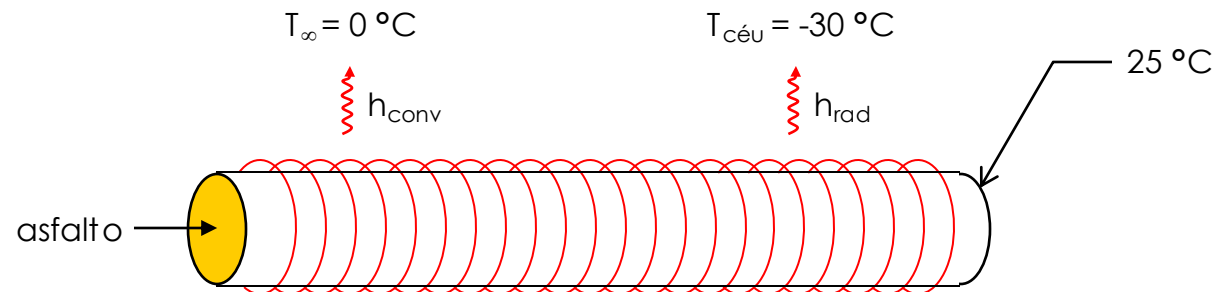
$$Gr = \frac{g\beta(T_s - T_\infty)D^3}{(\mu/\rho)^2} = \frac{9.81 \cdot 0.0035115 \cdot (25 - 0) \cdot 0.3^3}{(17.839 \times 10^{-6} / 1.2201)^2}$$

$$Gr = 1.08722 \times 10^8$$

$$Ra = Gr \cdot Pr = 1.08722 \times 10^8 \cdot 0.70898 = 7.71168 \times 10^7$$

$$Nu = \left\{ 0.6 + \frac{0.387 \cdot Ra^{1/6}}{\left[1 + (0.559/Pr)^{9/16} \right]^{8/27}} \right\}^2$$

Horizontal plate (Surface area A and perimeter p) (a) Upper surface of a hot plate (or lower surface of a cold plate) 	A_s/p	10^4-10^7 10^7-10^{11}	$Nu = 0.54Ra_l^{1/4}$ (9-22) $Nu = 0.15Ra_l^{1/3}$ (9-23)
(b) Lower surface of a hot plate (or upper surface of a cold plate) 		10^5-10^{11}	$Nu = 0.27Ra_l^{1/4}$ (9-24)
Vertical cylinder 	L		A vertical cylinder can be treated as a vertical plate when $D \geq \frac{35L}{Gr_l^{1/4}}$
Horizontal cylinder 	D	$Ra_D \leq 10^{12}$	$Nu = \left\{ 0.6 + \frac{0.387Ra_D^{1/6}}{\left[1 + (0.559/Pr)^{9/16} \right]^{8/27}} \right\}^2$ (9-25)
Sphere 	D	$Ra_D \leq 10^{11}$ $(Pr \geq 0.7)$	$Nu = 2 + \frac{0.589Ra_D^{1/4}}{\left[1 + (0.469/Pr)^{9/16} \right]^{4/9}}$ (9-26)



$$Gr = \frac{g\beta(T_s - T_\infty)D^3}{(\mu/\rho)^2} = \frac{9.81 \cdot 0.0035115 \cdot (25 - 0) \cdot 0.3^3}{(17.839 \times 10^{-6} / 1.2201)^2}$$

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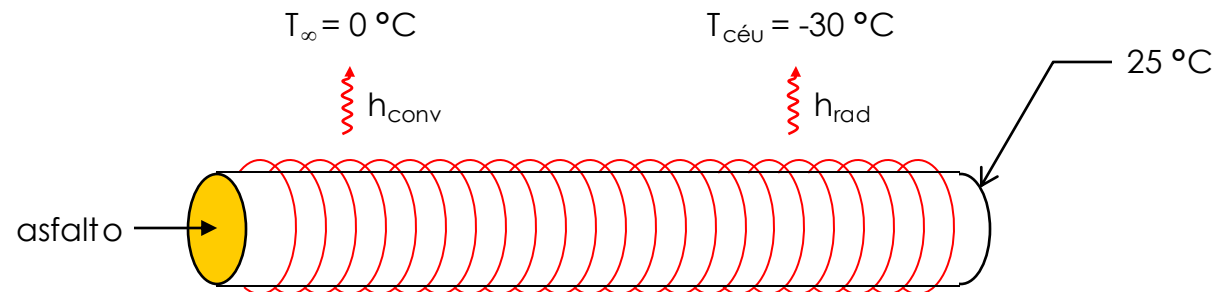
$$Nu = \left\{ 0.6 + \frac{0.387 \cdot (7.71168 \times 10^7)^{1/6}}{\left[1 + (0.559 / (7.71168 \times 10^7))^{9/16} \right]^{8/27}} \right\}^2 =$$

$$Nu = 52.238$$

$$h = \frac{Nu \cdot k}{L} = \frac{52.238 \cdot 25.310 \times 10^{-3}}{0.3} = 4.407 \frac{W}{m^2 \cdot ^\circ C}$$

$$Q_{conv} = h \cdot \pi DL \cdot (T_s - T_\infty) = 4.407 \cdot \pi \cdot 0.3 \cdot 100 \cdot (25 - 0)$$

$$Q_{conv} = 10.3837 kW$$

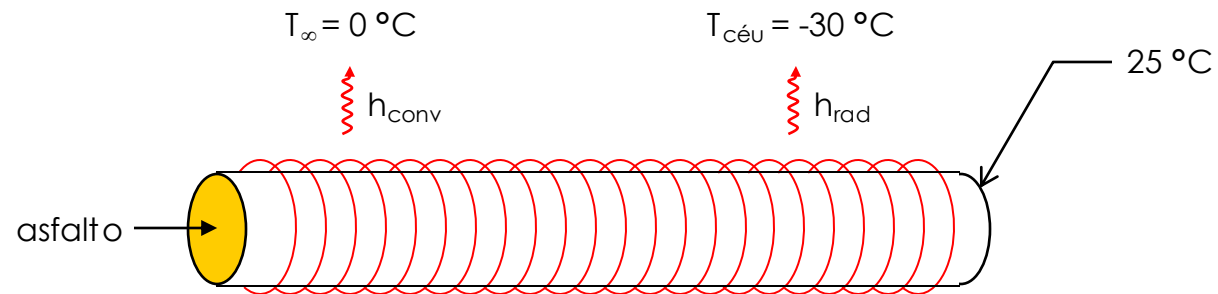


$$Q_{\text{rad}} = \varepsilon \cdot A \cdot \sigma \cdot (T_s^4 - T_{\text{céu}}^4)$$

$$Q_{\text{rad}} = 0.8 \cdot \pi \cdot 0.3 \cdot 100 \cdot 5.67 \times 10^{-8} \cdot \left[(25 + 273.15)^4 - (-30 + 273.15)^4 \right] = 18.838 \text{ kW}$$

$$W = Q_{\text{conv}} + Q_{\text{rad}} = 10.384 + 18.838 = 29.222 \text{ kW}$$

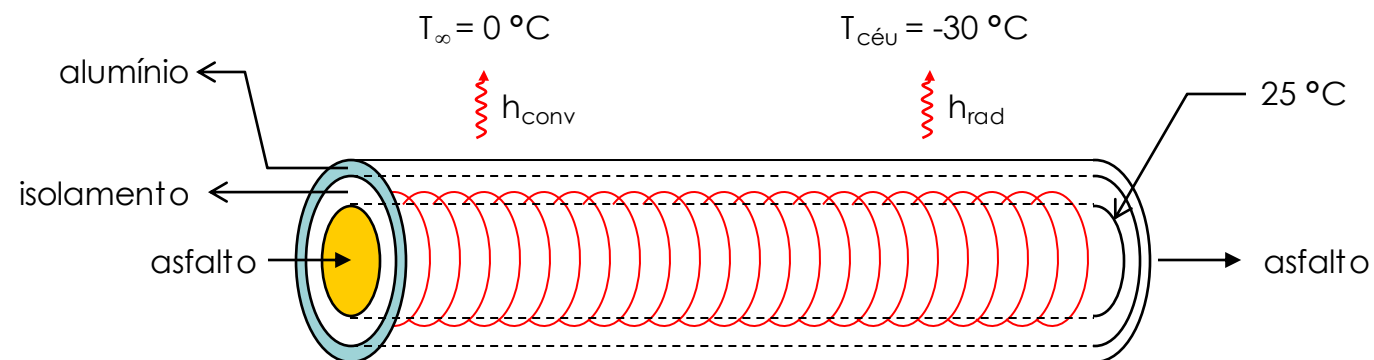
$$\text{Custo} = \int_T W \cdot dt = 29.222 \text{ W} \cdot 10 \text{ h} \cdot 0.09 \frac{\$}{\text{kW}} = 26.30 \$$$



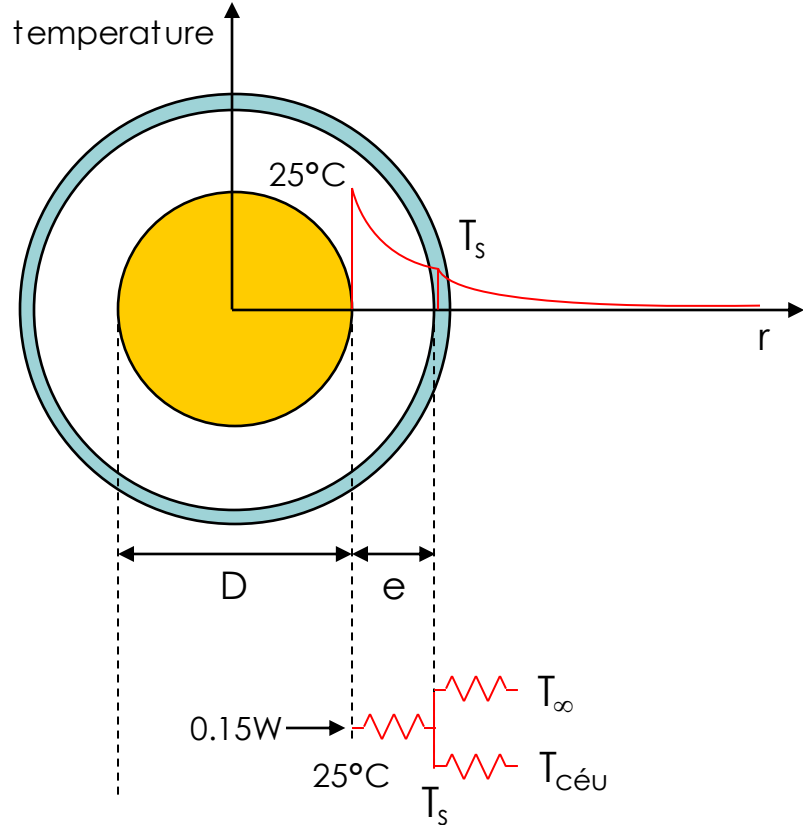
9–31/32 (Çengel) Thick fluids such as asphalt and waxes and the pipes in which they flow are often heated in order to reduce the viscosity of the fluids and thus to reduce the pumping costs. Consider the flow of such a fluid through a 100-m-long pipe of outer diameter 30 cm in calm ambient air at 0°C . The pipe is heated electrically, and a thermostat keeps the outer surface temperature of the pipe constant at 25°C . The emissivity of the outer surface of the pipe is $\varepsilon = 0.8$, and the effective sky temperature is -30°C .

1) Determine the power rating of the electric resistance heater, in kW, that needs to be used. Also, determine the cost of electricity associated with heating the pipe during a 10-h period under the above conditions if the price of electricity is $\$0.09/\text{kWh}$.

2) To reduce the heating cost of the pipe, it is proposed to insulate it with sufficiently thick fiberglass insulation ($k = 0.035 \text{ W/m} \cdot ^\circ\text{C}$) wrapped with aluminum foil ($\varepsilon = 0.1$) to cut down the heat losses by 85 percent. Assuming the pipe temperature to remain constant at 25°C , **determine the thickness of the insulation that needs to be used**. How much money will the insulation save during this 10-h period?



Equacionamento do problema:



isolamento : $T_s \downarrow$
 alumínio : $\varepsilon \downarrow$

$$\Rightarrow \begin{cases} Q_{\text{conv}} = h \cdot \pi(D + 2e)L \cdot (T_s - T_\infty) \\ Q_{\text{rad}} = \varepsilon \cdot \pi(D + 2e)L \cdot \sigma \cdot (T_s^4 - T_{\text{céu}}^4) \end{cases}$$

Balanço de energia:

$$0.15 \cdot W = Q_{\text{conv}}(e) + Q_{\text{rad}}(e)$$

$$0.15 \cdot W = \frac{T_s(e) - T_\infty}{R_{\text{conv}}} + \frac{T_s(e) - T_{\text{céu}}}{R_{\text{rad}}}$$

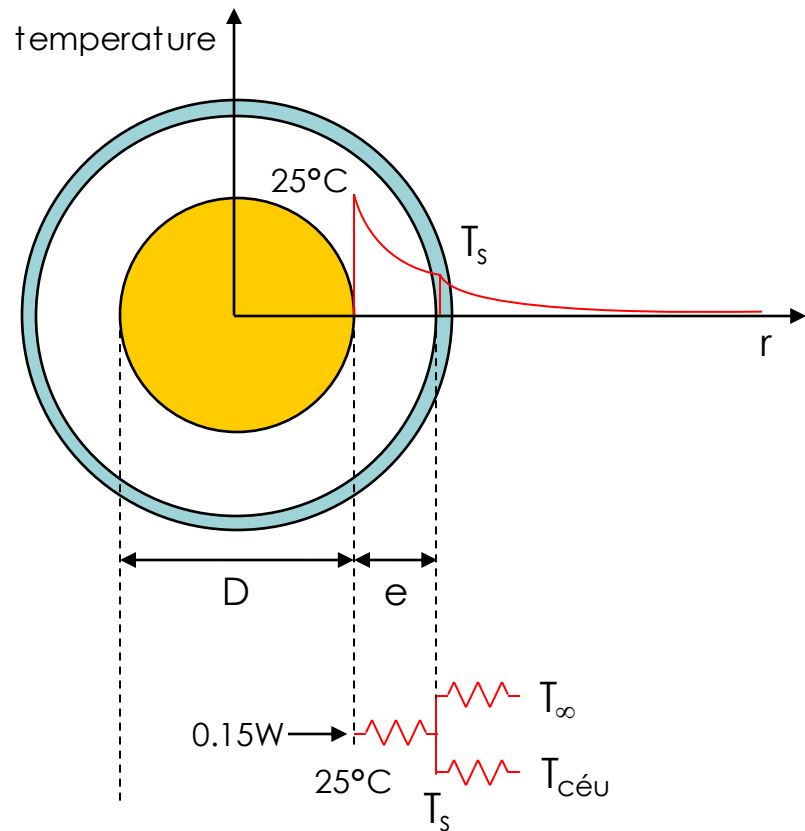
$$\Downarrow T_s = T_s(e)$$

$$0.15 \cdot W = h(T_s) \cdot \pi(D + 2e)L \cdot (T_s - T_\infty) + \varepsilon \cdot \pi(D + 2e)L \cdot \sigma \cdot (T_s^4 - T_{\text{céu}}^4)$$

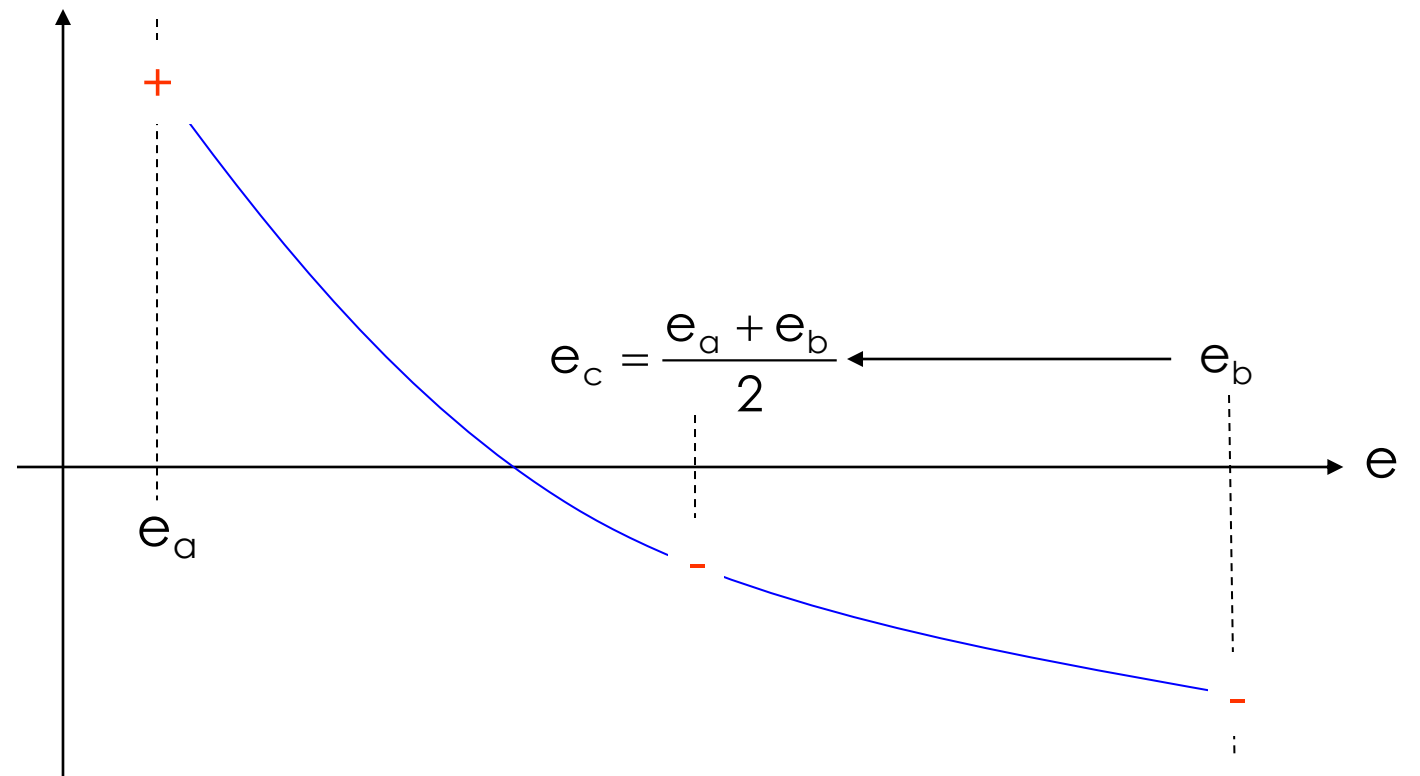
$$f(e) = h(T_s) \cdot \pi(D + 2e)L \cdot (T_s - T_\infty) + \varepsilon \cdot \pi(D + 2e)L \cdot \sigma \cdot (T_s^4 - T_{\text{céu}}^4) - 0.15 \cdot W$$

propriedades @ $(T_s + T_\infty)/2$

Solução pelo método de "bracketing"

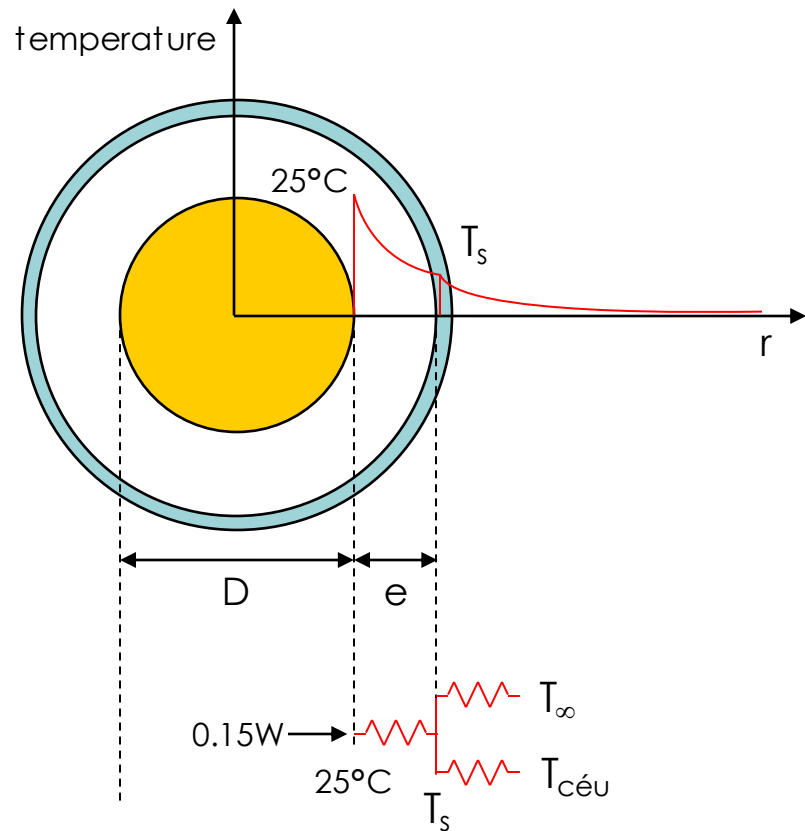


$$f(e) = h(T_s) \cdot \pi(D + 2e)L \cdot (T_s - T_\infty) + \varepsilon \cdot \pi(D + 2e)L \cdot \sigma \cdot (T_s^4 - T_{\text{céu}}^4) - 0.15 \cdot W$$

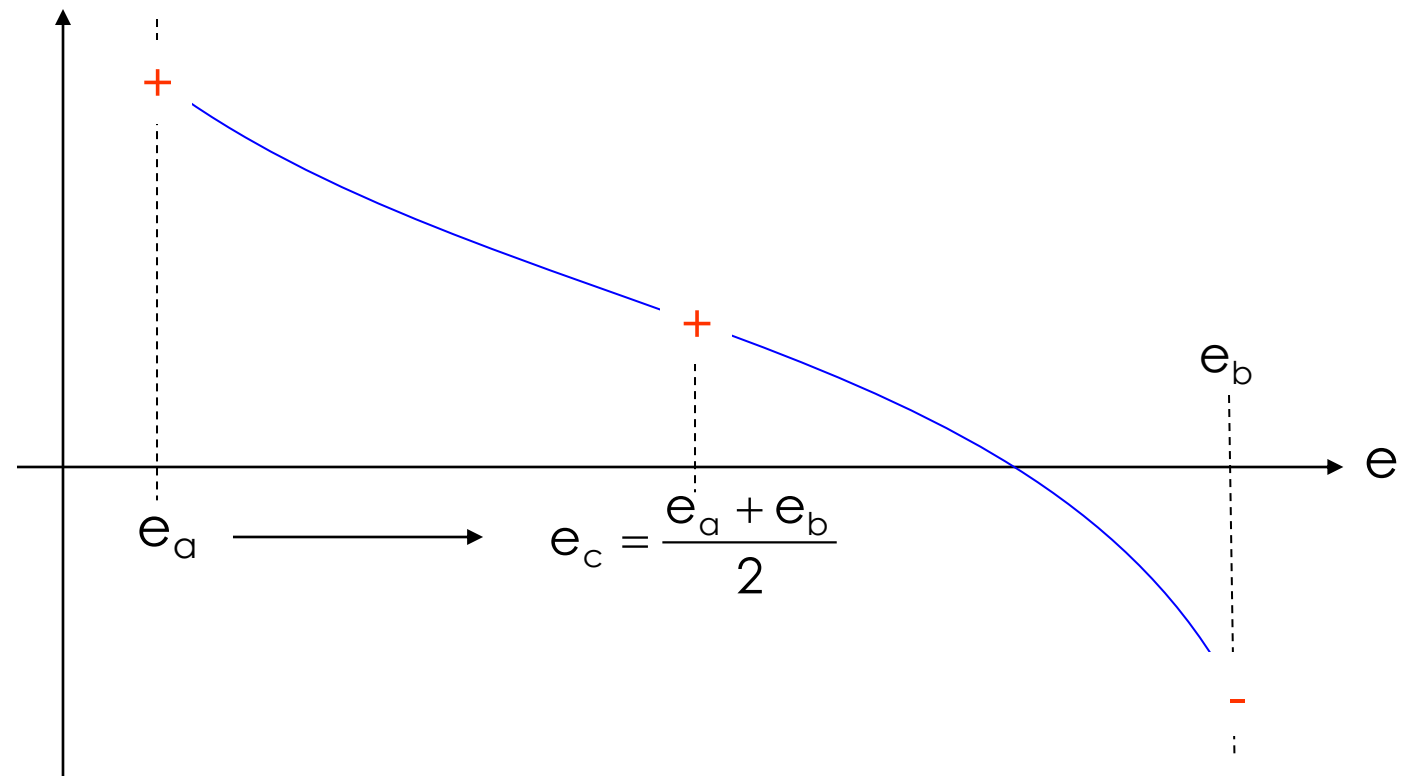


propriedades @ $(T_s + T_\infty)/2$

Solução pelo método de "bracketing"

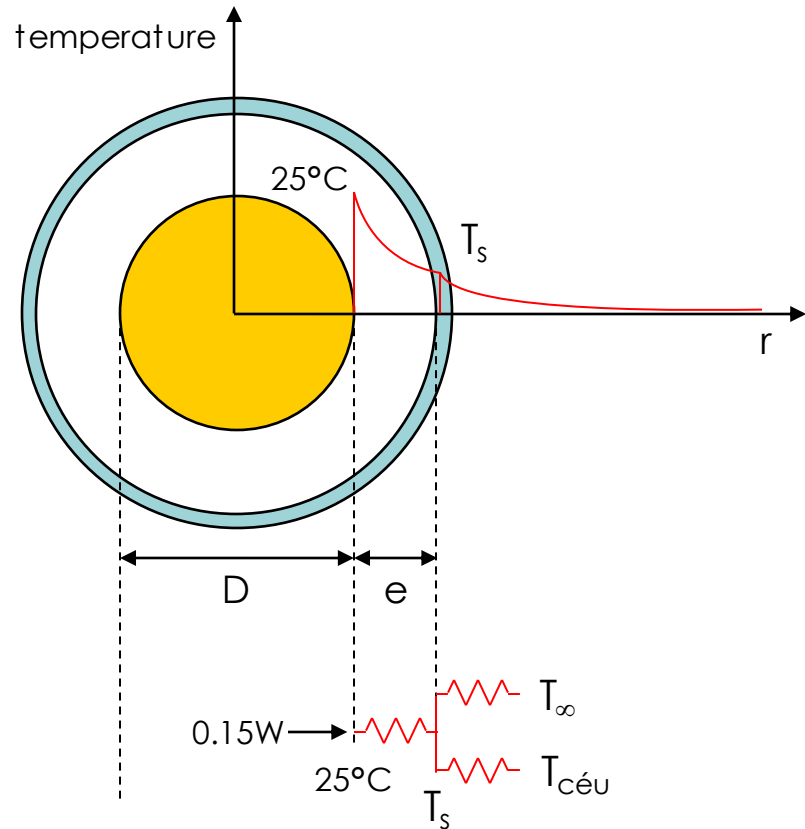


$$f(e) = h(T_s) \cdot \pi(D + 2e)L \cdot (T_s - T_\infty) + \varepsilon \cdot \pi(D + 2e)L \cdot \sigma \cdot (T_s^4 - T_{\text{céu}}^4) - 0.15 \cdot W$$

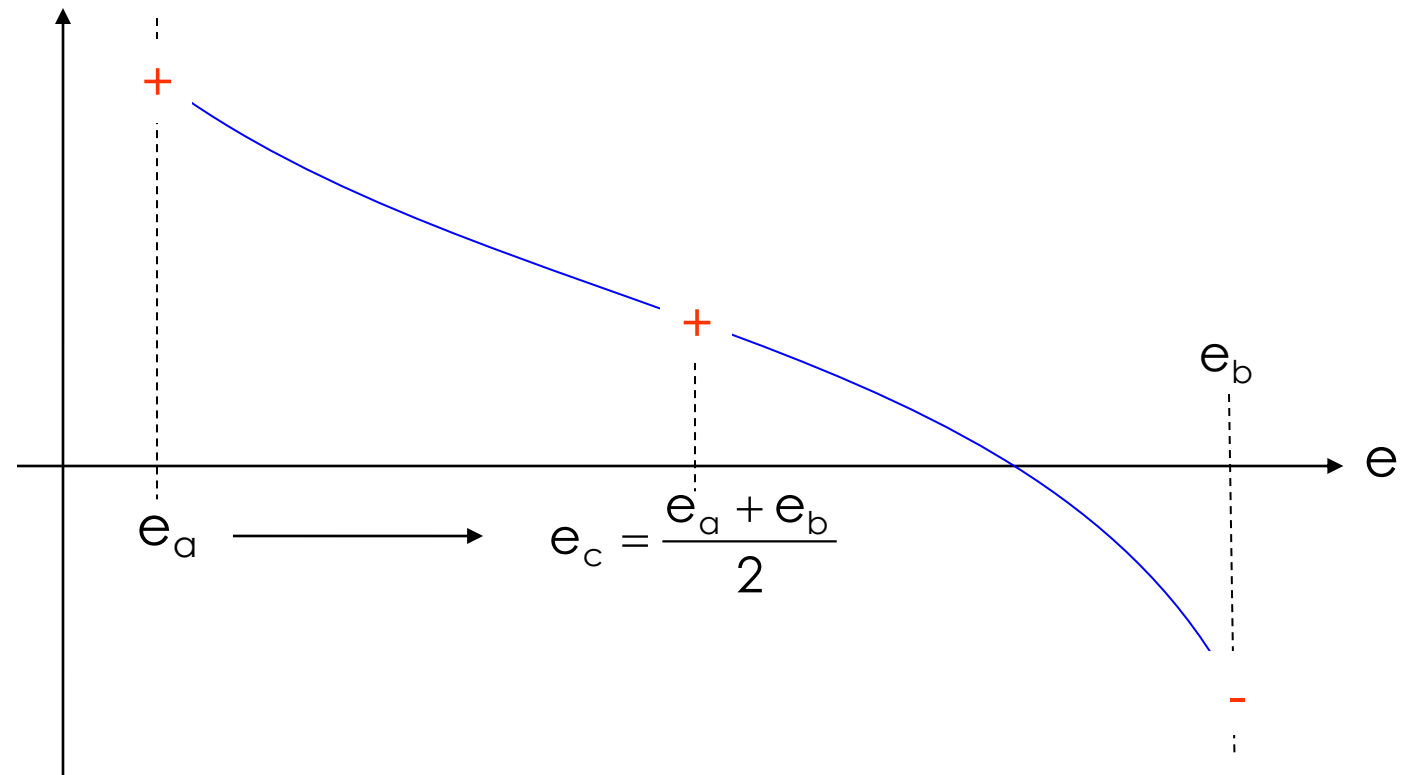


propriedades @ $(T_s + T_\infty)/2$

Solução pelo método de "bracketing"



$$f(e) = h(T_s) \cdot \pi(D + 2e)L \cdot (T_s - T_\infty) + \varepsilon \cdot \pi(D + 2e)L \cdot \sigma \cdot (T_s^4 - T_{\text{céu}}^4) - 0.15 \cdot W$$

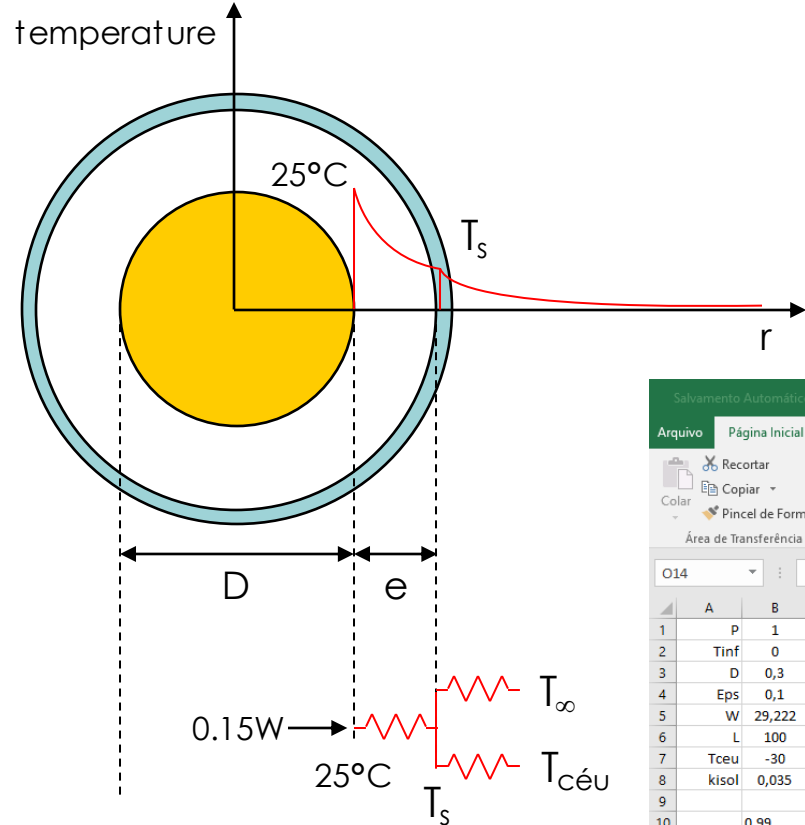


$$e_a \leftarrow \begin{cases} e_a & \text{if } e_a \cdot e_c < 0 \\ e_c & \text{if } e_a \cdot e_c > 0 \end{cases}$$

$$e_b \leftarrow \begin{cases} e_b & \text{if } e_b \cdot e_c < 0 \\ e_c & \text{if } e_b \cdot e_c > 0 \end{cases}$$

propriedades @ $(T_s + T_\infty)/2$

Solução pelo método de "bracketing"



$$f(e) = h(T_s) \cdot \pi(D + 2e)L \cdot (T_s - T_\infty) + \varepsilon \cdot \pi(D + 2e)L \cdot \sigma \cdot (T_s^4 - T_{céu}^4) - 0.15 \cdot W$$

$$e = 0,013 \text{ m}$$

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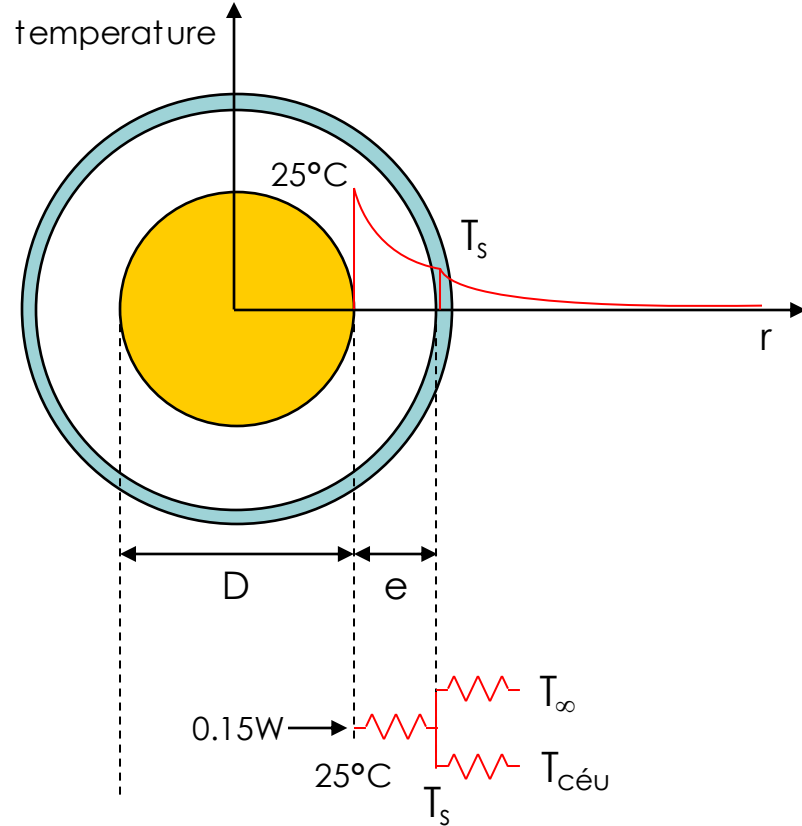
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5	W	29,222	kW																	
6	L	100	m		0,013155737															
7	Tceu	-30	°C		0,013155737															
8	kisol	0,035	W/m/c																	
9																				
10		0,99																		
11		0,01																		

propriedades @ $(T_s + T_\infty)/2$

$$e_a \leftarrow \begin{cases} e_a & \text{if } e_a \cdot e_c < 0 \\ e_c & \text{if } e_a \cdot e_c > 0 \end{cases}$$

$$e_b \leftarrow \begin{cases} e_b & \text{if } e_b \cdot e_c < 0 \\ e_c & \text{if } e_b \cdot e_c > 0 \end{cases}$$

Solução por iteração funcional:

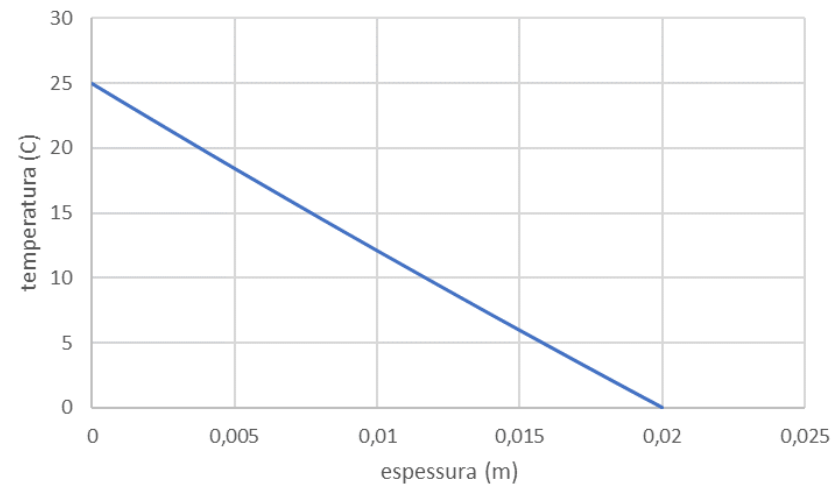


isolamento : $T_s \downarrow$
 alumínio : $\varepsilon \downarrow$

$$\Rightarrow \begin{cases} Q_{\text{conv}} = h \cdot \pi(D + 2e)L \cdot (T_s - T_\infty) \\ Q_{\text{rad}} = \varepsilon \cdot \pi(D + 2e)L \cdot \sigma \cdot (T_s^4 - T_{\text{céu}}^4) \end{cases}$$

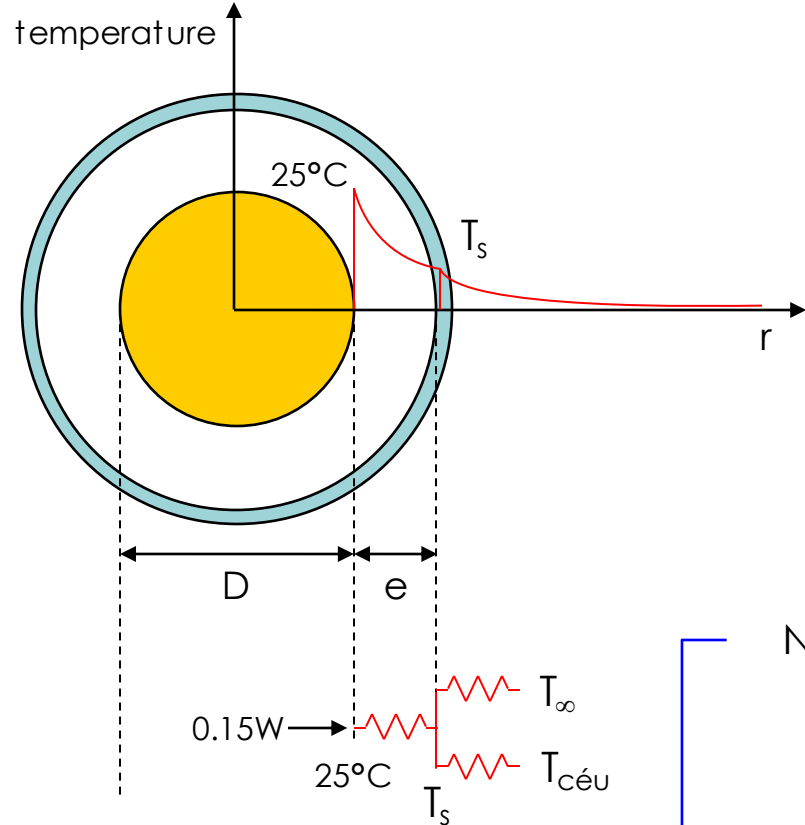
$$0.15 \cdot W = \frac{25 - T_s}{R_{\text{isol}}} = \frac{25 - T_s}{\frac{1}{2\pi L k_{\text{isol}}} \ln(r_{\text{ext}} / r_{\text{int}})}$$

$$T_s = 25 - \frac{1}{2\pi L k_{\text{isol}}} \ln\left(\frac{D/2 + e}{D/2}\right) \cdot 0.15 \cdot W$$



$$R_k = \frac{\ln(r_{k+1} / r_k)}{2\pi L k_k}$$

Solução por iteração funcional:



Resolver : $Q_{\text{conv}}(e) + Q_{\text{rad}}(e) = 0.15 \cdot W$

$$h(T_s) \cdot \pi(D + 2e)L \cdot (T_s - T_\infty) + \varepsilon \cdot \pi(D + 2e)L \cdot \sigma \cdot (T_s^4 - T_{\text{céu}}^4) = 0.15 \cdot W$$

$$e_k \rightarrow 25 - \frac{1}{2\pi L k_{\text{isol}}} \ln\left(\frac{D/2 + e}{D/2}\right) \cdot 0.15 \cdot W = T_s$$

$$Nu = \left\{ 0.6 + \frac{0.387 \cdot Ra^{1/6}}{\left[1 + (0.559/Pr)^{9/16}\right]^{8/27}} \right\}^2$$

$$Ra = \frac{g\beta(T_s - T_\infty)(D + 2e)^3}{(\mu/\rho)^2} \cdot Pr$$

$$h = \frac{k}{D + e} \cdot Nu \rightarrow \frac{1}{2} \left[\frac{0.15 \cdot W}{h(T_s) \cdot \pi L \cdot (T_s - T_\infty) + \varepsilon \cdot \pi L \cdot \sigma \cdot (T_s^4 - T_{\text{céu}}^4)} - D \right] = e_{k+1}$$

propriedades @ $(T_s + T_\infty)/2$

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