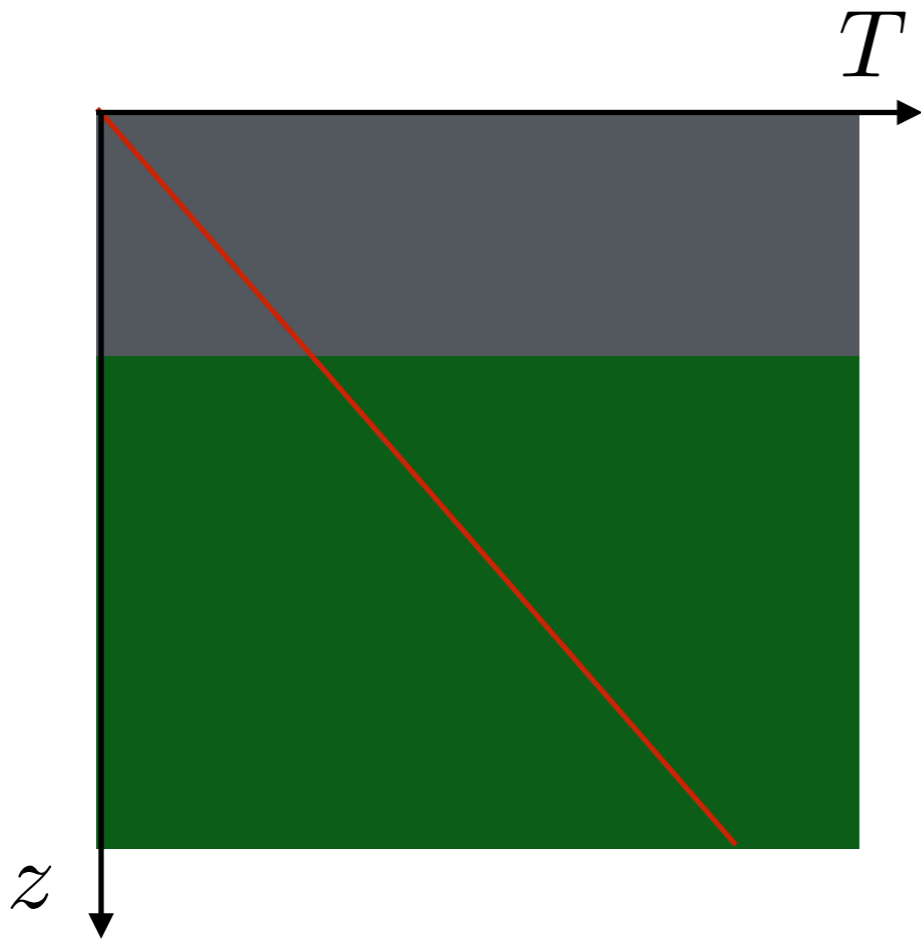


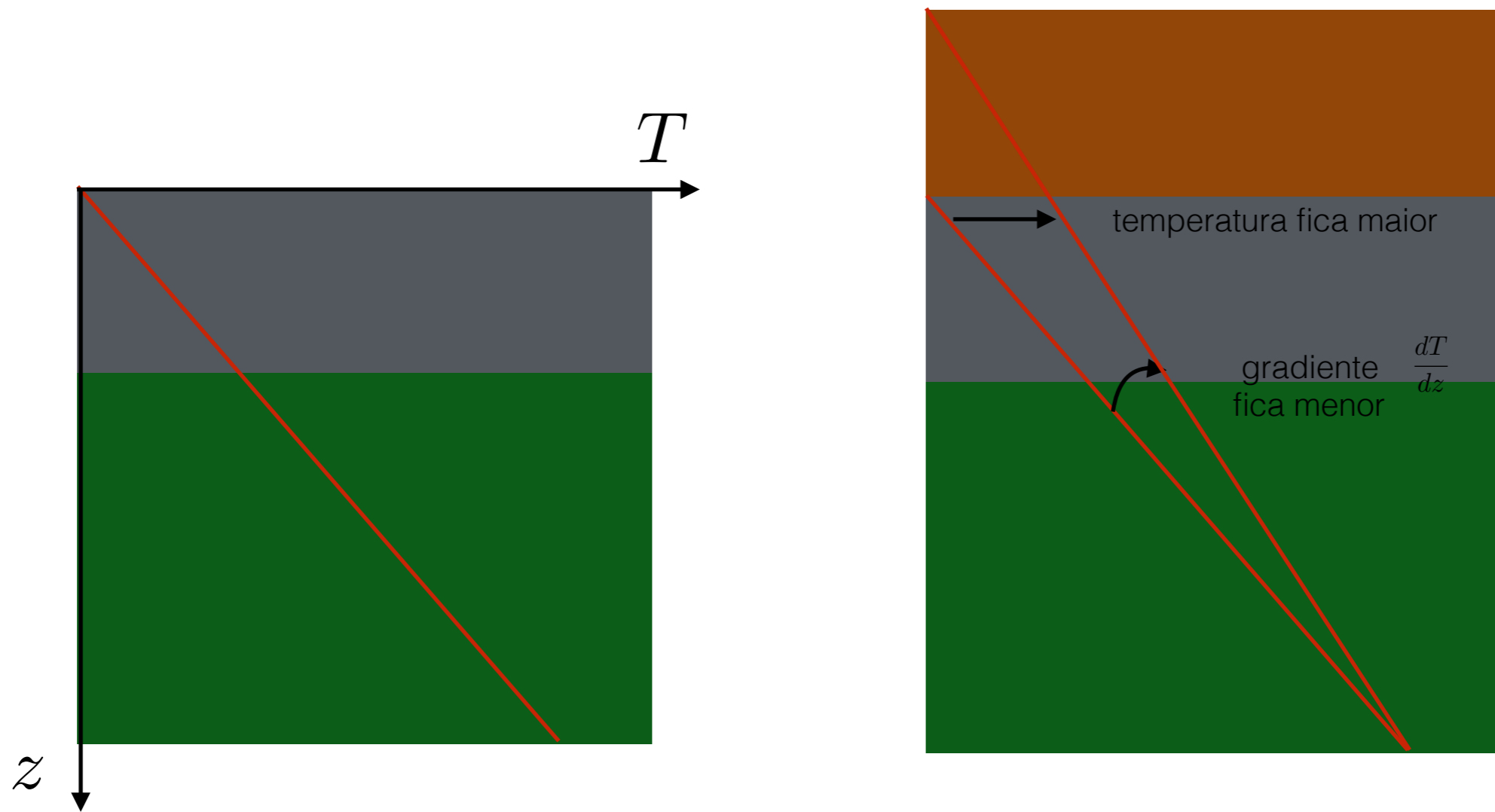
Estrutura térmica de bacias sedimentares e efeito “blanket”

Modelos quantitativos de bacias sedimentares

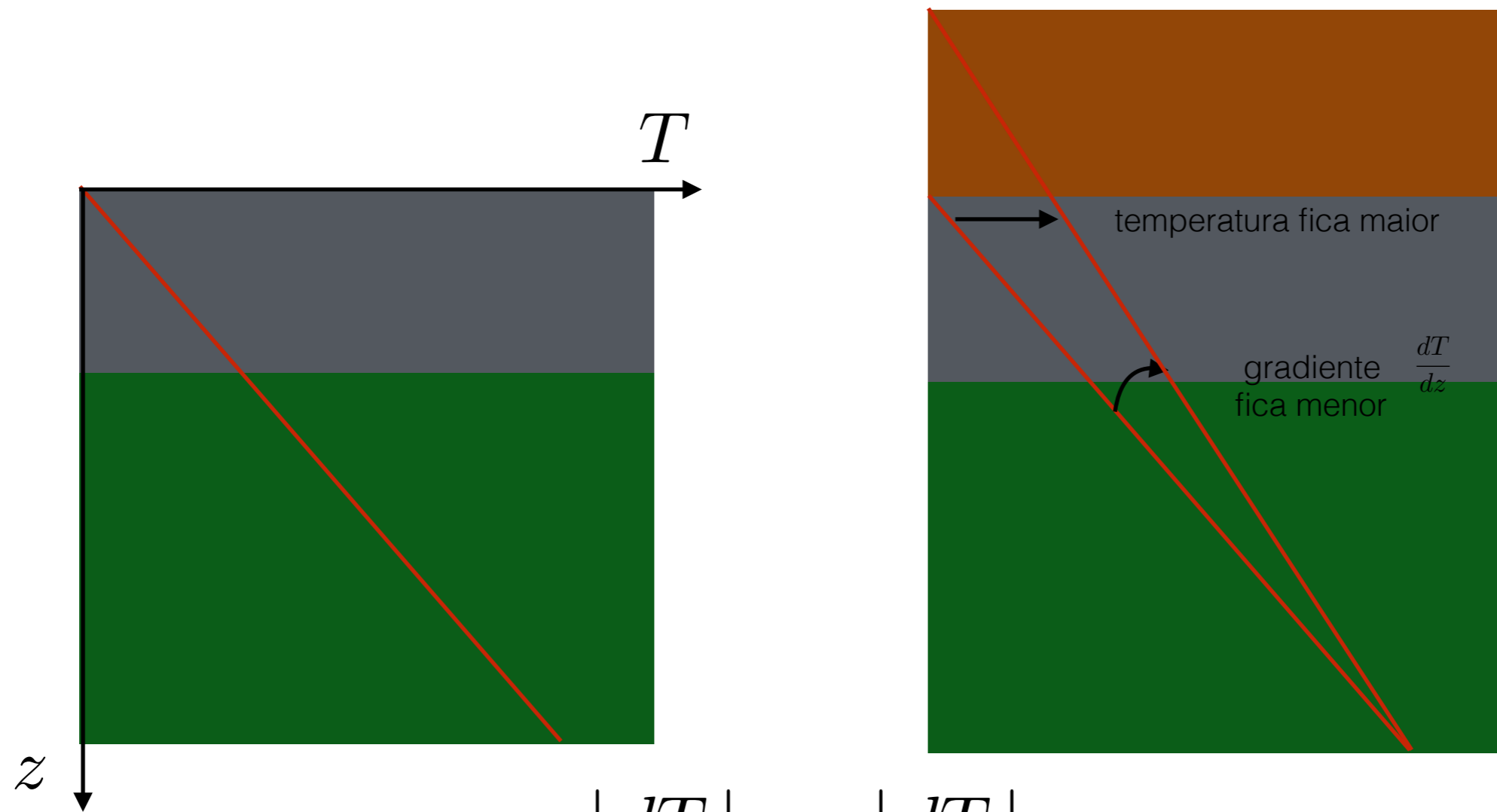
Estrutura térmica da litosfera antes e após o aporte sedimentar



Estrutura térmica da litosfera antes e após o aporte sedimentar

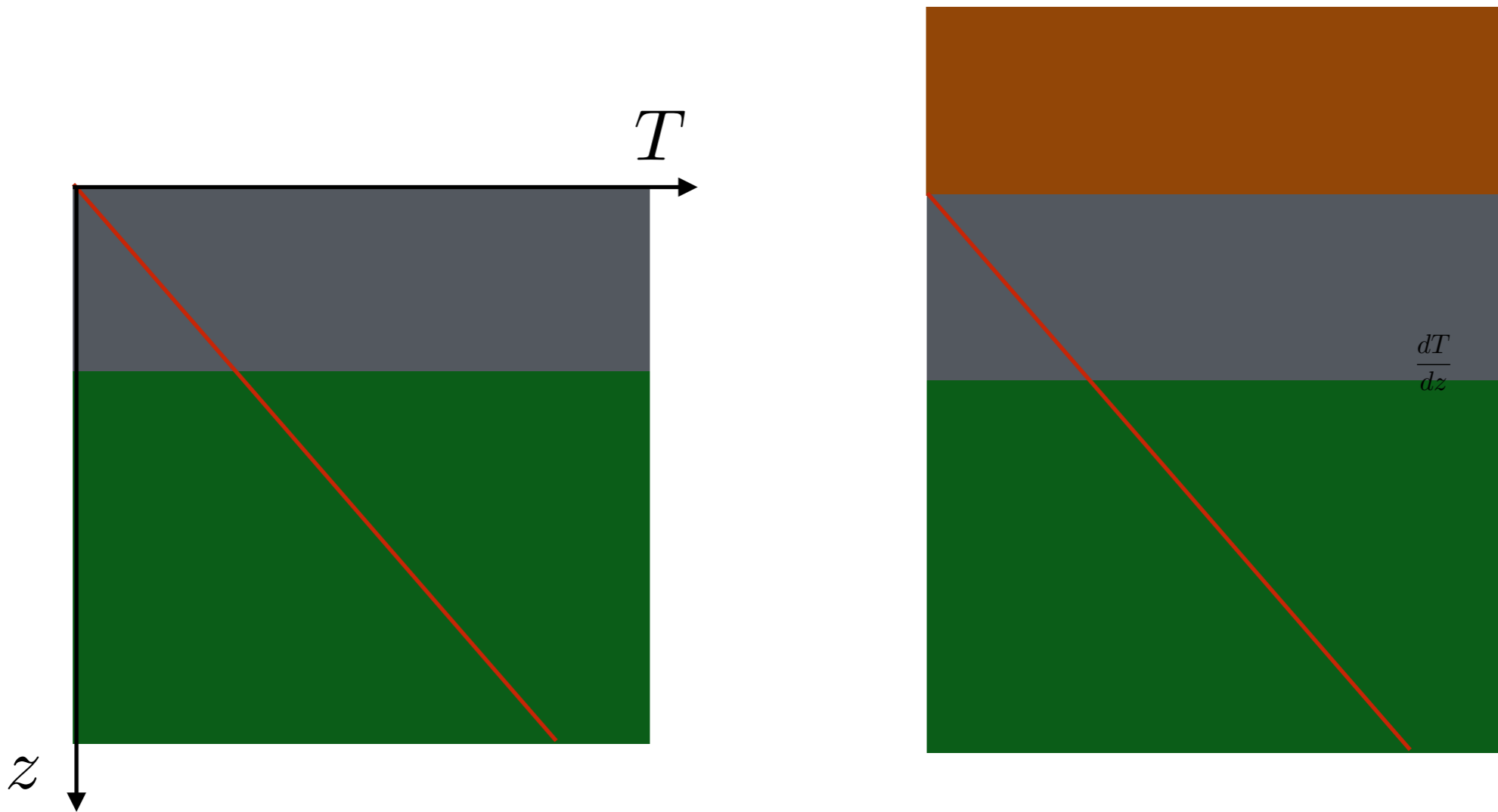


Estrutura térmica da litosfera antes e após o aporte sedimentar



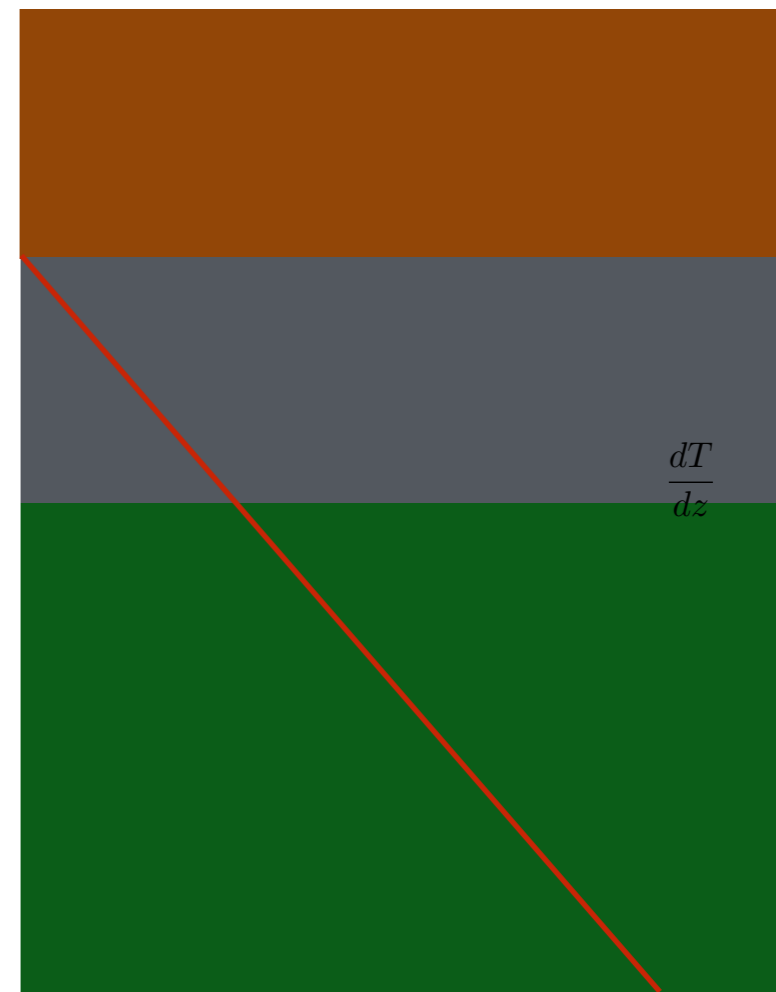
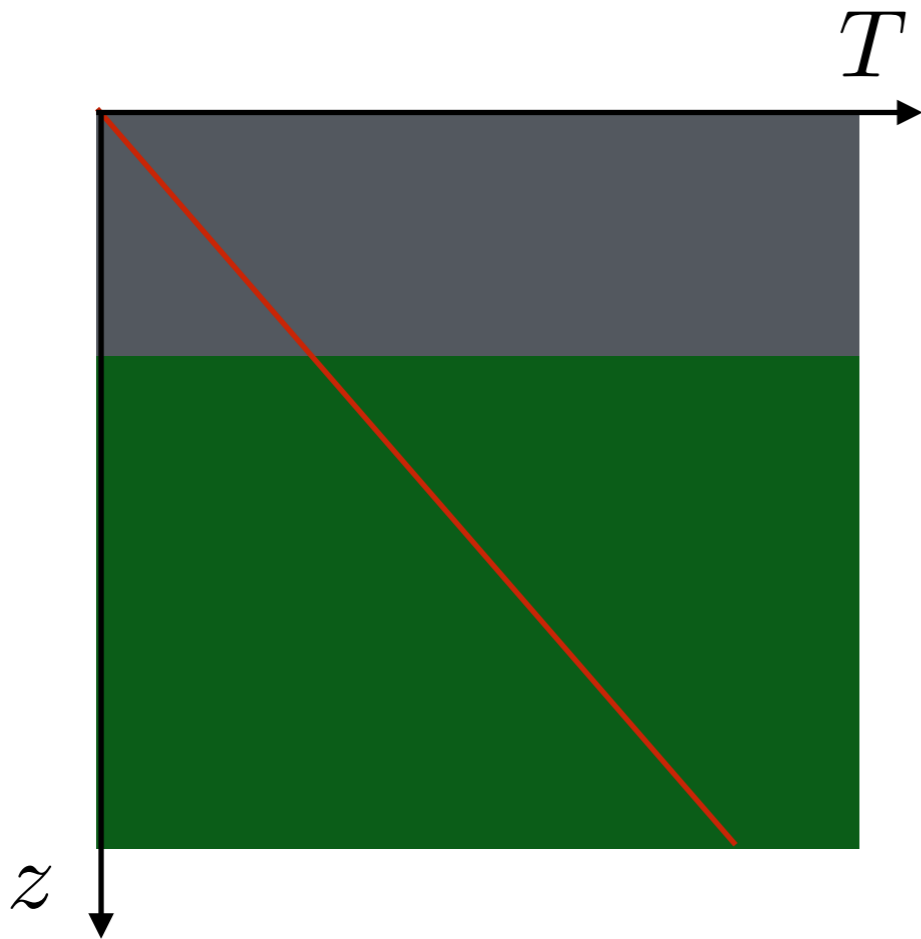
$$\left| \frac{dT}{dz} \right|_0 > \left| \frac{dT}{dz} \right|_1$$

E se a condutividade térmica do sedimento for menor?

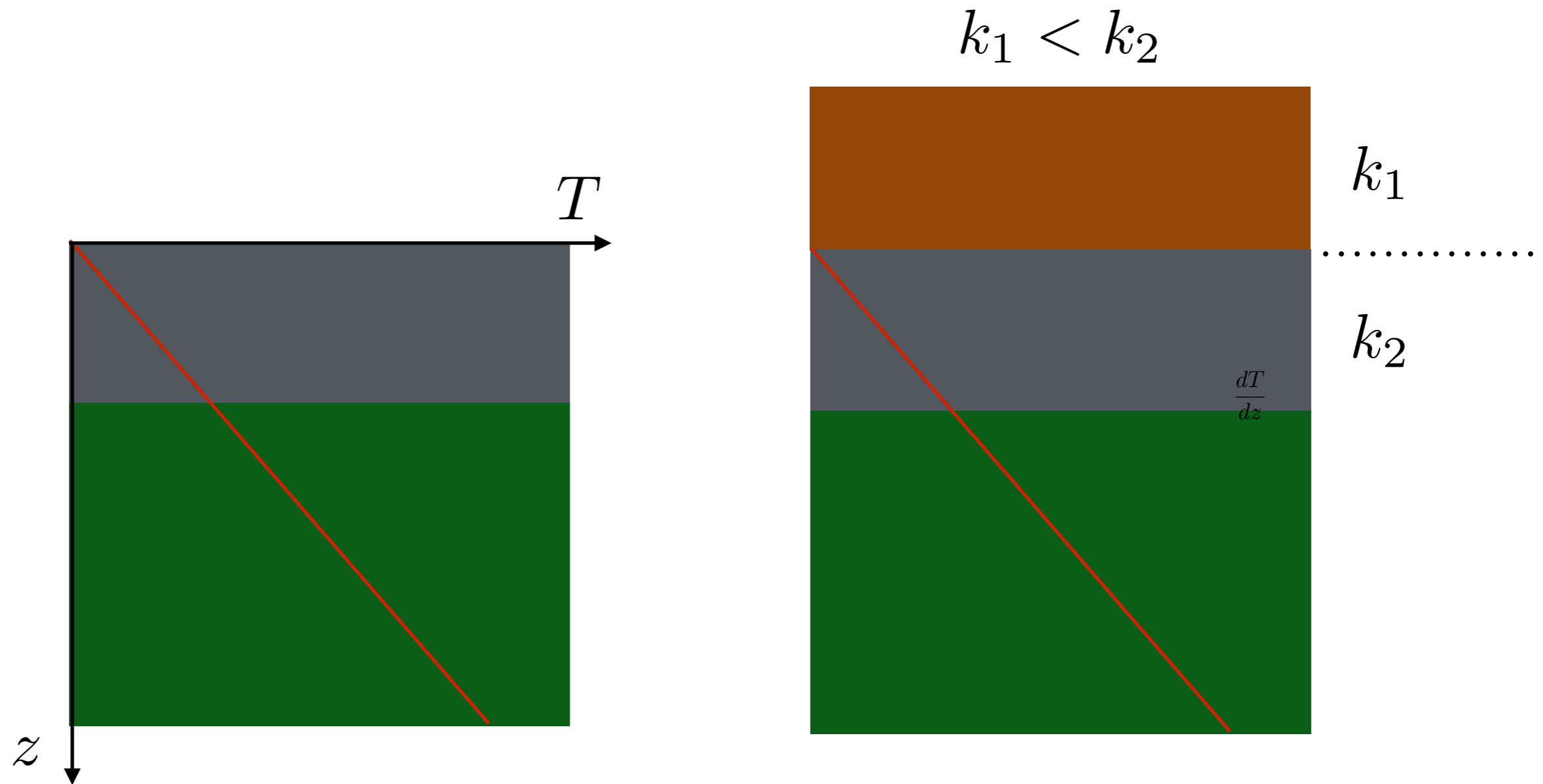


E se a condutividade térmica do sedimento for menor?

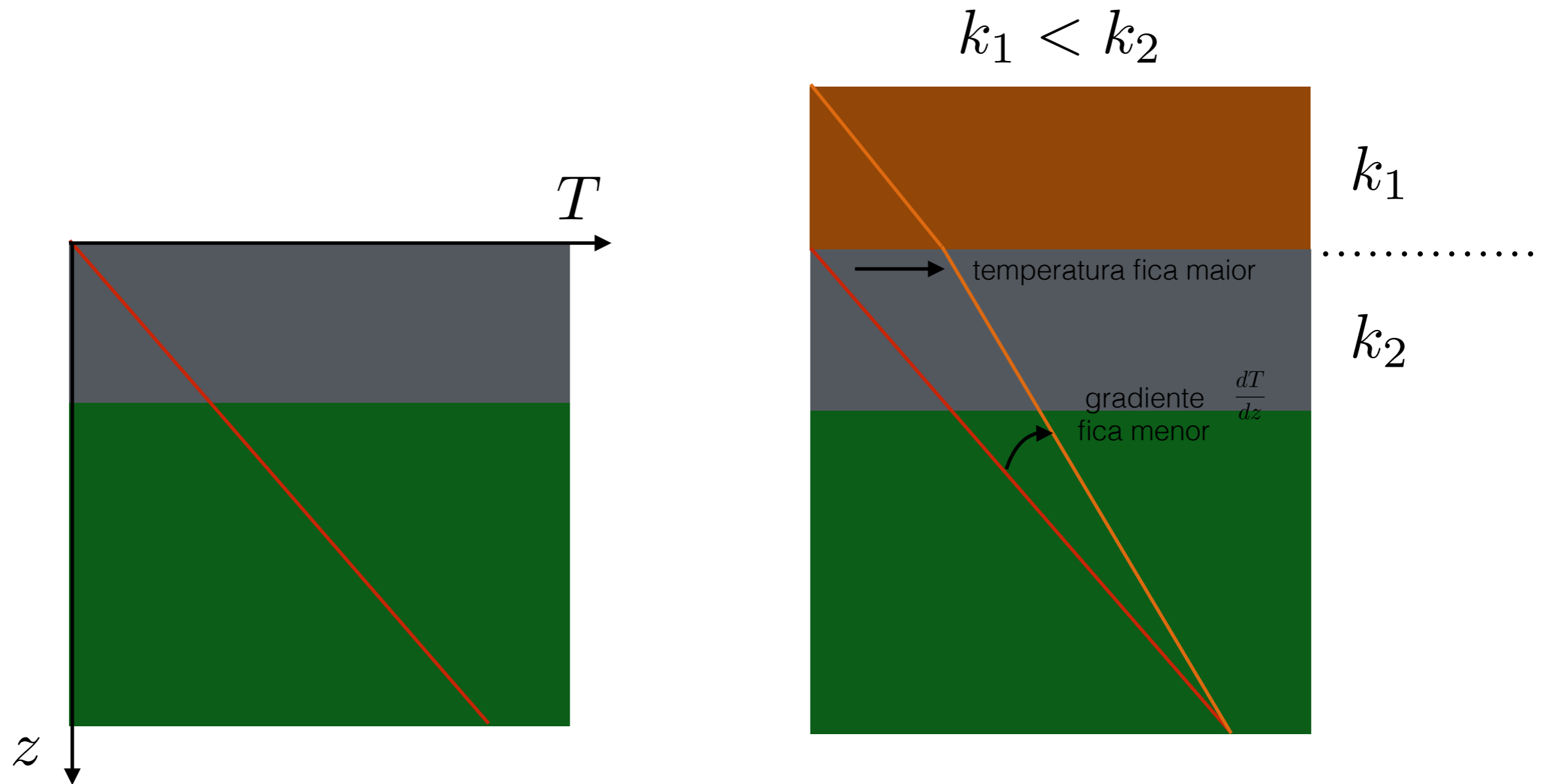
$$k_1 < k_2$$



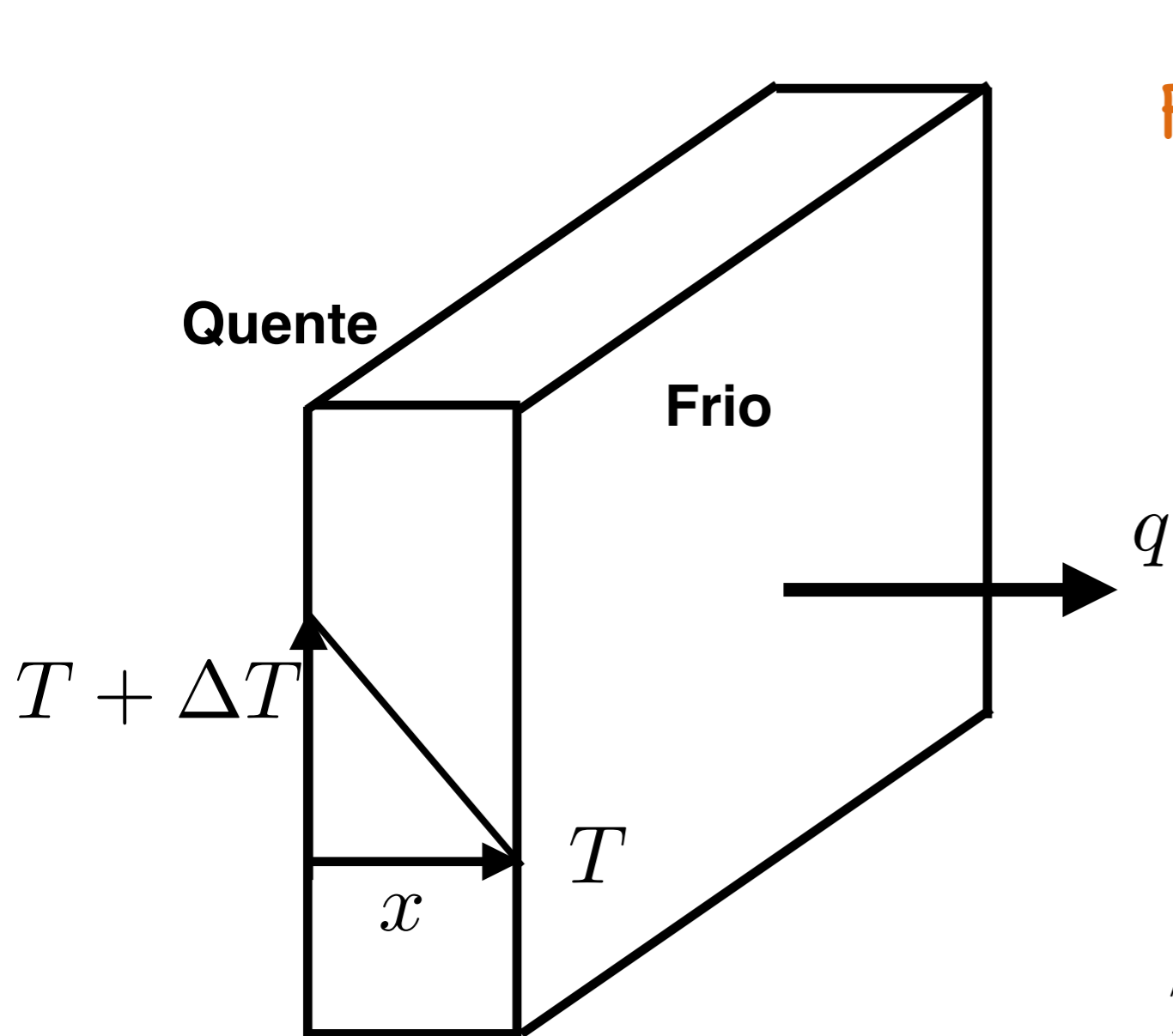
E se a condutividade térmica do sedimento for menor?



E se a condutividade térmica do sedimento for menor?



Condução de calor



Fluxo de calor

Temperatura

$$q = -k \frac{dT}{dx}$$

Condutividade

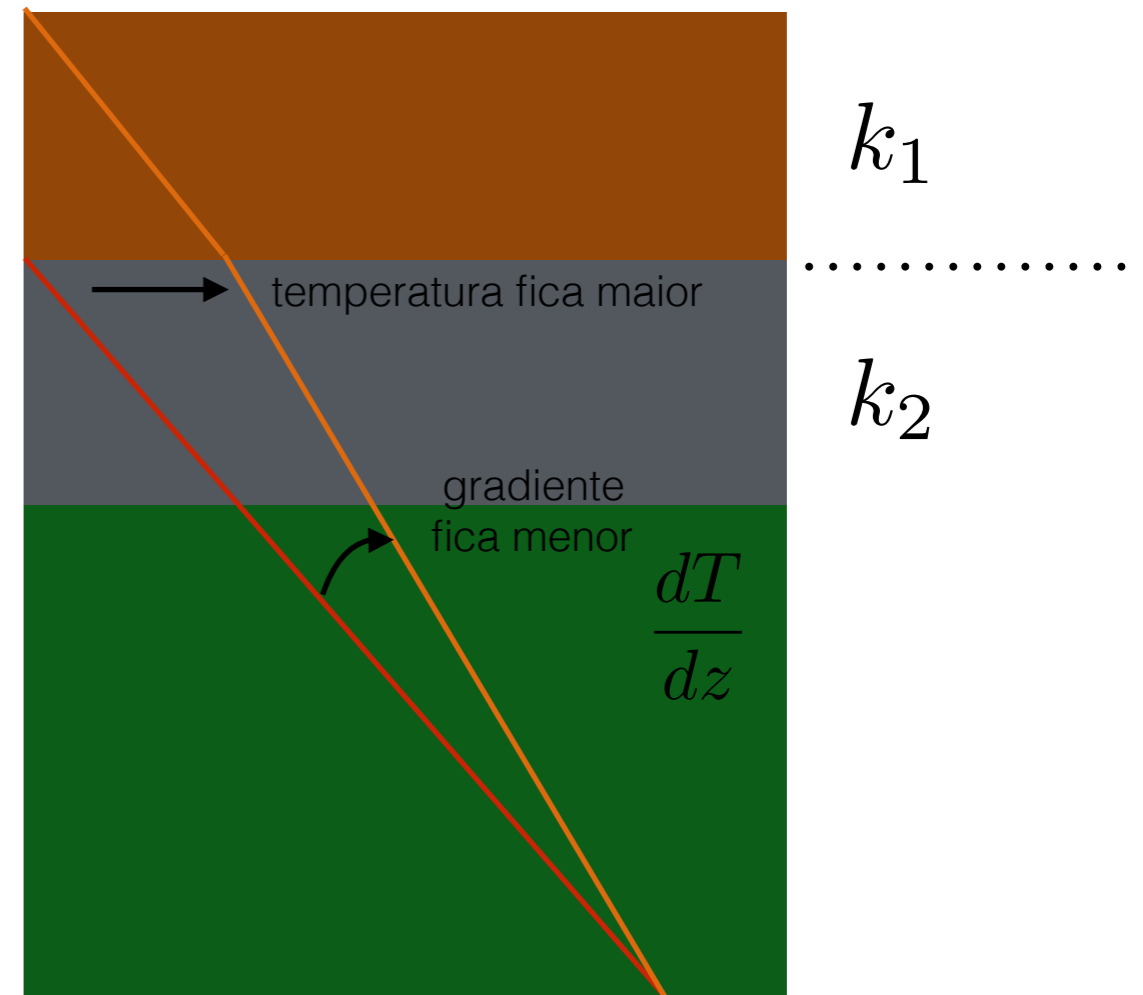
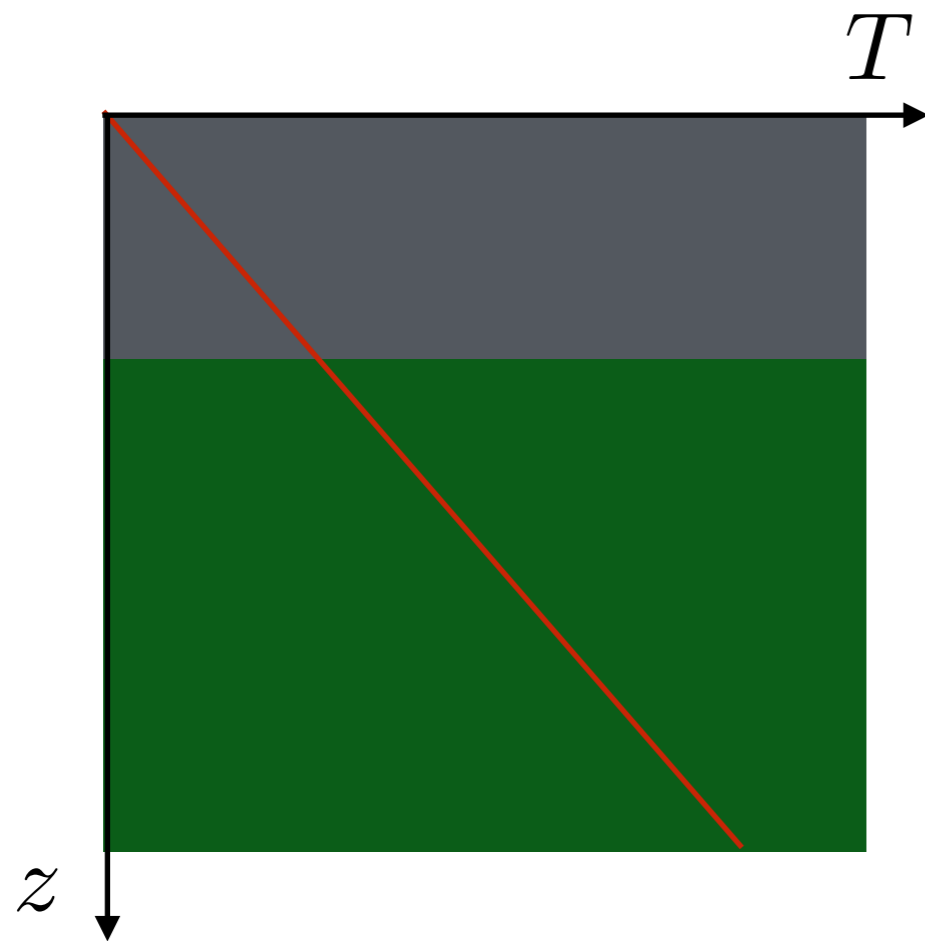
$$q \quad [\text{W}/\text{m}^2]$$

$$T \quad [\text{K}]$$

$$k \quad [\text{W} \cdot \text{m}^{-1} \cdot \text{K}^{-1}]$$

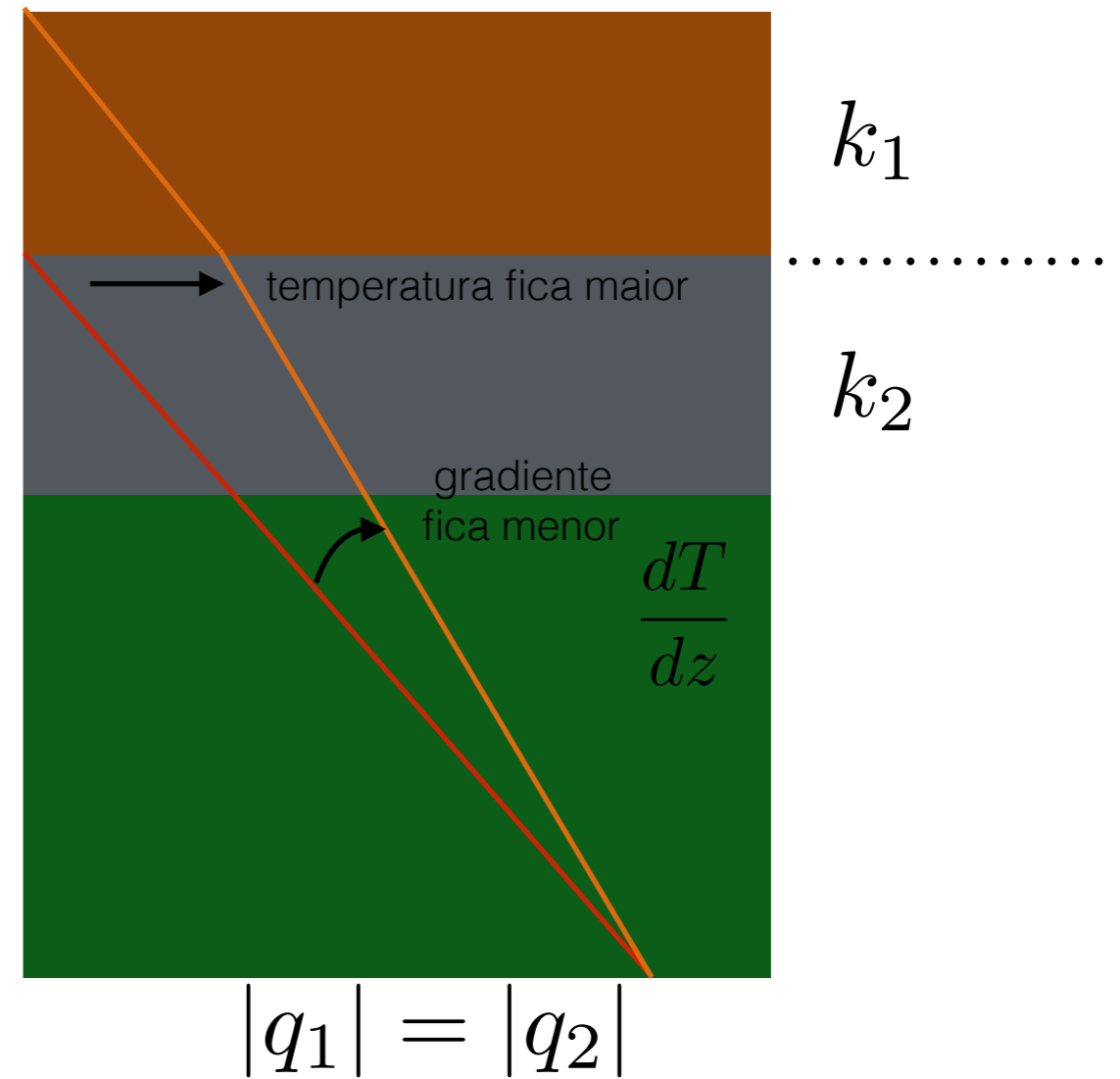
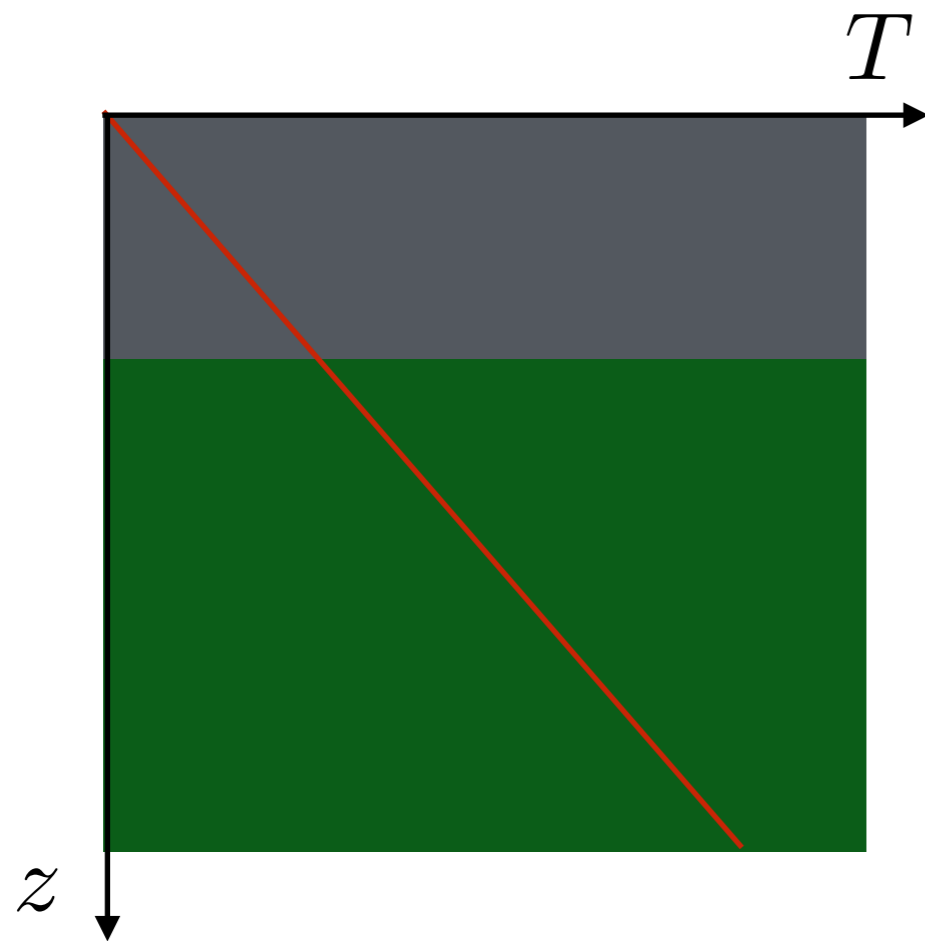
Como fica o fluxo de calor?

$$k_1 < k_2$$



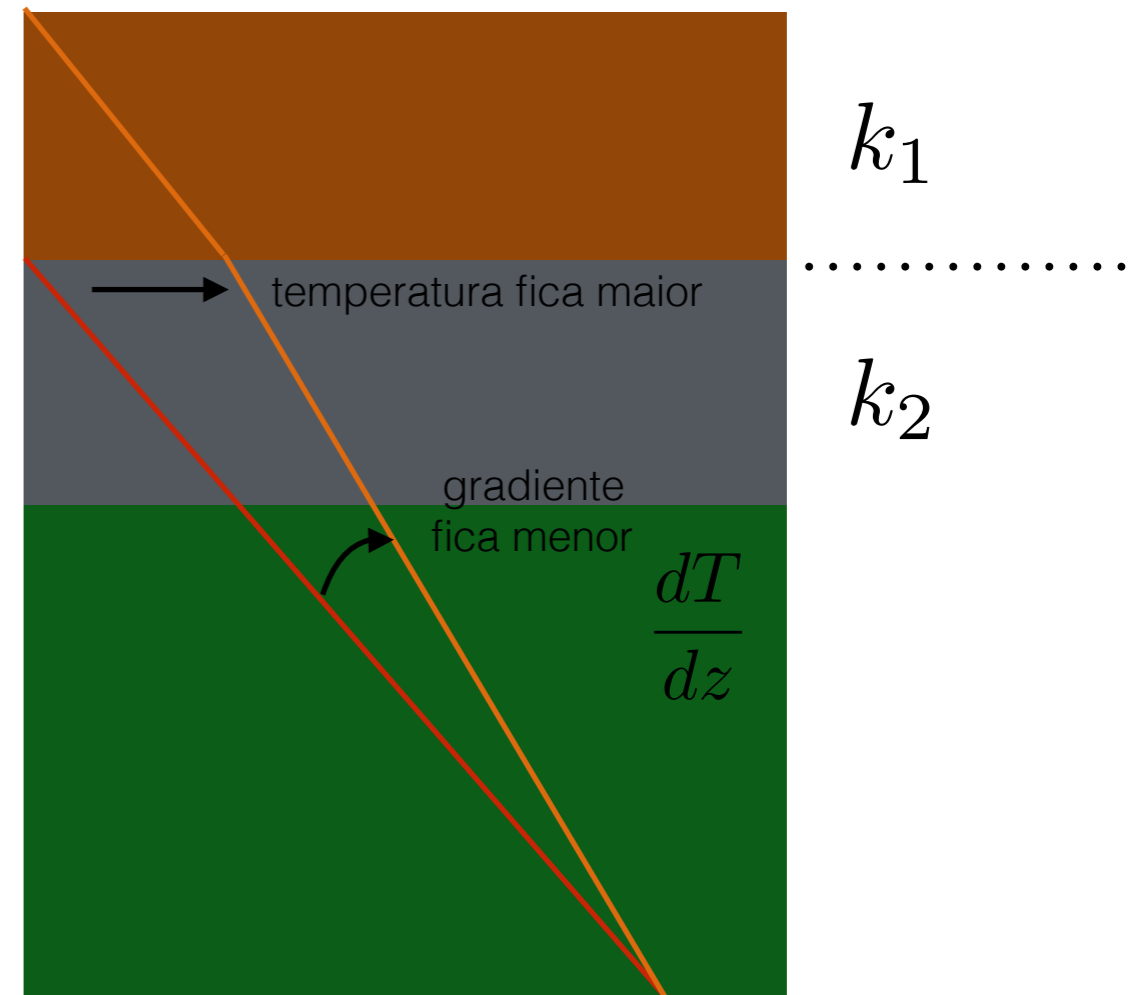
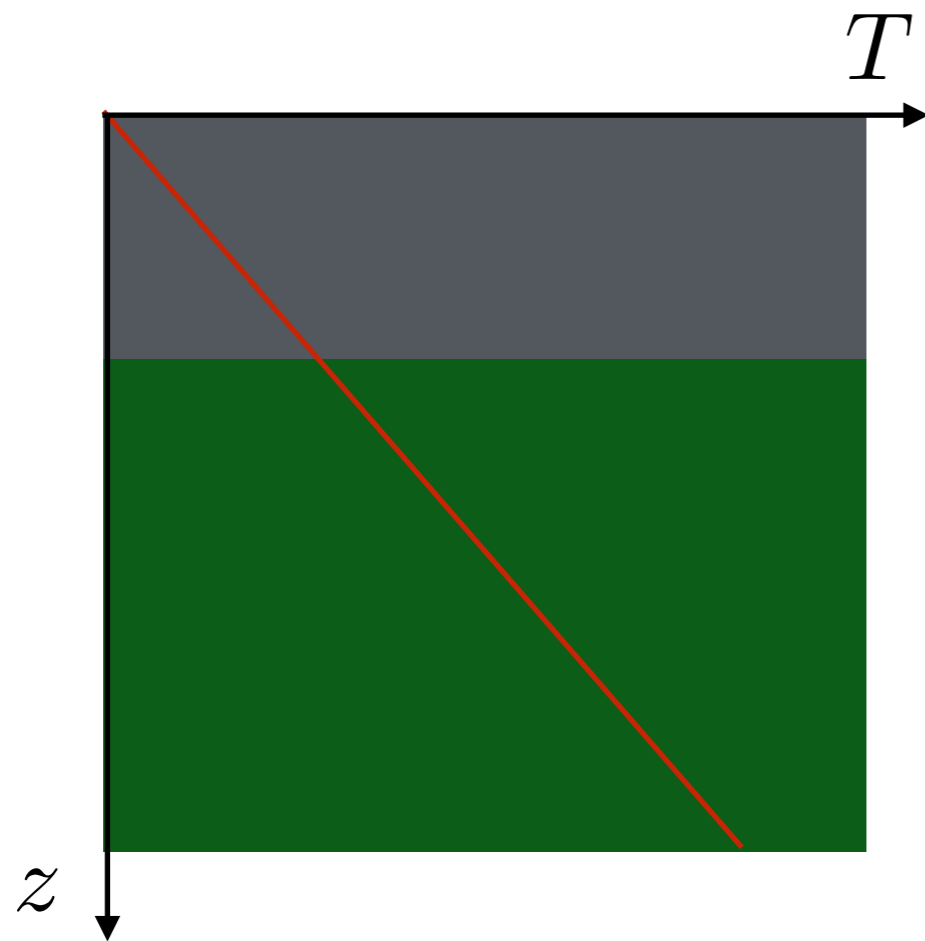
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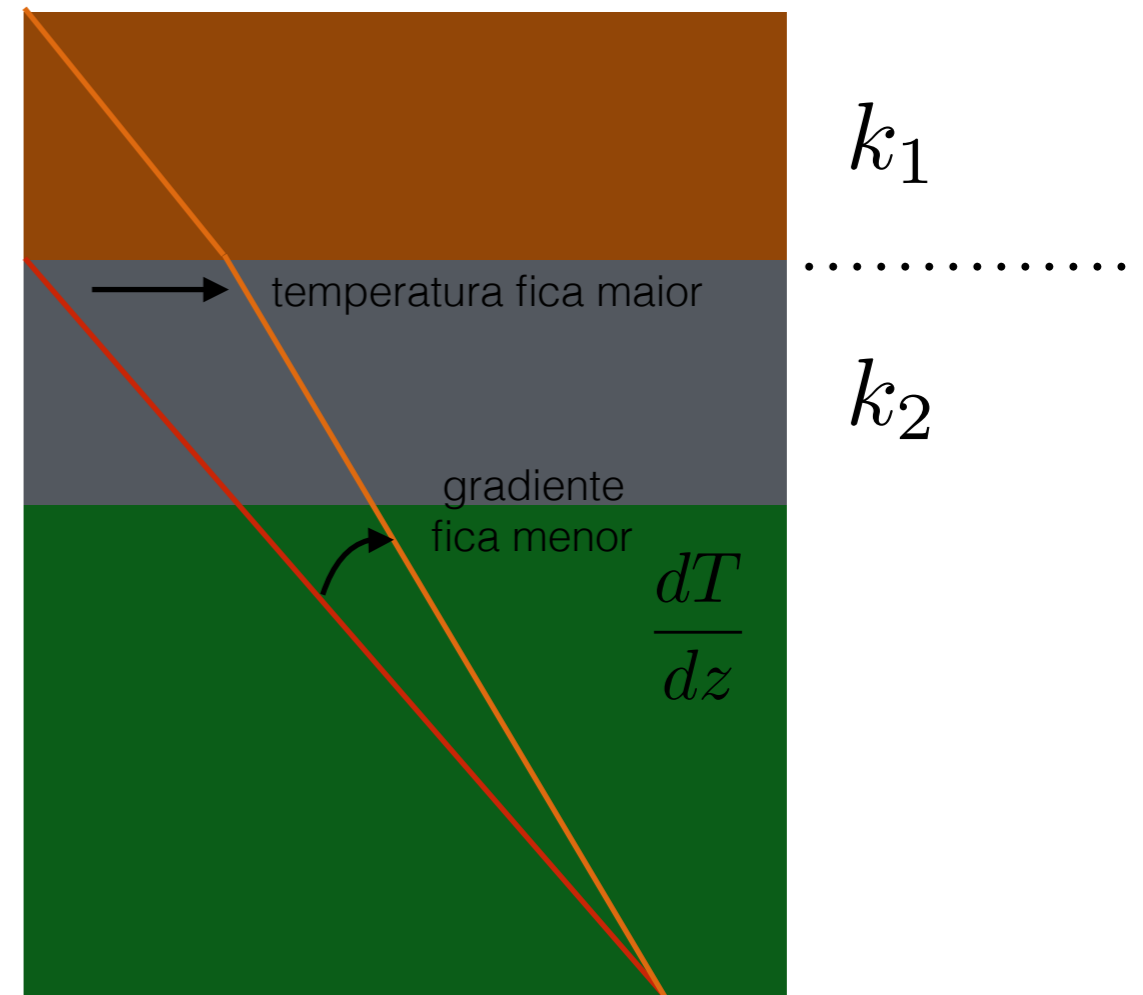
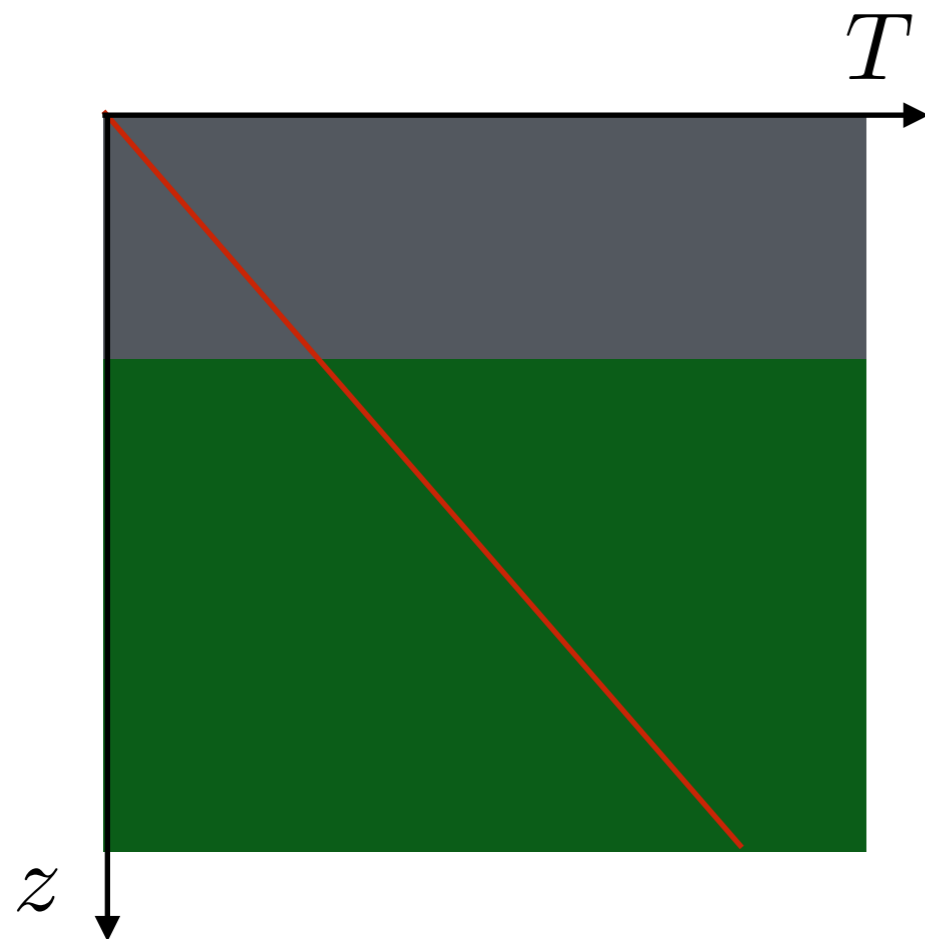


$$|q_1| = |q_2|$$

$$k_1 \left| \frac{dT}{dz} \right|_1 = k_2 \left| \frac{dT}{dz} \right|_2$$

Como fica o fluxo de calor?

$$k_1 < k_2$$

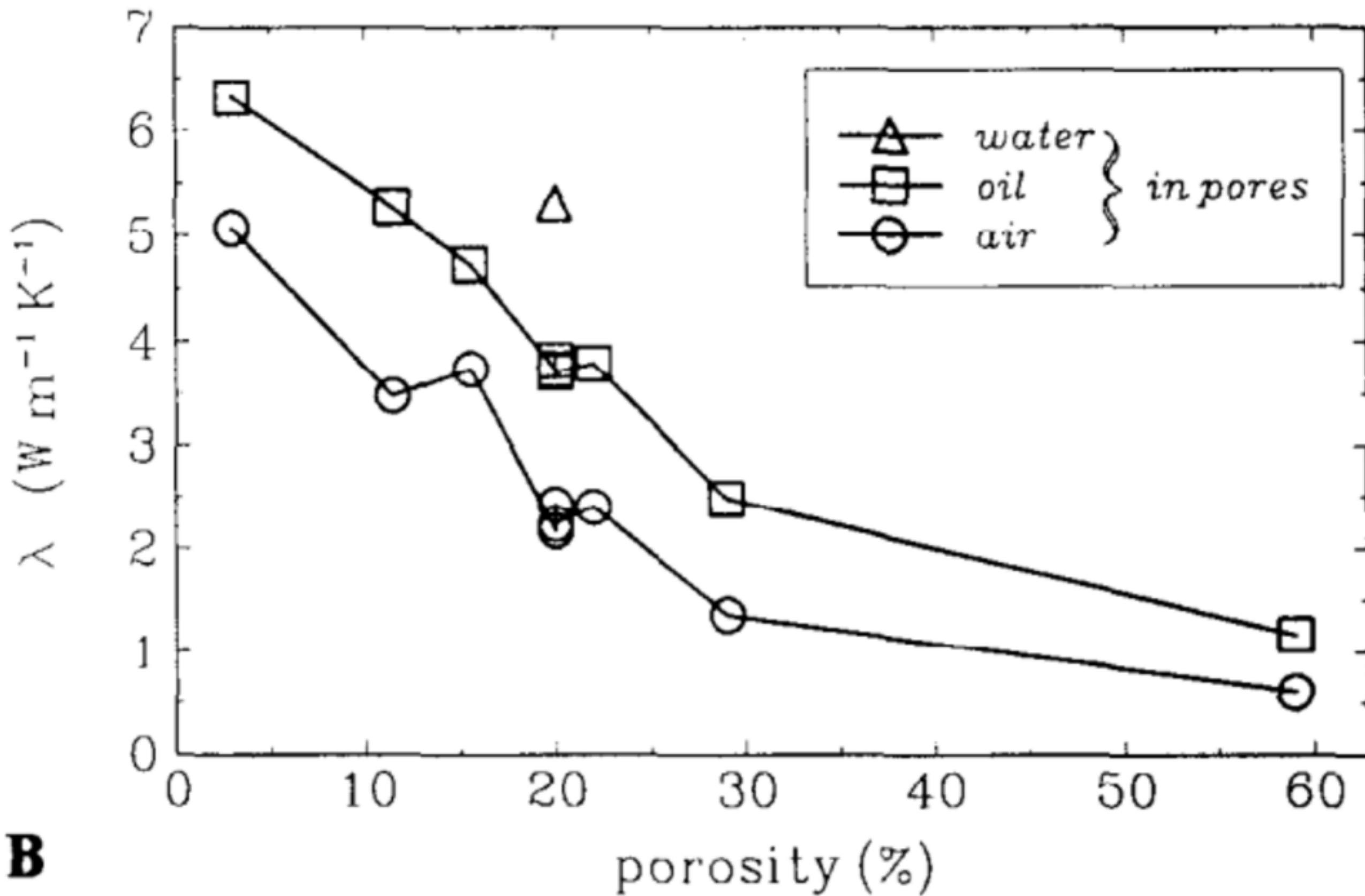


$$|q_1| = |q_2|$$

$$k_1 \left| \frac{dT}{dz} \right|_1 = k_2 \left| \frac{dT}{dz} \right|_2$$

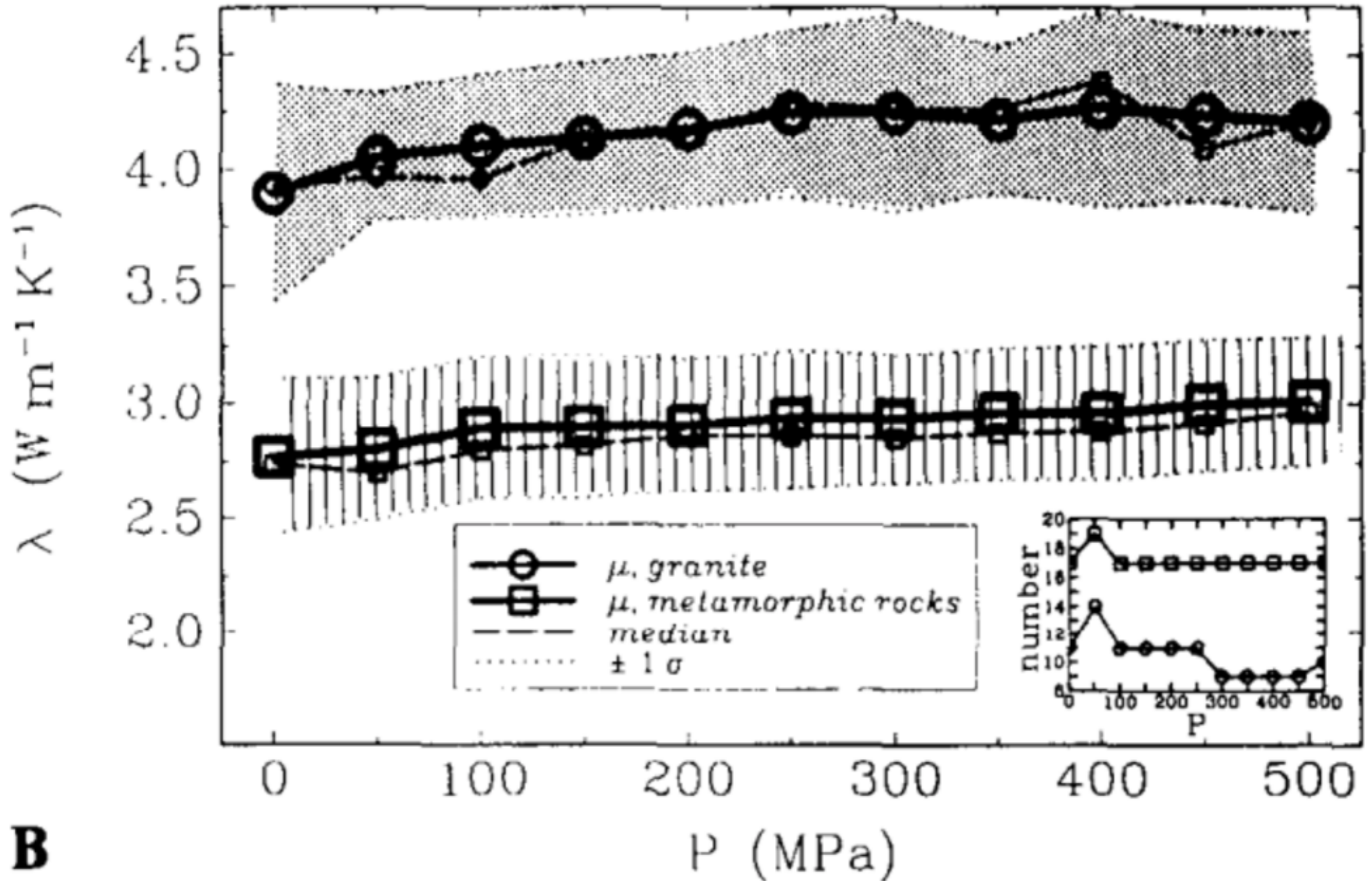
$$\left| \frac{dT}{dz} \right|_1 > \left| \frac{dT}{dz} \right|_2$$

Arenito (quartzo) (Clauser & Huenges, 1995)



B

Granito e rochas metamórficas (Clauser & Huenges, 1995)



Como lidar com a condutividade variável espacialmente?

$$\frac{dT}{dt} = \frac{d}{dz} \left(\kappa \frac{dT}{dz} \right) \quad \kappa = \frac{k}{\rho c}$$

Se κ é constante podemos reescrever...

$$\frac{dT}{dt} = \kappa \frac{d^2 T}{dz^2}$$

Aproximação em diferenças finitas

$$\frac{dT}{dt} = \frac{d}{dz} \left(\kappa \frac{dT}{dz} \right) \approx \frac{1}{\Delta x} \left(\kappa_{i+1} \frac{u_{i+1} - u_i}{\Delta x} - \kappa_i \frac{u_i - u_{i-1}}{\Delta x} \right)$$

Aproximação em diferenças finitas

$$\frac{\partial u}{\partial x} = \lim_{\Delta x \rightarrow 0} \frac{\Delta u}{\Delta x}$$

$$\frac{dT}{dt} = \frac{d}{dz} \left(\kappa \frac{dT}{dz} \right) \approx \frac{1}{\Delta x} \left(\kappa_{i+1} \frac{u_{i+1} - u_i}{\Delta x} - \kappa_i \frac{u_i - u_{i-1}}{\Delta x} \right)$$

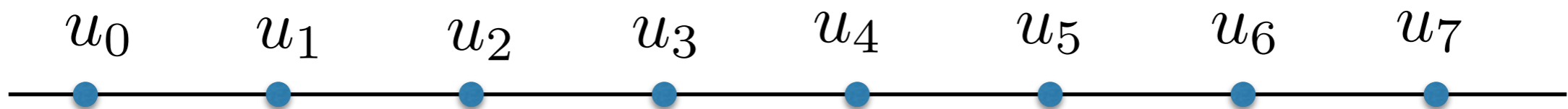
Aproximação em diferenças finitas

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$$\frac{\partial u}{\partial x} = \lim_{\Delta x \rightarrow 0} \frac{\Delta u}{\Delta x} \approx \frac{\Delta u}{\Delta x}$$



κ_0 κ_1 κ_2 κ_3 κ_4 κ_5 κ_6

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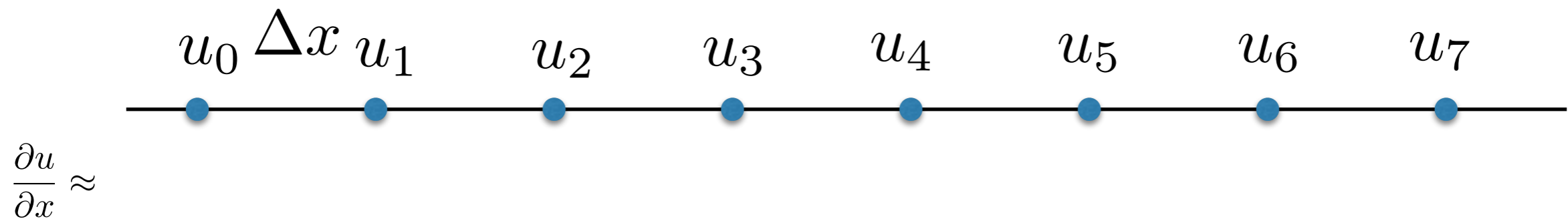


κ_0 κ_1 κ_2 κ_3 κ_4 κ_5 κ_6

$$\frac{dT}{dt} = \frac{d}{dz} \left(\kappa \frac{dT}{dz} \right) \approx \frac{1}{\Delta x} \left(\kappa_{i+1} \frac{u_{i+1} - u_i}{\Delta x} - \kappa_i \frac{u_i - u_{i-1}}{\Delta x} \right)$$

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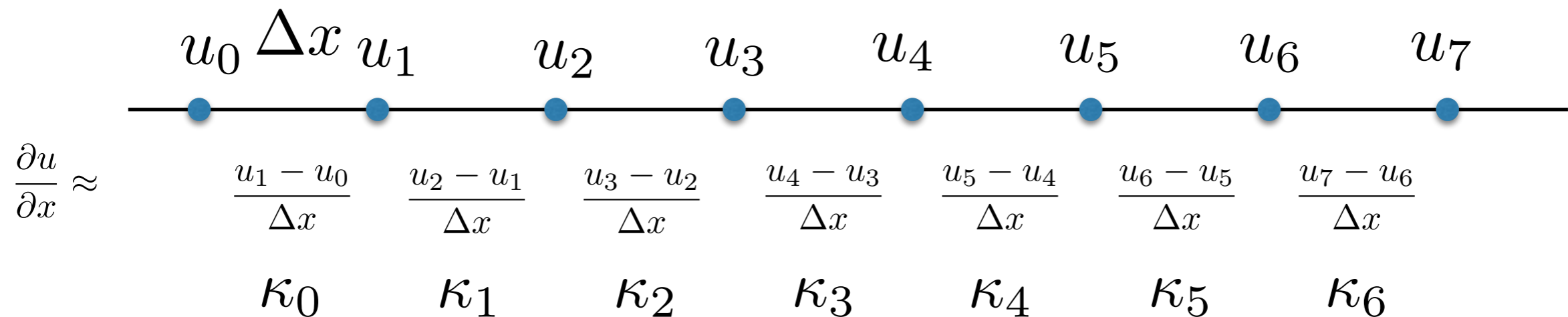


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$$\frac{dT}{dt} = \frac{d}{dz} \left(\kappa \frac{dT}{dz} \right) \approx \frac{1}{\Delta x} \left(\kappa_{i+1} \frac{u_{i+1} - u_i}{\Delta x} - \kappa_i \frac{u_i - u_{i-1}}{\Delta x} \right)$$

Aproximação em diferenças finitas

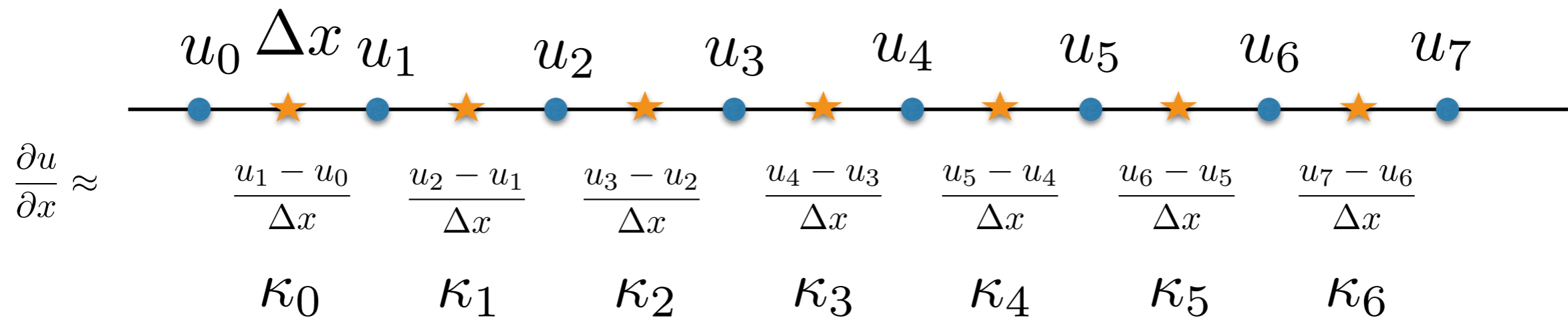
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Aproximação em diferenças finitas

$$\frac{\partial u}{\partial x} = \lim_{\Delta x \rightarrow 0} \frac{\Delta u}{\Delta x} \approx \frac{\Delta u}{\Delta x}$$



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The effect of sedimentary cover on the flexural strength of continental lithosphere

Luc L. Lavier  & Michael S. Steckler

