

Performance

WHAT HAVE YOU
LEARNED ?

O que é estabilidade?

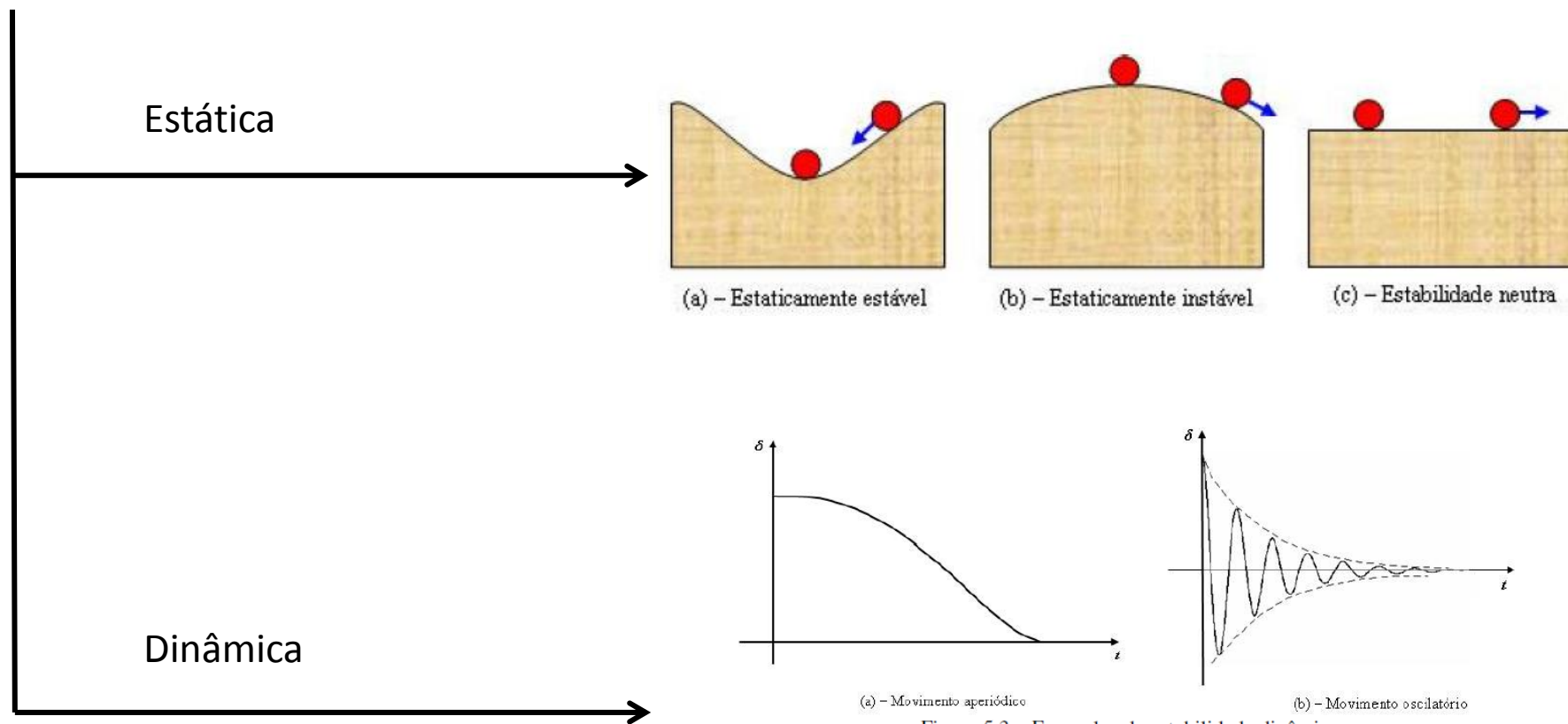
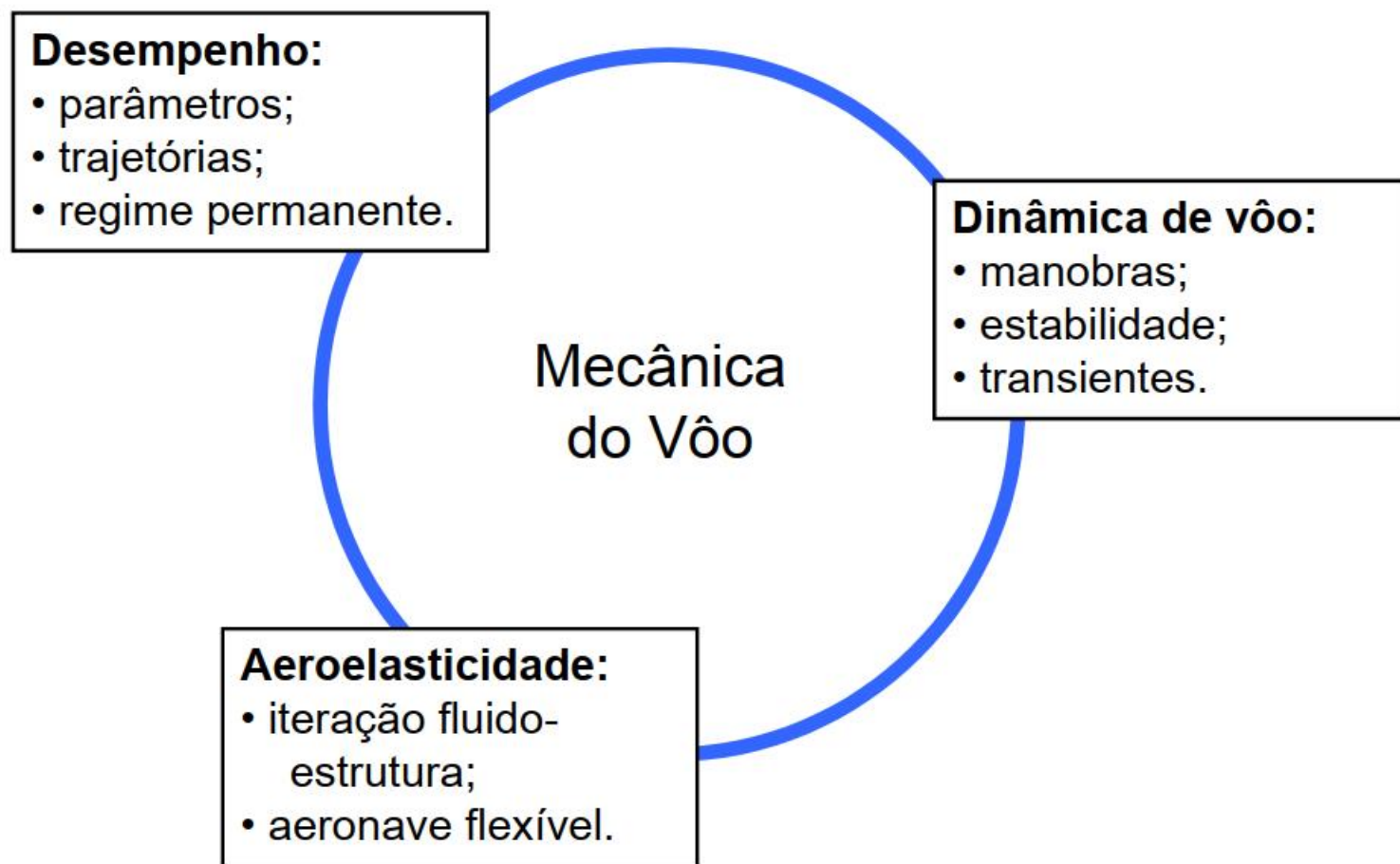


Figura 5.3 – Exemplos de estabilidade dinâmica.

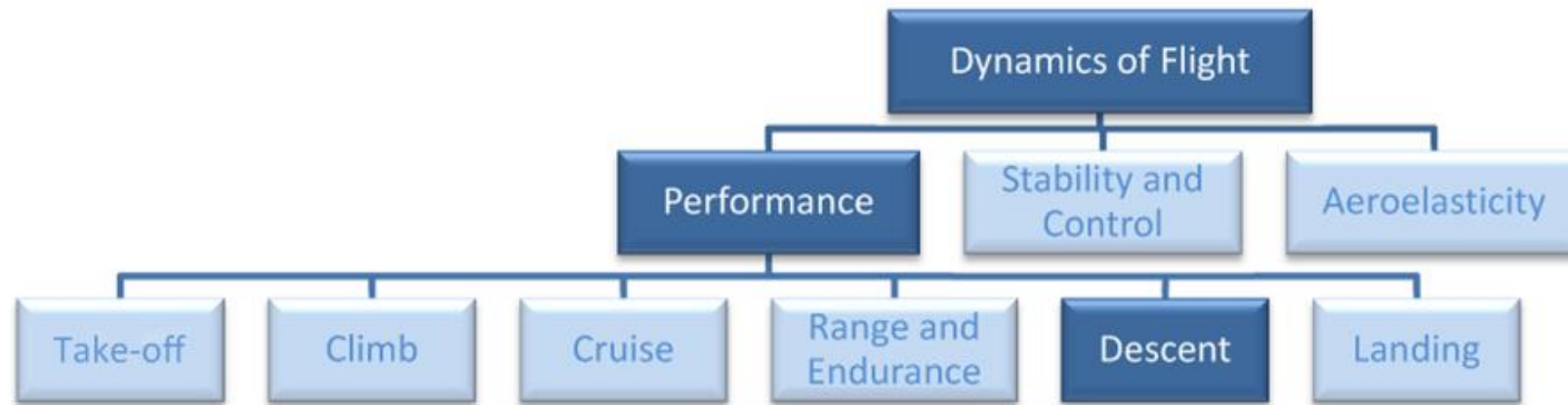


Figura 5.4 – Estabilidade dinâmica de uma aeronave com movimento oscilatório.

Conceito



Conceito

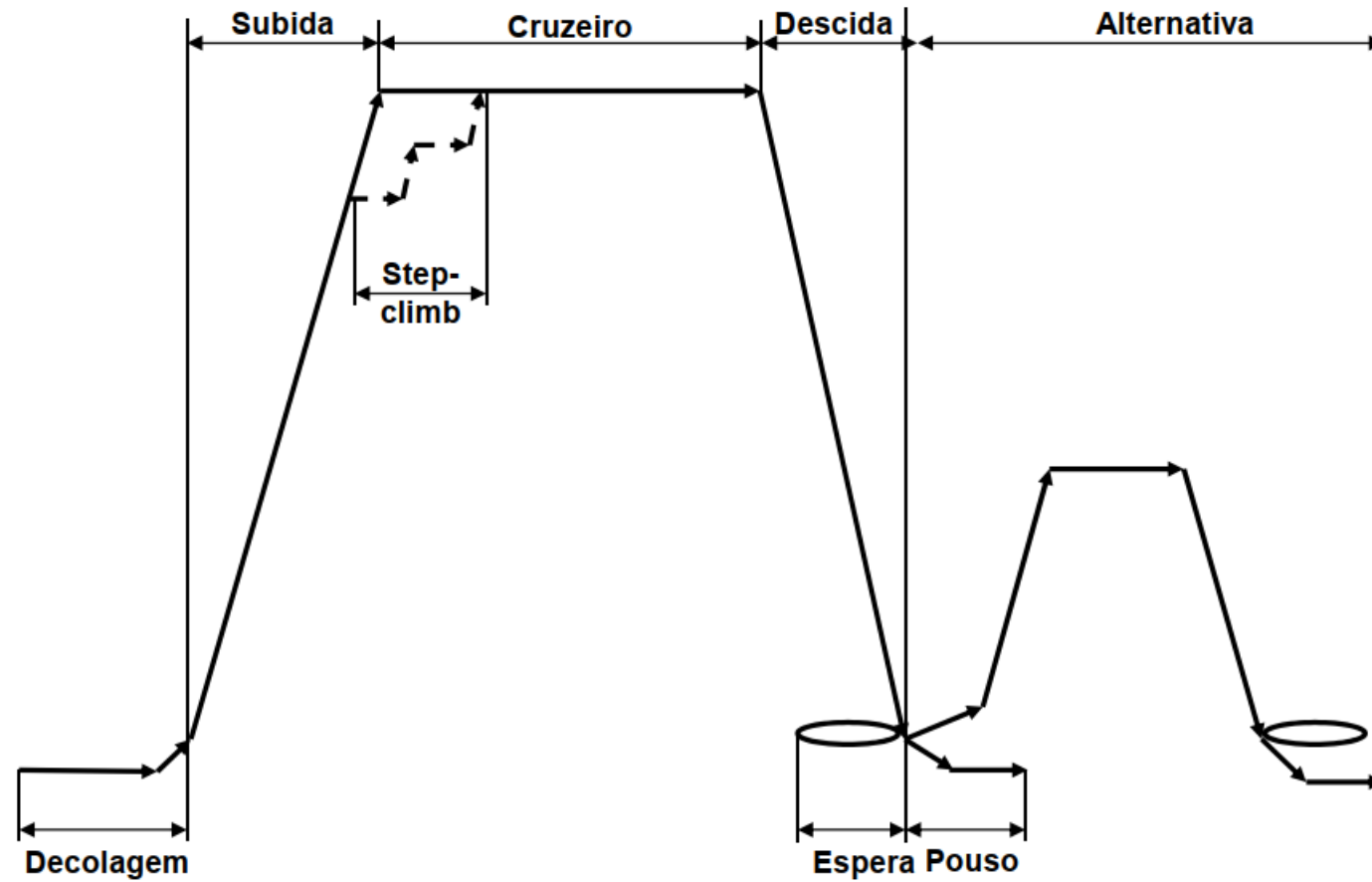


Conceito

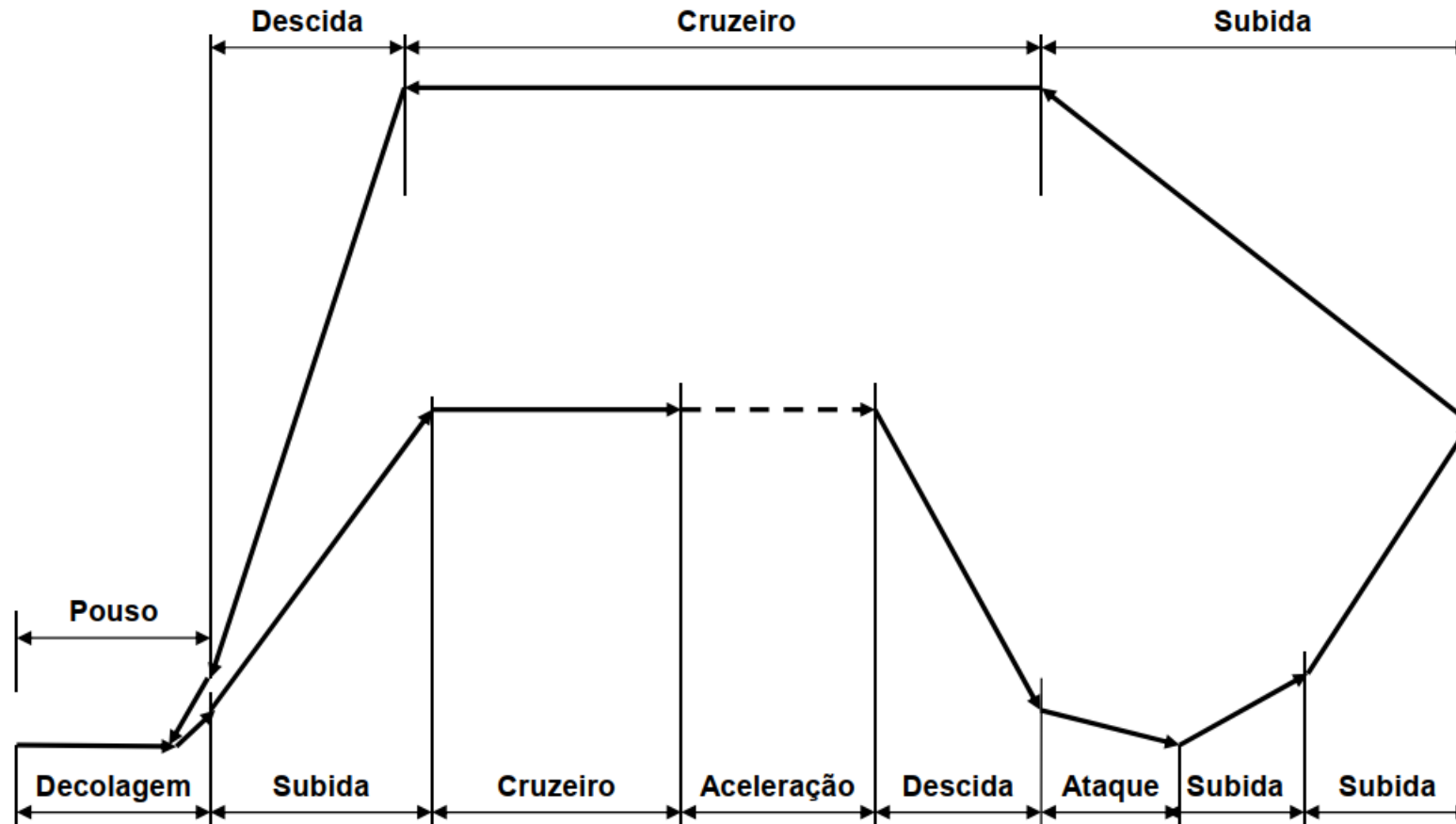
Desempenho de aeronaves

- Avalia o que a aeronave é capaz de fazer em voo (parâmetros do voo):
 - Tempos;
 - Distâncias;
 - Velocidades;
 - Consumo;
 - Pesos (massas) limites;
 - Carga paga.
- Avalia a trajetória (*flight-path*) da aeronave:
 - 2D: decolagem, subida, cruzeiro, descida, espera, pouso;
 - 3D: curvas.

Missões – Aeronave Civil



Missões – Aeronave Militar



Missões – Exemplos do Raymer

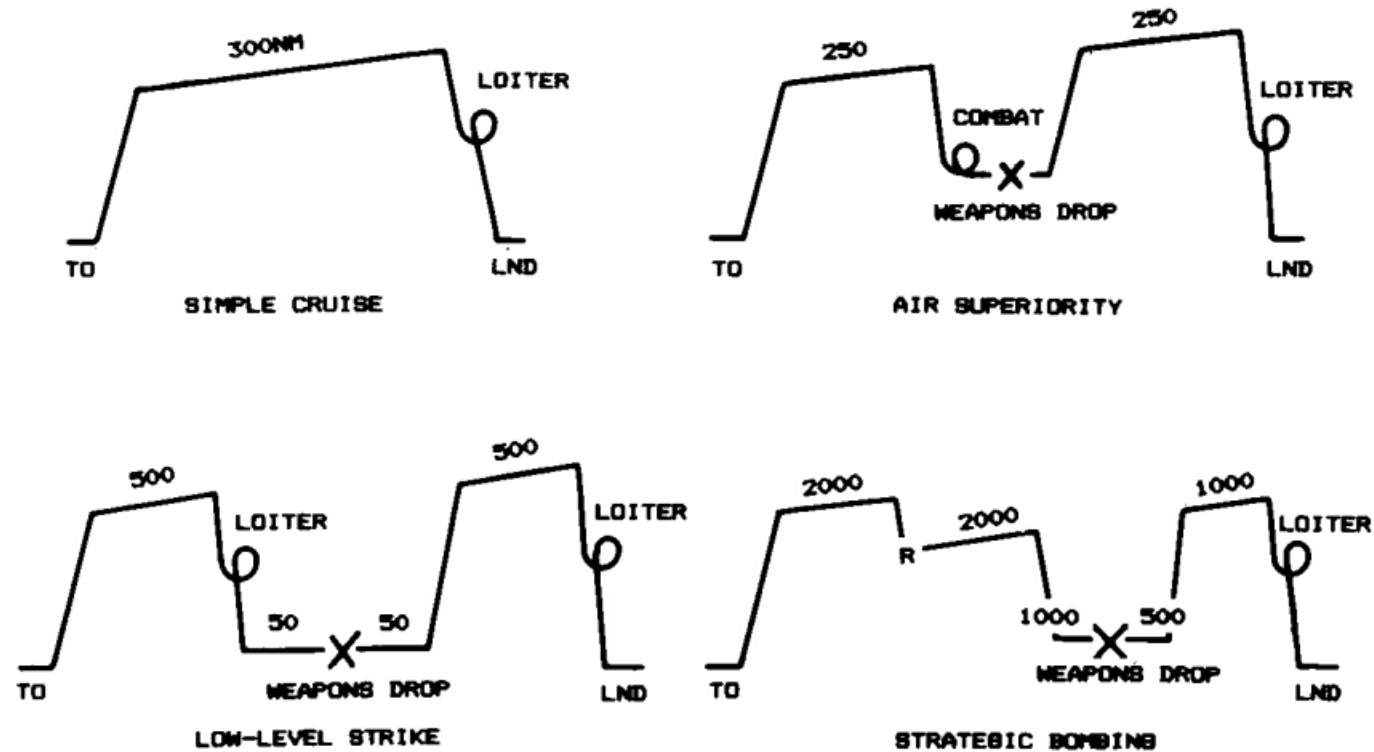
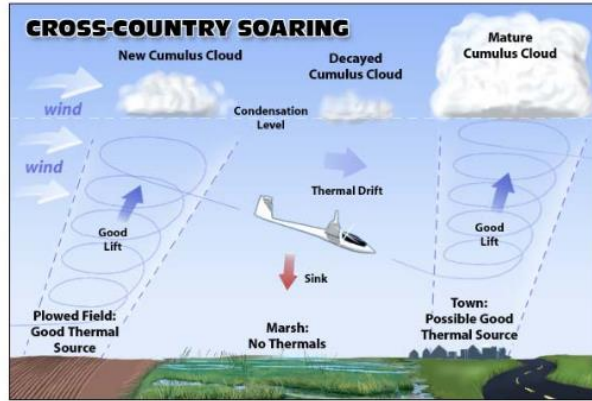
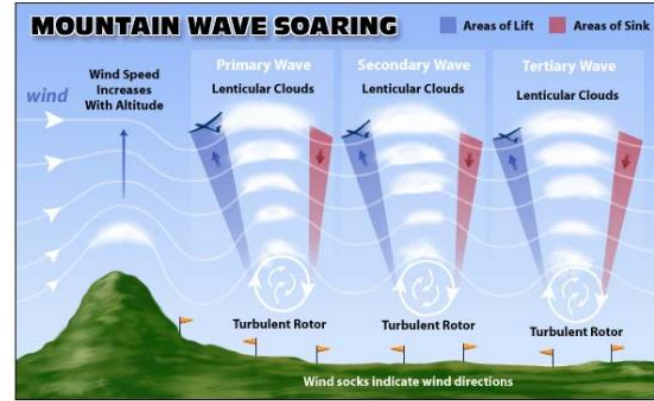


Fig. 3.2 Typical mission profiles for sizing.

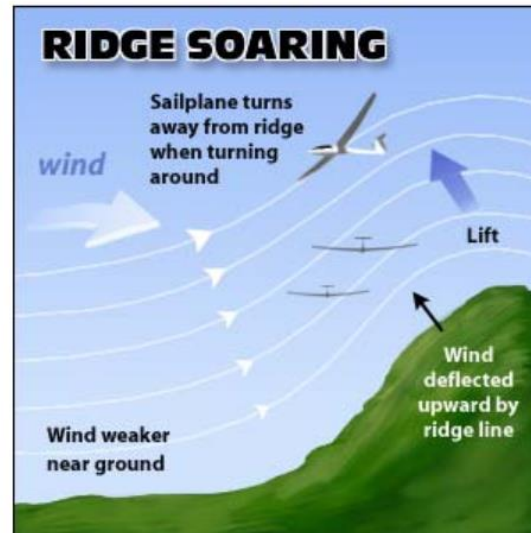
Missões – Planador



(a) Cross-country soaring through thermal lifts.



(b) Cross-country soaring through wave lifts.



(c) Cross-country soaring through ridge lifts.

Atmosfera padrão

- A composição química da atmosfera: 21% oxigênio, 78% de nitrogênio e 1% de outros gases;
- Aproximadamente 94%, ou seja, quase que toda a massa da atmosfera terrestre, concentra-se até o limite de 20km de altitude.

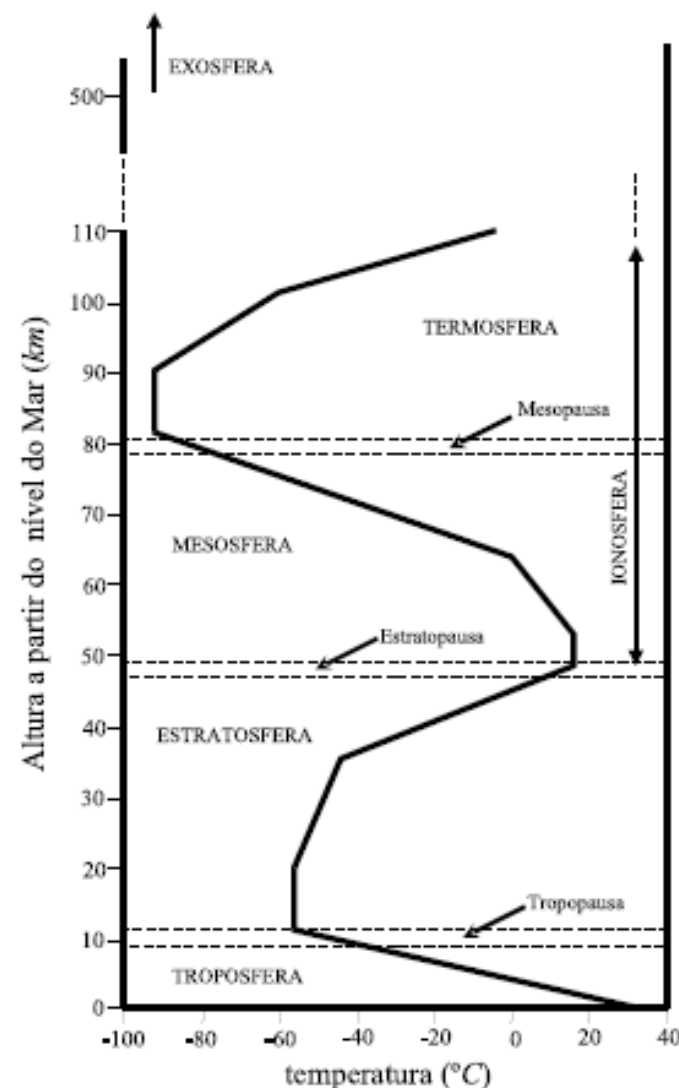
Camadas:

Troposfera: 0km à 10 ou 20km;

Estratosfera: 10 ou 20km à 50km;

Ionosfera: 50km à 500km
(Mesosfera e Termosfera);

Exosfera: acima de 500km.



Voo nivelado em cruzeiro

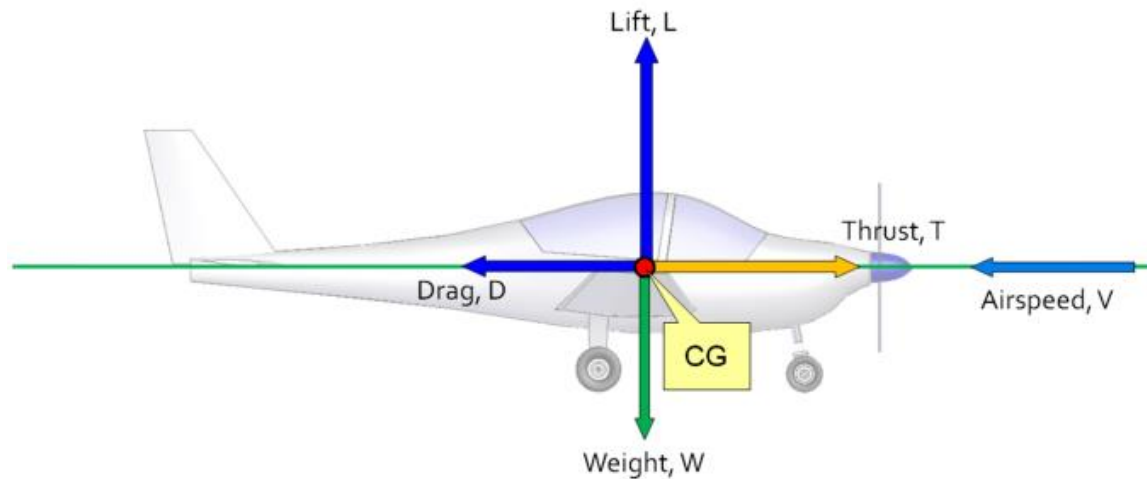


FIGURE 19-2 A two-dimensional free body of the airplane in level flight.

$$V \text{ cte} \Rightarrow a = 0$$

$$L = W$$

$$D = T$$

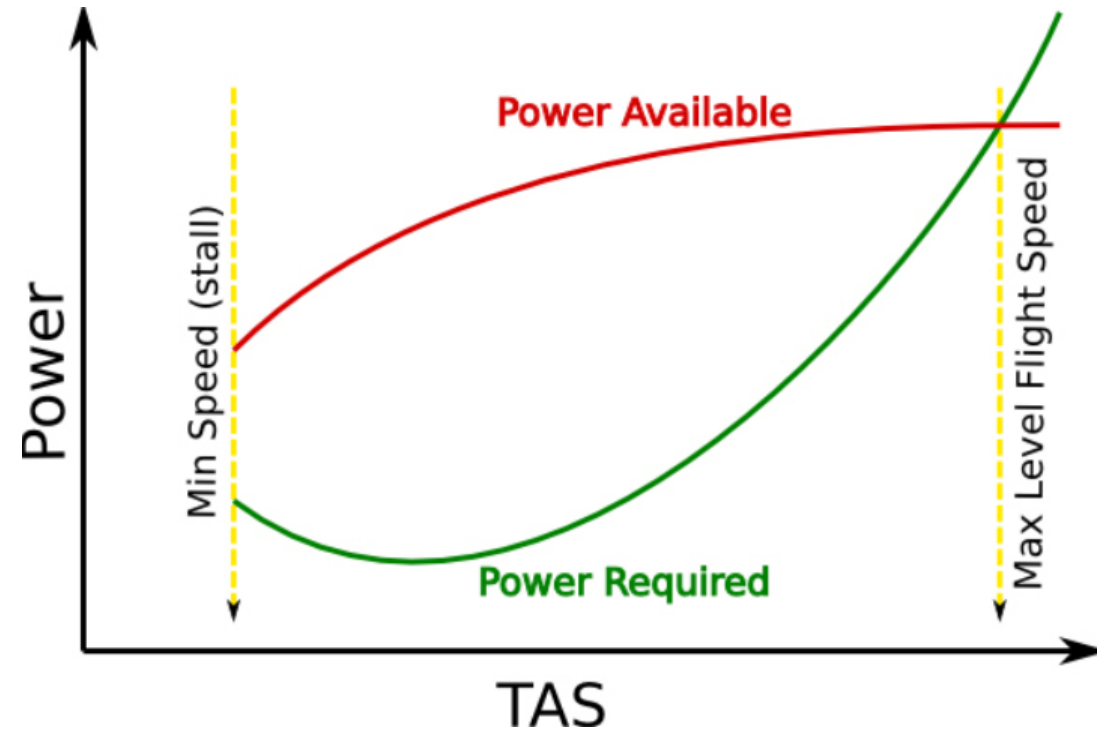
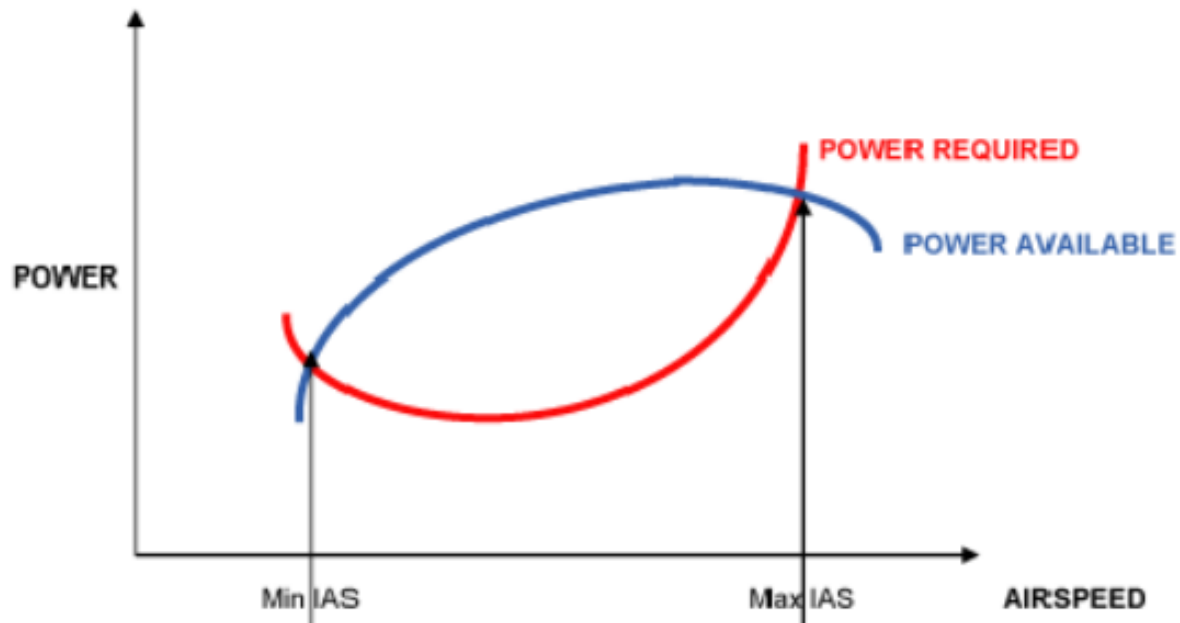
$$D = C_D * q * S_w$$

$$D * V = C_D * q * S_w * V$$

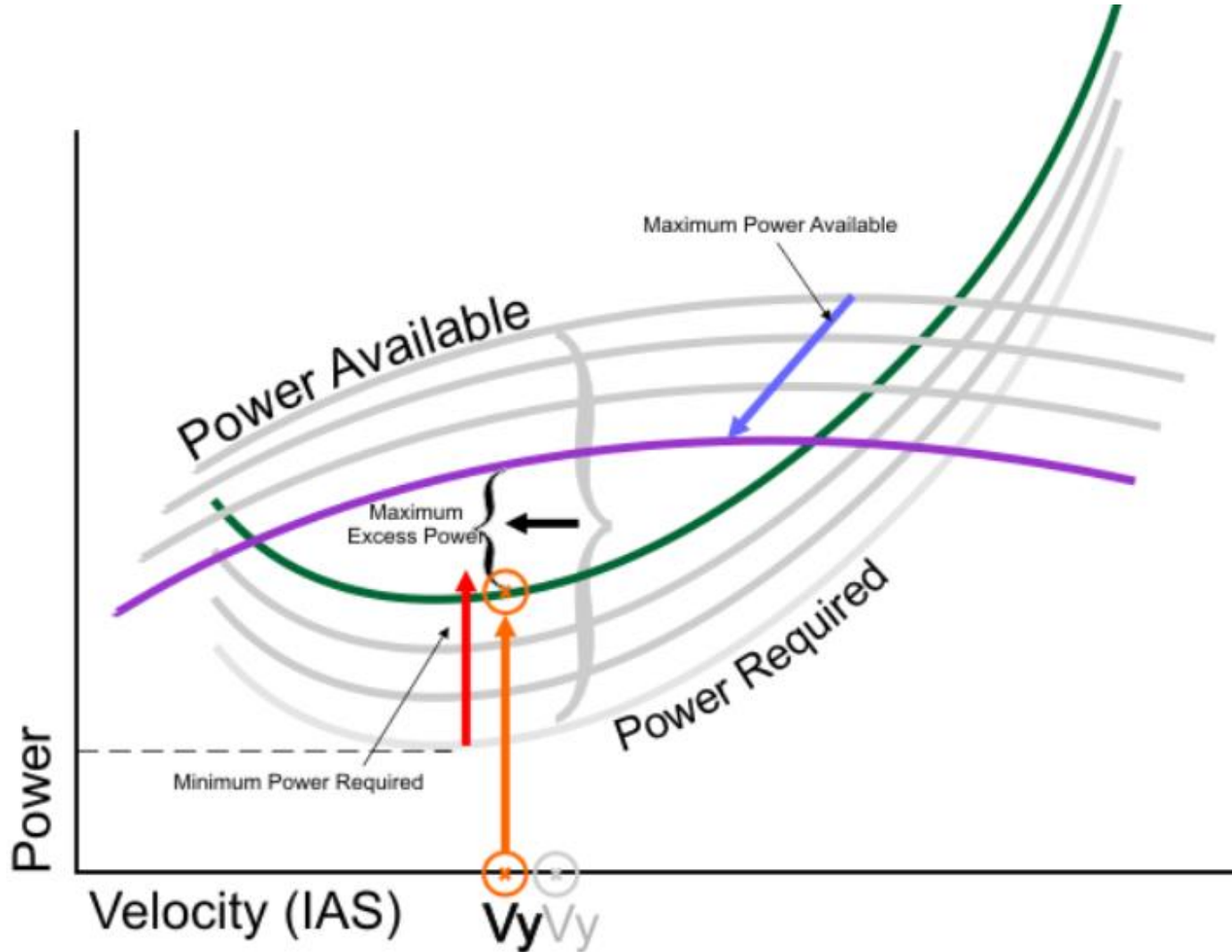
$$PR \text{ (potência requerida)} = D * V$$

$$PD \text{ (potência disponível)} = T * V$$

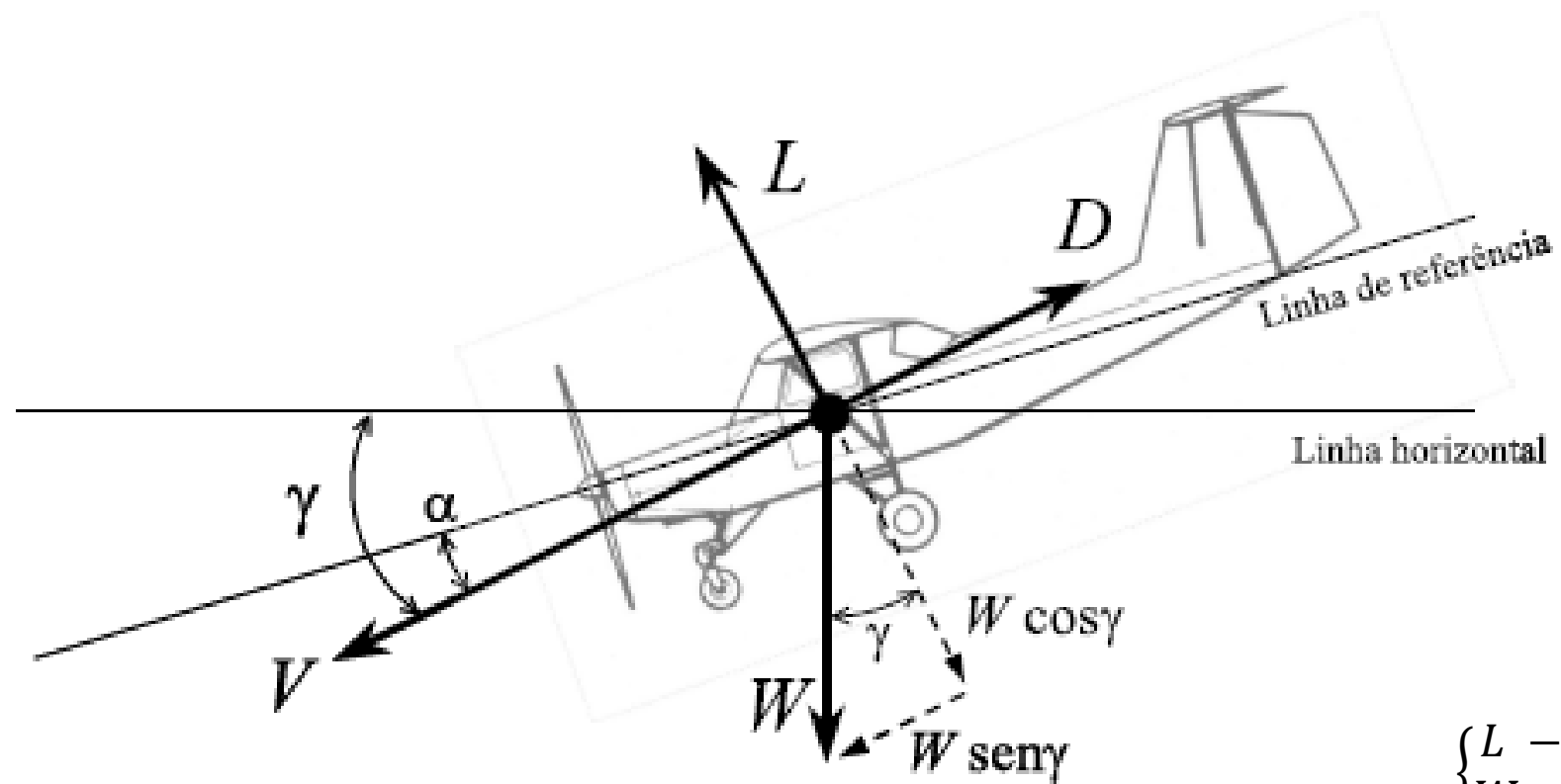
Voo nivelado em cruzeiro



Voo nivelado em cruzeiro

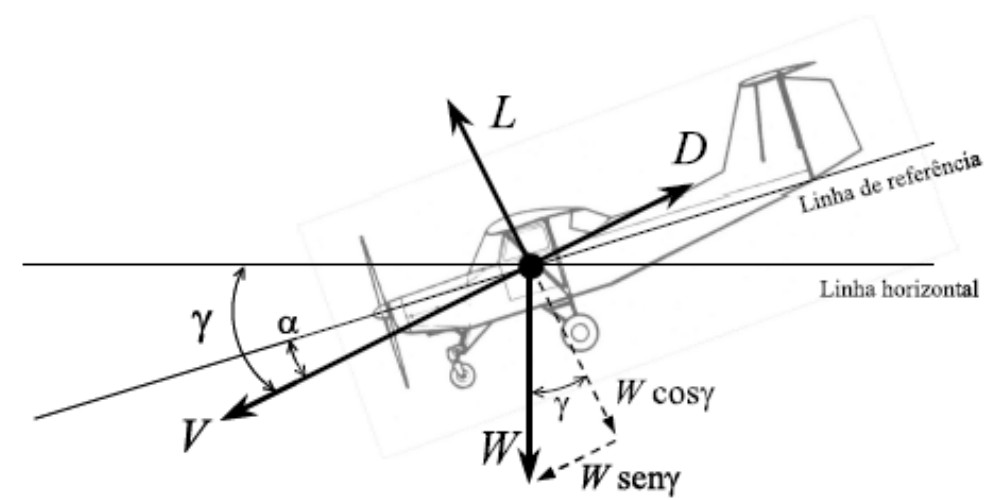


Voo em descida



$$\begin{cases} L - W \cos \gamma = 0 \\ W \sin \gamma - D = 0 \end{cases}$$

Voo em descida



$$\begin{cases} L - W \cos \gamma = 0 \\ W \sin \gamma - D = 0 \end{cases}$$



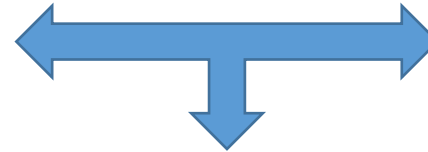
$$\begin{cases} L = W \cos \gamma \\ D = W \sin \gamma \end{cases}$$



$$\tan \gamma = \frac{D}{L} = \frac{1}{\left(\frac{L}{D}\right)} = \frac{1}{\left(\frac{C_L}{C_D}\right)}$$



$$dist_{percorrida} = V \cos \gamma * \Delta t$$



$$\gamma_{MIN} = \left(\frac{C_L}{C_D} \right)_{MÁX}$$

A maior distância percorrida ocorre no menor ângulo de planeio, portanto no maior L/D.

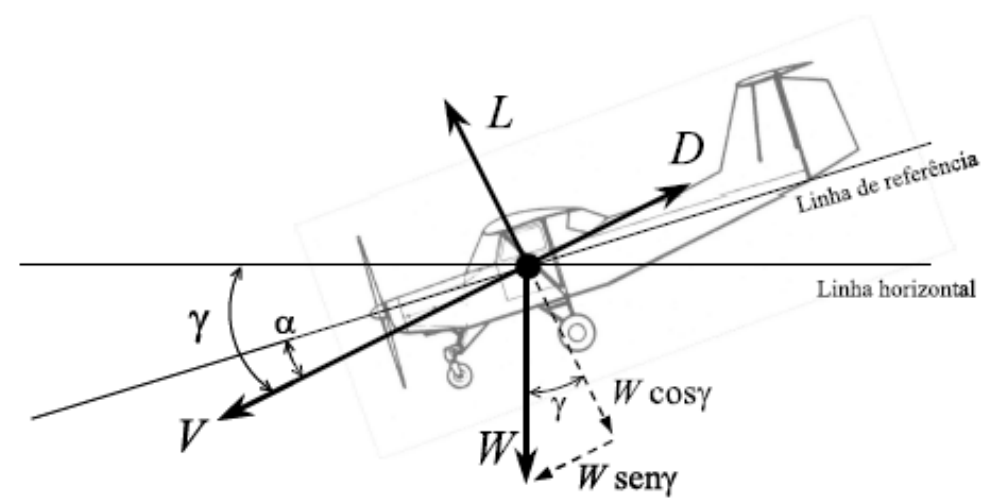
Voo em descida

$$\gamma_{MIN} = \left(\frac{C_L}{C_D} \right)_{MÁX}$$

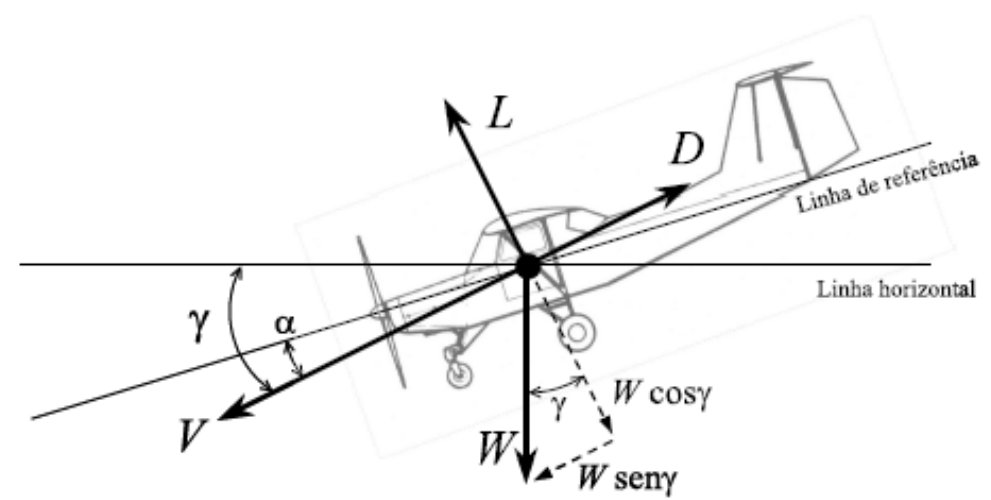
$$C_L = CD0 + kC_L^2$$

$$\gamma_{MIN} = \left(\frac{C_L}{C_D} \right)_{MÁX} = \frac{d}{dC_L} \left(\frac{CD0 + kC_L^2}{C_L} \right) = 0$$

$$C_L = \sqrt{\frac{CD0}{k}}$$



Voo em descida



$$\gamma_{MIN} = \left(\frac{C_L}{C_D} \right)_{MÁX}$$

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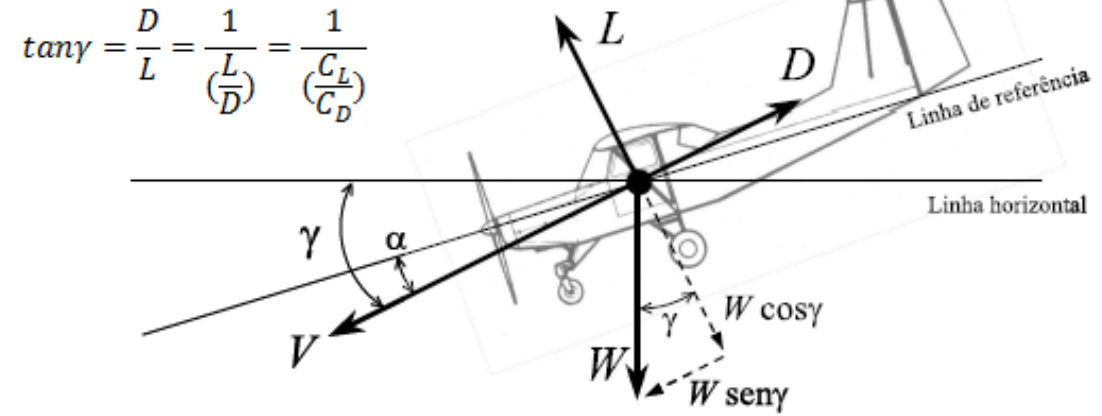
$$C_L = \sqrt{\frac{CD0}{k}}$$

$$L = W \cos \gamma \quad \longrightarrow \quad \frac{1}{2} \rho V^2 * S_W * C_L = W \cos \gamma$$

$$V = \sqrt{\frac{2 W \cos \gamma}{\rho * S_W * C_L}}$$

$$V_{\gamma MIN} = V_{maior alcance} = \sqrt{\frac{2 W \cos \gamma}{\rho * S_W}} \sqrt[4]{\frac{k}{CD0}}$$

Voo em descida



$$RD \text{ (Razão de descida)} = V \operatorname{sen} \gamma = V \frac{C_D}{C_L} \cos \gamma$$

$$V = \sqrt{\frac{2 W \cos \gamma}{\rho * S_W * C_L}}$$

$$RD = \sqrt{\frac{2 W C_D^2 \cos^3 \gamma}{\rho * S_W * C_L^3}}$$

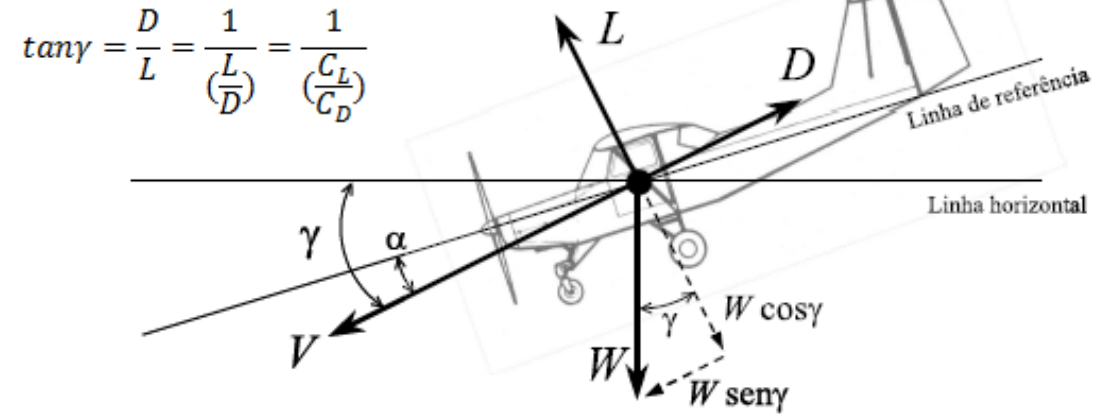
γ pequeno

$$RD = \sqrt{\frac{2 W C_D^2}{\rho S_W C_L^3}}$$

$$\tan \gamma = \frac{D}{L} = \frac{1}{\left(\frac{L}{D}\right)} = \frac{1}{\left(\frac{C_L}{C_D}\right)}$$

A maior autonomia (tempo de voo) ocorre com a menor RD, que ocorre quando $\left(\frac{C_L^{1.5}}{C_D}\right)$ é máximo

Voo em descida



$$RD \text{ (Razão de descida)} = V \sin \gamma = V \frac{C_D}{C_L} \cos \gamma$$

$$V = \sqrt{\frac{2 W \cos \gamma}{\rho * S_W * C_L}}$$

$$RD = \sqrt{\frac{2 W C_D^2 \cos^3 \gamma}{\rho * S_W * C_L^3}}$$

γ pequeno

$$RD = \sqrt{\frac{2 W C_D^2}{\rho S_W C_L^3}}$$

$$\tan \gamma = \frac{D}{L} = \frac{1}{\left(\frac{L}{D}\right)} = \frac{1}{\left(\frac{C_L}{C_D}\right)}$$

A maior autonomia (tempo de voo) ocorre com a menor RD, que ocorre quando $\left(\frac{C_L^{1.5}}{C_D}\right)$ é máximo

$$\left(\frac{C_L^{1.5}}{C_D}\right)_{MAX} \Rightarrow \begin{cases} C_L = \sqrt{\frac{3 C_{D0}}{k}} \\ C_D = 4 C_{D0} \end{cases}$$

$$V_{RDMIN} = \sqrt{\frac{2 W}{\rho * S_W}} \sqrt[4]{\frac{k}{3 C_{D0}}}$$

Voo em descida

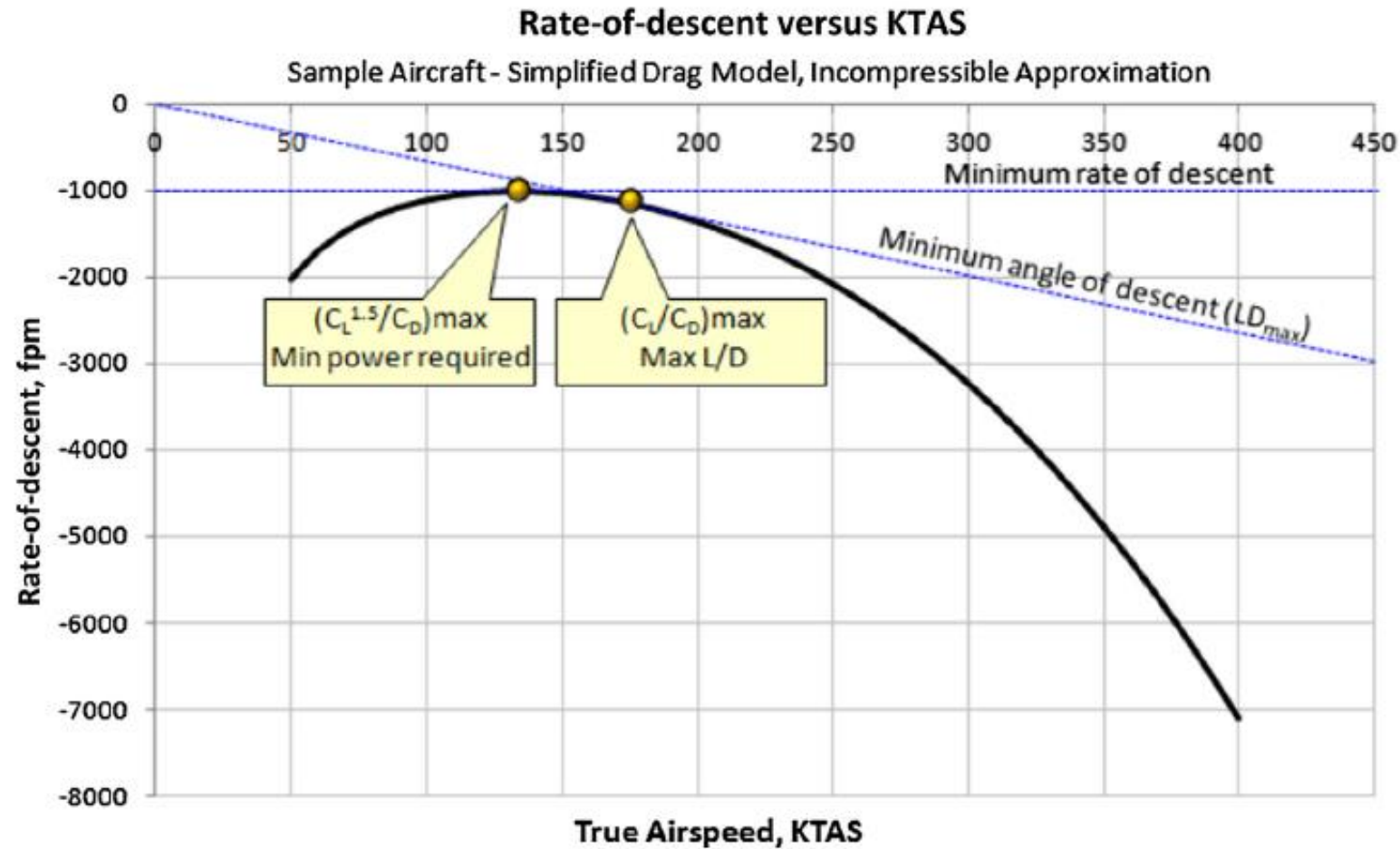


FIGURE 21-6 Important characteristics extracted from the flight polar (at S-L).

Voo em descida

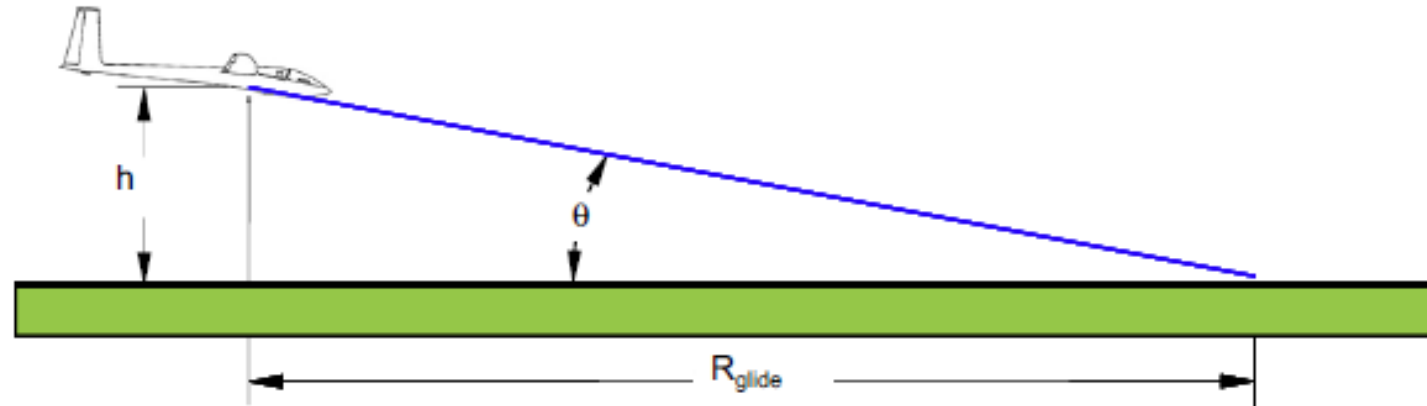


FIGURE 21-7 Distance covered during glide can be estimated using the L/D ratio.

EXAMPLE 21-5

Determine the maximum glide distance for the sample aircraft flying at 30,000 ft.

Solution

Using the maximum LD calculated in EXAMPLE 19-7 we get ($LD_{\text{max}} = 15.45$):

Voo em descida

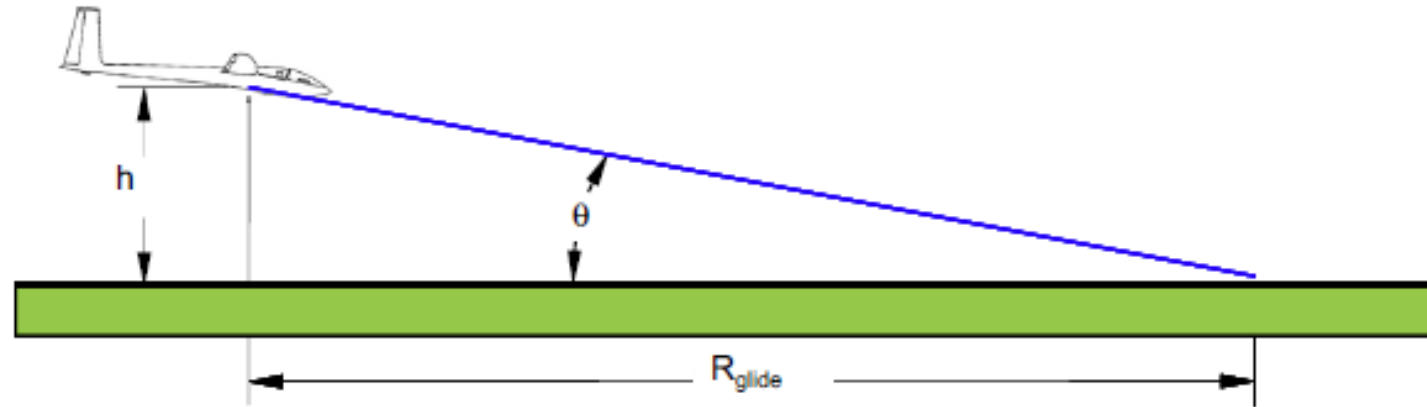


FIGURE 21-7 Distance covered during glide can be estimated using the L/D ratio.

EXAMPLE 21-5

Determine the maximum glide distance for the sample aircraft flying at 30,000 ft.

Solution

Using the maximum LD calculated in EXAMPLE 19-7 we get ($LD_{\max} = 15.45$):

$$\begin{aligned} R_{\text{glide}} &= h \cdot \left(\frac{L}{D} \right)_{\max} \\ &= 30,000 \times (15.45) \\ &= 463,500 \text{ ft (76.3 nm)} \end{aligned}$$