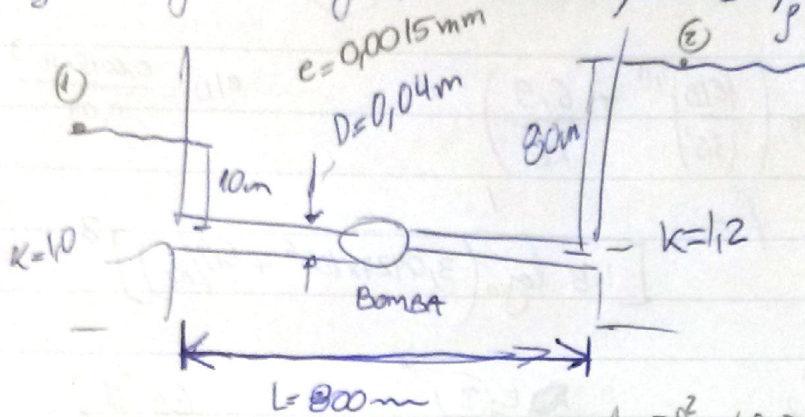


$\rho = 999 \text{ kg/m}^3$

$g = 9,8 \text{ m/s}^2$

$\nu = \mu/\rho = 1,14 \times 10^{-6} \text{ m}^2/\text{s}$

$H_B = 425 - 1,3 \times 10^4 Q^2$
[m] [m³/s]



$A = \frac{\pi D^2}{4} = 1,257 \times 10^{-3} \text{ m}^2$

- Hip.:
- permanente
 - INCOMPRESSÍVEL
 - Perdas Darcy
 - Reserv. Grande
 - V uniforme na seção

Bernoulli Modificada (1) → (2)

$P_1 = P_2 = P_{atm}$

$P_1 = P_2 = P_{atm}$

ESCOLHI POR TEREM INFO. CONHECIDAS

$P_1 + \rho g H_1 + \frac{\rho v_1^2}{2} + \rho g H_{BOMBA} = P_2 + \rho g H_2 + \frac{\rho v_2^2}{2} + \Delta P_{PERDAS}$

RESERV. GRANDE

RESERV. GRANDE

CURVA BOMBA

CURVA SISTEMA

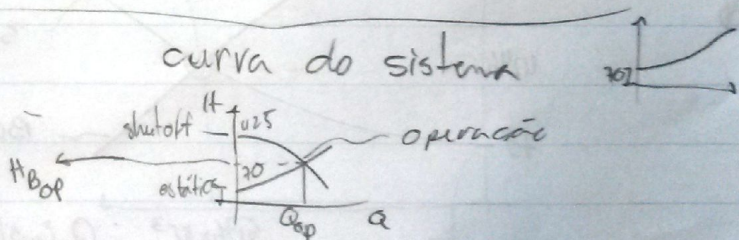
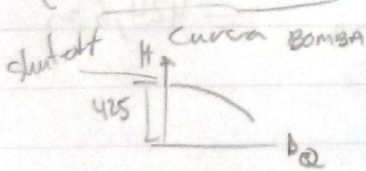
$H_{BOMBA} = (H_2 - H_1) + \Delta H_{PERDAS}$

$f \frac{L}{D} \frac{v^2}{2g} + \sum K \frac{v^2}{2g}$

$A = \frac{\pi D^2}{4}$

$425 - 1,3 \times 10^4 Q^2 = (80 - 10) + f \frac{800}{0,04} \cdot \frac{Q^2}{A^2 \cdot 2 \cdot 9,81} + (10 + 15) \frac{Q^2}{A^2 \cdot 2 \cdot 9,81}$

$(425 - 1,3 \times 10^4 Q^2 = (70) + 6,455 \times 10^8 f Q^2 + 8,069 \times 10^4 Q^2)$ EQ I



EQ I tem f e Q

chutar f → calcular Q

calcular f → calcular Re

VER Pag. seguinte

$$Re = \frac{Q}{A \cdot D \cdot \nu} = \frac{Q \cdot 2,792 \times 10^7}{\dots} \quad \textcircled{\text{II}}$$

$$\frac{1}{f} = -1,8 \log_{10} \left(\left(\frac{e/D}{3,5} \right)^{1/11} + \frac{6,9}{Re} \right)$$

$$e/D = \frac{0,0015 \times 10^{-3}}{0,04} = 3,75 \times 10^{-5}$$

$$L \cdot f = \frac{1}{\left[1,8 \log_{10} \left(3,0427 \times 10^{-6} + 6,9/Re \right) \right]^2} \quad \textcircled{\text{III}}$$

PROCESSO	Eq (I)	Eq (II)	Eq (III)
f	$Q \text{ [m}^3/\text{s]}$	Re	f
CHUTE (0,020)	$5,225 \times 10^{-3}$	$1,46 \times 10^5$	0,0167
	$5,713 \times 10^{-3}$	$1,595 \times 10^5$	0,0164
	$5,76 \times 10^{-3}$	$1,608 \times 10^5$	0,0164

f NÃO MUDOU
 \Downarrow PARAR

SOLUÇÃO $Q = 5,76 \times 10^{-3} \text{ m}^3/\text{s}$

$f = 0,0164$ $Re = 1,608 \times 10^5$

FORA DE ESCALA !!

